

# Collider p/d+A experiments: a new era in QCD at high parton densities

Raju Venugopalan

Brookhaven National Laboratory

Joint BNL-LANL-RBRC workshop, January 7-9, 2013

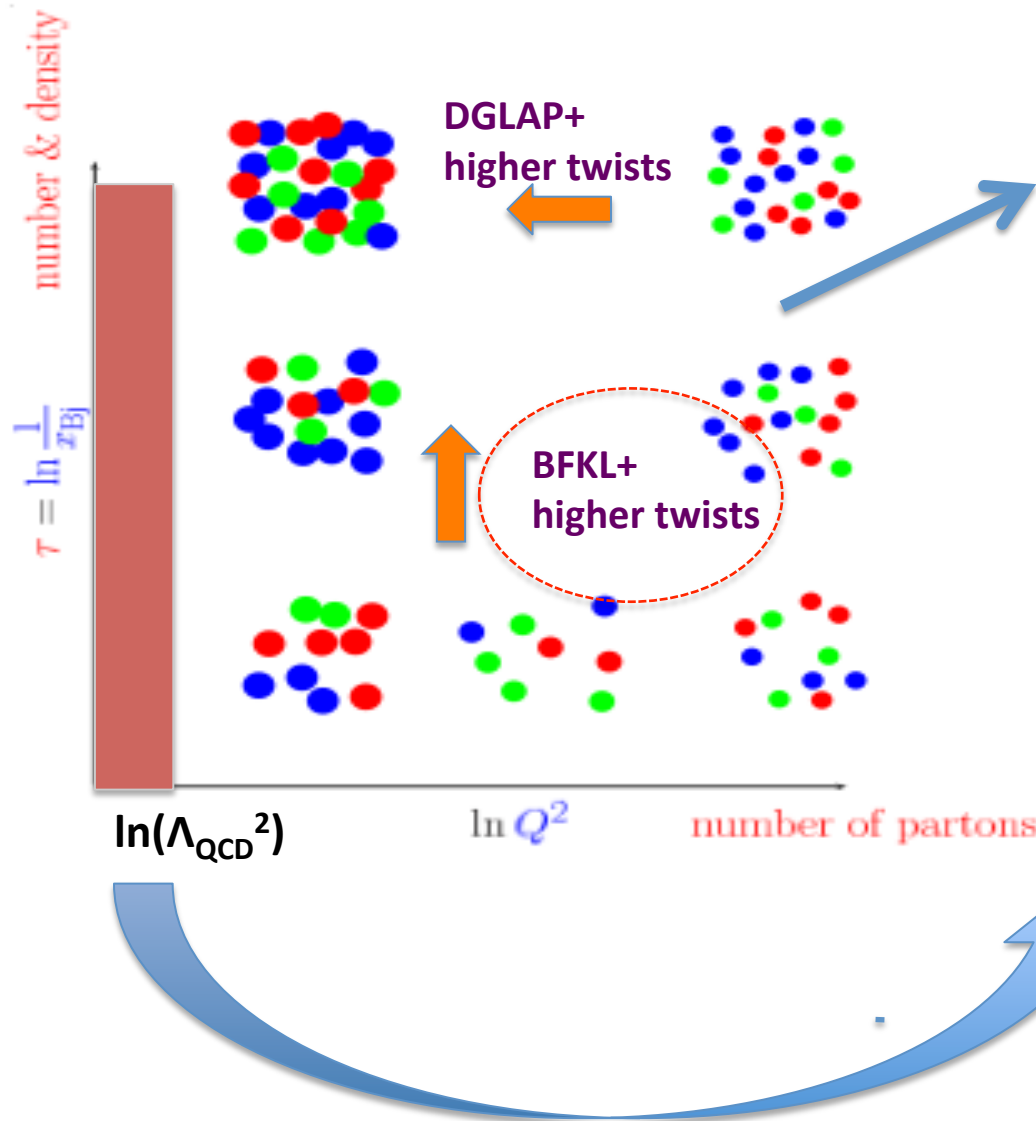
## Exciting times !

- ✧ LHC will start long awaited  $\sim 3$  week p+A run at 5.02 TeV/n in a week !  
4 hour “pilot” run past fall was extremely successful
- ✧ Prospect of  $\uparrow$ p+A collisions at RHIC – significant extension of first collider studies – performed at RHIC - on light-heavy systems

# Talk outline

- ✧ **Universal many-body parton dynamics at high energies  
--- saturation from DIS to hadron-hadron collisions**
- ✧ **Multiplicities and single inclusive distributions**
- ✧ **Di-hadron correlations at RHIC – the ridge in p+p & p+A collisions**
- ✧ **Initial state many-body parton dynamics in A+A collisions – the IP-Glasma model**

# Many-body dynamics of universal gluonic matter



How does this happen ? What are the right degrees of freedom ?

How do correlation functions of these evolve ?

Is there a universal fixed point for the RG evolution of d.o.f

Does the coupling run with  $Q_s^2$  ?

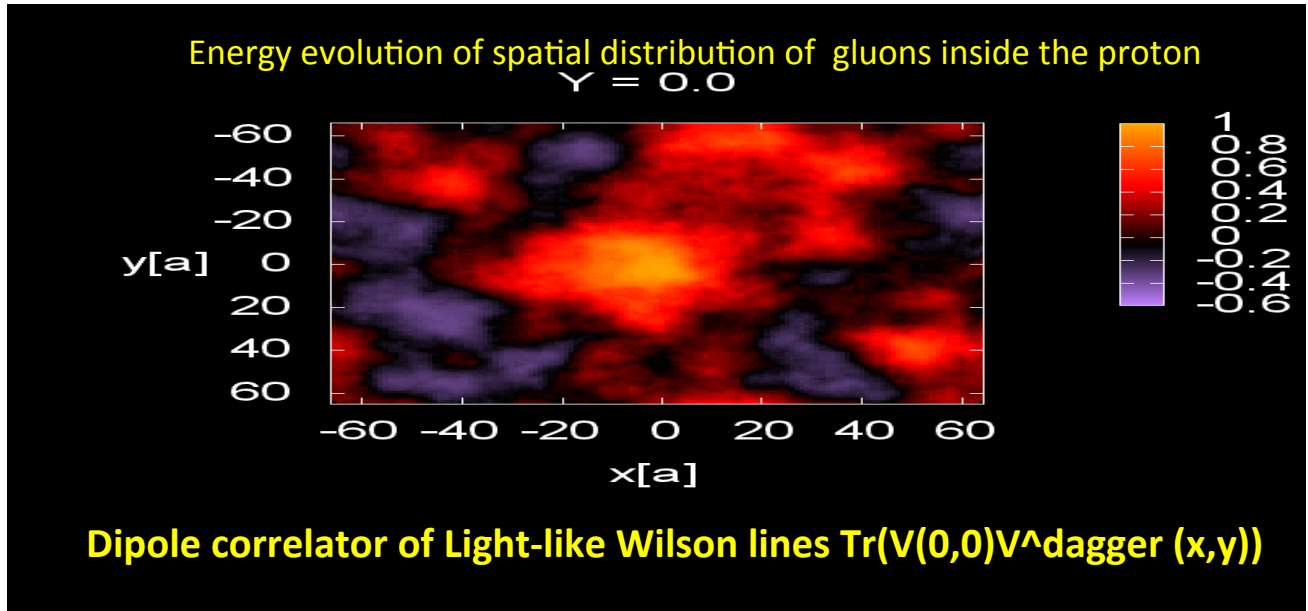
How does saturation transition to chiral symmetry breaking and confinement



# CGC Effective Theory: B-JIMWLK hierarchy of correlators

$$\frac{\partial}{\partial Y} \langle O[\alpha] \rangle_Y = \left\langle \frac{1}{2} \int_{x,y} \frac{\delta}{\delta \alpha_Y^a(x)} \chi_{x,y}^{ab} \frac{\delta}{\delta \alpha_Y^b(y)} O[\alpha] \right\rangle_Y$$

→ “time”
↑ “diffusion coefficient”



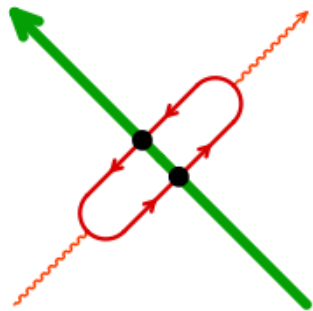
Rummukainen, Weigert (2003)

Dumitru, Jalilian-Marian, Lappi, Schenke, RV, PLB706 (2011)219

**B-JIMWLK eqn. for dipole correlator – universal quantity whose (very good) mean field solution is the BK equation**

$$\frac{\partial}{\partial Y} \langle \text{Tr}(V_x V_y^\dagger) \rangle_Y = -\frac{\alpha_S N_c}{2\pi^2} \int_{z_\perp} \frac{(x_\perp - y_\perp)^2}{(x_\perp - z_\perp)^2 (z_\perp - y_\perp)^2} \langle \text{Tr}(V_x V_y^\dagger) - \frac{1}{N_c} \text{Tr}(V_x V_z^\dagger) \text{Tr}(V_z V_y^\dagger) \rangle_Y$$

# Inclusive DIS: dipole evolution



Photon wave function

$$\sigma_{\gamma^* T} = \int_0^1 dz \int d^2 r_{\perp} |\psi(z, r_{\perp})|^2 \sigma_{\text{dipole}}(x, r_{\perp})$$

$$\sigma_{\text{dipole}}(x, r_{\perp}) = 2 \int d^2 b \int [D\rho] W_{\Lambda^+}[\rho] T\left(b + \frac{r_{\perp}}{2}, b - \frac{r_{\perp}}{2}\right)$$

$$1 - \frac{1}{N_c} \text{Tr} \left( V\left(b + \frac{r_{\perp}}{2}\right) V^{\dagger}\left(b - \frac{r_{\perp}}{2}\right) \right)$$

Two dipole saturation models:

i) rcBK –higher twist corrections to pQCD BFKL small x evolution

Albacete, Kovchegov

ii) IP-Sat based on eikonalized treatment of DGLAP higher twists

– form same as MV model

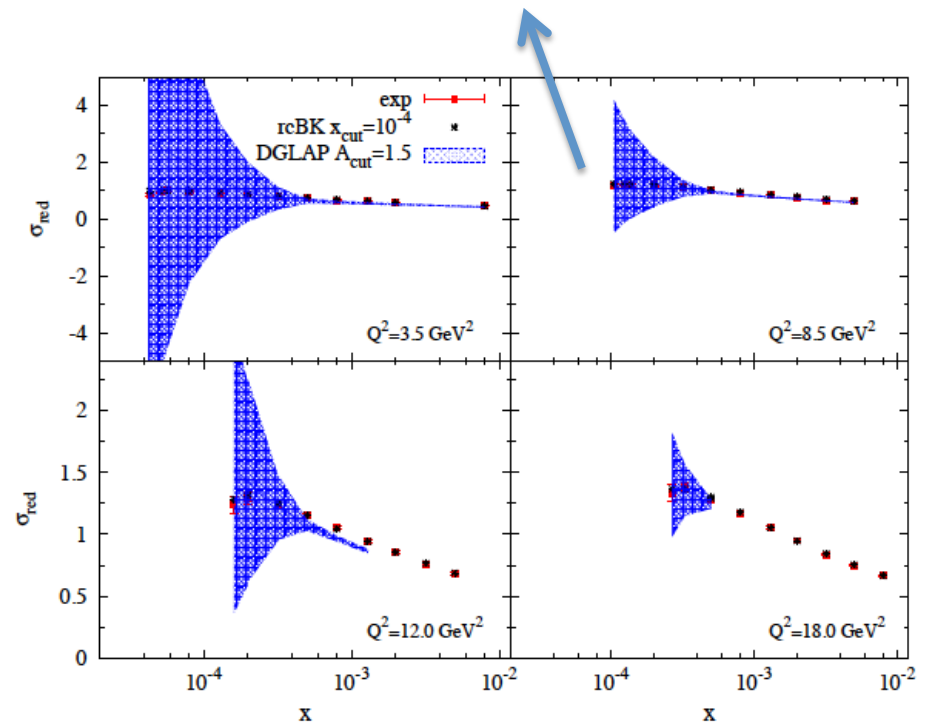
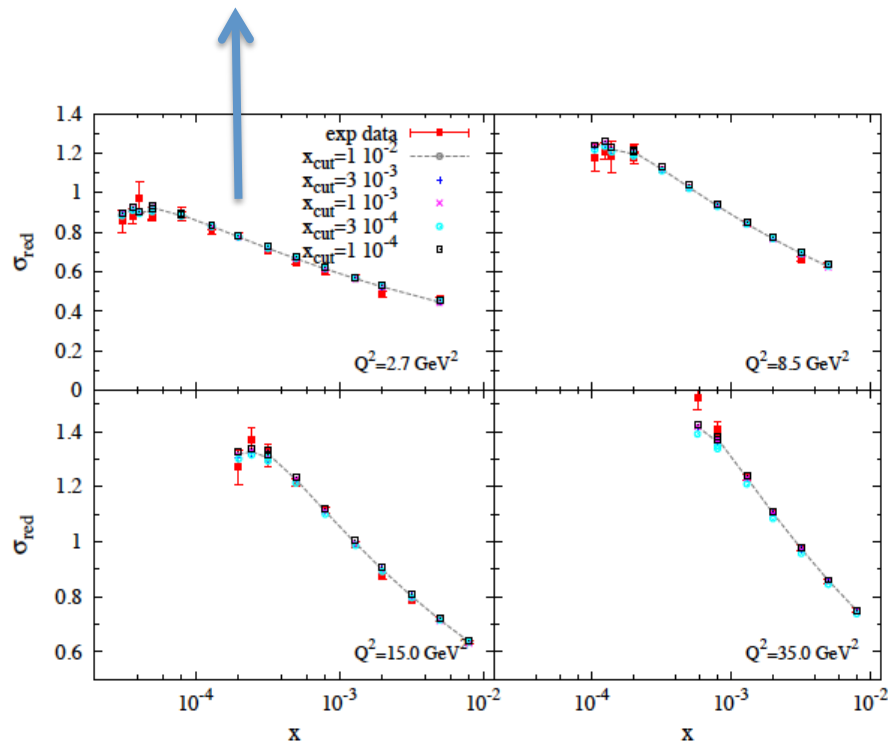
Bartels, Golec-Biernat, Kowalski  
Kowalski, Teaney;  
Kowalski, Motyka, Watt

$$\frac{d\sigma_{\text{dipole}}}{d^2 b_{\perp}} = 2 \left( 1 - \exp \left( -\frac{\pi^2 r_{\perp}^2}{2N_c} \alpha_S(\mu^2) x g(x, \mu^2) T_G(b_{\perp}) \right) \right)$$

# Inclusive DIS: dipole evolution a la BK

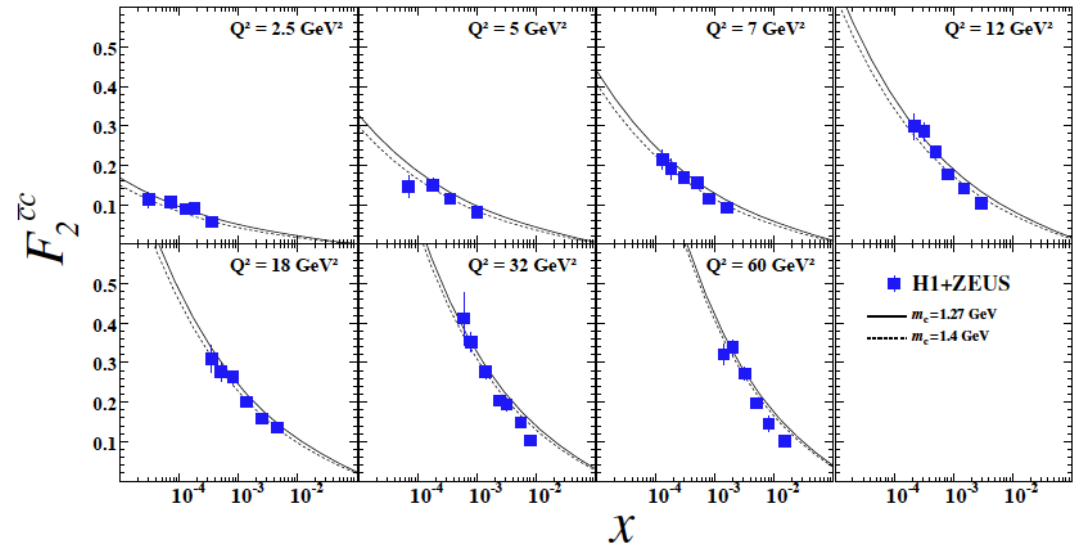
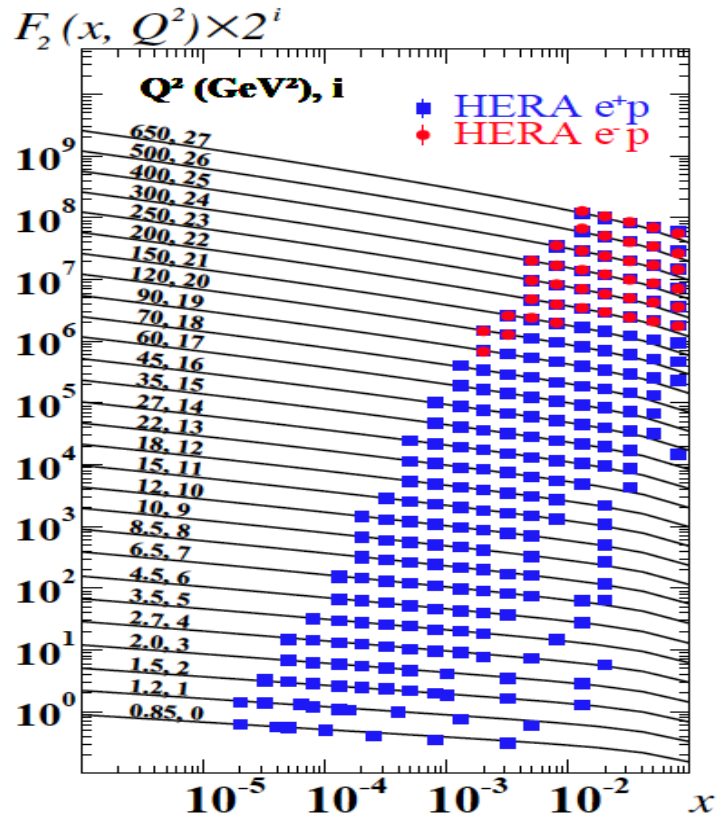
Comparison of running coupling  
rcBK eqn. with precision  
small x combined HERA data

Relative comparison of rc BK to  
DGLAP fits-bands denote  
pdf uncertainties



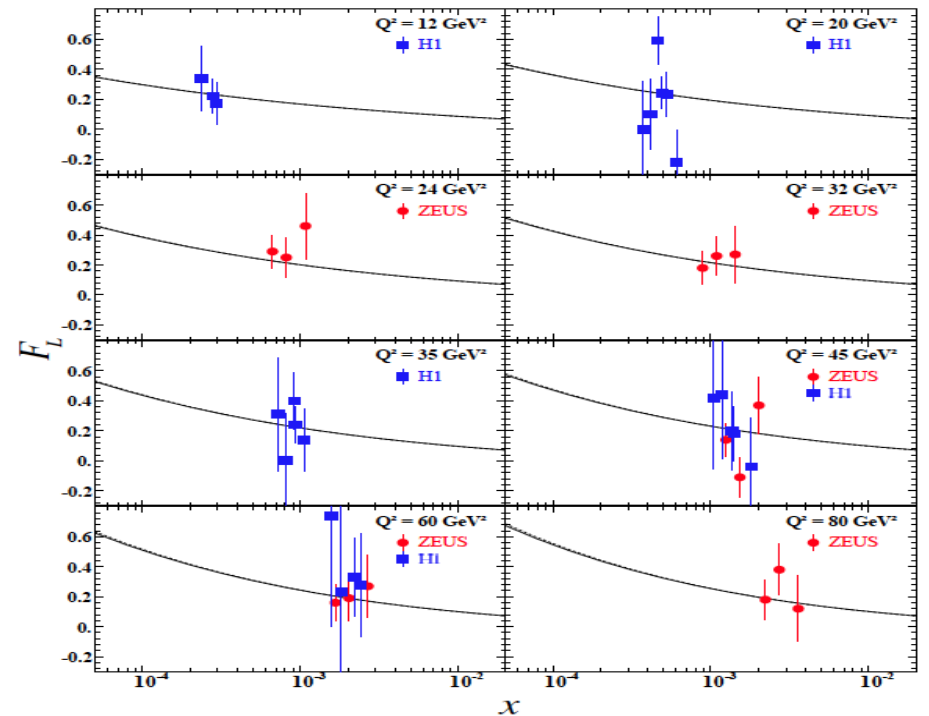


# Inclusive DIS: dipole evolution a la IP-Sat



(Few) parameters fixed by  $\chi$ -sq  $\sim 1$   
fit to combined (H1+Zeus)  
reduced cross-section

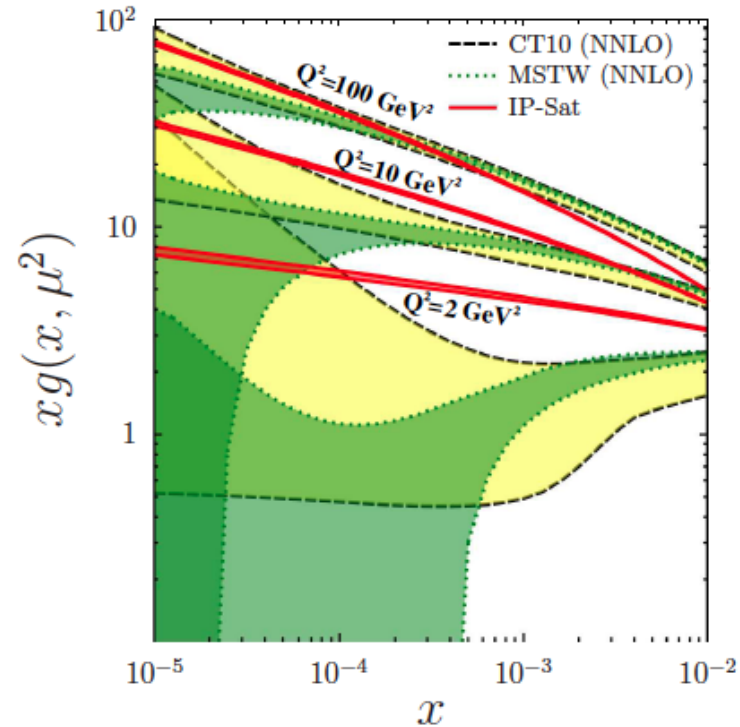
Rezaiean, Siddikov, Van de Klundert, RV: 1212.2974



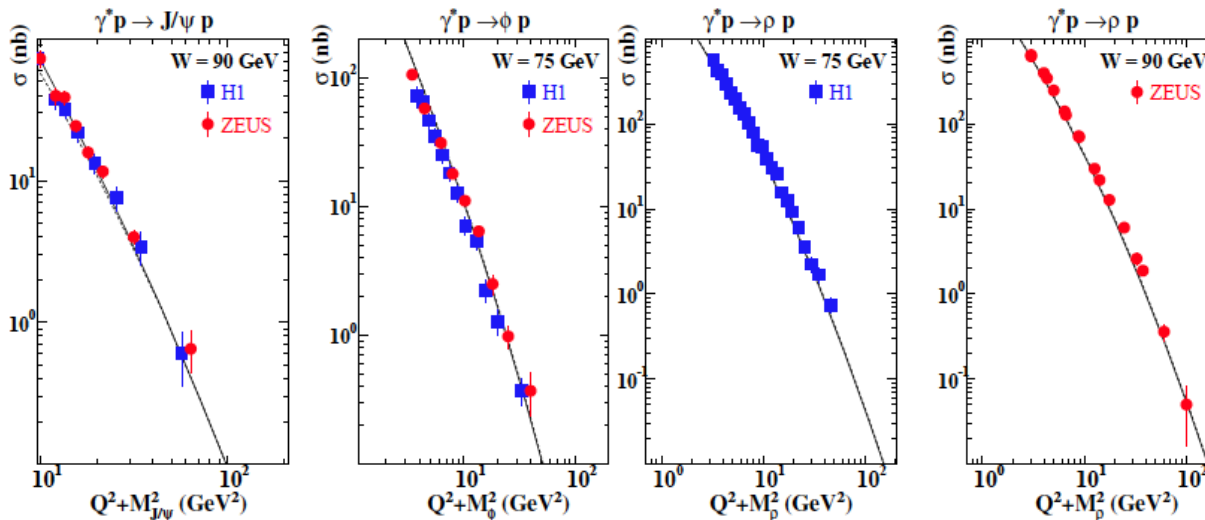
# Inclusive DIS: dipole evolution a la IP-Sat

Rezaiean,Siddikov, Van de Klundert,RV: 1212.2974

More stable gluon dist. at small  $x$  relative to NNLO pdf fits

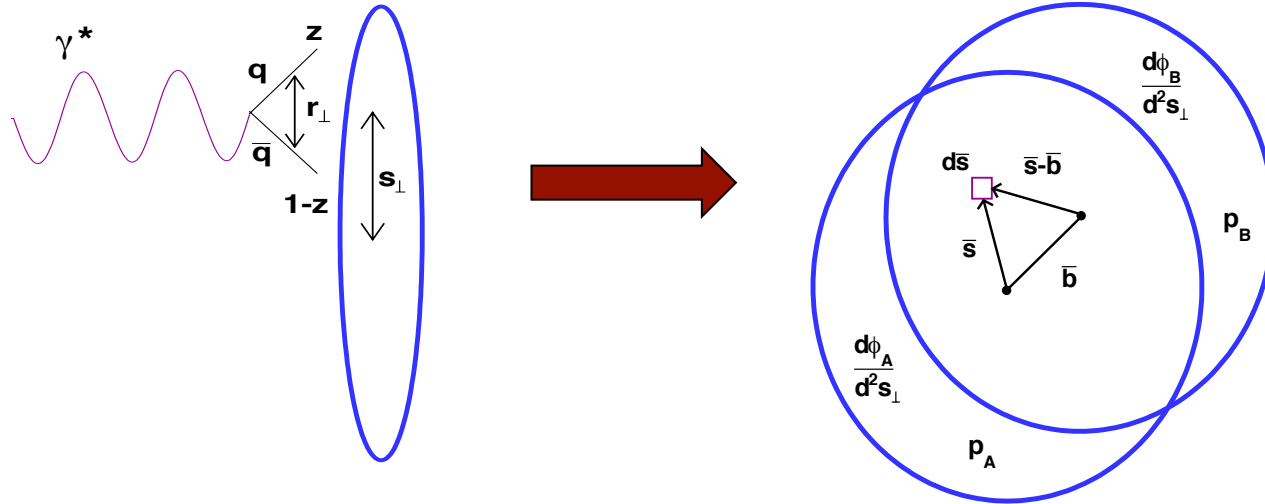


## Exclusive VM production:



Comparable quality fits for energy ( $W$ ) and  $t$ -distributions

# Saturation models: from HERA to RHIC & LHC



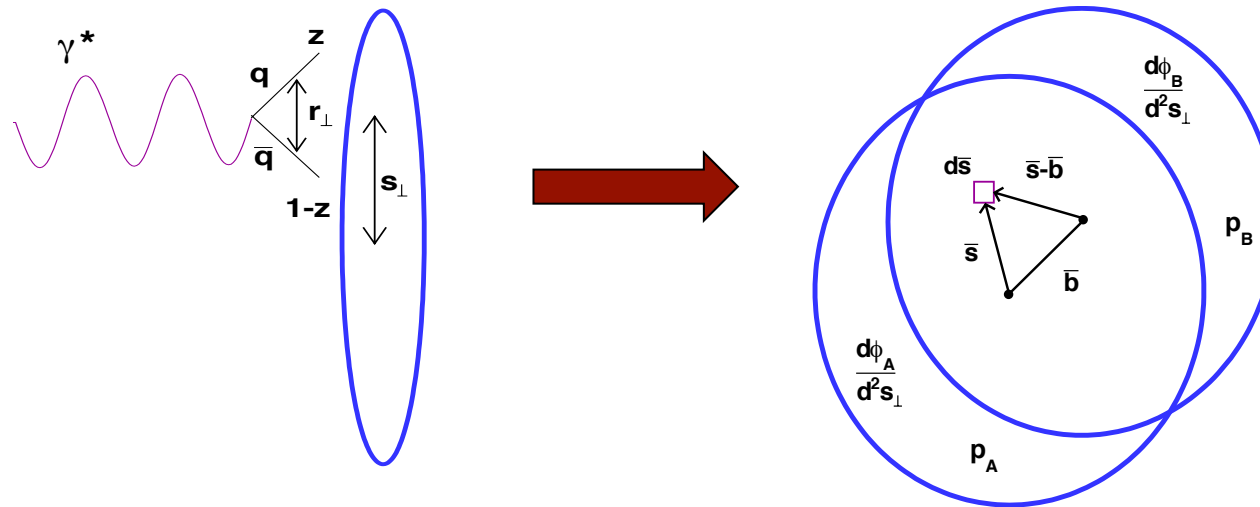
**Unintegrated gluon dist. from dipole cross-section:**

$$\frac{d\phi(x, k_{\perp} | s_{\perp})}{d^2 s_{\perp}} = \frac{k_{\perp}^2 N_c}{4\alpha_s} \int_0^{\infty} d^2 r_{\perp} e^{ik_{\perp} \cdot r_{\perp}} \left[ 1 - \frac{1}{2} \frac{d\sigma_{\text{dip.}}^p}{d^2 s_{\perp}}(r_{\perp}, x, s_{\perp}) \right]^2$$

**$k_{\perp}$  factorization to compute gluon dist. at a given impact parameter:**

$$\frac{dN_g(b_{\perp})}{dy d^2 p_{\perp}} = \frac{4\alpha_s}{\pi C_F} \frac{1}{p_{\perp}^2} \int \frac{d^2 k_{\perp}}{(2\pi)^5} \int d^2 s_{\perp} \frac{d\phi_A(x, k_{\perp} | s_{\perp})}{d^2 s_{\perp}} \frac{d\phi_B(x, p_{\perp} - k_{\perp} | s_{\perp} - b_{\perp})}{d^2 s_{\perp}}$$

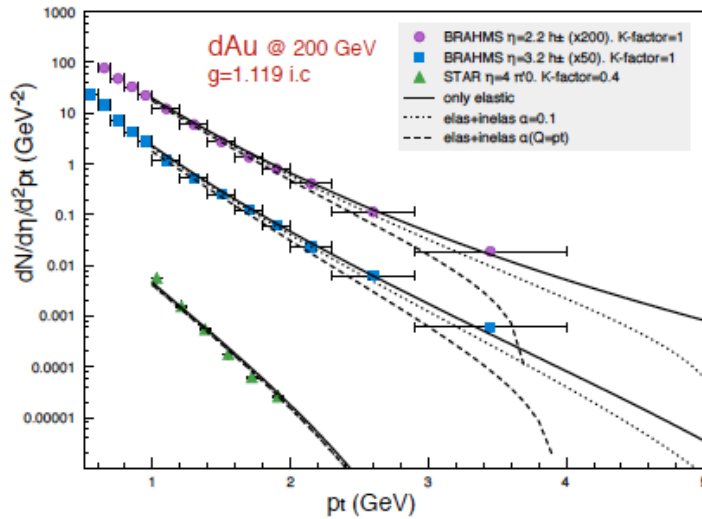
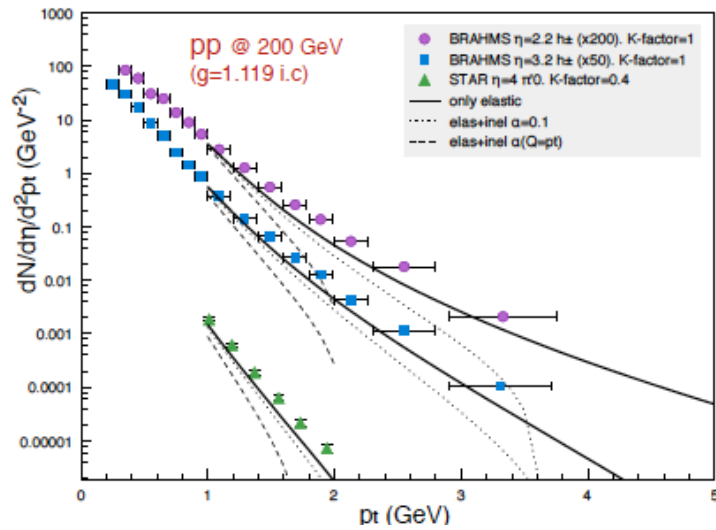
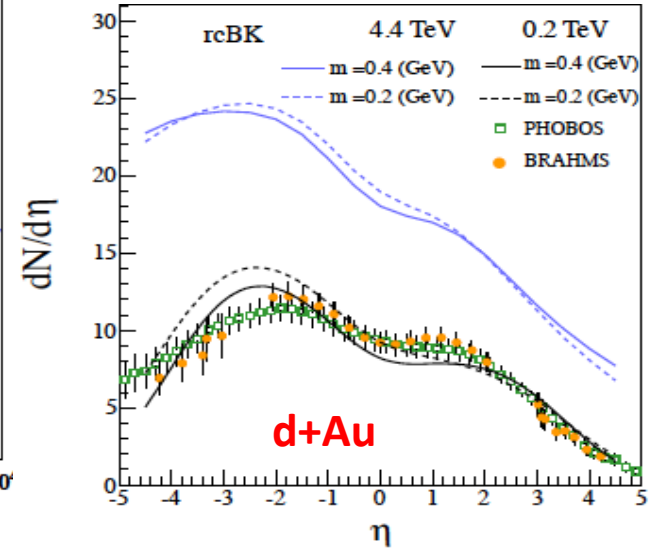
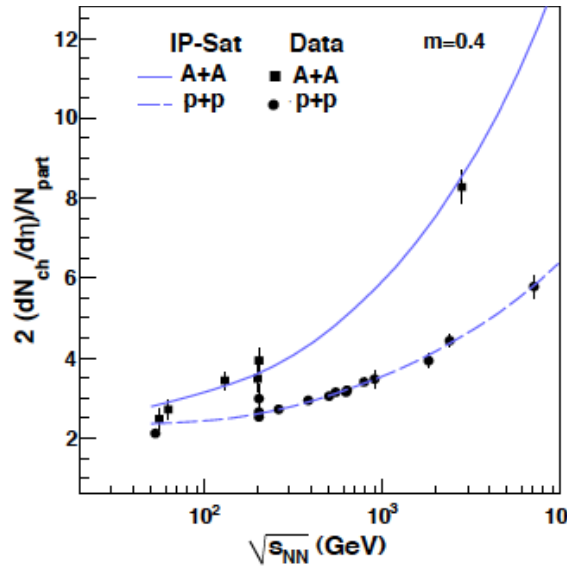
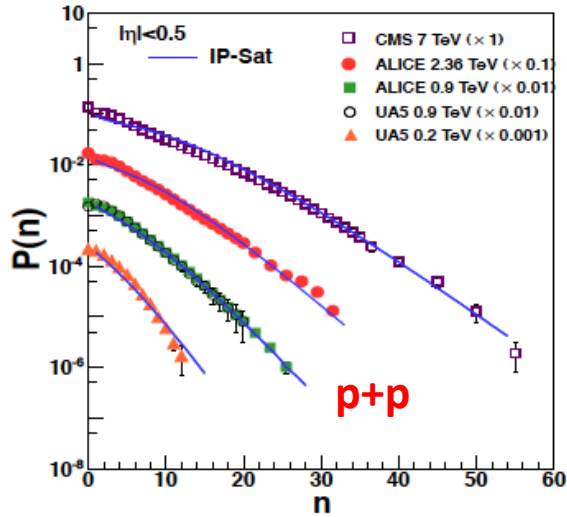
# Saturation models: from HERA to RHIC & LHC



$k_\perp$  factorization is an approximation valid for  $Q_s < k_\perp$   
 – in general need to solve classical Yang-Mills eqns when  
 parton densities in **both** projectile and target are large...

# “Global analysis” of bulk distributions

Tribedy,RV, 1112.2445



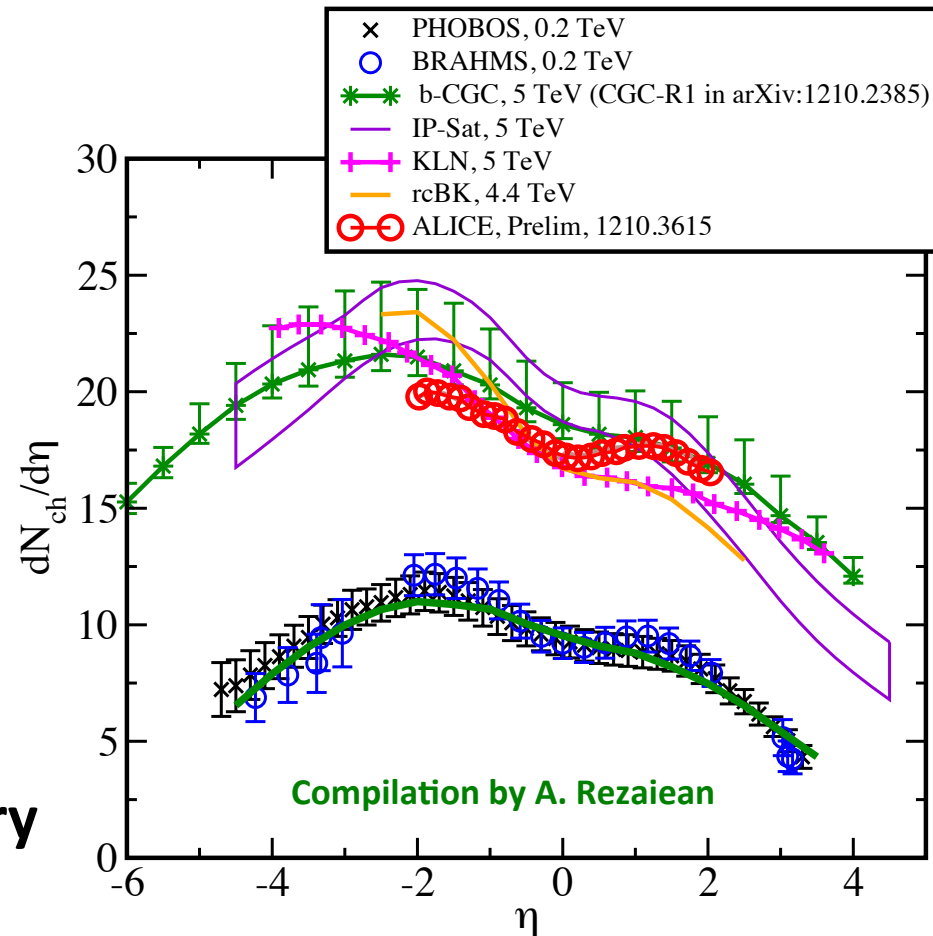
Albacete,Dumitru,Fujii,Nara,1209.2001

# How do these models do with p+A at the LHC ?

In saturation models

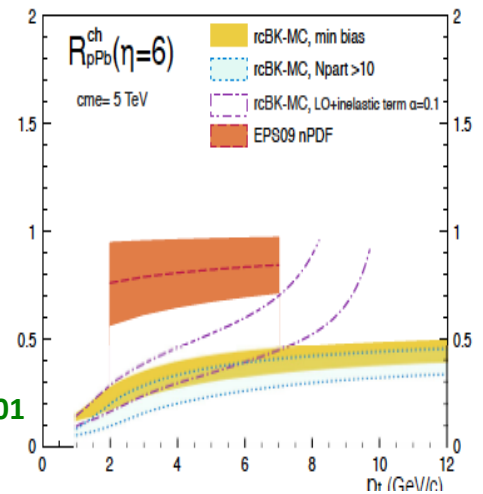
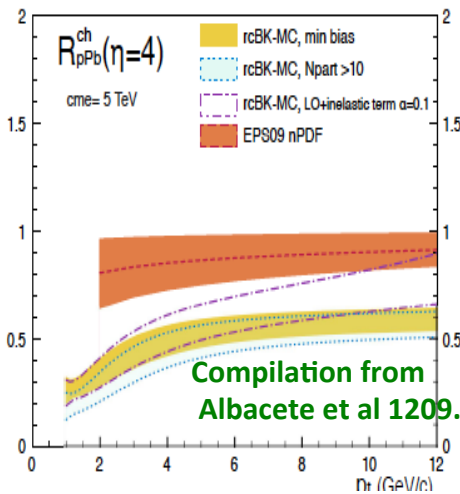
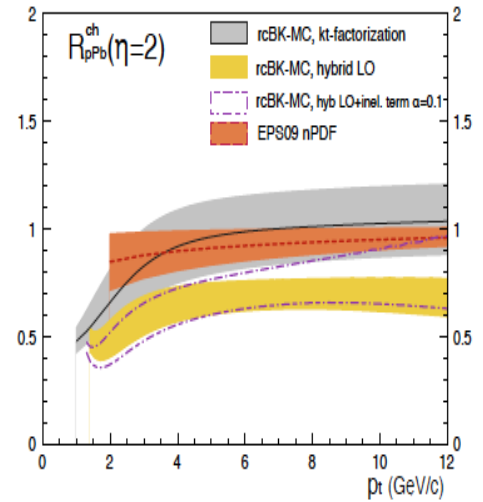
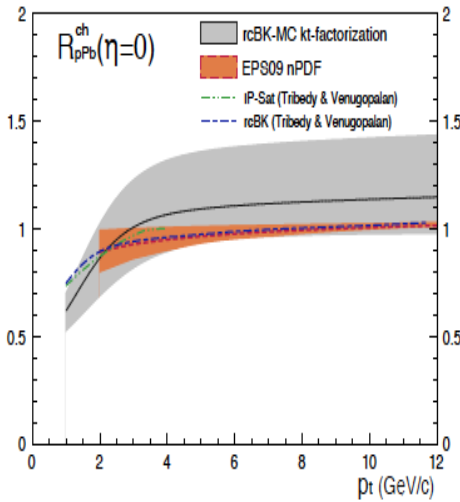
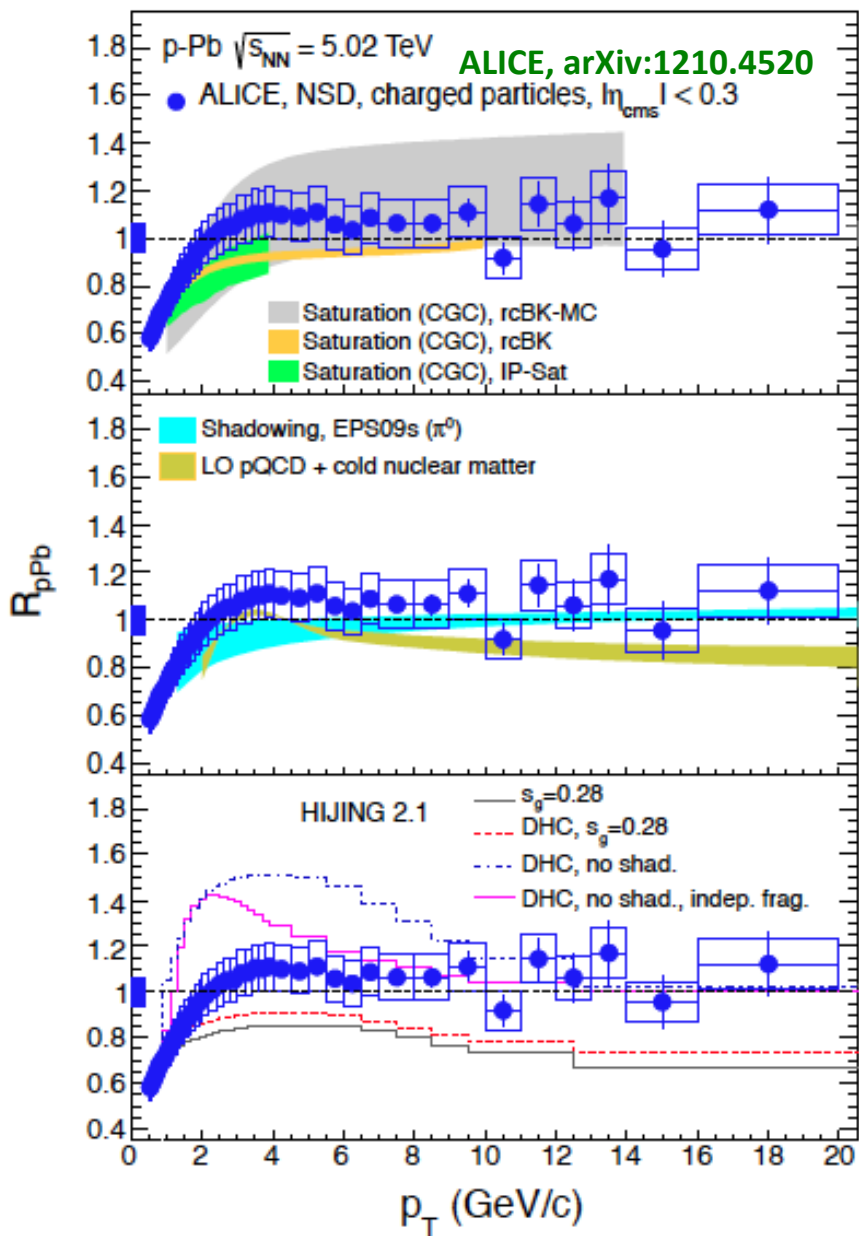
$$\frac{dN}{d\eta} \propto \frac{Q_S^2 S_{\perp}}{\alpha_S(Q_S)}$$

Multiplicities have some sensitivity to “infrared” non-pert. physics/geometry



Other model comparisons, see arXiv:1210.3615  
-likely in Helen's talk...?

# How do these models do with p+A at the LHC ?

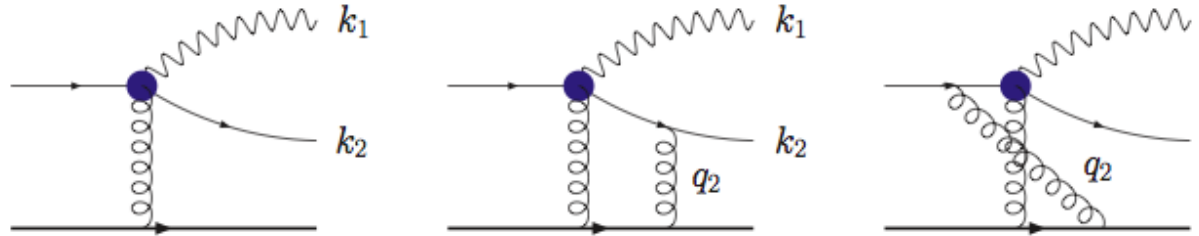


**p+Pb run will add clarity**

Compilation from Albacete et al 1209.2001

# Di-hadrons in p/d-A collisions

Jalilian-Marian, Kovchegov (2004)  
 Marquet (2007), Tuchin (2010)  
 Dominguez, Marquet, Xiao, Yuan (2011)  
 Strikman, Vogelsang (2010)

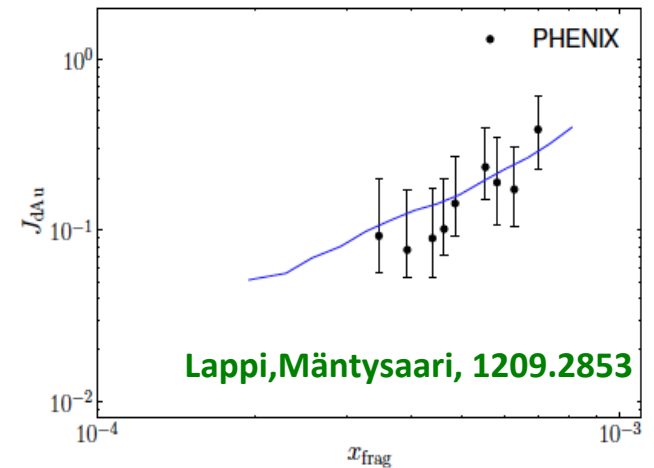
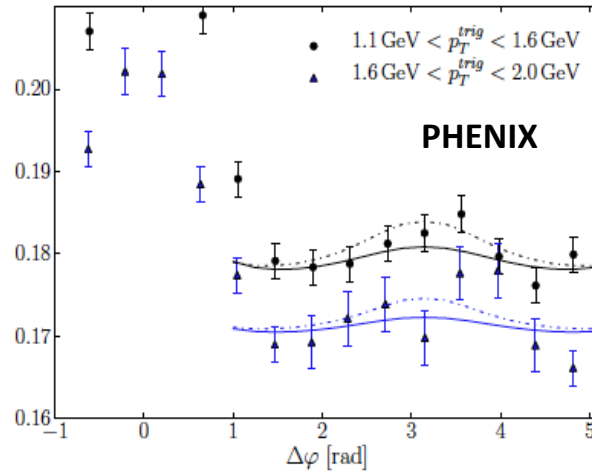
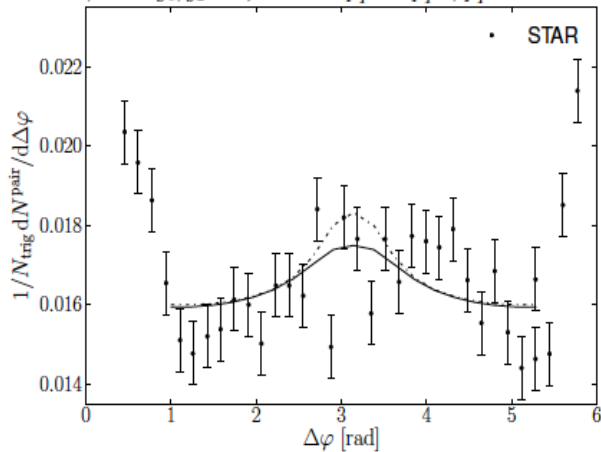


$$\frac{d\sigma^{qA \rightarrow qgX}}{d^3k_1 d^3k_2} \propto \int_{x,y,\bar{x},\bar{y}} e^{ik_{1\perp} \cdot (x-\bar{x})} e^{ik_{2\perp} \cdot (y-\bar{y})} [S_6(x,y,\bar{x},\bar{y}) - S_4(x,y,\bar{x},\bar{y}) - \dots]$$

$$\frac{N_c}{2C_F} \left\langle Q(x,y,\bar{y},\bar{x}) D(y,\bar{y}) - \frac{D(x,\bar{x})}{N_c} \right\rangle \quad \frac{N_c}{2C_F} \left\langle D(x,y) D(\bar{y},\bar{x}) - \frac{D(x,\bar{x})}{N_c} \right\rangle$$

Forward-forward di-hadrons sensitive to both **dipole** and **quadrupole** correlators

d + Au,  $2.4 < y_1, y_2 < 4$ ,  $1 \text{ GeV} < p_T^{\text{ass}} < p_T^{\text{trig}}$ ,  $p_T^{\text{trig}} > 2 \text{ GeV}$



Lappi, Mäntysaari, 1209.2853

Recent computations (Stasto, Xiao, Yuan + Lappi, Mäntysaari) include Pedestal, Shadowing (color screening) and Broadening (multiple scattering) effects in CGC





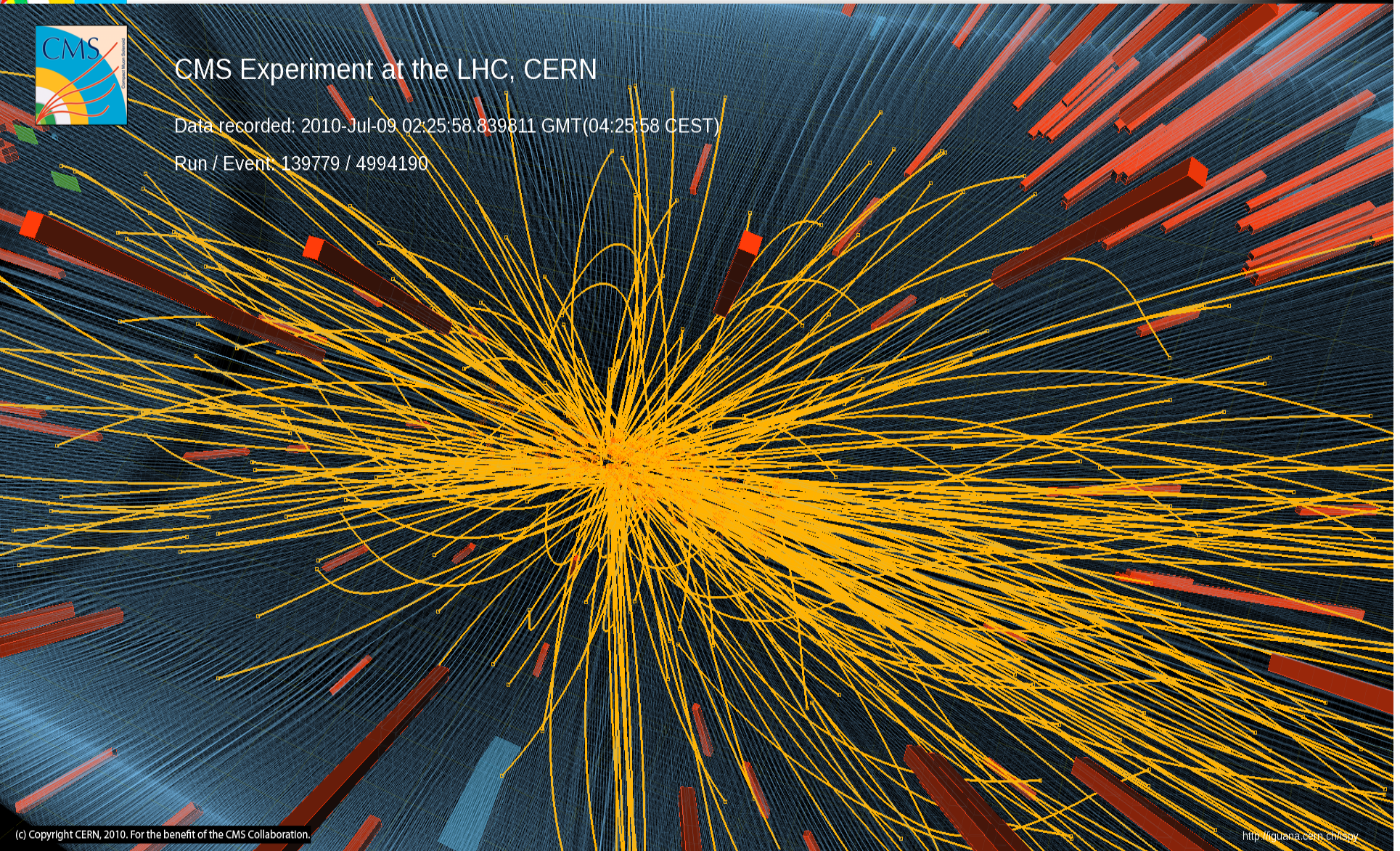
# High Multiplicity pp collisions



CMS Experiment at the LHC, CERN

Data recorded: 2010-Jul-09 02:25:58.839811 GMT(04:25:58 CEST)

Run / Event: 139779 / 4994190



(c) Copyright CERN, 2010. For the benefit of the CMS Collaboration.

<http://figtrana.cern.ch/isp/>



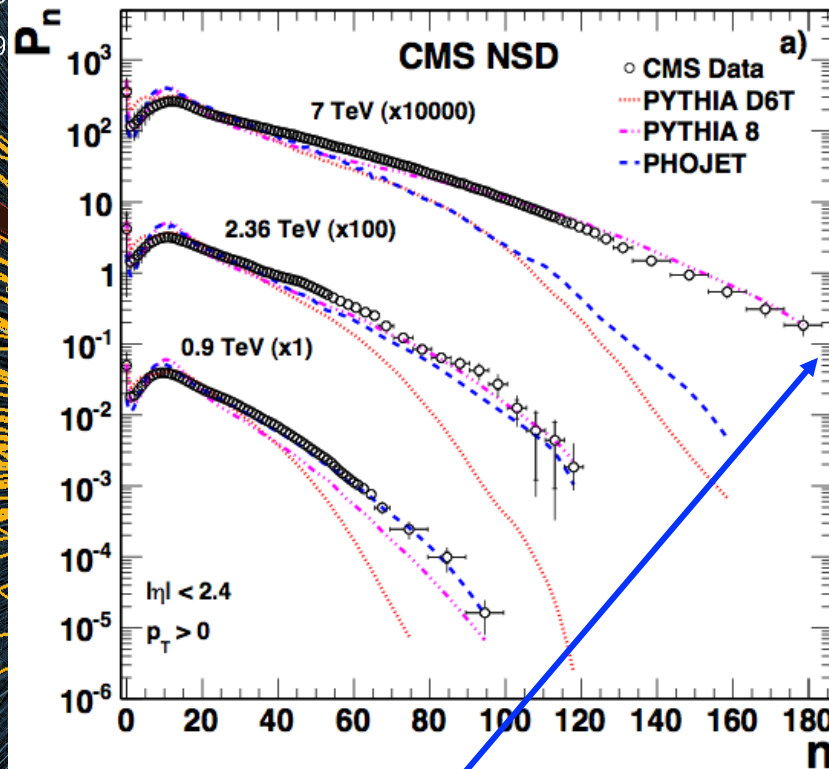
# High Multiplicity pp collisions



CMS Experiment High Multiplicity events are rare in nature

Data recorded: 2010-Jul-0

Run / Event: 139779 / 499

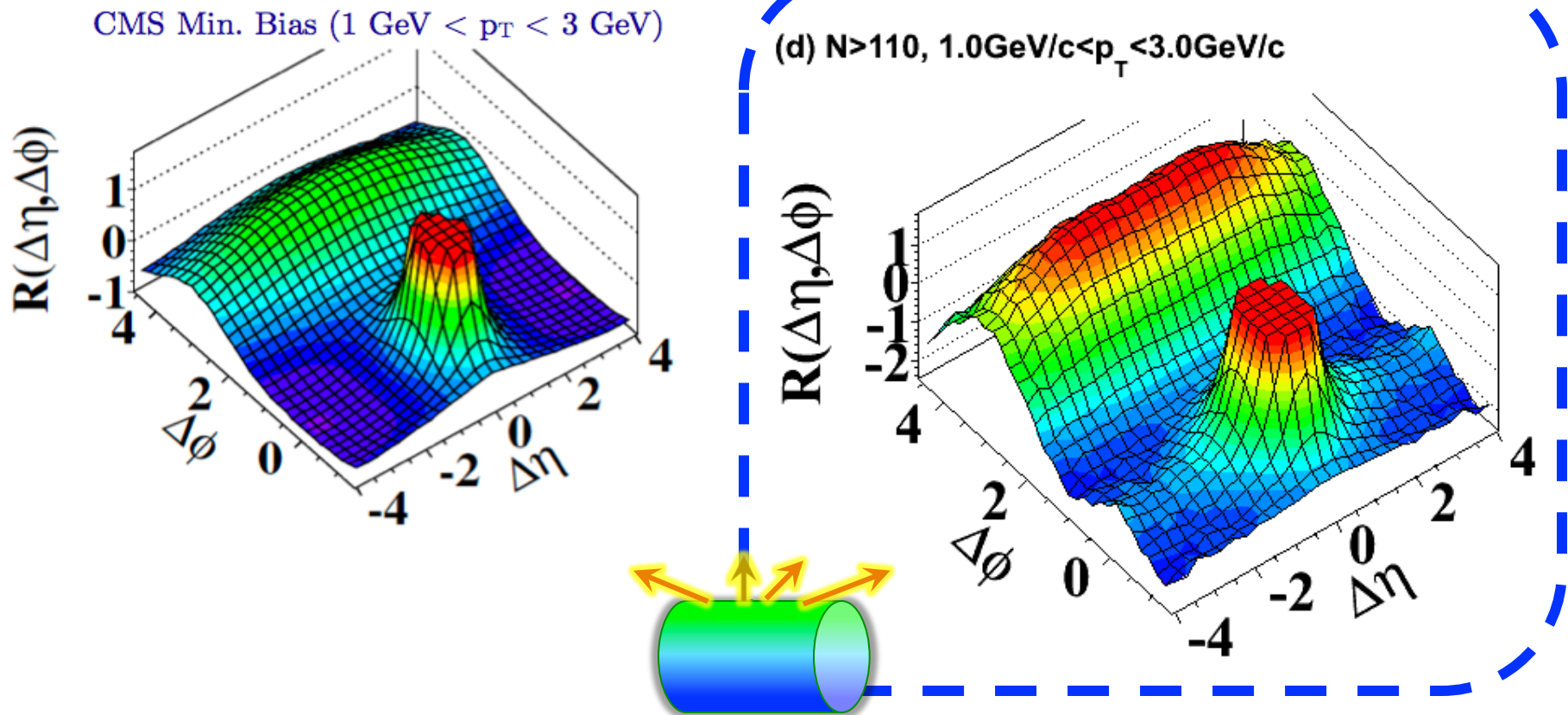


Very high particle density regime  
*Is there anything peculiar happening there?*

# Two particle correlations in high mult. p+p

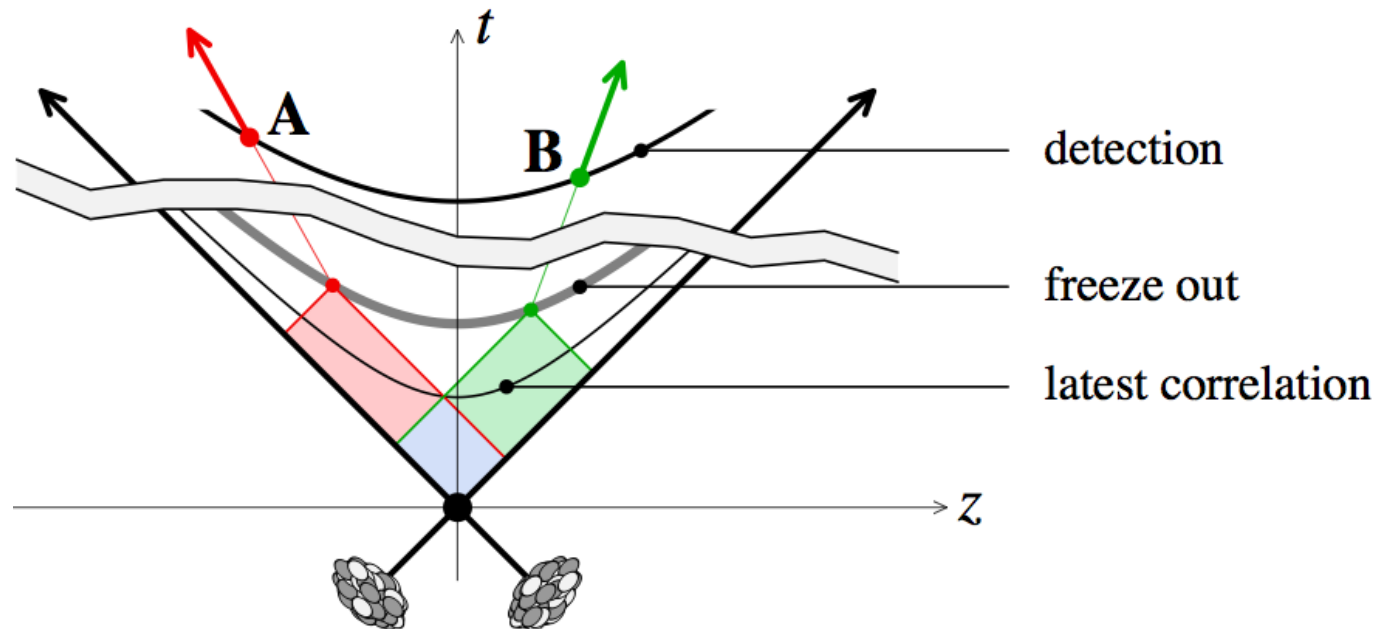
CMS 1009.4122

“Discovery”



- ◆ Ridge: Distinct long range correlation in  $\eta$  collimated around  $\Delta\Phi \approx 0$  for two hadrons in the intermediate  $1 < p_T, q_T < 3 \text{ GeV}$

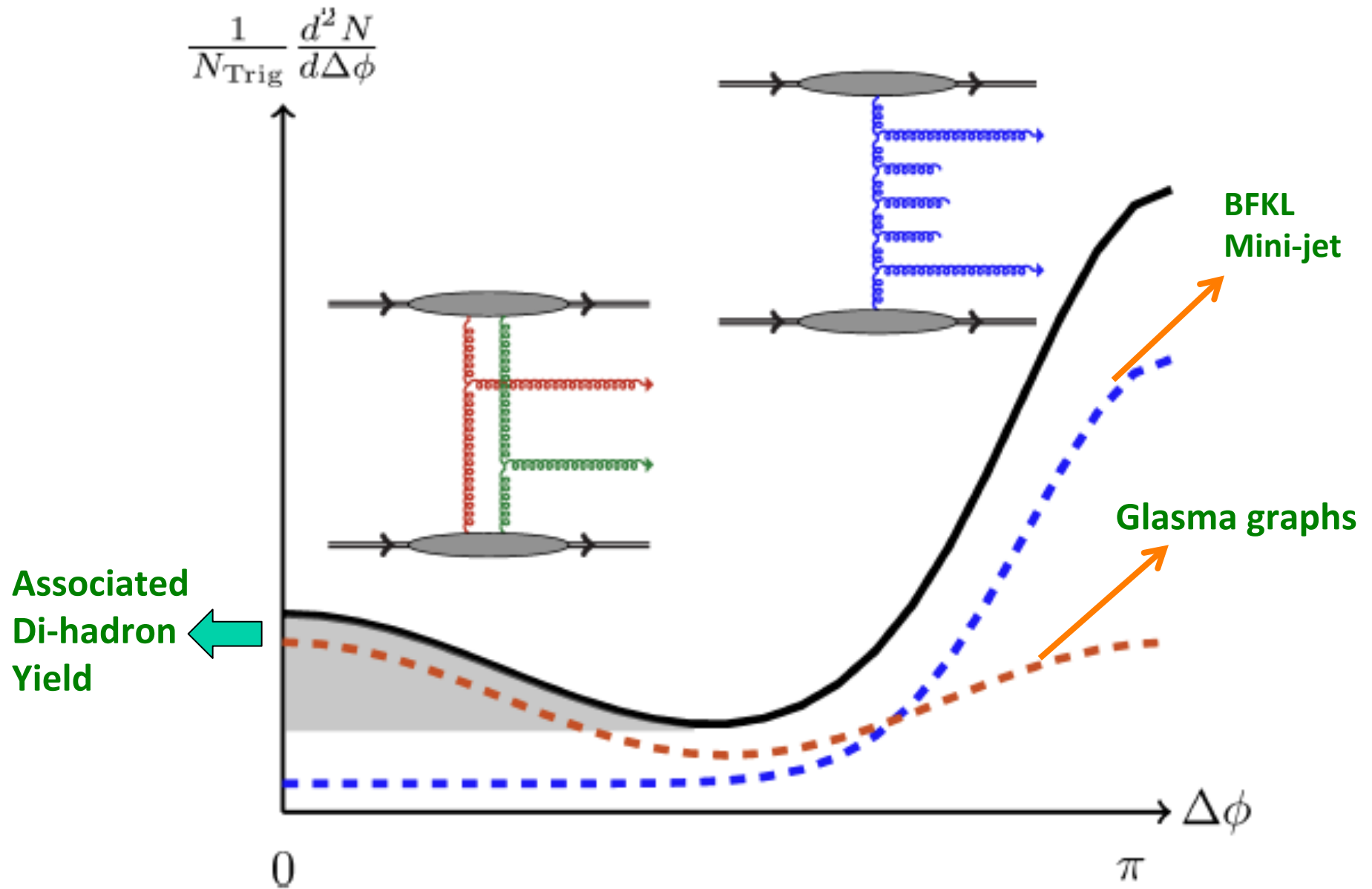
# Long range rapidity correlations as a chronometer



$$\tau \leq \tau_{\text{frz-out}} \exp \left( -\frac{1}{2} \underbrace{|y_A - y_B|}_{\text{rapidity difference}} \right)$$

- ❖ Long range correlations sensitive to very early time (fractions of a femtometer  $\sim 10^{-24}$  seconds) dynamics in collisions

# Anatomy of long range di-hadron collimation



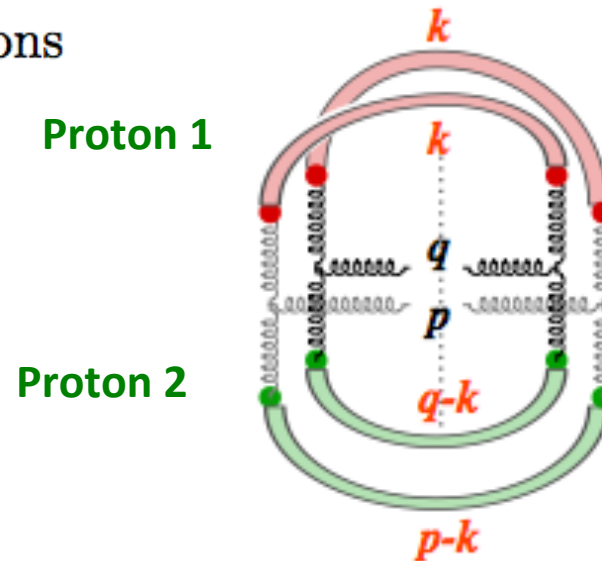
# Long range di-hadron correlations

Dumitru, Dusling, Gelis, Jalilian-Marian, Lappi, RV, arXiv:1009.5295

RG evolution of two particle correlations  $C(p, q)$  expressed in terms of “**unintegrated gluon distributions**” in the proton

$$C(\mathbf{p}, \mathbf{q}) \propto \frac{g^4}{\mathbf{p}_\perp^2 \mathbf{q}_\perp^2} \int d^2 \mathbf{k}_{1\perp} \Phi_{A_1}^2(y_p, \mathbf{k}_{1\perp}) \Phi_{A_2}(y_p, \mathbf{p}_\perp - \mathbf{k}_{1\perp}) \Phi_{A_2}(y_q, \mathbf{q}_\perp - \mathbf{k}_{1\perp})$$

+ permutations

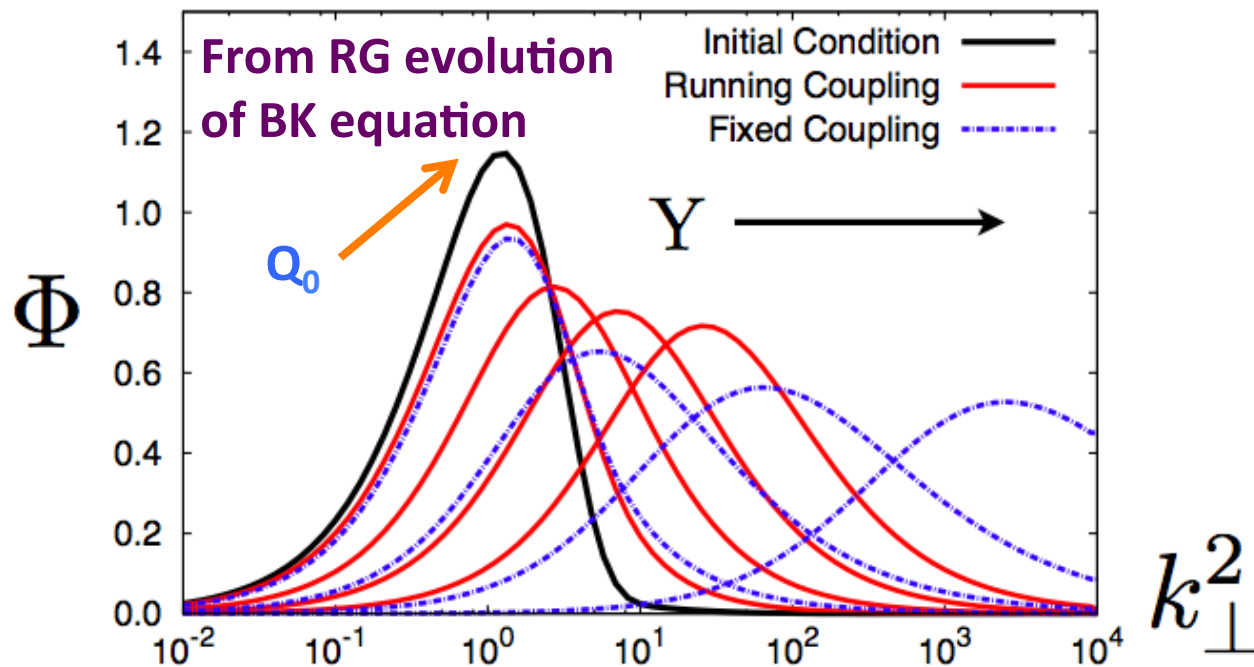


Contribution  $\sim \alpha_s^6 / N_c^2$  in min. bias, High mult.  $\rightarrow 1/\alpha_s^2 N_c^2$   
 – enhancement of  $1/\alpha_s^8 \sim$  factor of  $10^5$  !

## Collimated yield ?

$$C(\mathbf{p}, \mathbf{q}) \propto \frac{g^4}{\mathbf{p}_\perp^2 \mathbf{q}_\perp^2} \int d^2 \mathbf{k}_{1\perp} \Phi_{A_1}^2(y_p, \mathbf{k}_{1\perp}) \Phi_{A_2}(y_p, \mathbf{p}_\perp - \mathbf{k}_{1\perp}) \Phi_{A_2}(y_q, \mathbf{q}_\perp - \mathbf{k}_{1\perp})$$

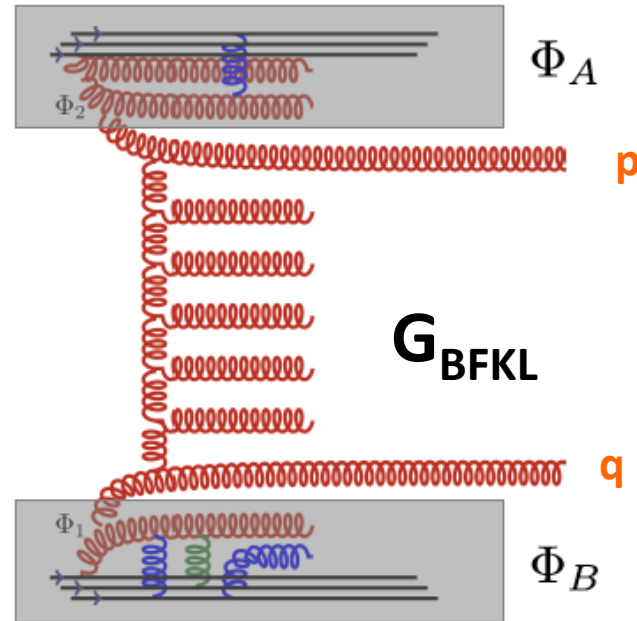
+ permutations



Dominant contribution from  $|\mathbf{p}_T - \mathbf{k}_T| \sim |\mathbf{q}_T - \mathbf{k}_T| \sim |\mathbf{k}_T| \sim Q_s$

This gives a collimation for  $\Delta\Phi \approx 0$  and  $\pi$

# Angular structure from (mini-) Jet radiation



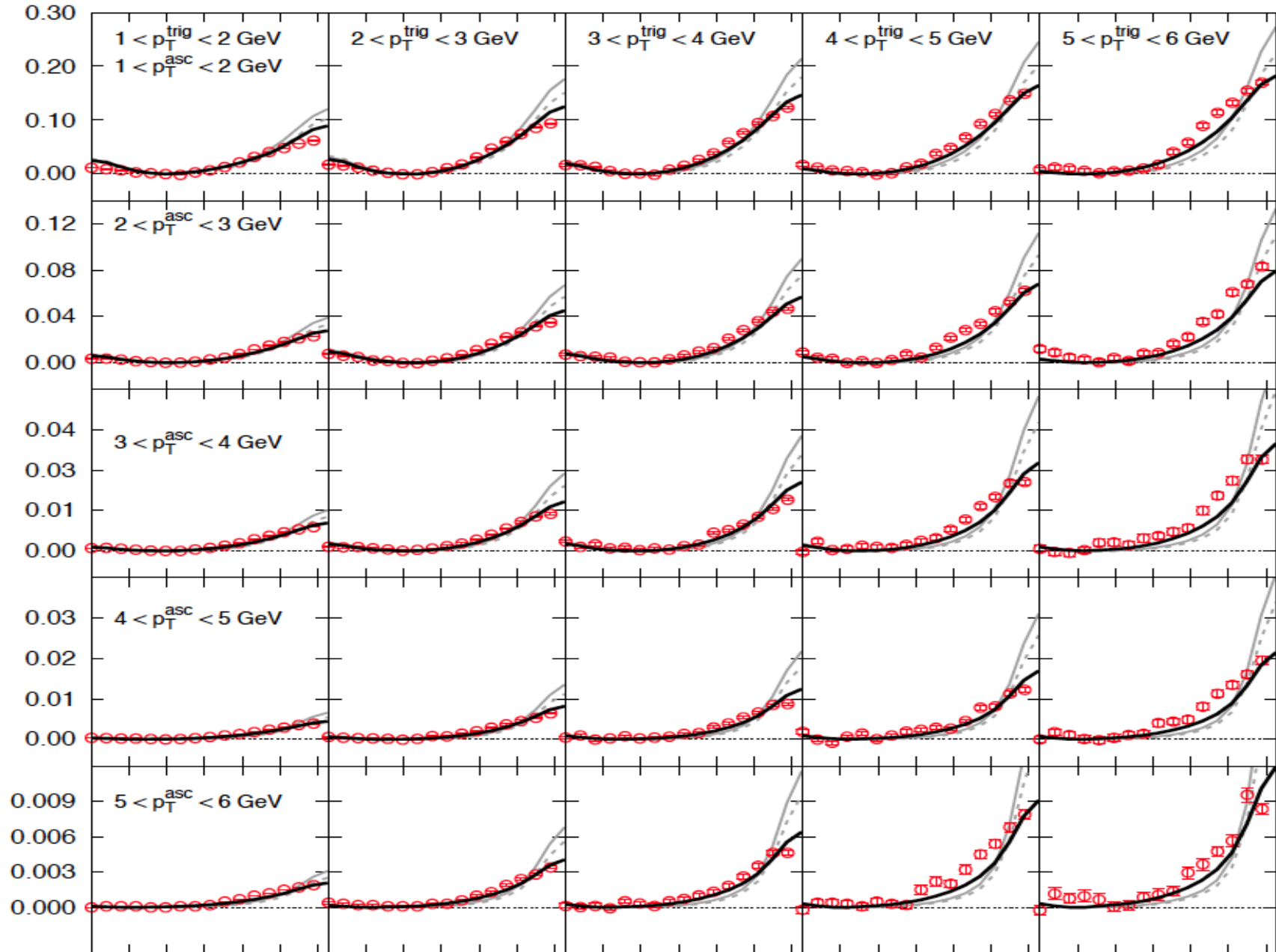
$$C_{\text{BFKL}}(\mathbf{p}, \mathbf{q}) \propto \Phi_A \otimes \Phi_B \otimes G_{\text{BFKL}}$$

Mini-jets:  $\mathcal{O}(1)$  in high multiplicity events

- give an angular collimation, albeit only at  $\Delta\Phi \approx \pi$

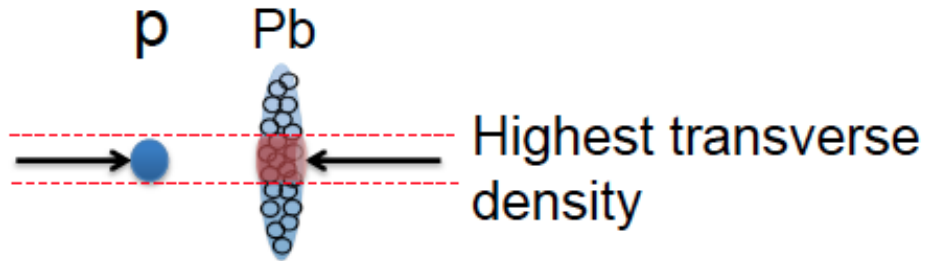
LHC results also test the structure of bremsstrahlung radiation between jets





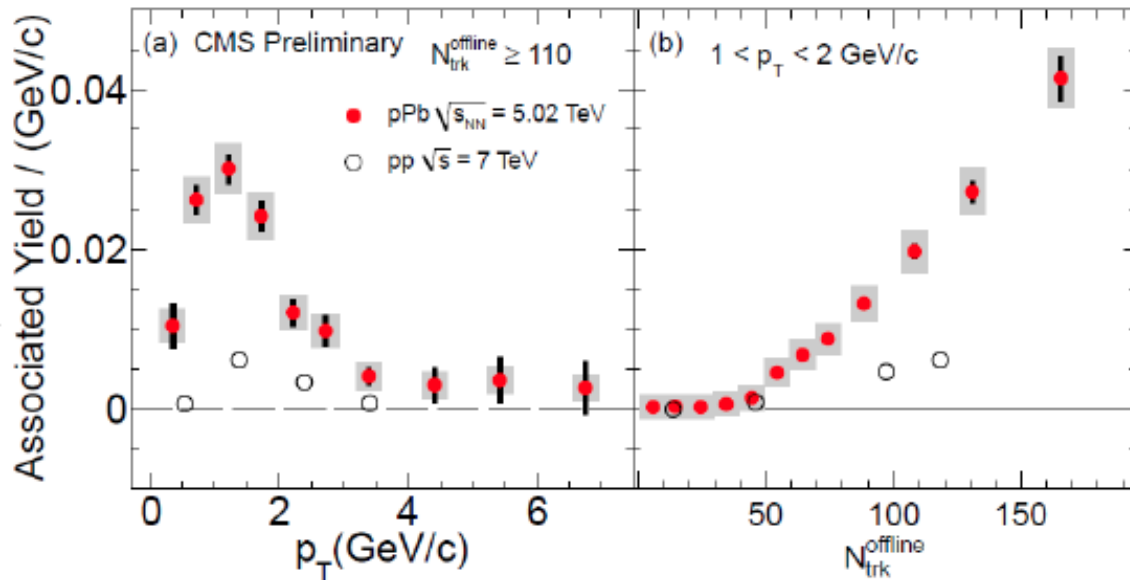
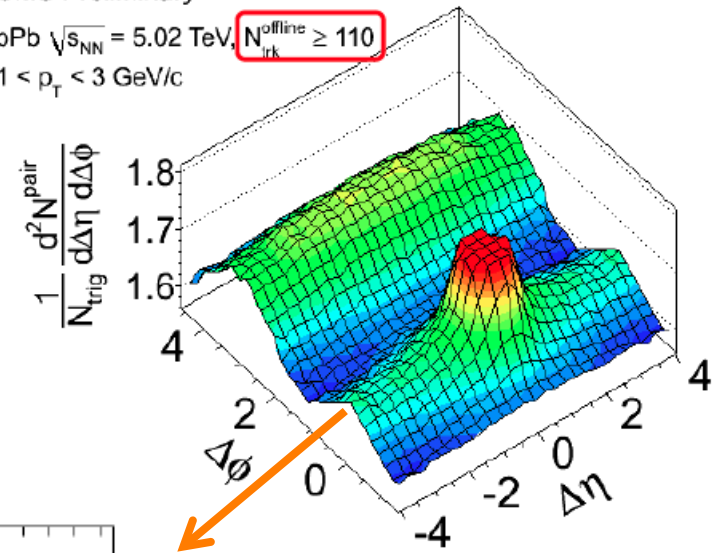
# Exciting first results on proton lead collisions

CMS coll. arXiv:1210.5482, Phys. Lett. B



CMS Preliminary

pPb  $\sqrt{s_{NN}} = 5.02$  TeV,  $N_{trk}^{offline} \geq 110$   
 $1 < p_T < 3$  GeV/c



**Key observation:**  
 Ridge much bigger  
 than p+p for the  
*same* multiplicity !

# Exciting results on proton lead collisions

Multiplicity

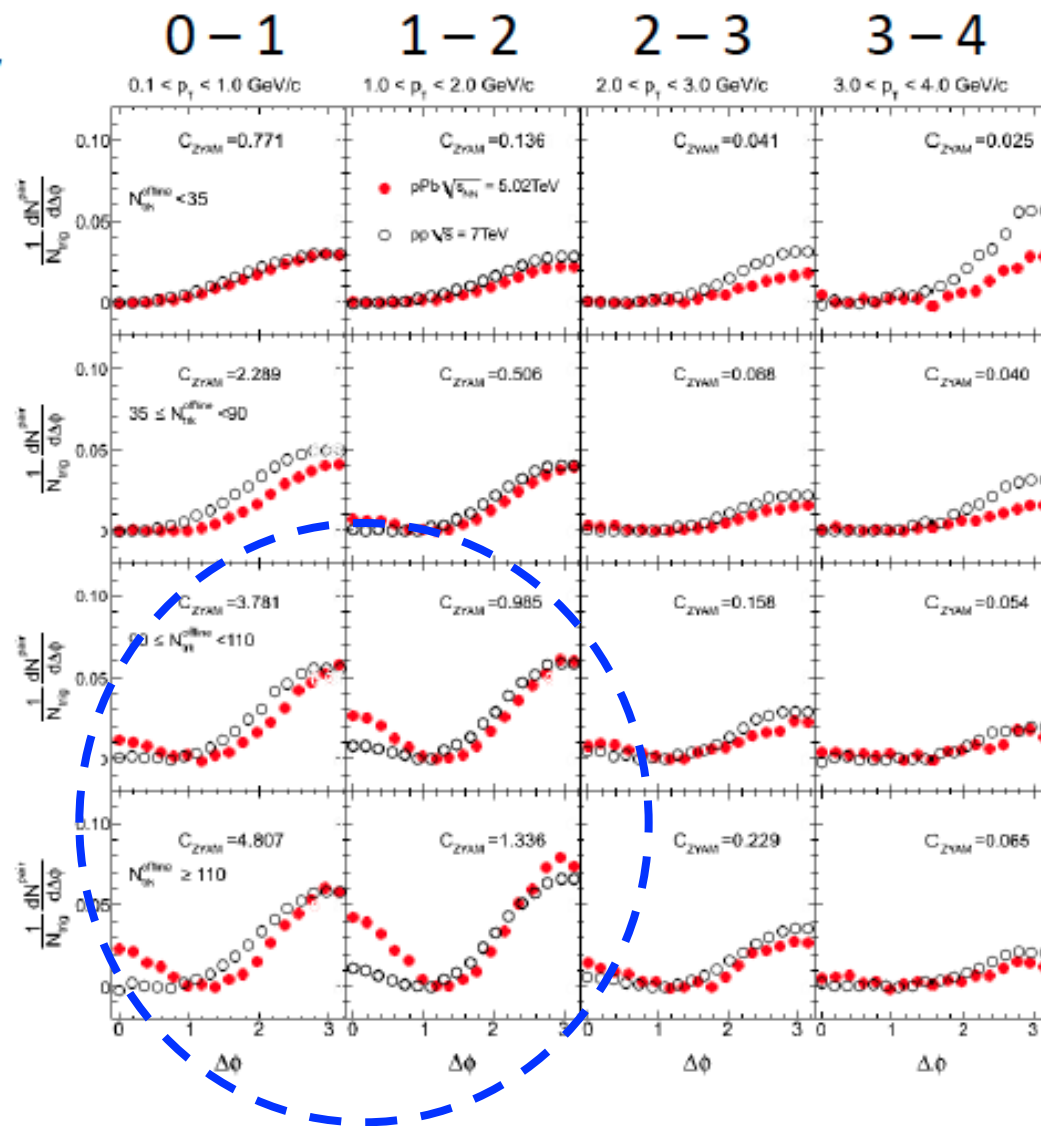


$N < 35$

$35 < N < 90$

$90 < N < 110$

$N > 110$



CMS  
Preliminary

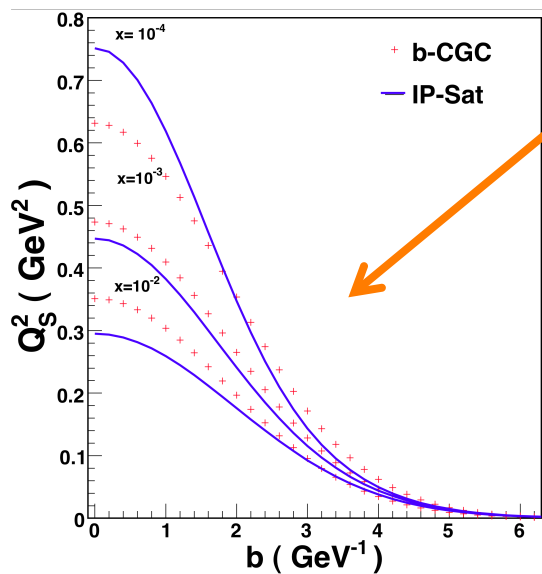
# Systematics of p+Pb data explained

Dusling, RV: 1211.3701

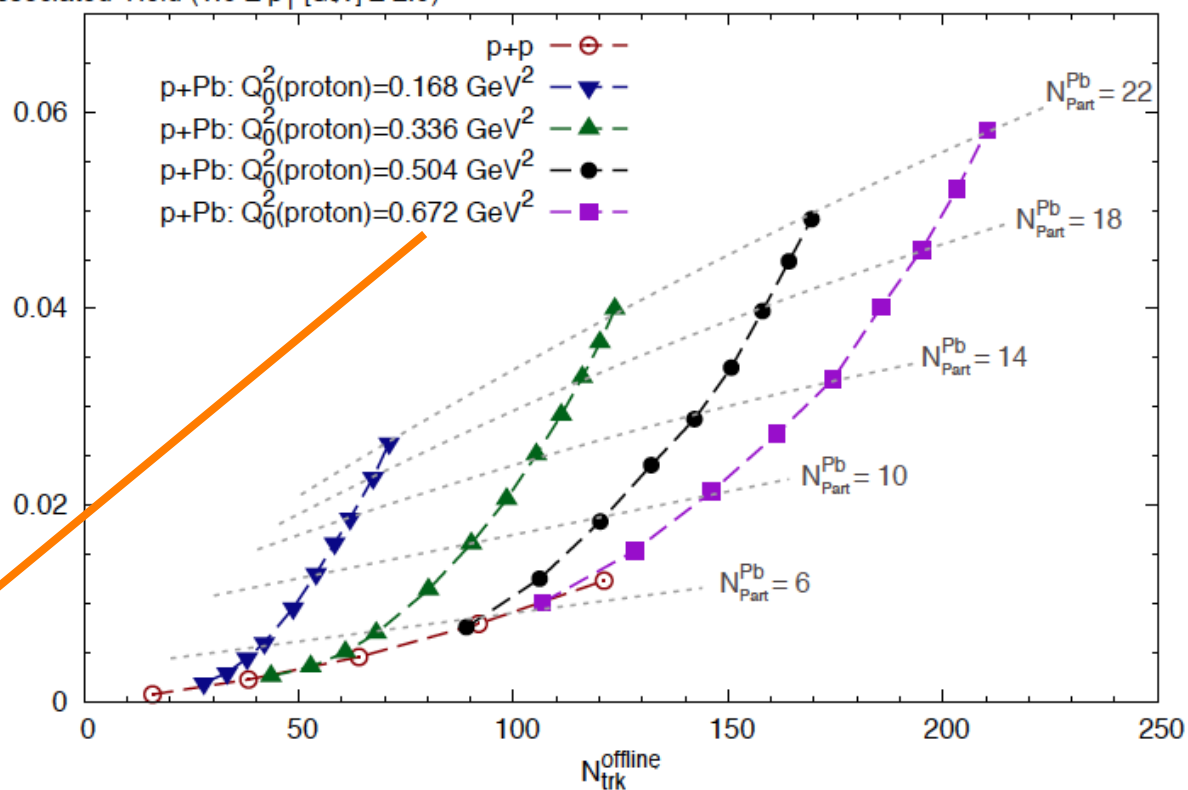
$$Q_0^2(\text{lead}) = N_{\text{Part}}^{\text{Pb}} * Q_0^2(\text{proton})$$



# of "wounded" nucleons in Lead nucleus



Associated Yield ( $1.0 \leq p_T [\text{GeV}] \leq 2.0$ )



Glasma signal is  $\sim N_{\text{part}} * N_{\text{track}}$

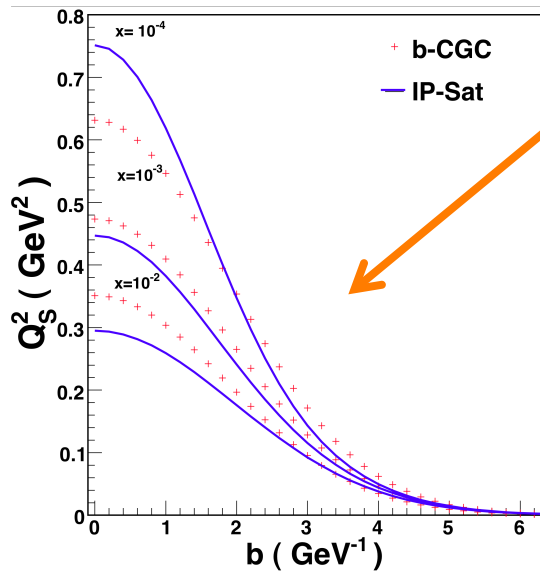
# p+Pb data explained

Dusling, RV: 1211.3701

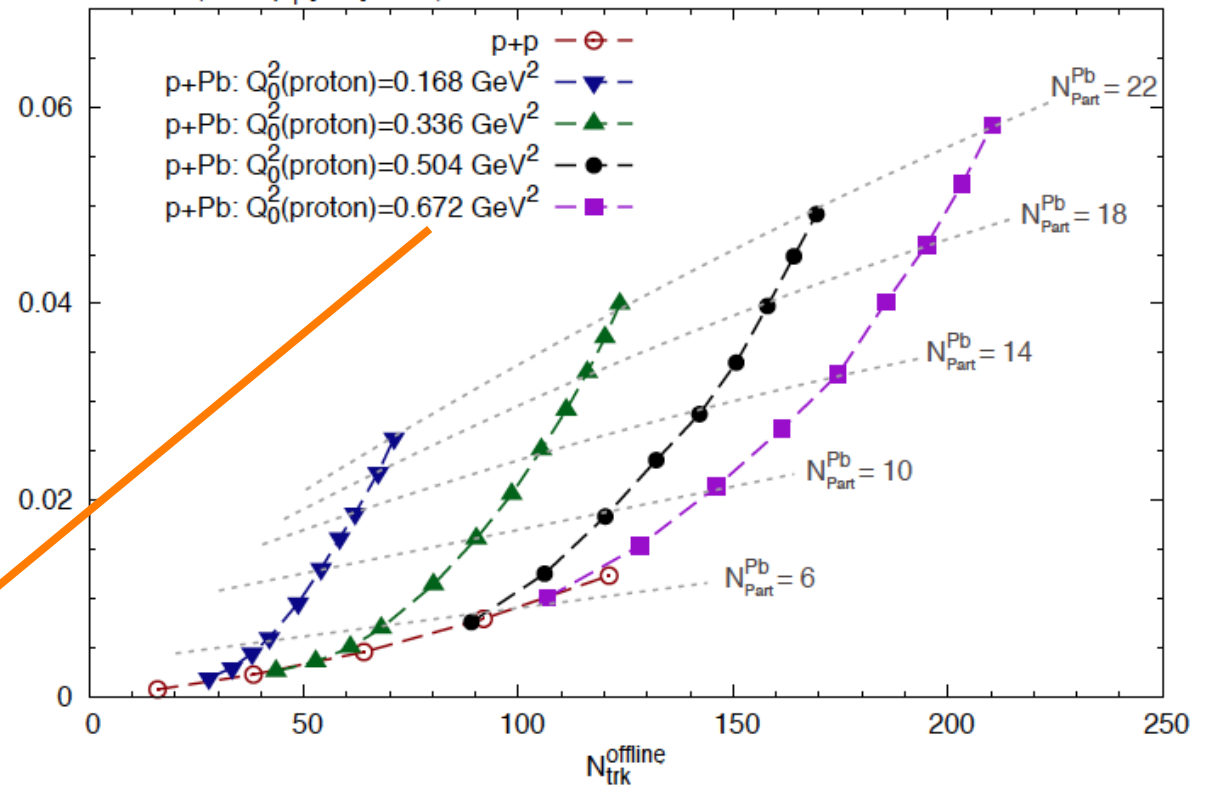
$$Q_0^2(\text{lead}) = N_{\text{Part}}^{\text{Pb}} * Q_0^2(\text{proton})$$



# of "wounded" nucleons in Lead nucleus



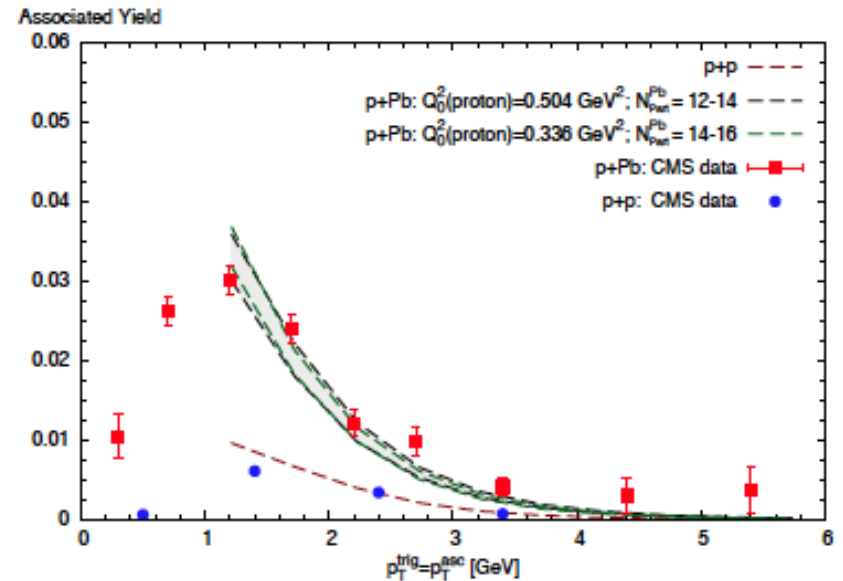
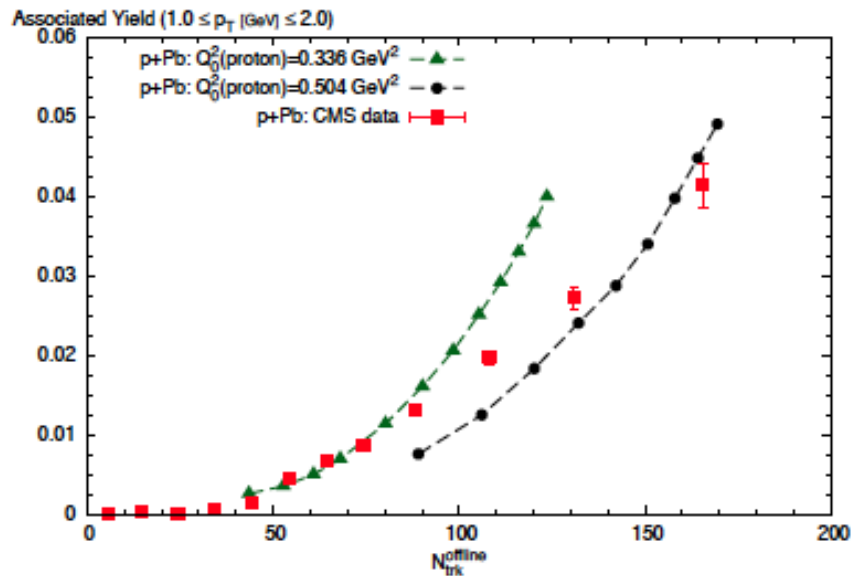
Associated Yield ( $1.0 \leq p_T [\text{GeV}] \leq 2.0$ )



Large "ridge" seen in Color Glass Condensate by varying saturation scale in proton and # of wounded nucleons

# CMS p+Pb data explained

Dusling, RV: 1211.3701

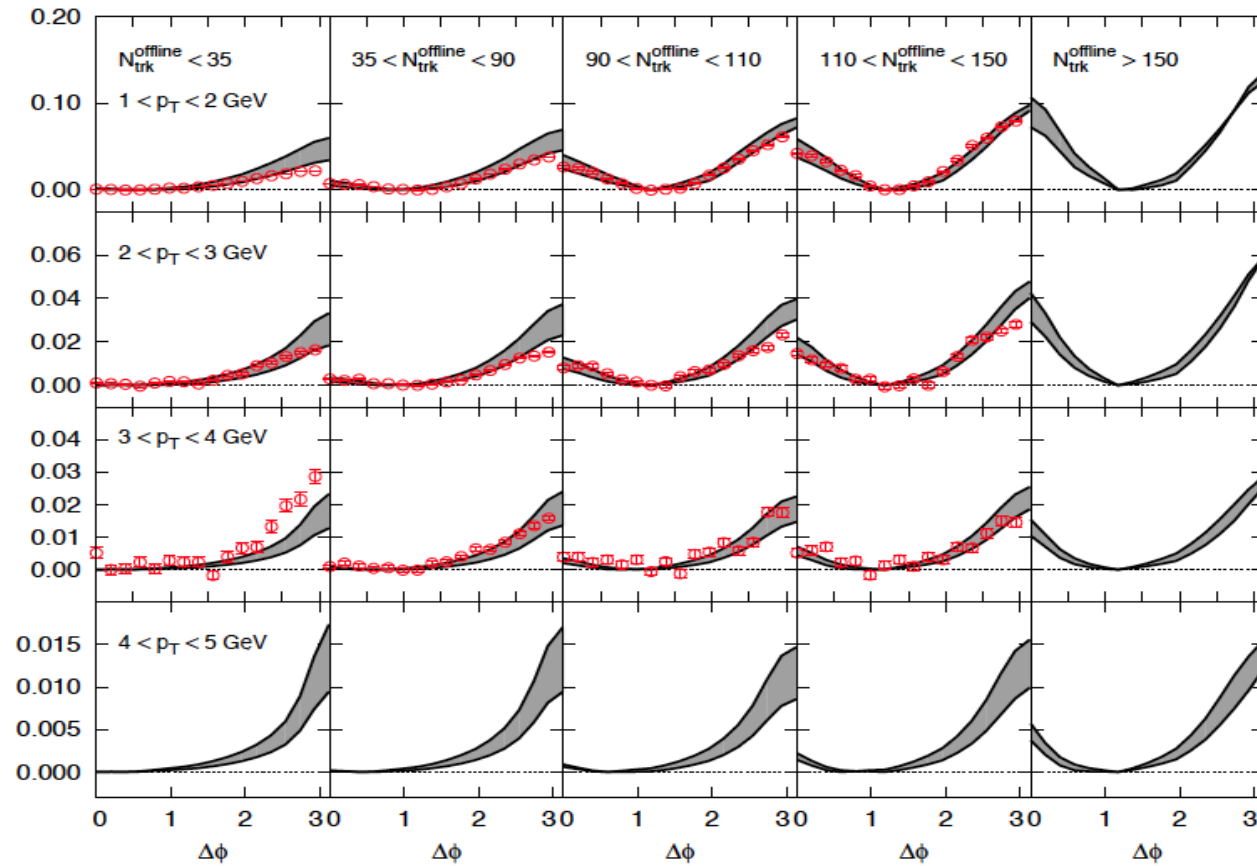


Same parameters as in p+p

- gives larger ridge when saturation scales are varied

# CMS p+Pb data explained

Dusling, RV: 1211.3701



Smoking gun for gluon saturation and BFKL dynamics ?

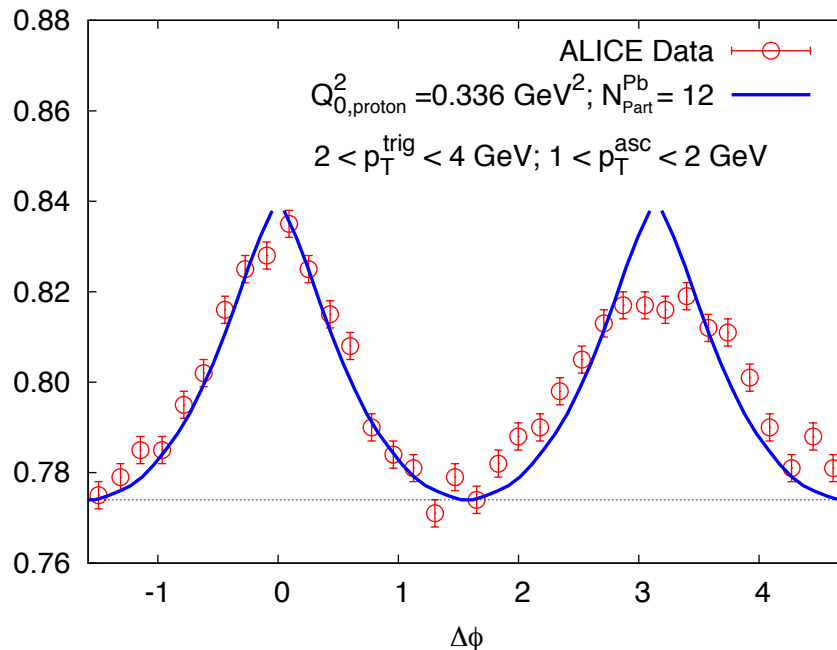
# ALICE data on the p+Pb ridge

ALICE coll. arXiv:1212.2001

Different acceptance ( $|\Delta\eta| < 1.8$ ) than CMS ( $2 < |\eta| < 4$ ) and ATLAS ( $2 < |\eta| < 5$ ).

ALICE subtracts away-side “jet” contribution at 40-60% centrality from most central events

–this gives dipole shape of correlation



Different analysis technique from CMS/ATLAS

-- our fit here is with arbitrary normalization

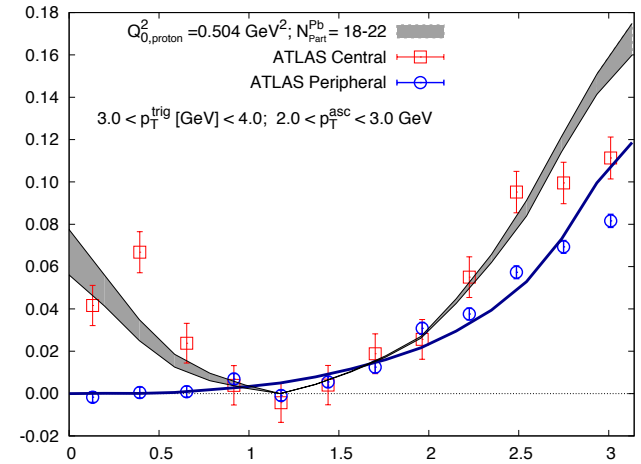
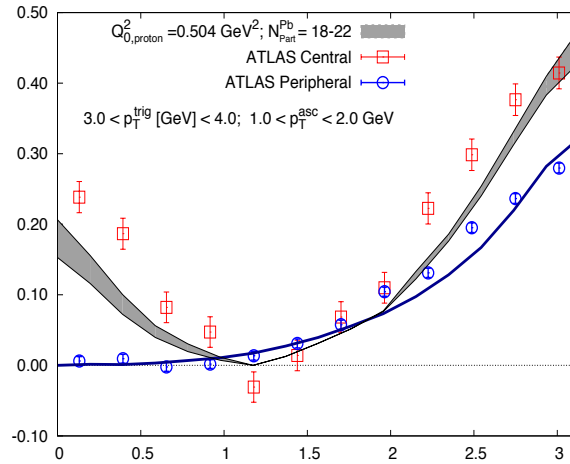
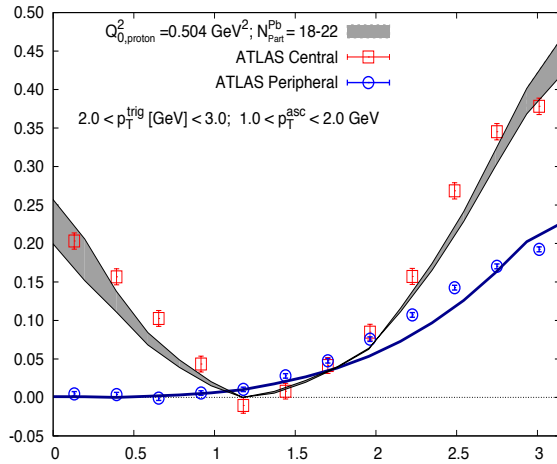


# Comparison to ATLAS p+Pb ridge

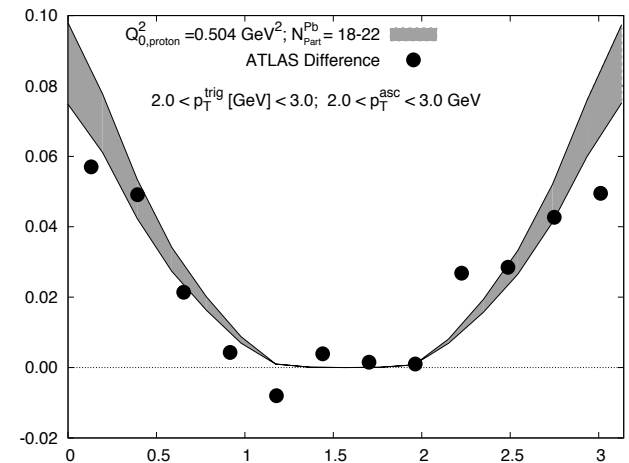
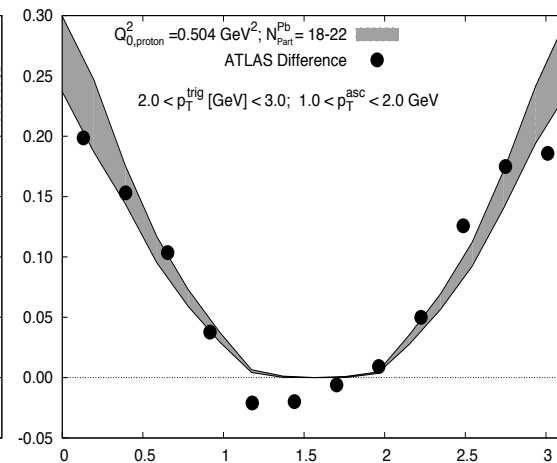
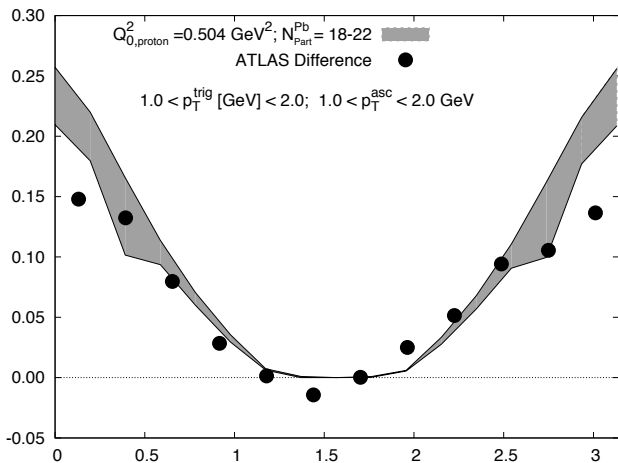
ATLAS coll. arXiv: 1212.5198

ATLAS yields in asymmetric  $p_T$  windows compared to Glasma + BFKL:

$K_{\text{BFKL}}=1$  and  $K_{\text{glasma}}=4/3$

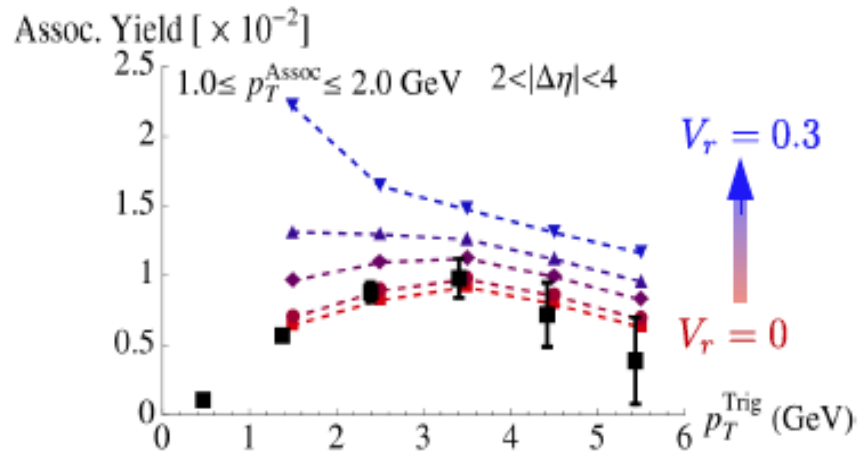
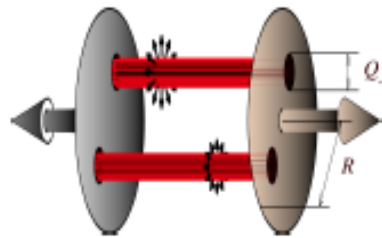


Glasma graph contributions compared to ATLAS central – ATLAS peripheral



# p+p

In p+p we are seeing the intrinsic collimation from a single flux tube

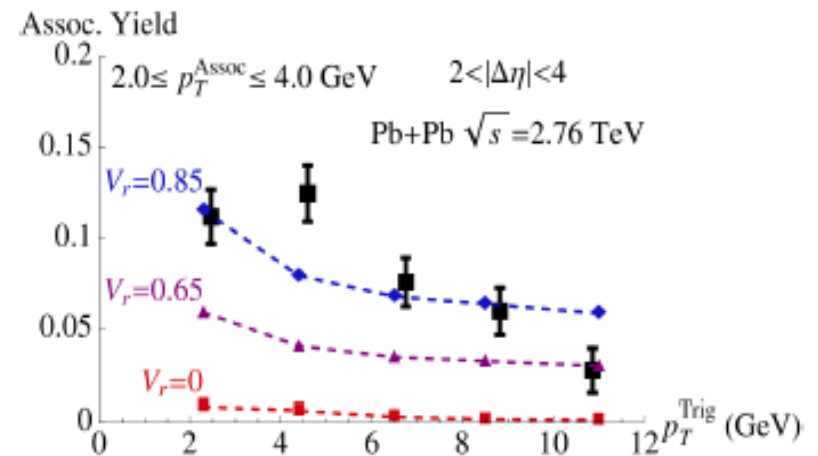
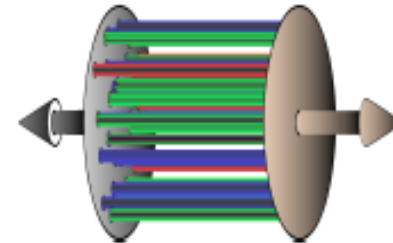


Increasing transverse flow in p+p creates a discrepancy with data.

# vs

# A+A

In A+A there are many such tubes each with an intrinsic correlation enhanced by flow



Yet, transverse flow is needed to explain identical measurements in Pb+Pb

IP-Glasma + MUSIC model

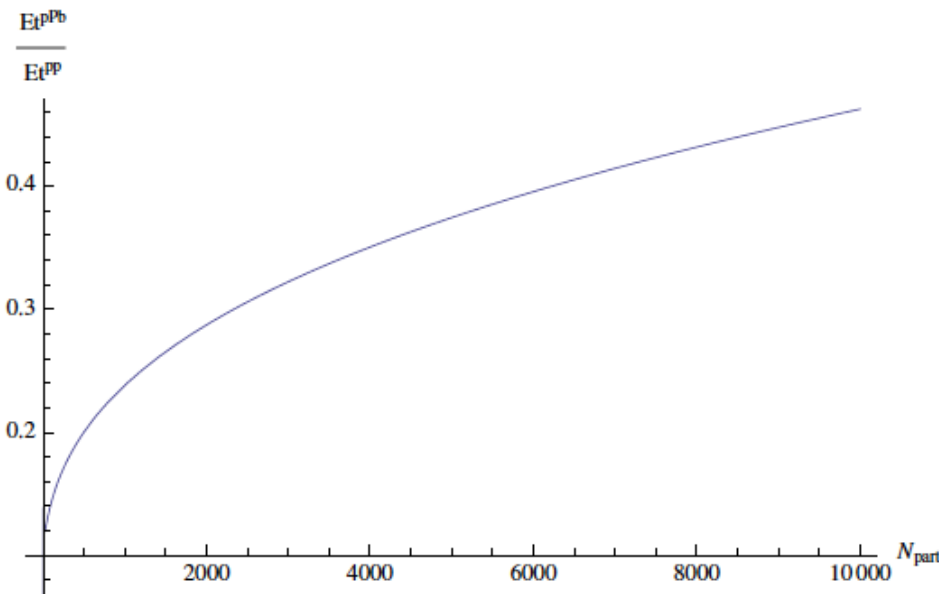
# Can flow in p+A explain the ridge ?

In a thermal picture, for same transverse overlap area,

$$\varepsilon_{pp} \approx \varepsilon_{pA} \text{ when } N_{\text{track}}^{pp} = N_{\text{track}}^{pA}$$

For same energy densities, expect same flow dynamics but pA yield is  $\sim 6$  times larger than pp

In CGC picture,  $\varepsilon_{pA} < \varepsilon_{pp}$  for same  $N_{\text{track}}$  until very large  $N_{\text{part}}$



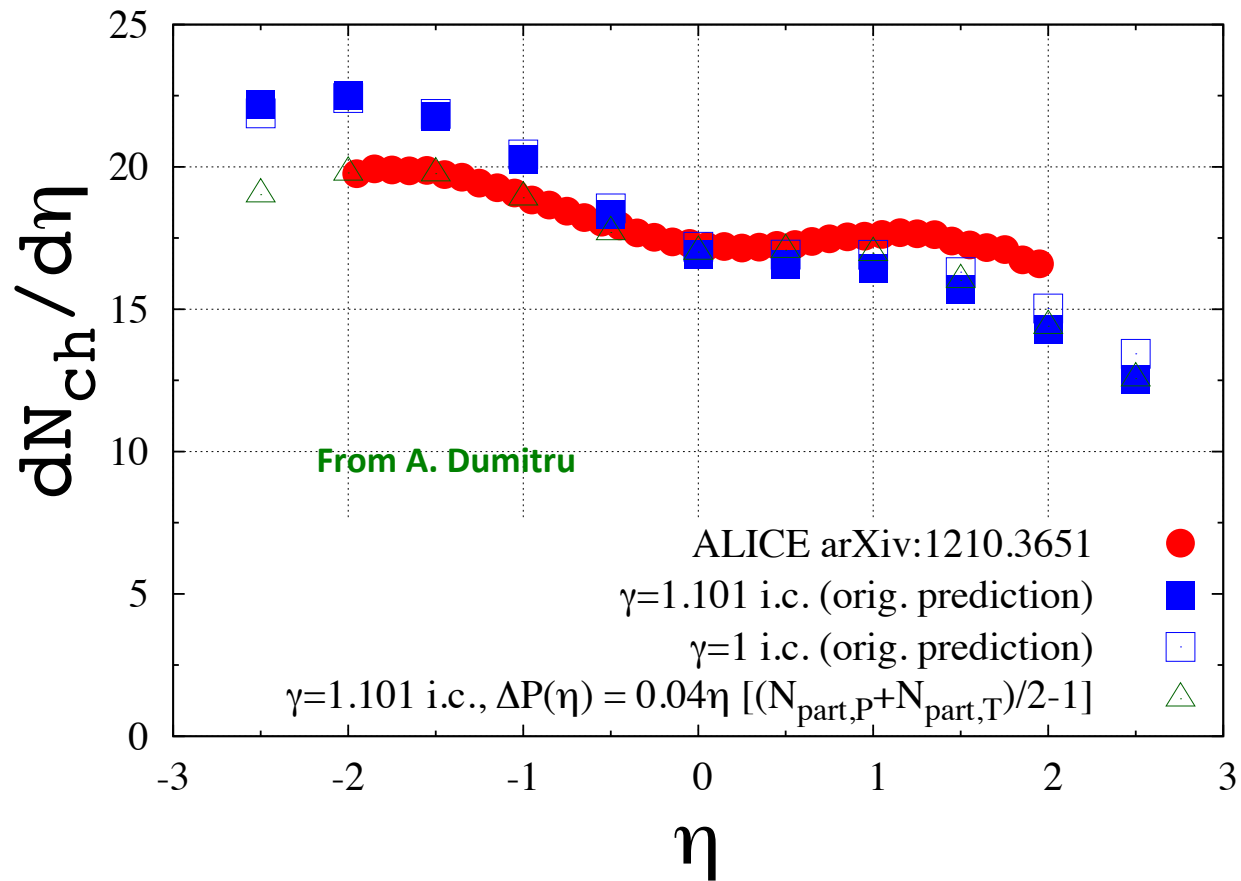
Flow explanation unlikely based on this simple argument + questions about applicability to small size systems for large transverse momenta

# Summary

- ✧ Have not covered many interesting channels: quarkonia, jets, photons that carry unique information about high parton densities
- ✧ Exciting year for such studies and much to look forward to @ RHIC ↑ pA and EIC

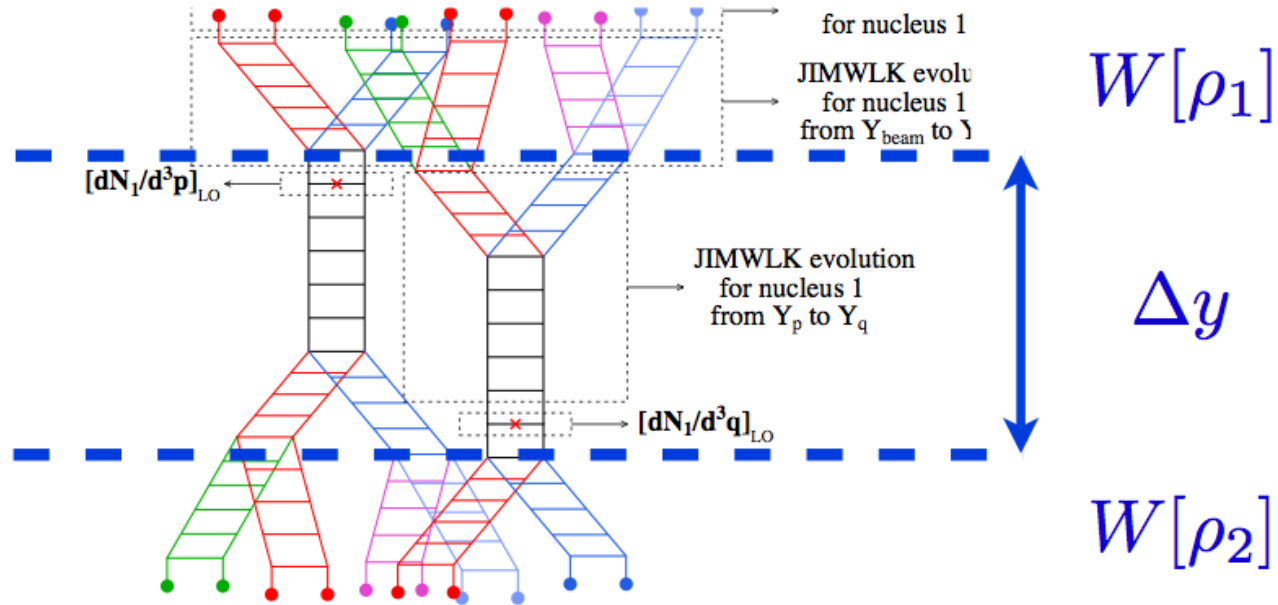
**EXTRA SLIDES**

# MC rc BK LHC pseudo-rapidity dist. With different $\gamma \rightarrow \eta$ Jacobian

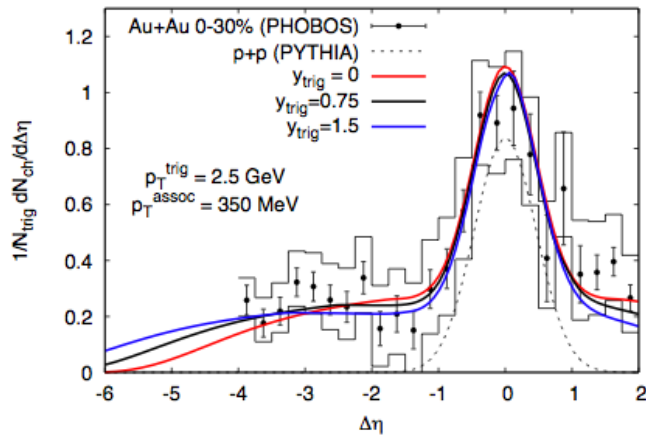


# Long range di-hadron correlations

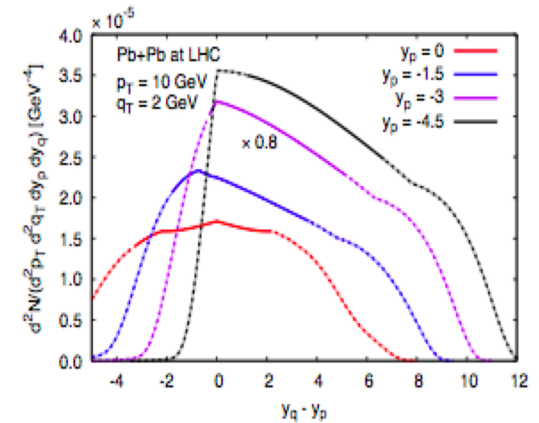
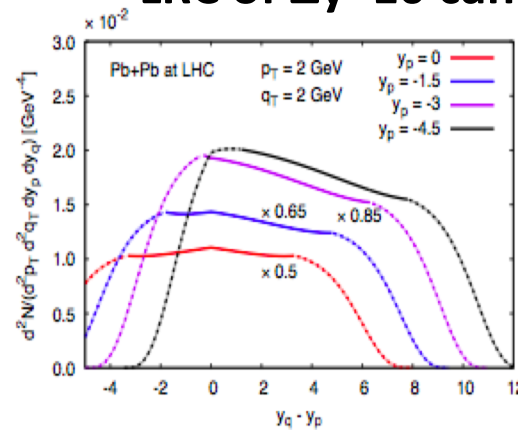
Gelis,Lappi,RV, arXiv:0810.4829



Dusling,Gelis,Lappi,RV, arXiv:0911.2720



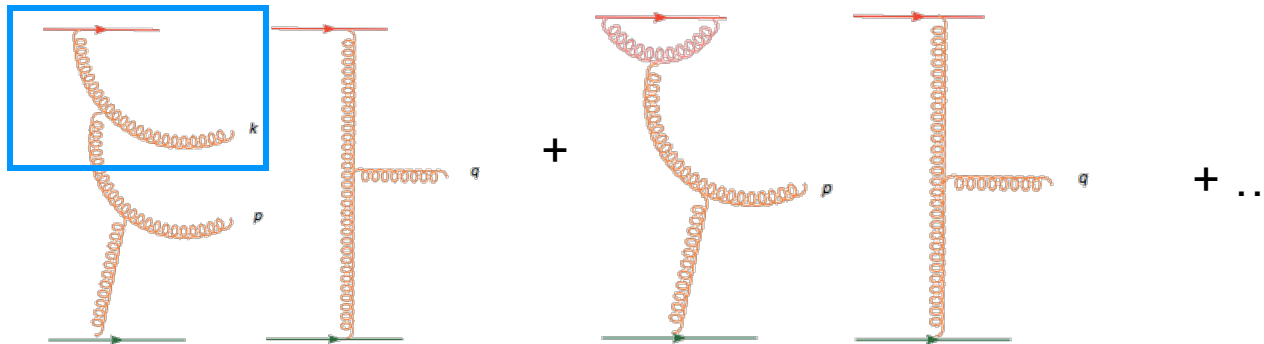
LRC of  $\Delta y \sim 10$  can be studied at the LHC



# The saturated proton: Glasma graphs - I

RG evolution:

Gelis, Lappi, RV, arXiv: 0807.1306

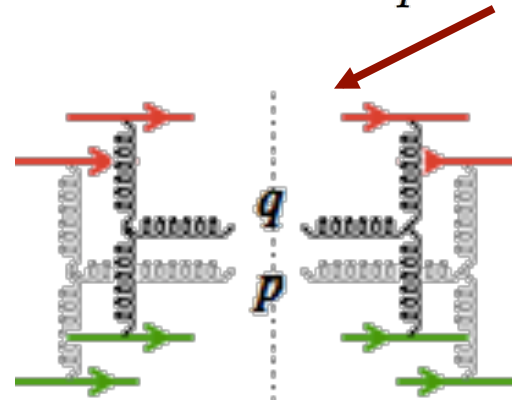


Keeping leading logs to all orders (NLO+NNLO+...) 2-particle spectrum (for  $\Delta y < 1/\alpha_s$ )

$$\left\langle \frac{dN_2}{d^3p d^3q} \right\rangle_{\text{LLogs}} = \int [d\rho_1][d\rho_2] W_{Y_1}[\rho_1] W_{Y_2}[\rho_2] \frac{dN}{d^3p} \Big|_{\text{LO}} \frac{dN}{d^3q} \Big|_{\text{LO}}$$

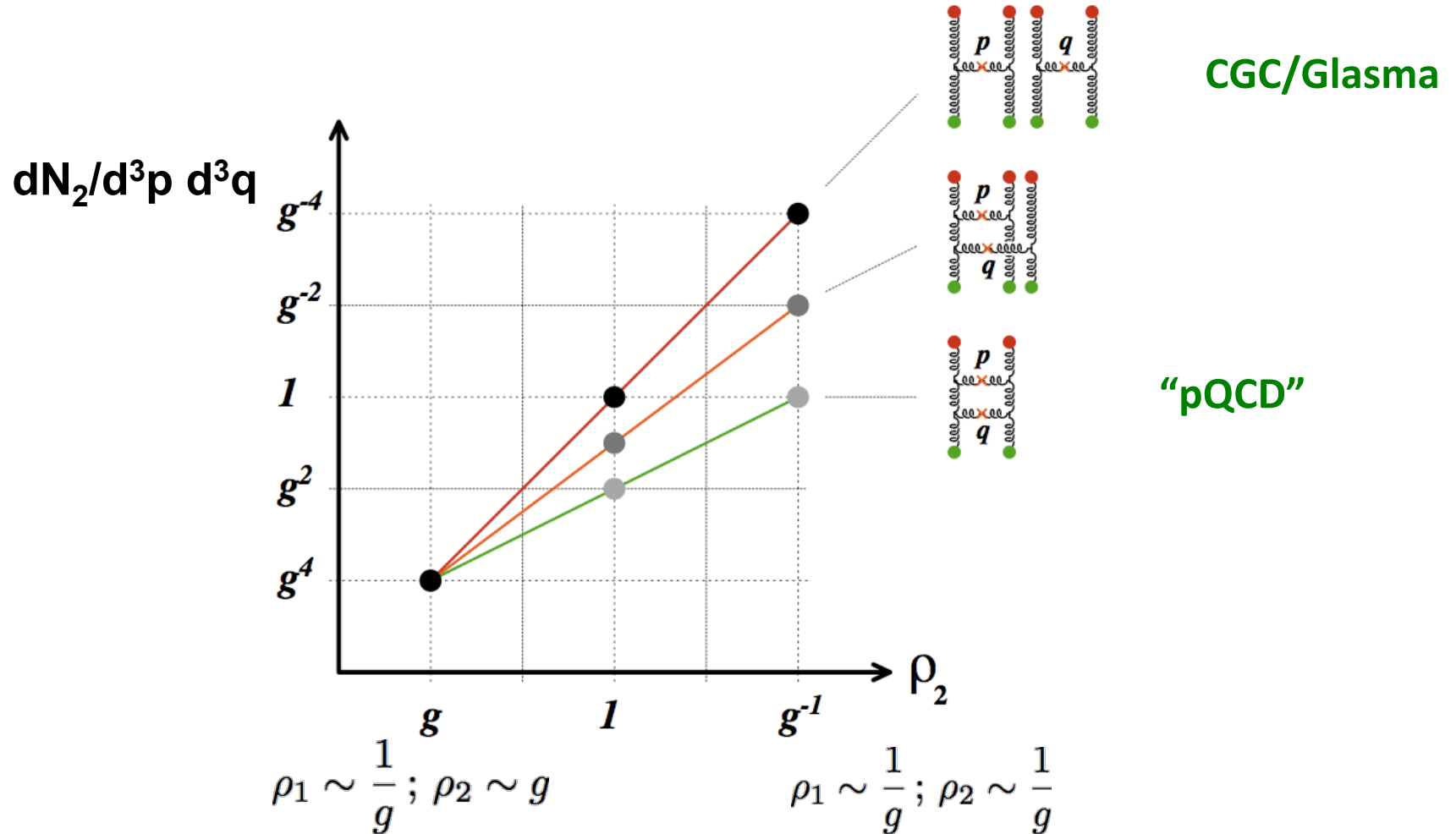
= LO graph with evolved sources

avg. over sources in each event  
and over all events gives correlation



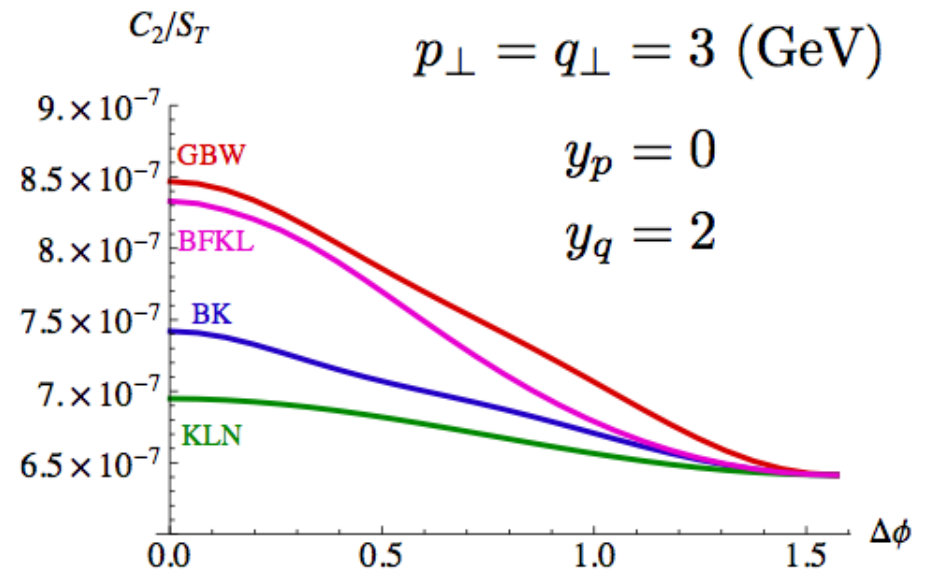
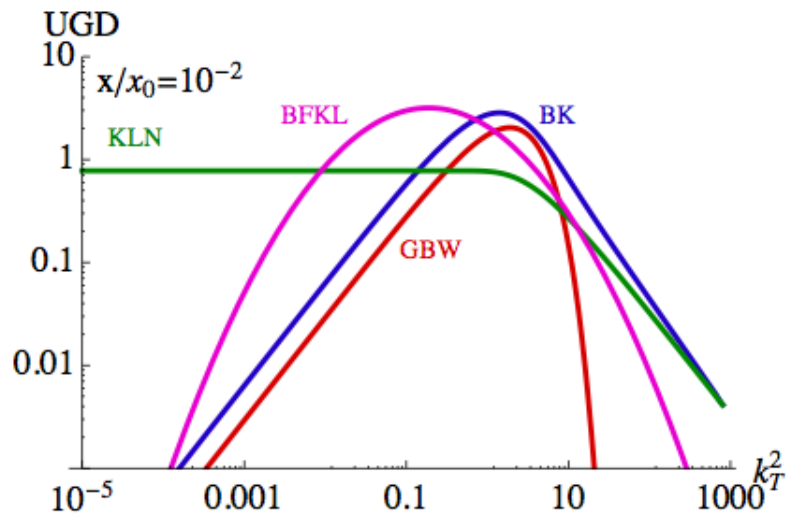


# Power counting at high parton densities

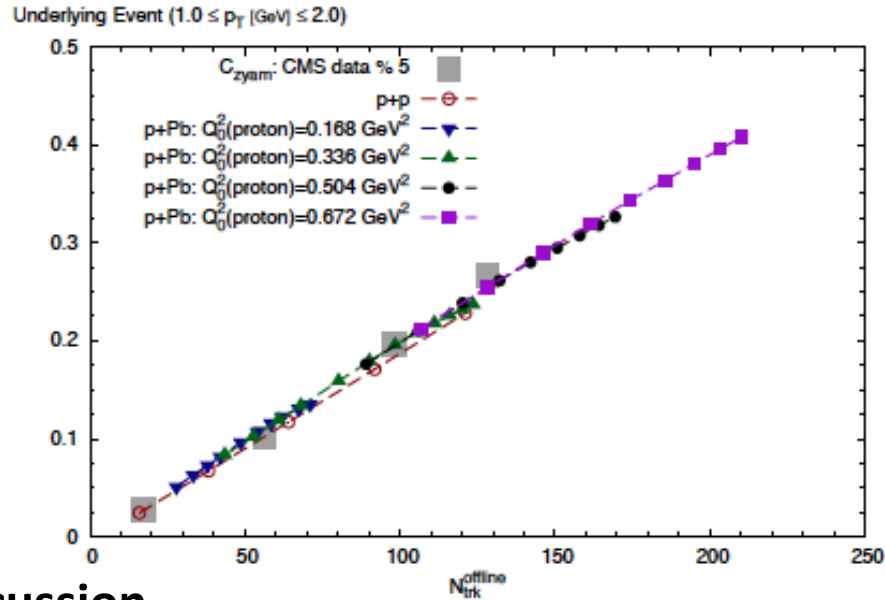


When  $\rho_1, \rho_2 \sim g$ , “dilute limit”, CGC contribution is  $g^{12}$  – power counting changes from “dense limit” by  $\alpha_s^8$  !

# Physics underlying the ridge



# Physics underlying the ridge



From previous discussion

$$UE \propto \frac{\int d^2 k_T \Phi_A^2(k_T) \Phi_B^2(|p_T - k_T|)}{\int d^2 k_T \Phi_A(k_T) \Phi_B(|p_T - k_T|)} \propto N_{\text{track}}$$

# Physics underlying systematics of the ridge

For Glasma graphs

$$d^2 N \propto \int d^2 k_T \Phi_A^2(k_T) \Phi_B(|p_T - k_T|) \Phi_B(|q_T - k_T|)$$

For  $|p_T| = |q_T|$ , from the Cauchy-Schwarz inequality:

$$\int d^2 k_T \Phi_A^2(k_T) \Phi_B(|p_T - k_T|) \Phi_B(|q_T - k_T|) \leq \int d^2 k_T \Phi_A^2(k_T) \Phi_B^2(|p_T - k_T|)$$

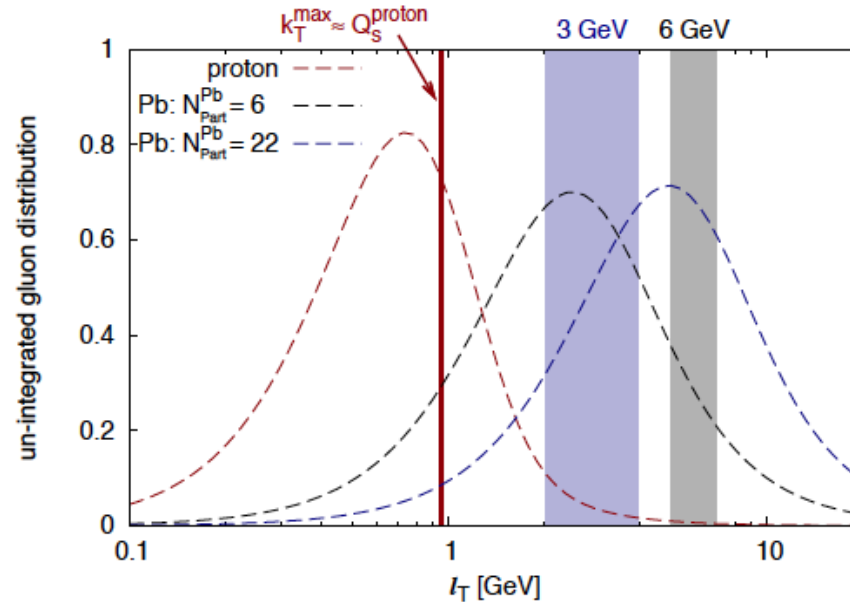
Equality implies no collimation; satisfied only iff  $\Phi_B(|p_T - k_T|) \propto \Phi_B(|q_T - k_T|)$

True only if  $\Phi$  is flat in  $k_T$  - for above fns. Else, there must be a collimation

# Physics underlying the ridge

Look at ratio of yield at  $\Delta\phi_{pq} = 0$  to  $\Delta\phi_{pq} = \pi$  for  $|p_T| = |q_T|$

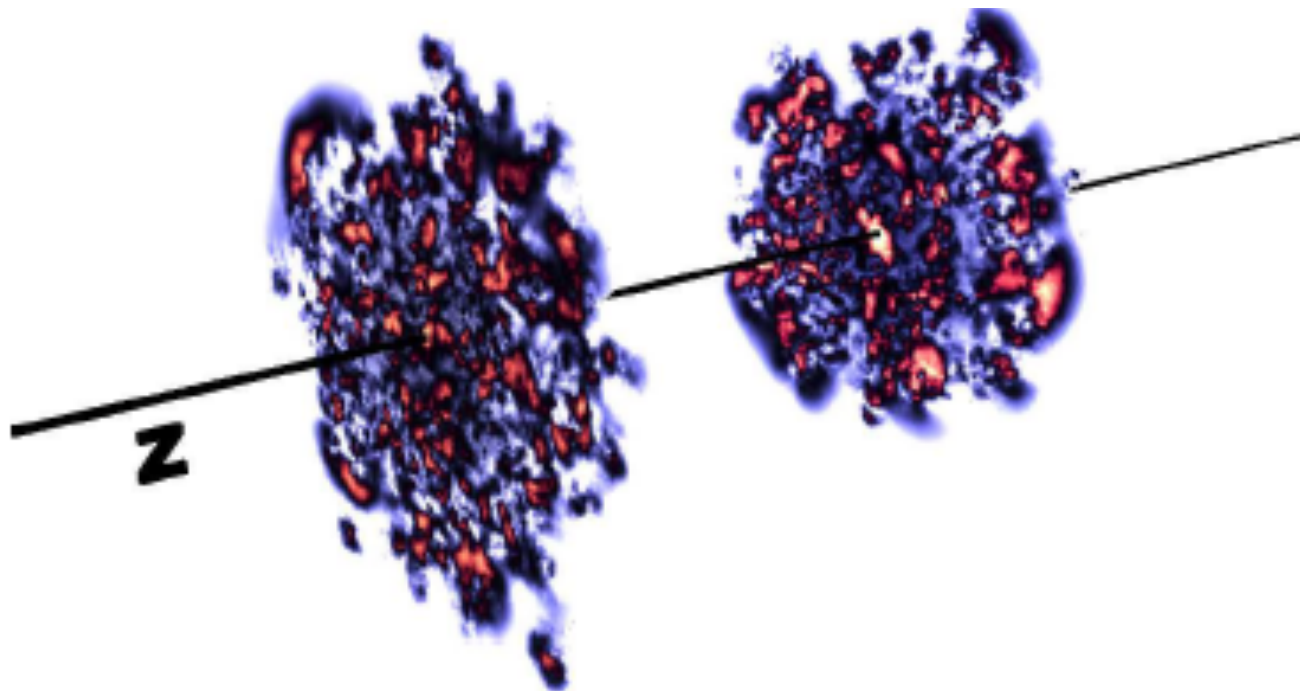
$$CY \propto \frac{\int d^2k_T \Phi_A^2(k_T) \Phi_B^2(|p_T - k_T|)}{\int d^2k_T \Phi_A^2(k_T) \Phi_B(|p_T - k_T|) \Phi_B(|p_T + k_T|)}$$



$$CY \propto \frac{\Phi_B(Q_B)}{\Phi_B(\sqrt{2p_T^2 + 2Q_A^2 - Q_B^2})} \propto 1 + \frac{(Q_B - Q_A)^2}{Q_A^2} \sim N_{\text{part}}$$

As seen in the p+Pb data...

# A+A initial state: saturated wave-functions



Incoming nuclei are **Color Glass Condensates**:

A **Glasma / Quark-Gluon plasma** is created.

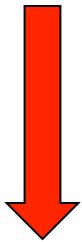
Conjecture: matter produced is a nearly ideal **perfect fluid** with viscosity/entropy density,  $\eta/s \geq 1 / 4\pi$ , a **universal bound**

# IP-Glasma + viscous hydro model

Event-by-event flow distributions

$v_n$  distributions track eccentricities  $\epsilon_n$

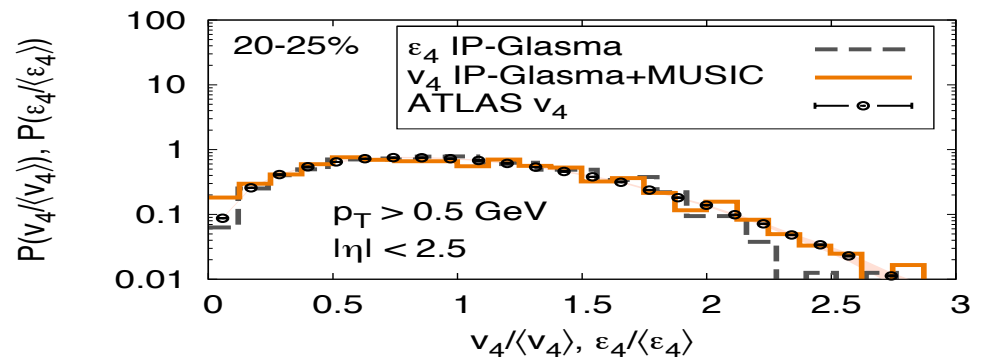
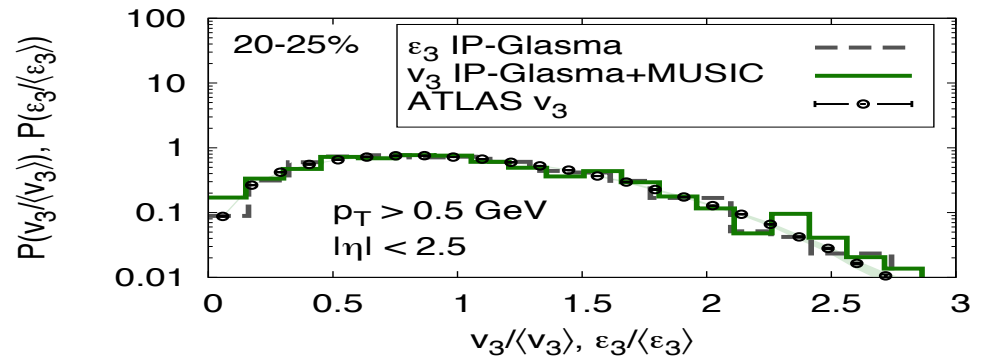
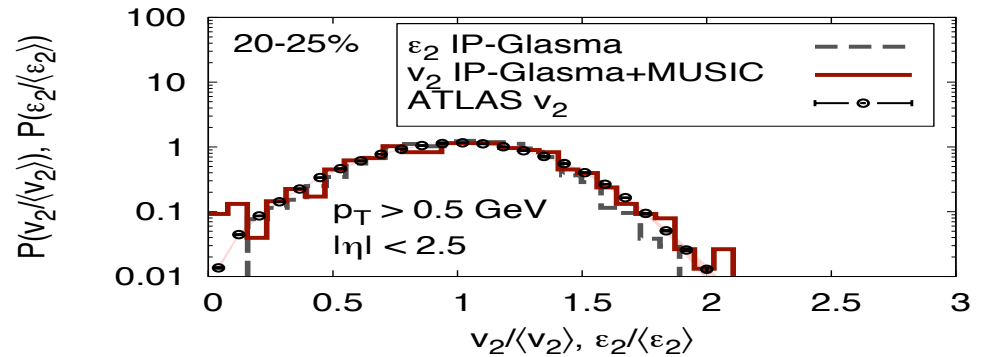
spatial fluctuations



efficiency => perfect fluidity

momentum anisotropies

Gale, Jeon, Schenke, Tribedy, RV, 1209.6330, PRL (in press)

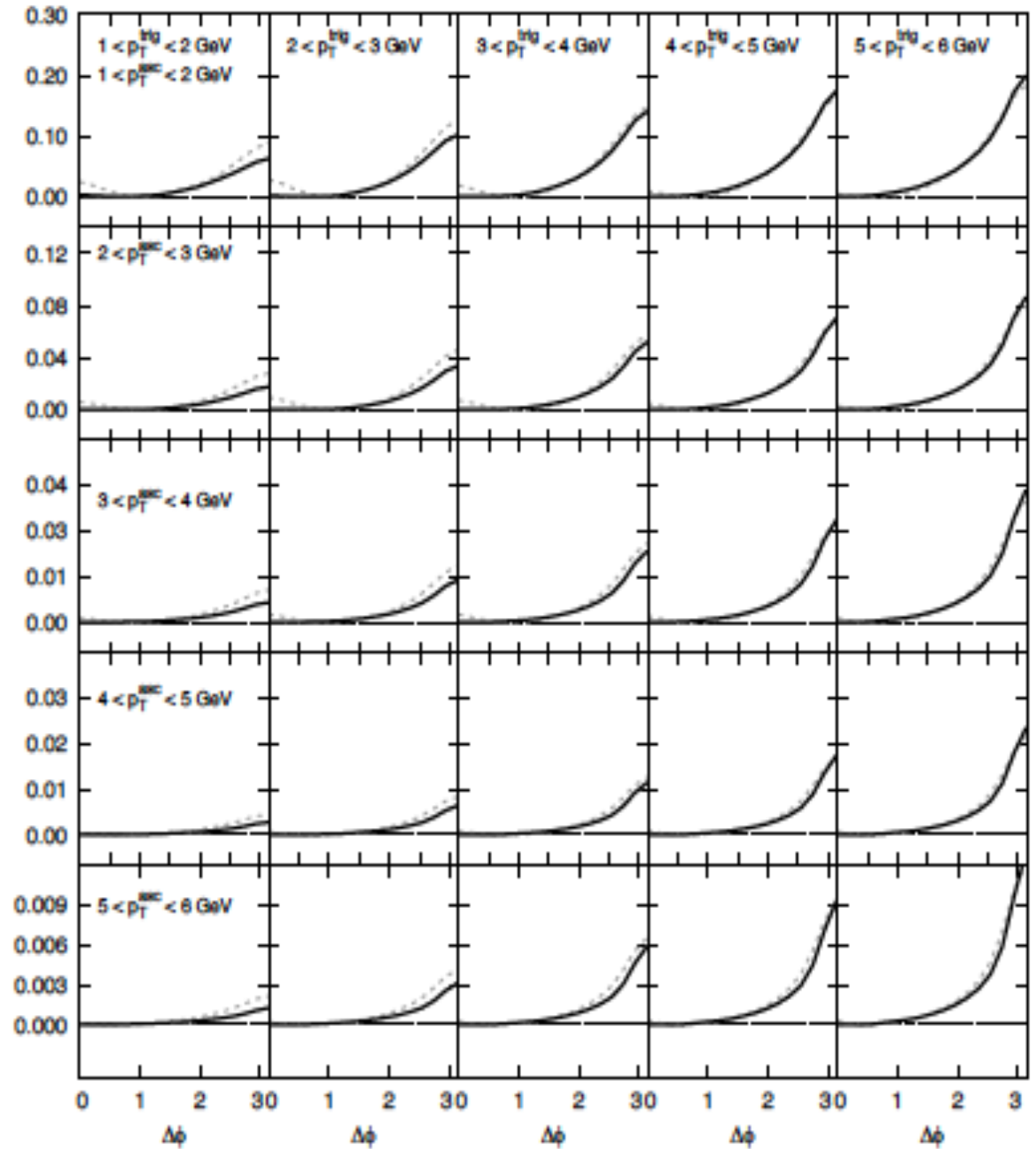
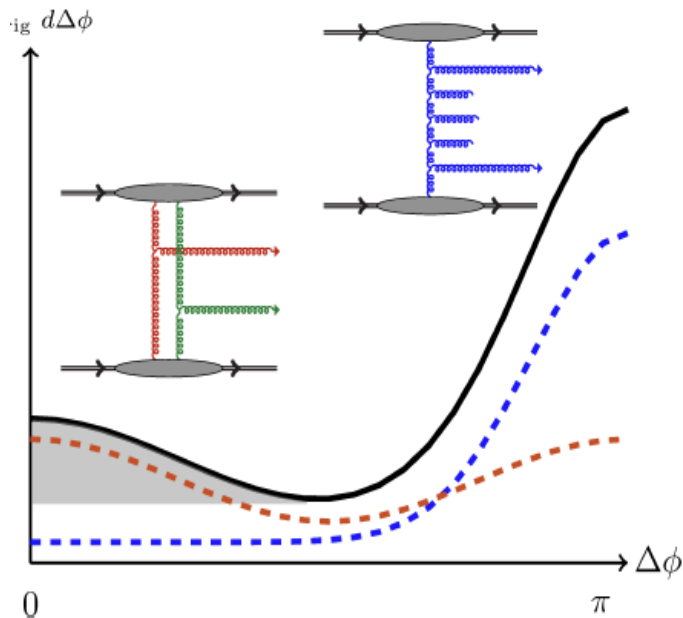


From our paper  
1210.3890v3

BFKL has very  
weak centrality dependence

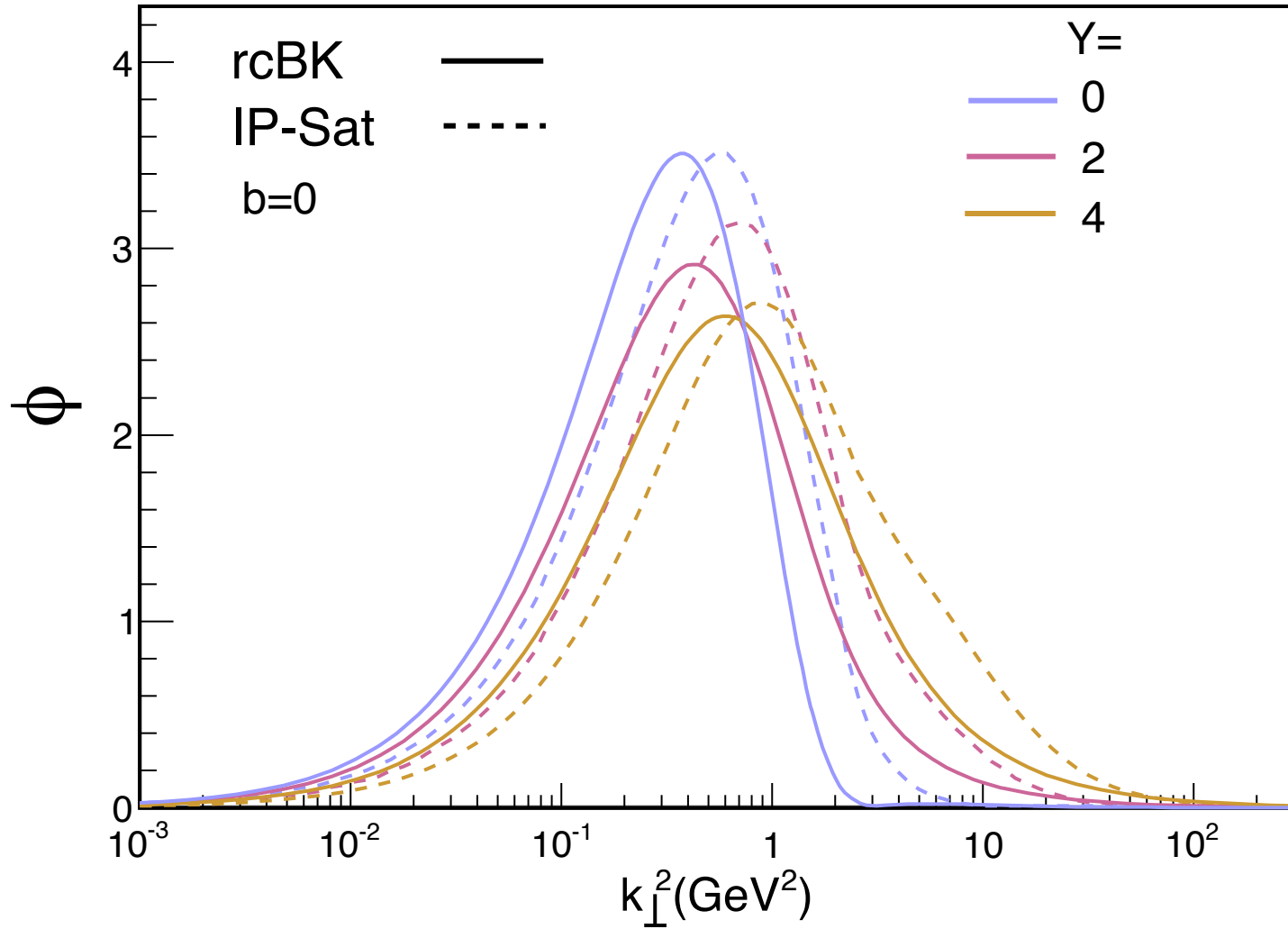
Subtracting 40-60%  
gets rid of di-jet leaving only  
dipole Glasma contribution

**ALICE result consistent  
with our expectations**





# rcBK vs IP-Sat evolution



# Quantitative description of pp ridge

Dusling, RV, 1201.2658, PRL

$$\begin{aligned} \frac{d^2 N}{d\Delta\phi} &= K \int_{-2.4}^{+2.4} d\eta_p d\eta_q \mathcal{A}(\eta_p, \eta_q) \\ &\times \int_{p_T^{\min}}^{p_T^{\max}} \frac{dp_T^2}{2} \int_{q_T^{\min}}^{q_T^{\max}} \frac{dq_T^2}{2} \int d\phi_p \int d\phi_q \delta(\phi_p - \phi_q - \Delta\phi) \\ &\times \int_0^1 dz_1 dz_2 \frac{D(z_1)}{z_1^2} \frac{D(z_2)}{z_2^2} \frac{d^2 N_{\text{Glasma}}^{\text{corr.}}}{d^2 \mathbf{p}_T d^2 \mathbf{q}_T d\eta_p d\eta_q} \left( \frac{p_T}{z_1}, \frac{q_T}{z_2}, \Delta\phi \right) \end{aligned}$$

$$\mathcal{A}(\eta_p, \eta_q) = \theta(|\eta_p - \eta_q| - \Delta\eta_{\min}) \theta(\Delta\eta_{\max} - |\eta_p - \eta_q|)$$

$$N_{\text{trig}} = \int_{-2.4}^{+2.4} d\eta \int_{p_T^{\min}}^{p_T^{\max}} d^2 \mathbf{p}_T \int_0^1 dz \frac{D(z)}{z^2} \frac{dN}{d\eta d^2 \mathbf{p}_T} \left( \frac{p_T}{z} \right)$$

$$\text{Assoc. Yield} = \frac{1}{N_{\text{trig}}} \int_0^{\Delta\phi_{\min.}} d\Delta\phi \frac{d^2 N}{d\Delta\phi} - \left. \frac{d^2 N}{d\Delta\phi} \right|_{\Delta\phi_{\min.}}$$

Dependence on transverse area cancels in ratio...

Subtracts any pedestal “phi-independent” correlation