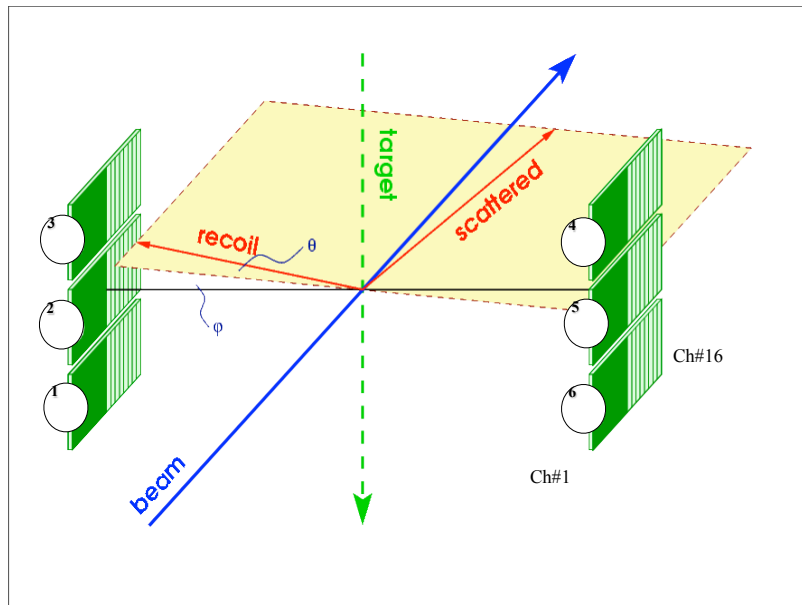


DETECTOR GEOMETRY



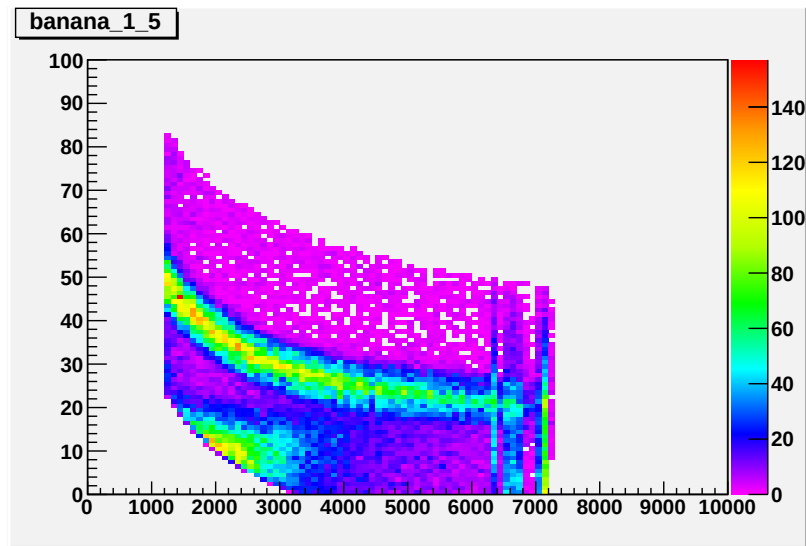
Friday, May 6, 2011

The main problem is to identify a clean sample of elastically scattered protons

Start with energy-time of flight correlation

$$t = L \cdot \sqrt{\frac{m_p}{2 \cdot T_R}}$$

ELASTIC PROTON IDENTIFICATION

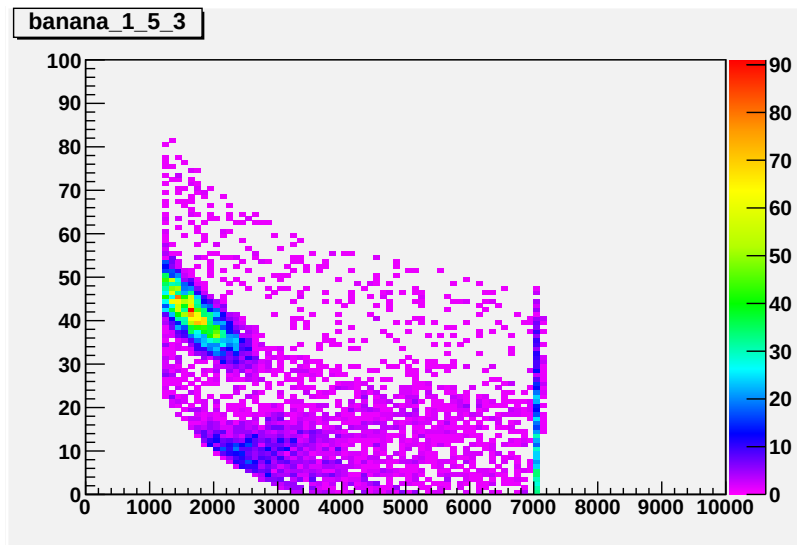


There is a correlation between scattering angle and kinetic energy of scattered proton:

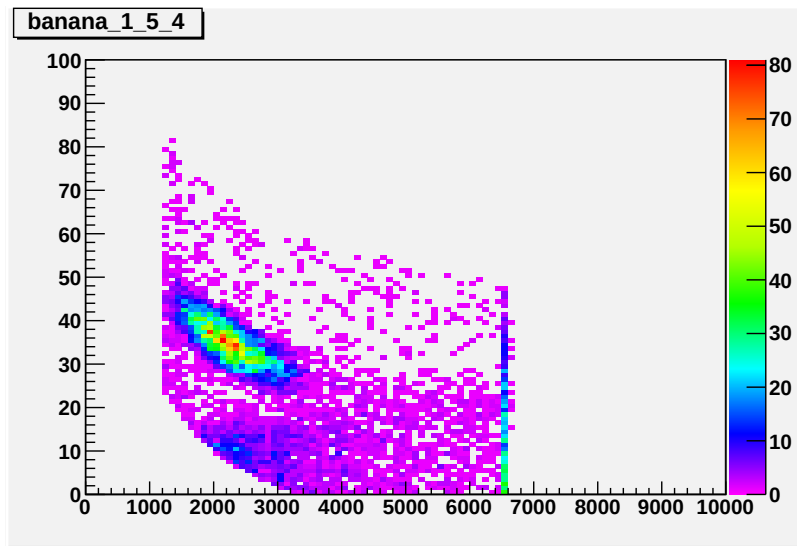
$$M_x^2 = m_p^2 + t - 2E_1 T_R + 2p_1 p_R \sin \theta_R$$

for small angles:

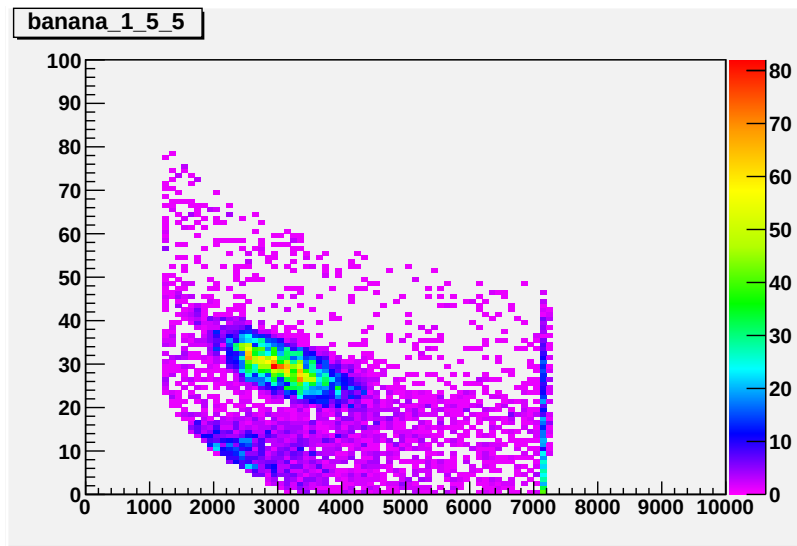
$$T_R \approx 2m_p \theta_R^2$$

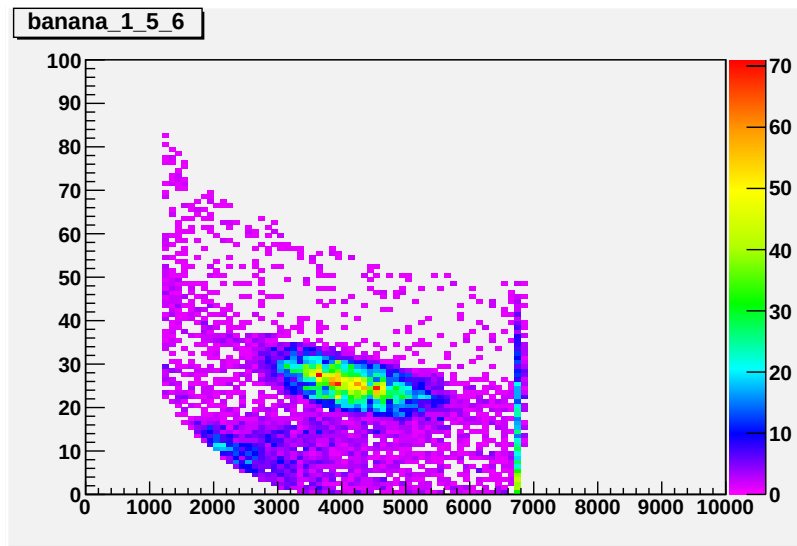


STRIP-ENERGY CORRELATION

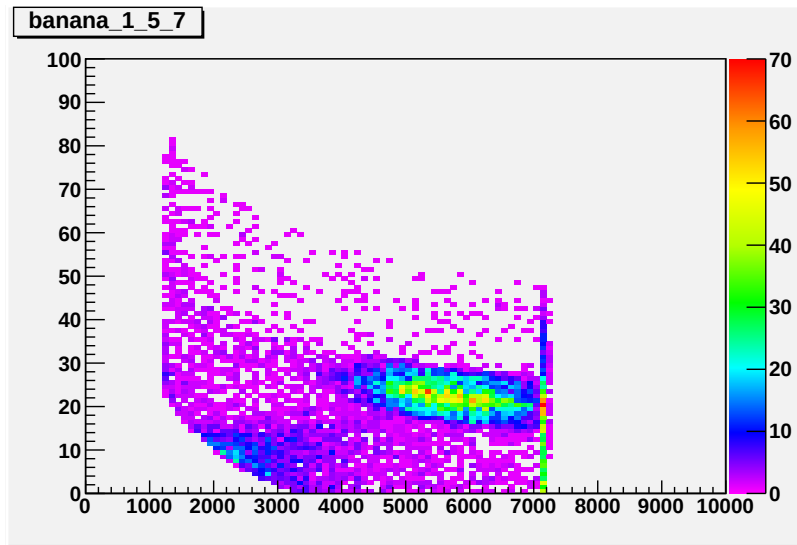


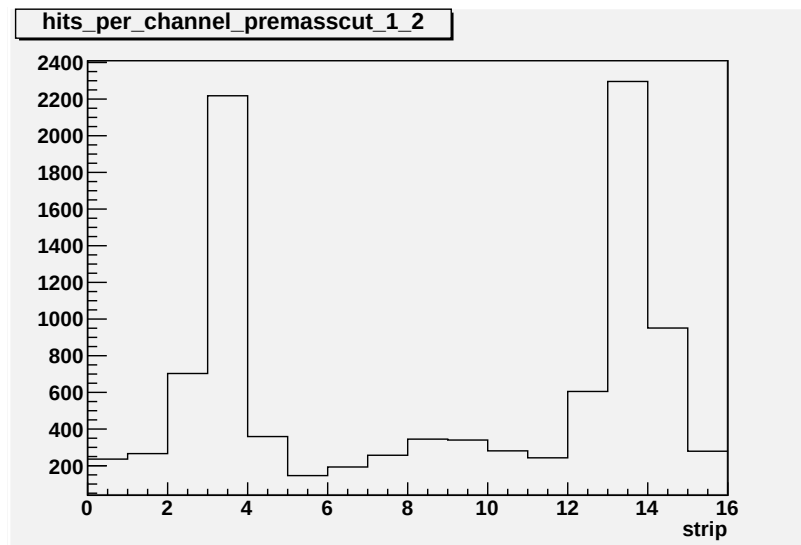
STRIP-ENERGY CORRELATION



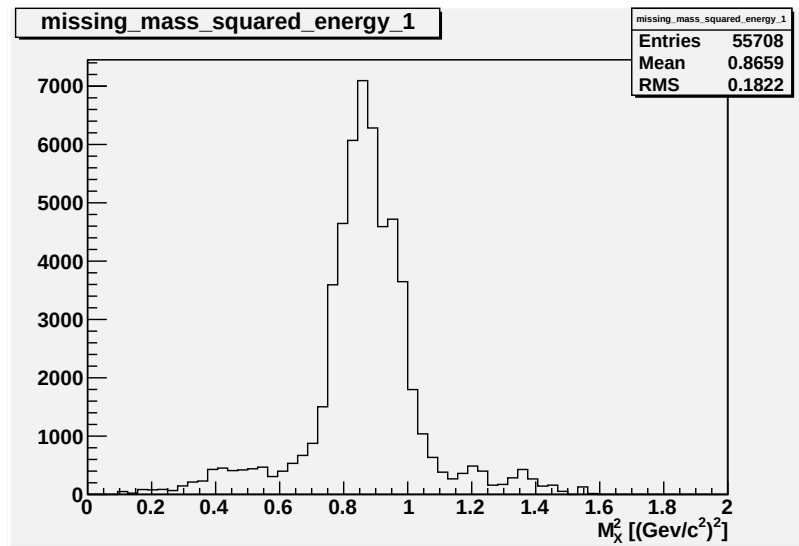


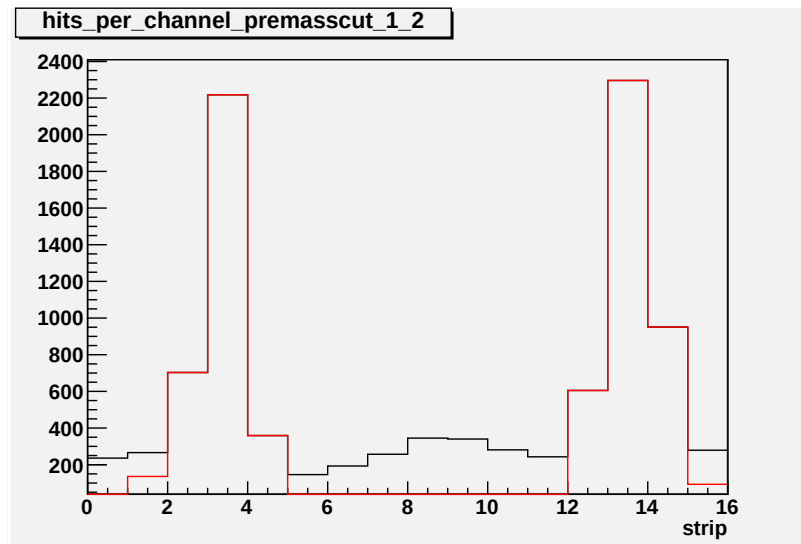
STRIP-ENERGY CORRELATION





in a given energy bin, only a few strips will contain elastic signal. All strips contain background from hjet tail scattering.



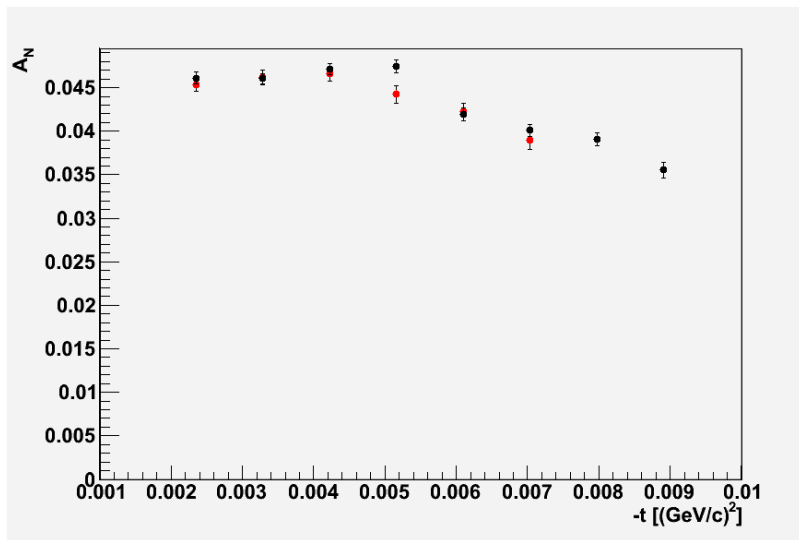


$$A_N = \frac{1}{P_t} \frac{\sigma_{0d}^R - \sigma_{0d}^L}{\sigma_{0d}^R + \sigma_{0d}^L} = \frac{1}{P_t} \frac{\sigma_{0u}^R - \sigma_{0u}^L}{\sigma_{0u}^R + \sigma_{0u}^L} = \epsilon_N / P_t$$

alternatively,

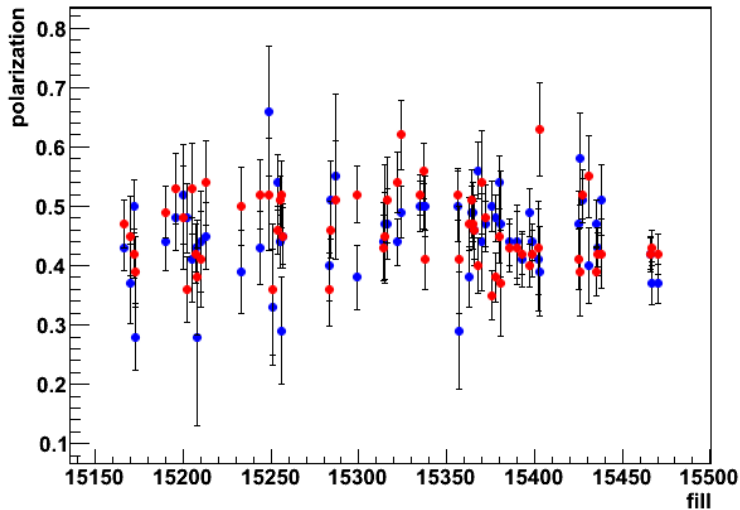
$$\epsilon_N = \frac{\sqrt{N_{0u}^L N_{0d}^R} - \sqrt{N_{0d}^L N_{0u}^R}}{\sqrt{N_{0u}^L N_{0d}^R} + \sqrt{N_{0d}^L N_{0u}^R}}$$

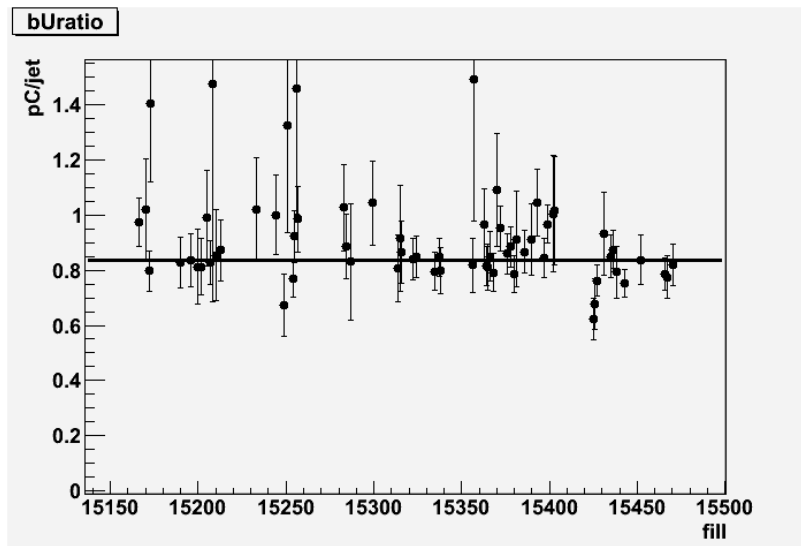
Then we scale up the A_N according to the estimated unpolarized background

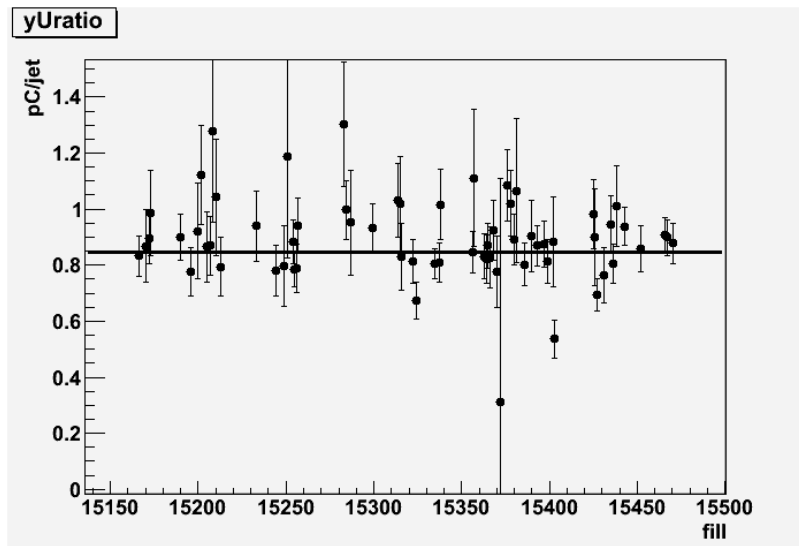


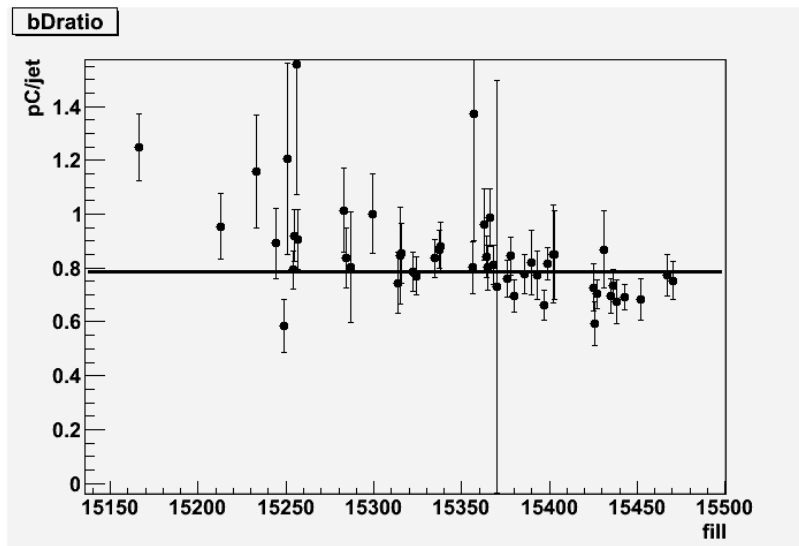
250 GeV, red = run9, black = run11

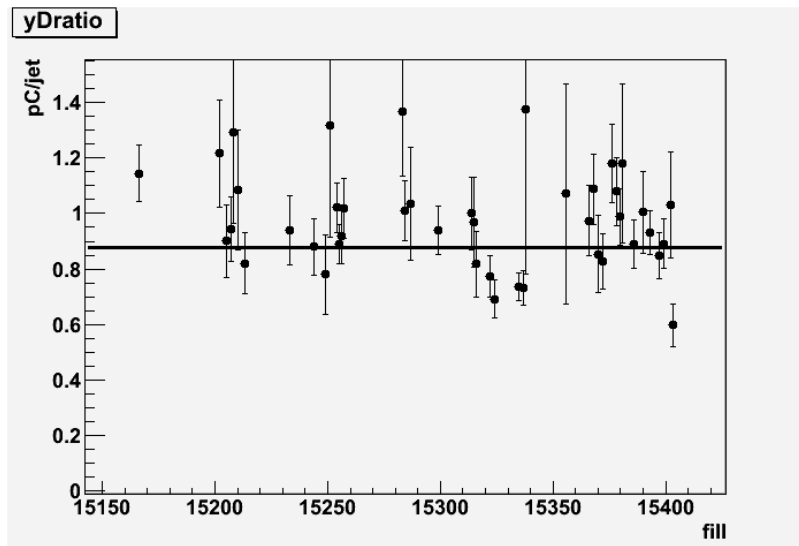
$$P_b = \frac{\epsilon_b}{\epsilon_N} P_t$$

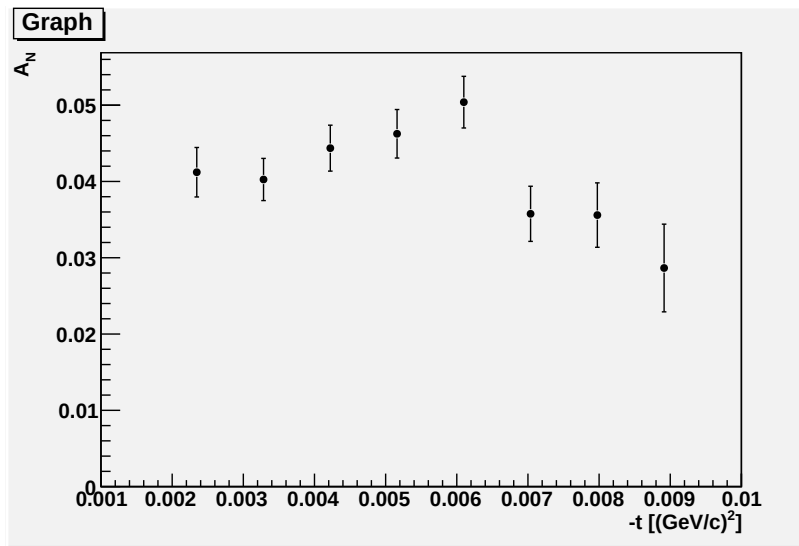












INJECTION ENERGY (PRELIMINARY)

Blue Polarization:

$61\% \pm 4.3\%$

Yellow Polarization:

$65\% \pm 4.8\%$