

A_{NN} and A_{SS} from pp2pp Experiment

A_{NN} and A_{SS} , general comments

The spin dependent elastic cross section is:

$$\sigma = \sigma_0 [1 + A_N(\mathbf{P}_b + \mathbf{P}_y)\mathbf{n} + A_{NN}(\mathbf{P}_b\mathbf{n})(\mathbf{P}_y\mathbf{n}) + A_{SS}(\mathbf{P}_b\mathbf{s})(\mathbf{P}_y\mathbf{s})]$$

where

\mathbf{n} -unit vector of normal to scattering plane,

$\mathbf{k} = \mathbf{p}/|\mathbf{p}|$ is p-beam momentum

$\mathbf{s} = \mathbf{n} \times \mathbf{k}$ Note: \mathbf{s} is not radial

In the case of both beams polarized vertically:

$$\sigma = \sigma_0 [1 + A_N(\mathbf{P}_b + \mathbf{P}_y)\cos\varphi + P_b P_y (A_{NN}\cos^2\varphi + A_{SS}\sin^2\varphi)]$$

Due to vertical orientation of RP ($\varphi = \pm\pi/2$) pp2pp in run 2003 was more sensitive to A_{SS} than to A_{NN} .

Calculation of double spin asymmetries

Raw asymmetry:

$$\begin{aligned}\delta(\varphi) &= \frac{N^{++}(\varphi)/L^{++} + N^{--}(\varphi)/L^{--} - N^{+-}(\varphi)/L^{+-} - N^{-+}(\varphi)/L^{-+}}{N^{++}(\varphi)/L^{++} + N^{--}(\varphi)/L^{--} + N^{+-}(\varphi)/L^{+-} + N^{-+}(\varphi)/L^{-+}} = \\ &= P_B P_Y (A_{SS} \cos^2(\varphi) + A_{NN} \sin^2(\varphi))\end{aligned}$$

Luminosity normalization is done using both:

1. The machine bunch intensities: $L^{ij} \sim \sum I_B^i \cdot I_Y^j$ over bunches with given i,j combination
2. The inelastic counters

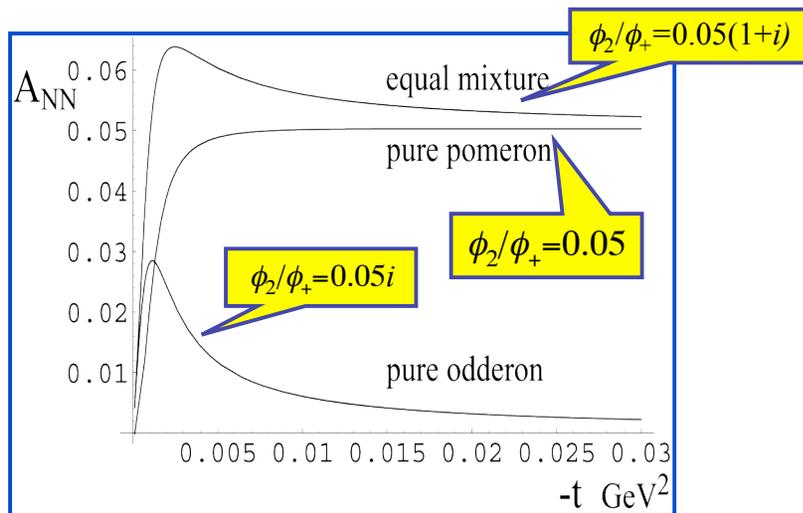
The two methods agreed.

Distributions $\delta(\varphi)$ were fitted with $(P_1 \cdot \sin^2\varphi + P_2 \cdot \cos^2\varphi)$

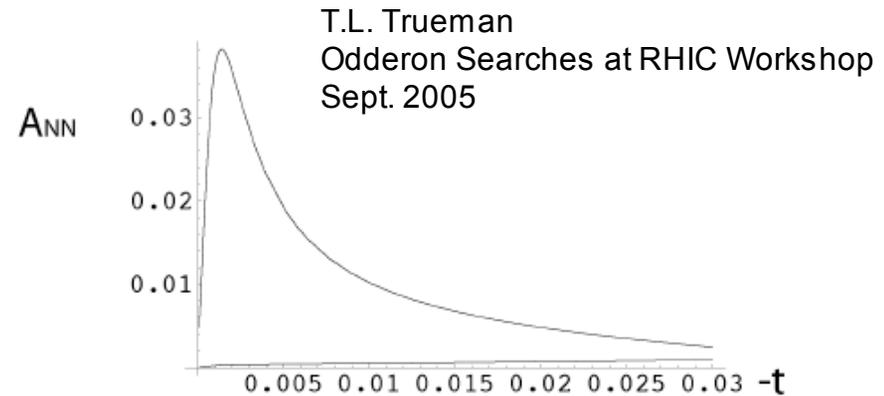
$$P_1 = P_B \cdot P_Y \cdot A_{SS} \text{ and } P_2 = P_B \cdot P_Y \cdot A_{NN}$$

Results: A_{NN} and A_{SS}

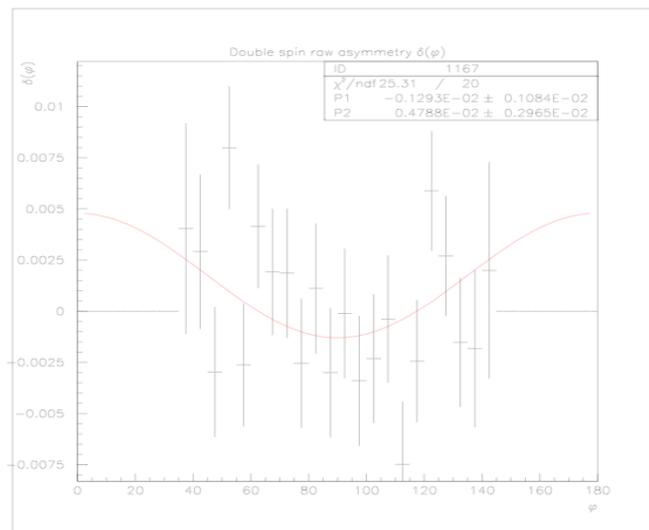
$ t $ -range, (GeV/c) ²	$\langle t \rangle$, (GeV/c) ²	A_{SS}	σ_{Ass} (stat.)	A_{NN}	σ_{Ann} (stat.)	χ^2/n
0.010-0.030	0.019	-0.0067	0.0056	0.0248	0.0154	25.3/20



A_{NN} at 200x200 for odderon flip = rho flip (upper) and for odderon flip = pomeron flip (lower)



A_{NN} , A_{SS} raw asymmetries



Distributions $\delta(\varphi)$ were fitted with $(P_1 \cdot \sin^2\varphi + P_2 \cdot \cos^2\varphi)$

$$P_1 = P_B \cdot P_Y \cdot A_{SS} \text{ and } P_2 = P_B \cdot P_Y \cdot A_{NN}$$