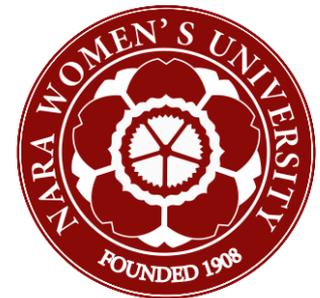


# Measurements of azimuthal anisotropy for high $p_T$ charged hadrons at $\sqrt{s_{NN}} =$ 200 GeV in Au+Au at RHIC-PHENIX

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Akari Takeda for the PHENIX collaboration  
Nara Women's Univ.



# Contents

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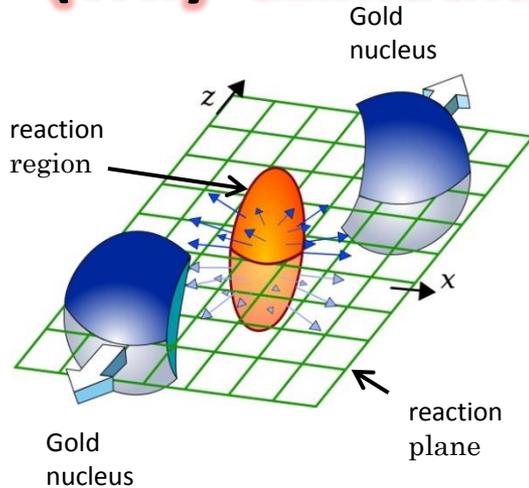
- Motivation
- Introduction
  - Azimuthal anisotropy ( $v_2$ )
- PHENIX experiment
- Analysis method
- Result
- summary

# Motivation

We would like to investigate the energy loss mechanism of QGP, which is one of the important properties of QGP.

# Introduction

## (Why azimuthal anisotropy at high $p_T$ ?)



At non-central collisions, the reaction region (QGP) is an ellipse because nuclei have a certain size.



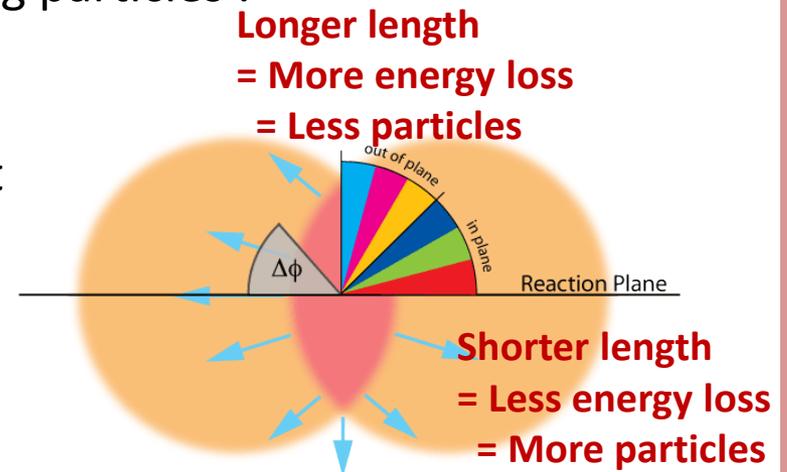
The high  $p_T$  particles will traverse different path lengths in the QGP, depending on azimuthal angles of emitting particles .



The amount of the energy loss is different depending on azimuthal angle.



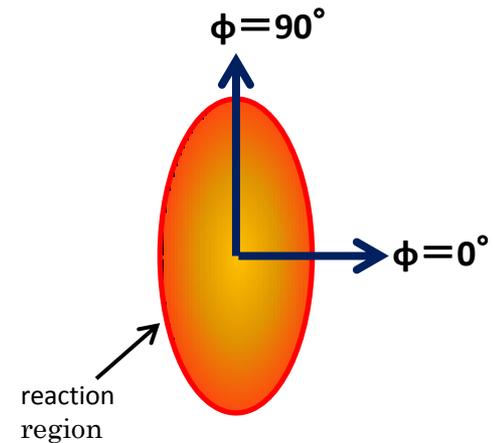
The yield with  $p_T$  is modified.



# What $v_2$ ?

$$\frac{dN(\phi)}{d\phi} \propto 1 + 2v_2 \cos 2\phi$$

$v_2$  is the coefficient of the second term of Fourier expansion of azimuthal distribution measured with respect to reaction plane.

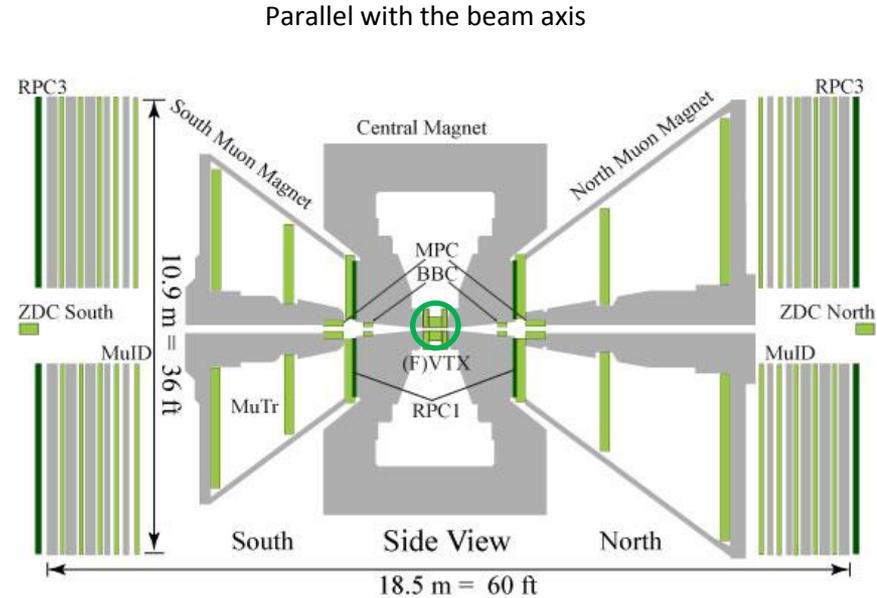
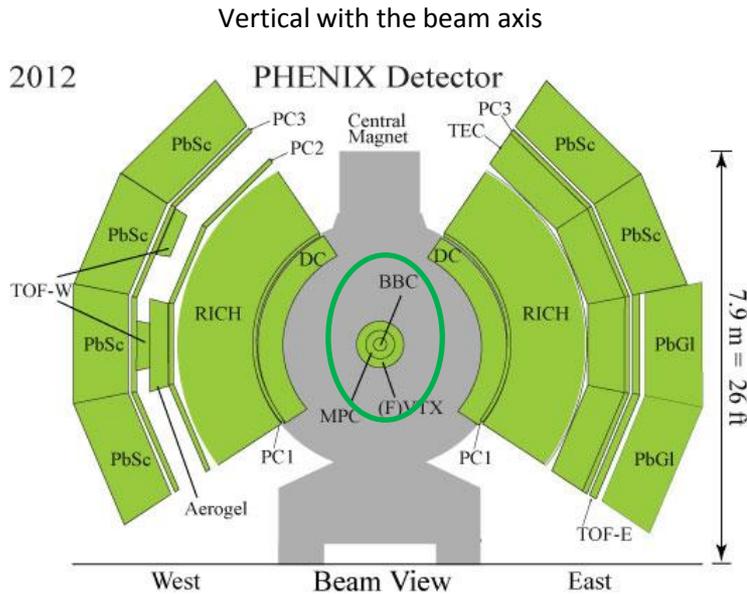


$v_2$  shows the relative yield difference of  $\phi=90^\circ$  to  $\phi=0^\circ$ .

We can study the energy loss mechanism of QGP by investigating  $v_2$  in detail by measuring and comparing with various shapes of reaction regions.

# PHENIX experiment

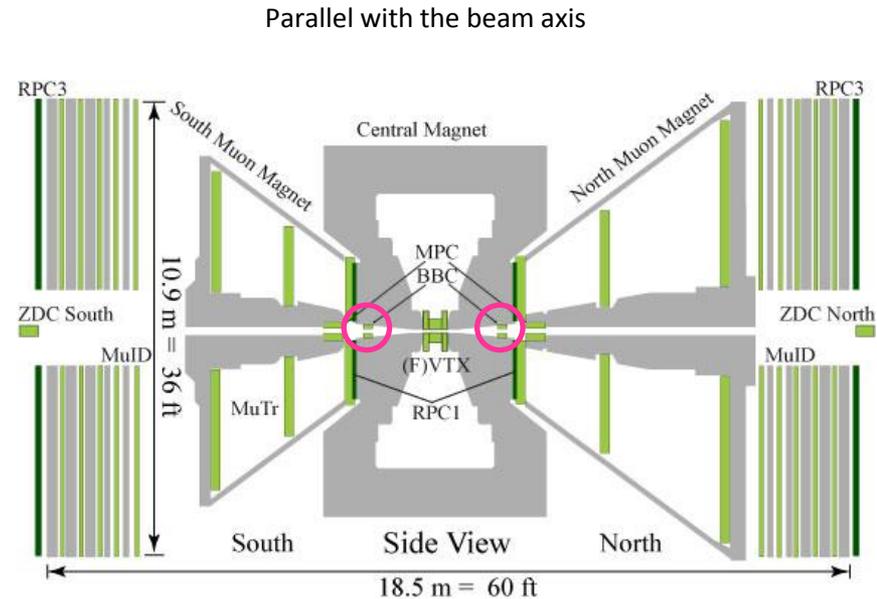
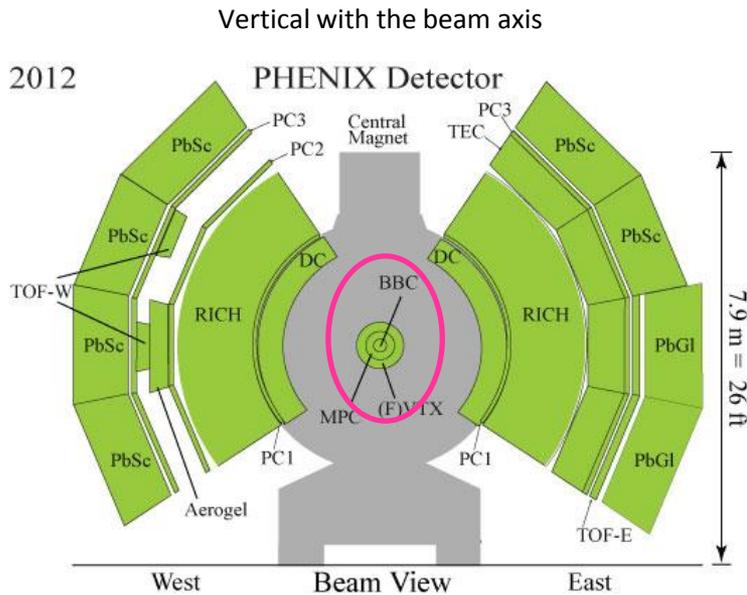
It is one of the international joint experiments at Brookhaven National Laboratory (BNL).



**VTX**  
- precise tracking

# PHENIX experiment

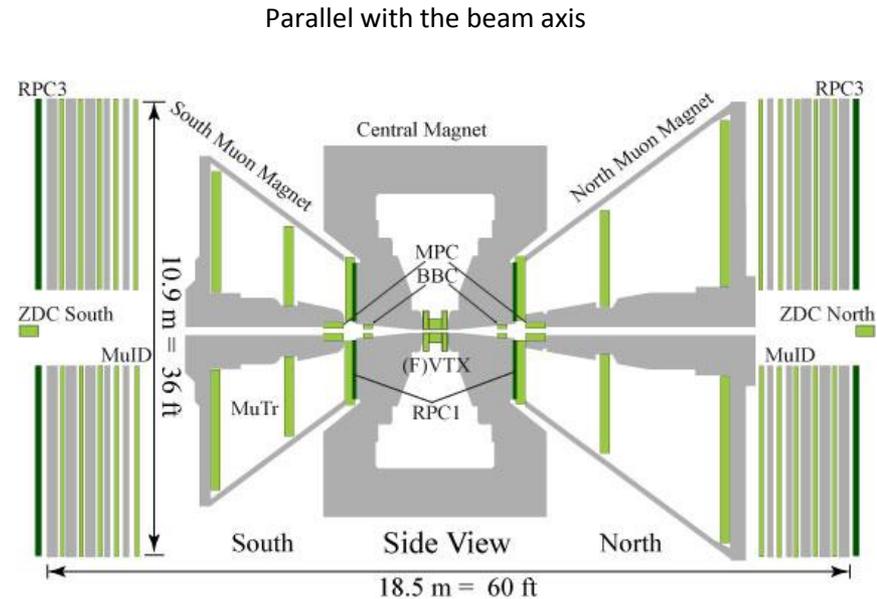
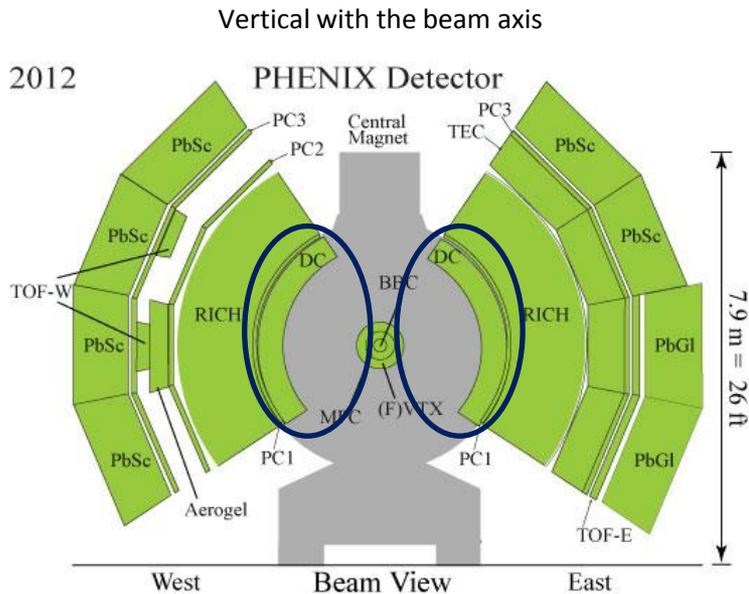
It is one of the international joint experiments at Brookhaven National Laboratory (BNL).



Beam Beam Counter (BBC)  
- vertex position,  
centrality, reaction plane

# PHENIX experiment

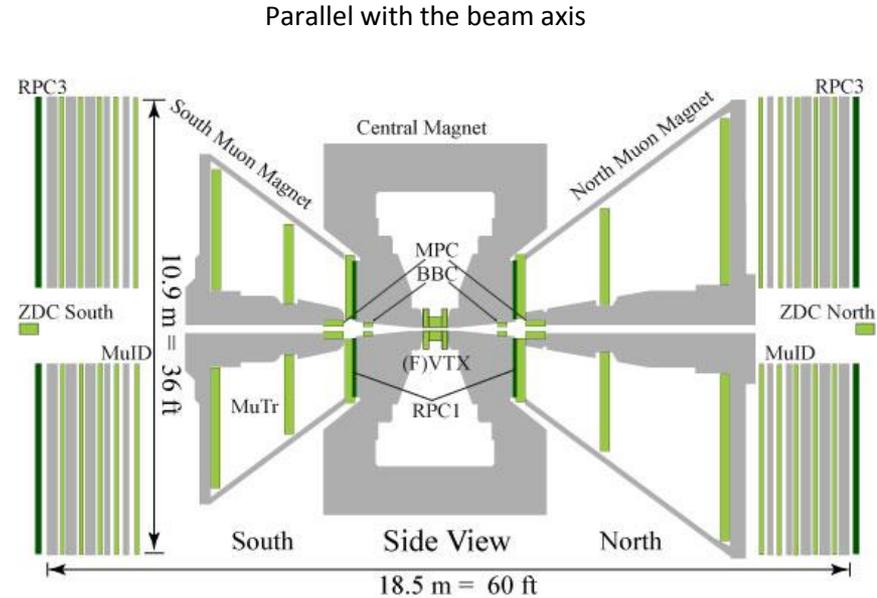
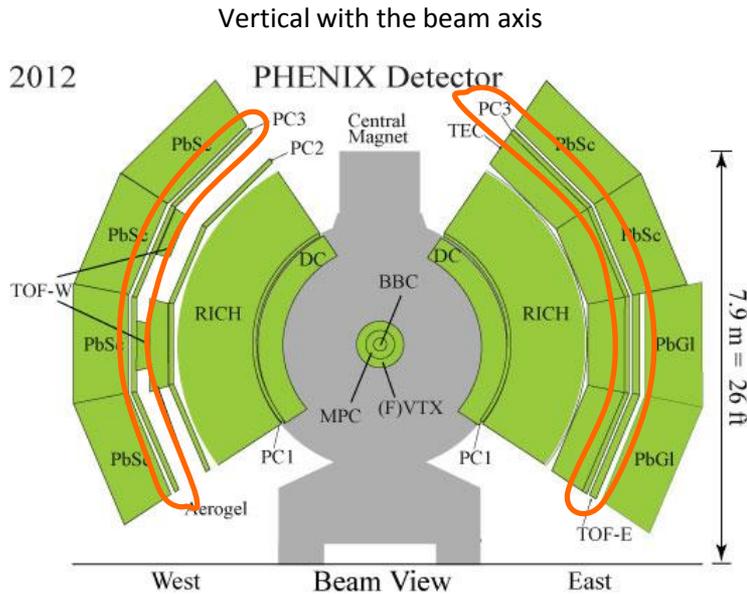
It is one of the international joint experiments at Brookhaven National Laboratory (BNL).



Drift Chamber (DC)  
- momentum, tracking

# PHENIX experiment

It is one of the international joint experiments at Brookhaven National Laboratory (BNL).



Pad Chamber 3 (PC3)  
- tracking



# How to analyze

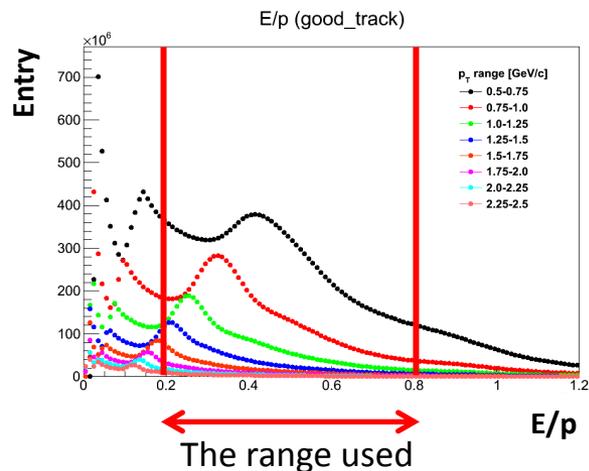
1. Track selection (two methods)
2. Reaction plane measurements
  - Reaction plane determination

# Track selection

It is important for  $v_2$  measurement at high  $p_T$  to reduce background tracks and improve S/N. We tried two different methods to reduce background.

## E/p cut

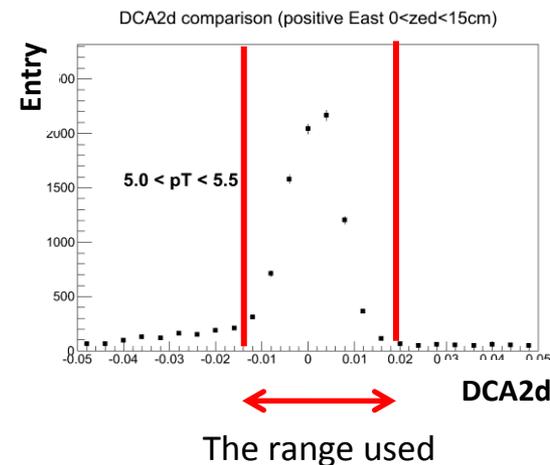
E : Energy measured by EMCal  
p : momentum measured by DC



More statistic

## DCA cut

DCA : Distances of closest approach

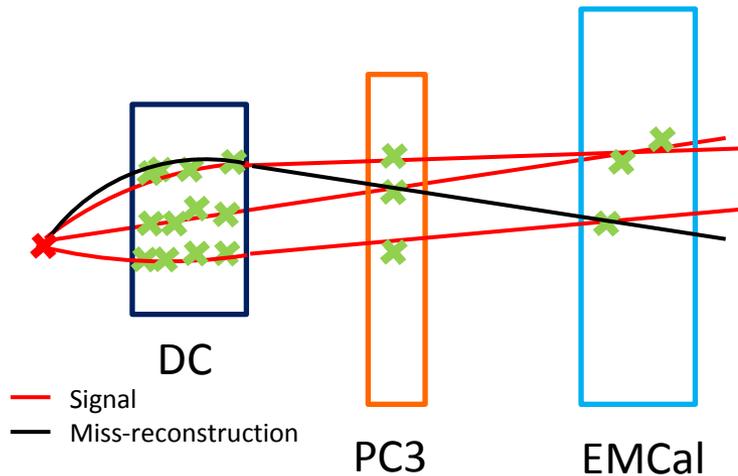


Less back ground

Details are shown in following pages.

# Track selection (E/p cut)

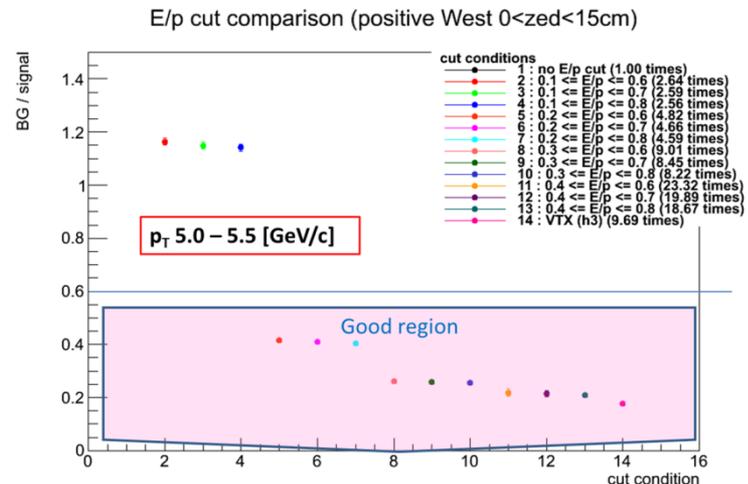
E : Energy measured by **EMCal**  
 p : momentum measured by **DC**



In PHENIX, there are many hit points and they make miss-reconstructed tracks. Features of the miss-reconstructed tracks are p is random but E is small.

## Back Ground

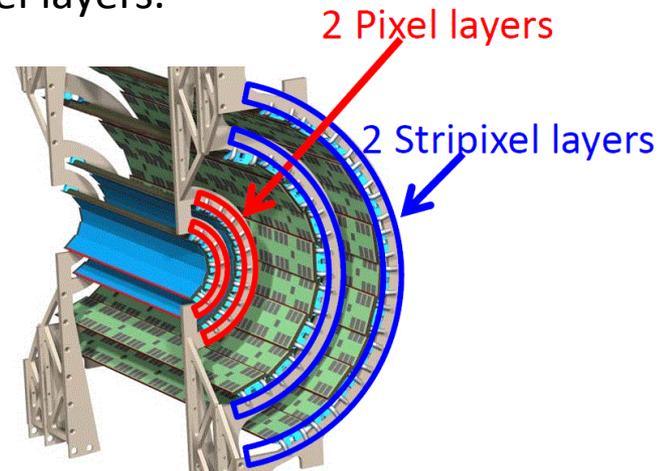
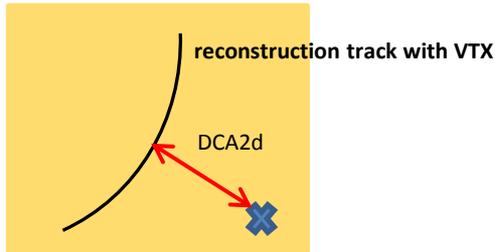
- Miss-reconstruction       $E/p \ll 1$
- Decayed particles
- Electron       $E/p \sim 1$



The range used is  $0.2 \leq E/p \leq 0.8$

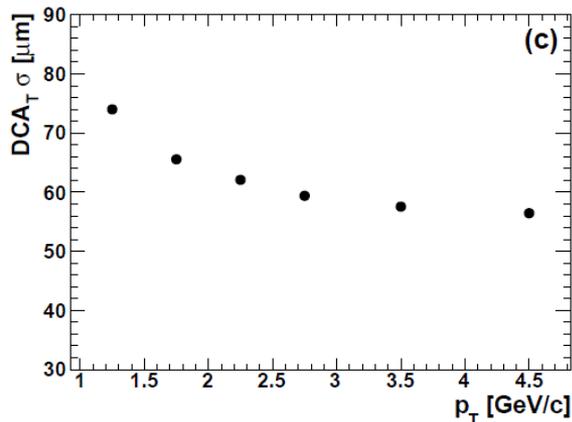
# Track selection (DCA cut)

VTX is made of two Pixel layers and two Stripixel layers.



DCA (Distance of Closest Approach)

: Distances between reconstruction track with VTX and vertex point.



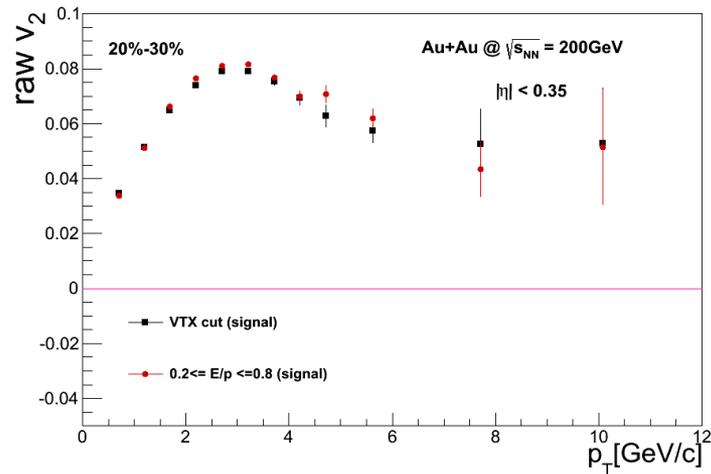
PRC 93, 034904

Resolution  $\sigma = 60[\mu\text{m}]$  ( $p_T > 2[\text{GeV}/c]$ )

**Hadrons come from vertex point, so DCA is small.  
VTX can reject the background tracks  
with the good DCA resolution !**

# Comparison of two methods

$$v_2^{raw} (measured) = \frac{N_S}{N_T} v_2^{raw} (signal) + \frac{N_B}{N_T} v_2^{raw} (BG)$$



raw  $v_2$  by the two methods are consistent.

We will show  $v_2$  by E/p cut method from next page.

# Reaction plane determination

Reaction plane method

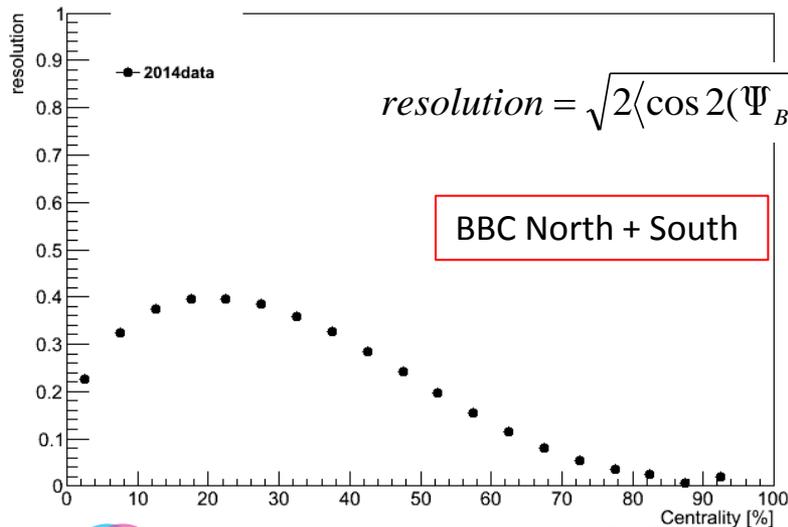
$$v_2 = \frac{\langle \cos 2(\phi - \Psi_2) \rangle}{\text{reaction\_plane\_resolution}}$$

$\phi - \Psi_2$  : azimuth from reaction plane

$\phi$  : track  $\rightarrow$  track selection

$\Psi_2$  : RP  $\rightarrow$  RP measurement

Reaction plane resolution vs. centrality



$$\text{resolution} = \sqrt{2 \langle \cos 2(\Psi_{BBCN} - \Psi_{BBCS}) \rangle}$$

BBC North + South

We use reaction plane azimuth ( $\Psi_{BBCN}$ ,  $\Psi_{BBCS}$ ) by BBC-North and BBC-South.



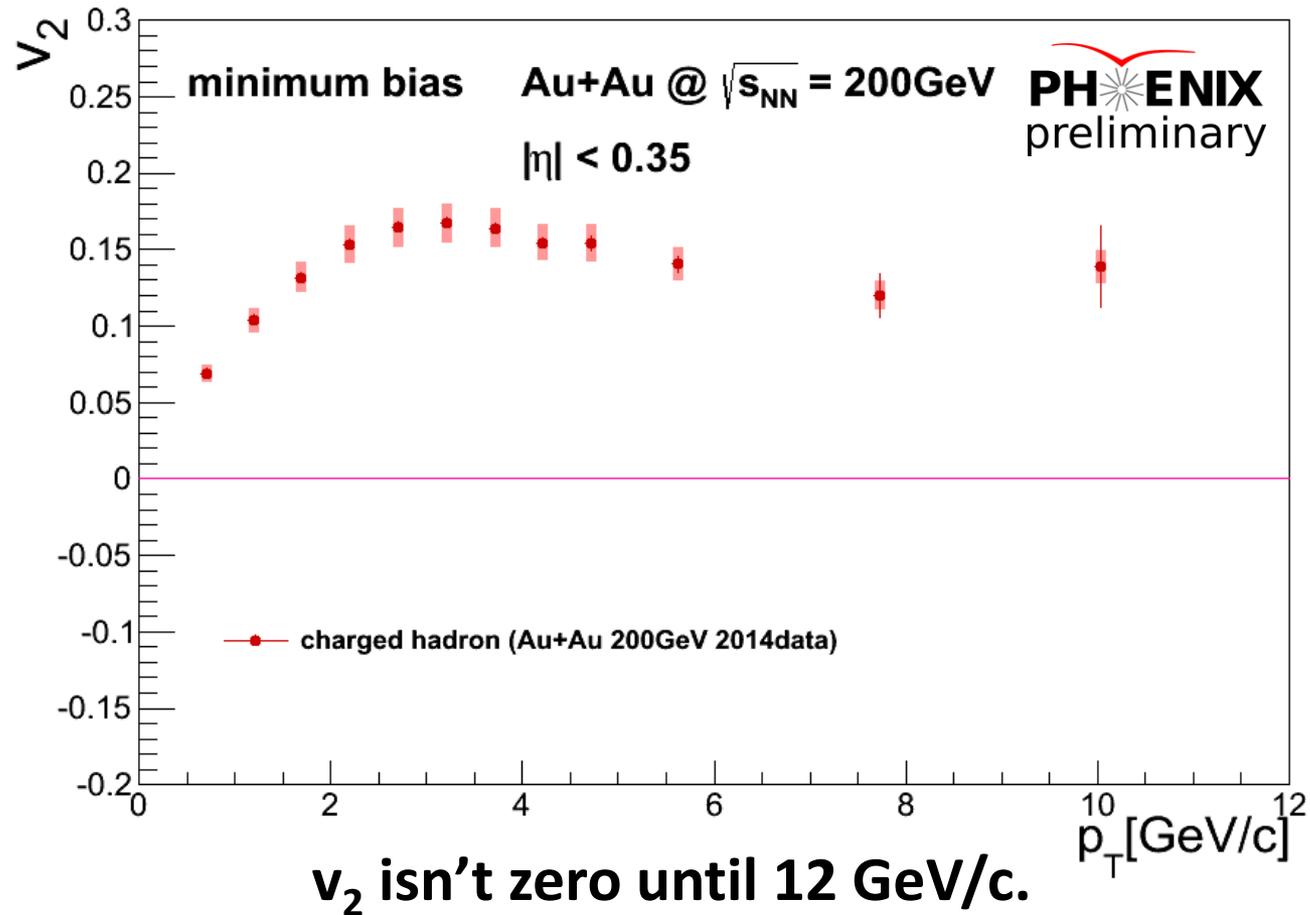
2016/9/13



HQ\_Akari

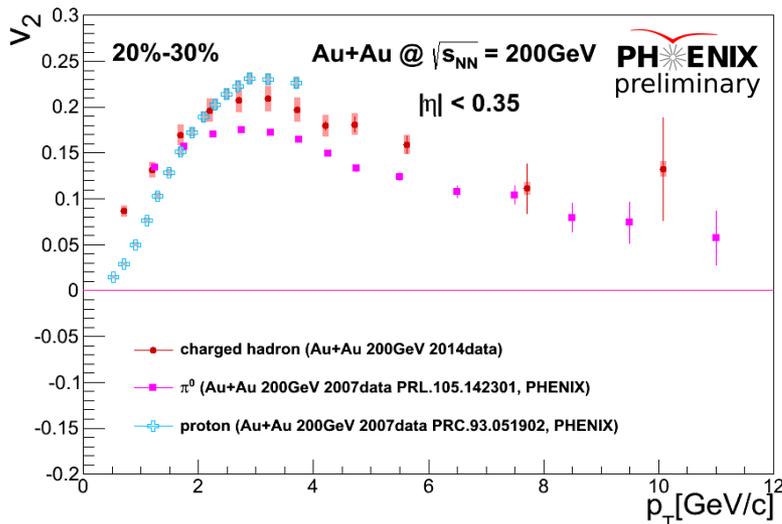
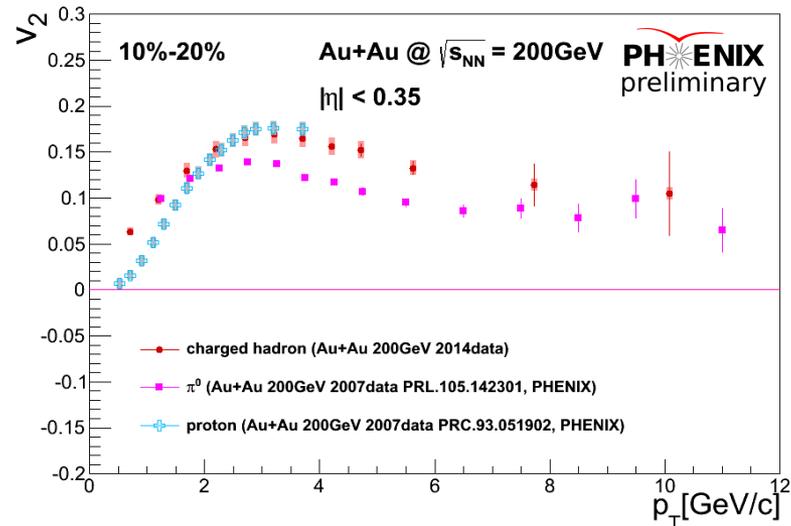
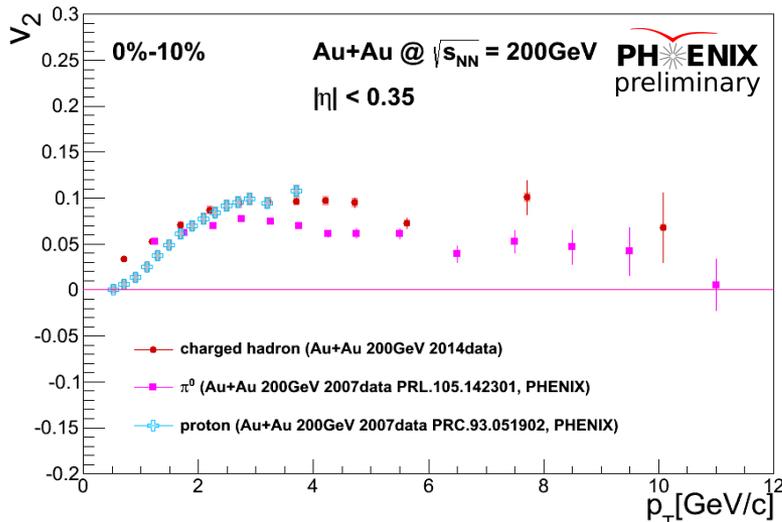
# $v_2$ (minimum bias)

result



# $v_2$ (centrality dependence)

result



There is a difference in  $v_2$  between charged hadrons and neutral pions for  $p_T < 7\text{GeV}/c$ .

The difference becomes smaller as going to peripheral collisions: qualitatively consistent with baryon anomaly seen in most central collisions.

# Summary

## Track cut

We try two different cut methods to reduce background tracks.

- we select E/p cut method for  $v_2$  measurements because of the statistical advantage.

## Reaction Plane

We measure reaction plane.

We obtain reaction plane resolution.

## $v_2$ results

We obtain charged hadron  $v_2$  in  $0 < p_T < 12$  [GeV/c]

- $v_2$  is not zero until  $p_T = 12$  GeV/c.

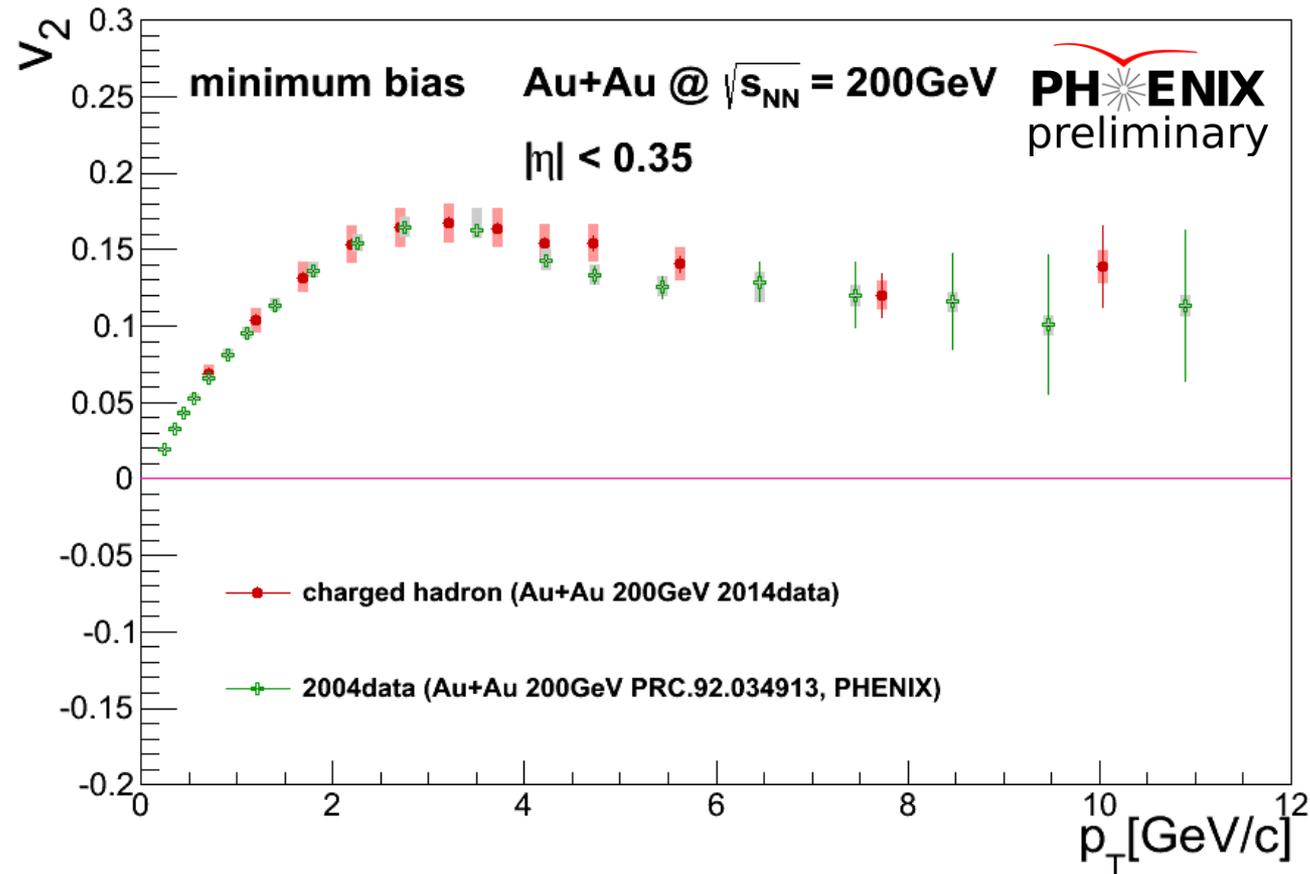
In centrality 0-10%, 10-20% and 20-30%, there is a difference in  $v_2$  between charged hadrons and neutral pions for  $p_T < 7$  GeV/c.

## Next to do

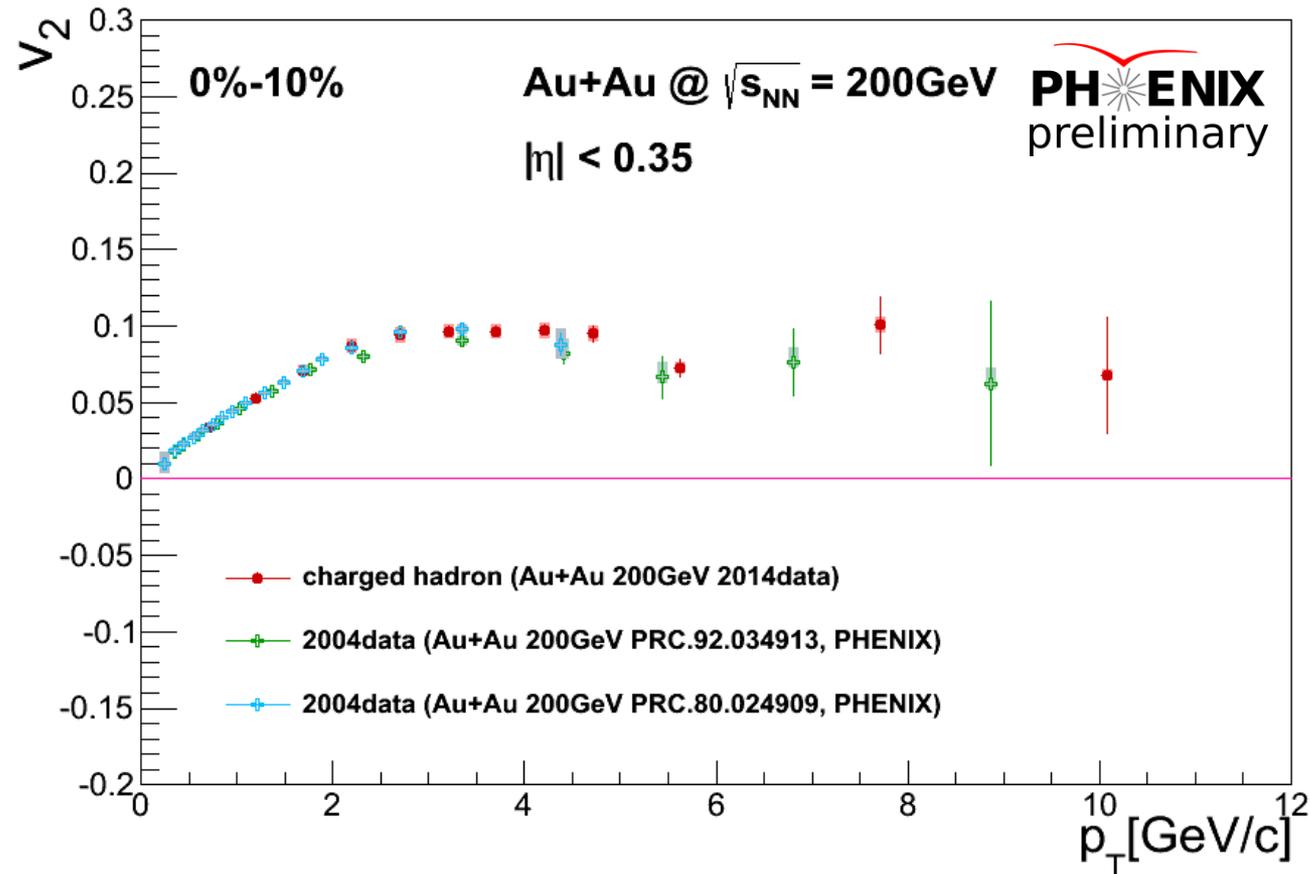
2014 data will increase 4 times larger. So I would like to measure peripheral centrality  $v_2$ .

# Back up

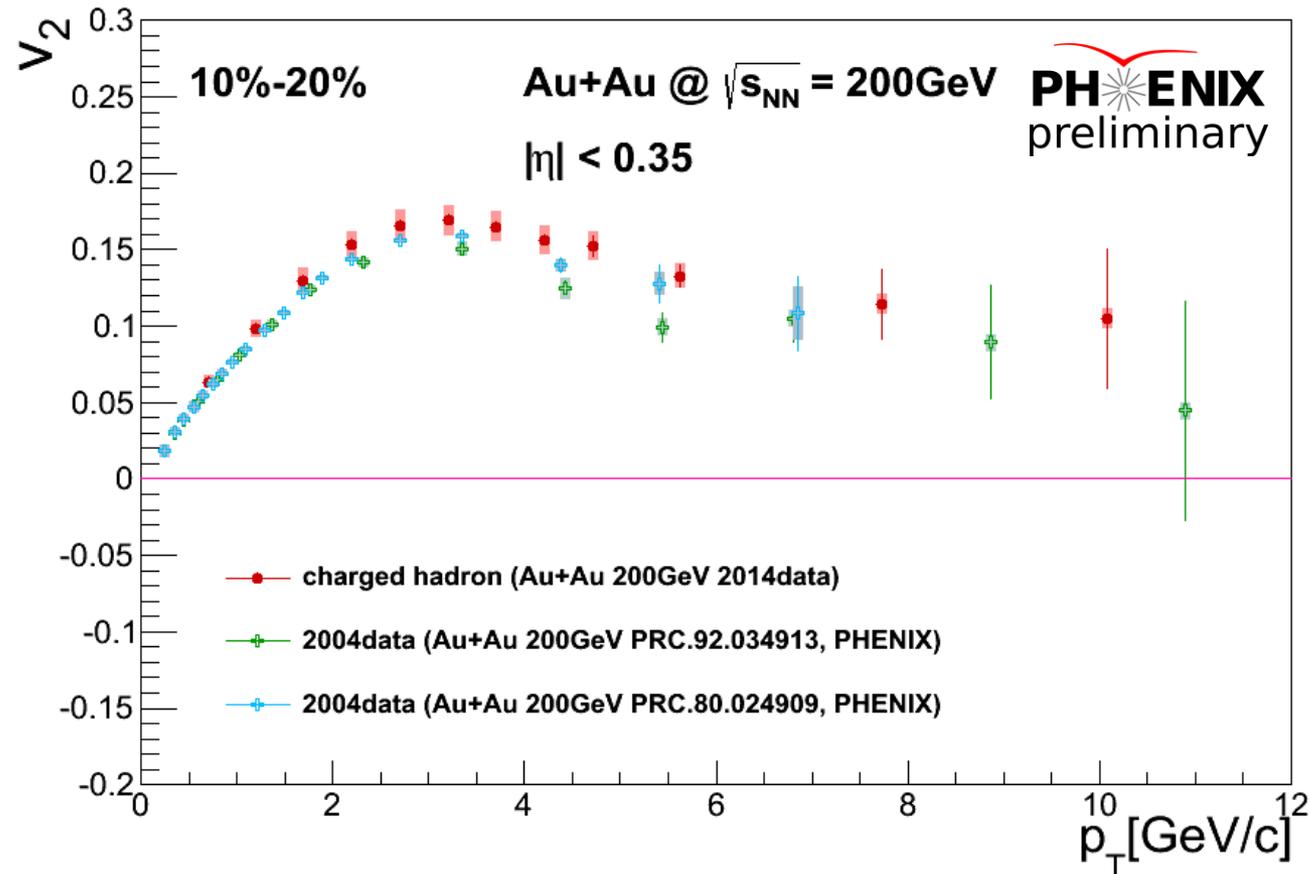
# Comparison of New & Old PHENIX Results



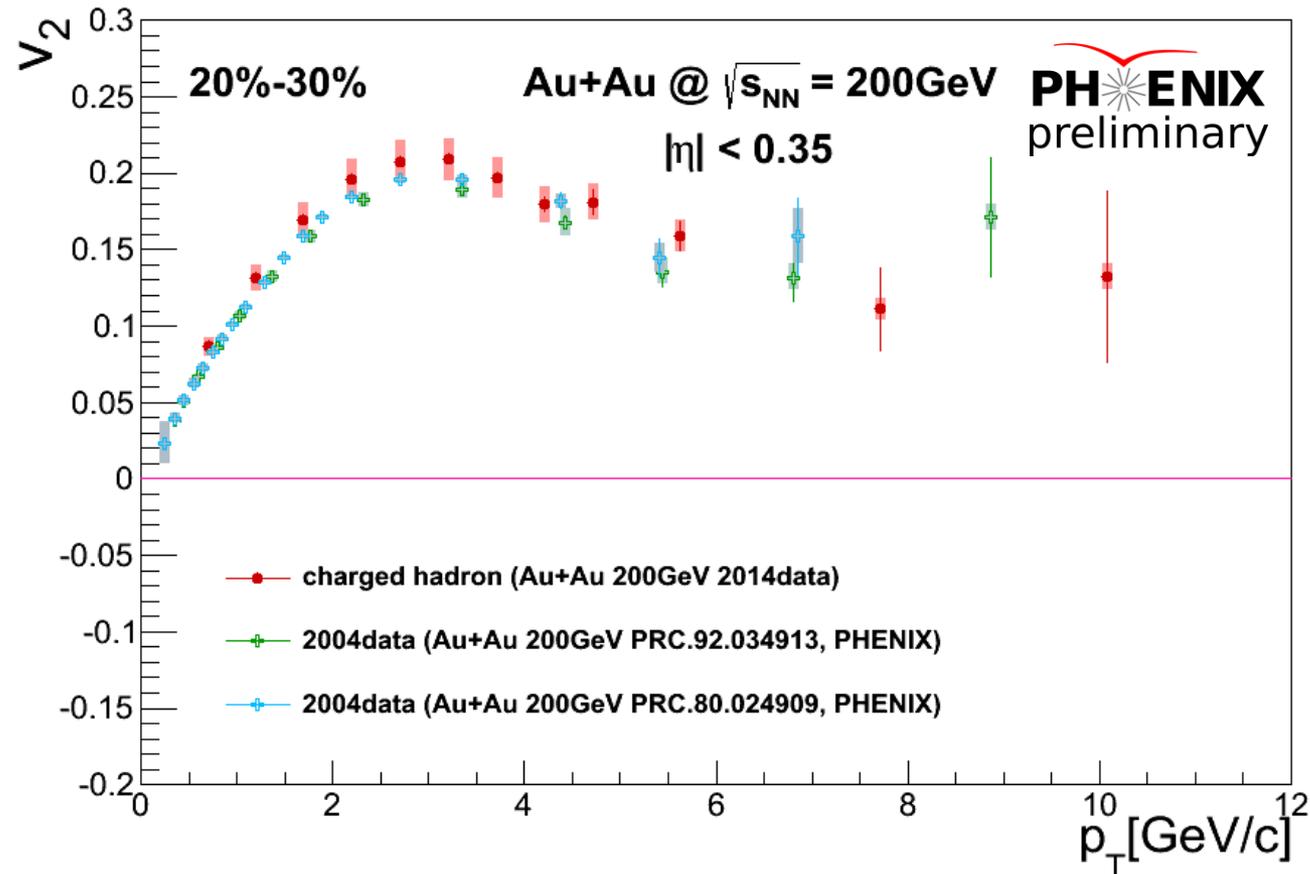
# Comparison of New & Old PHENIX Results



# Comparison of New & Old PHENIX Results



# Comparison of New & Old PHENIX Results



# $\pi^0$ systematic error

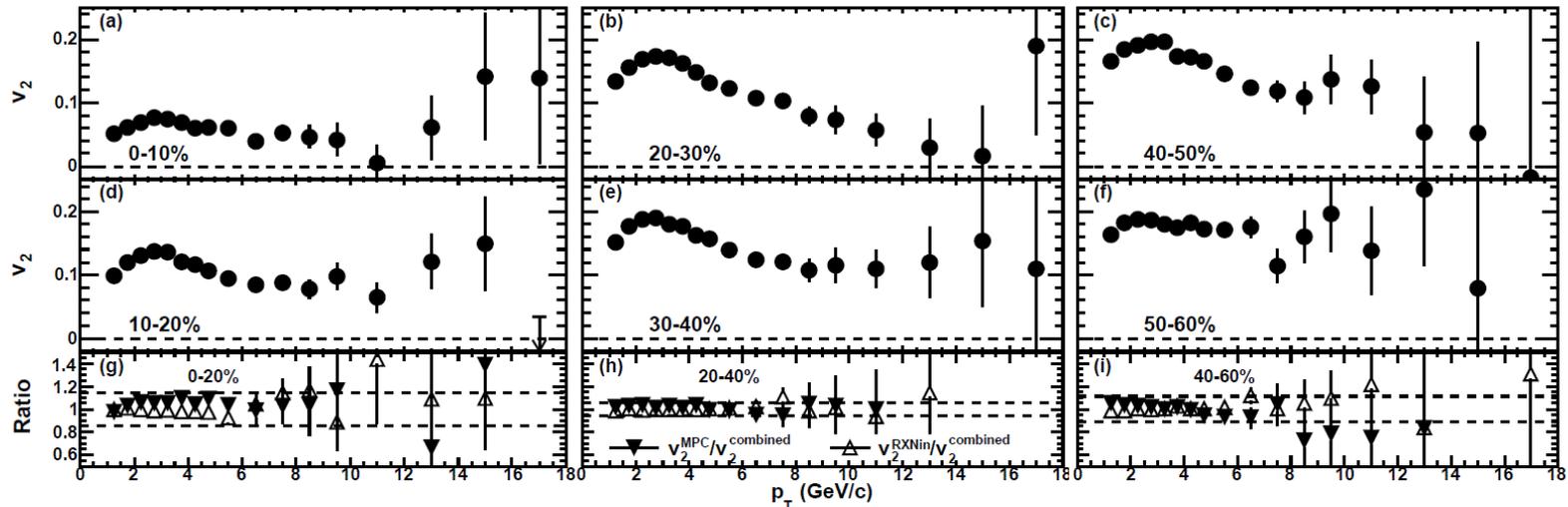


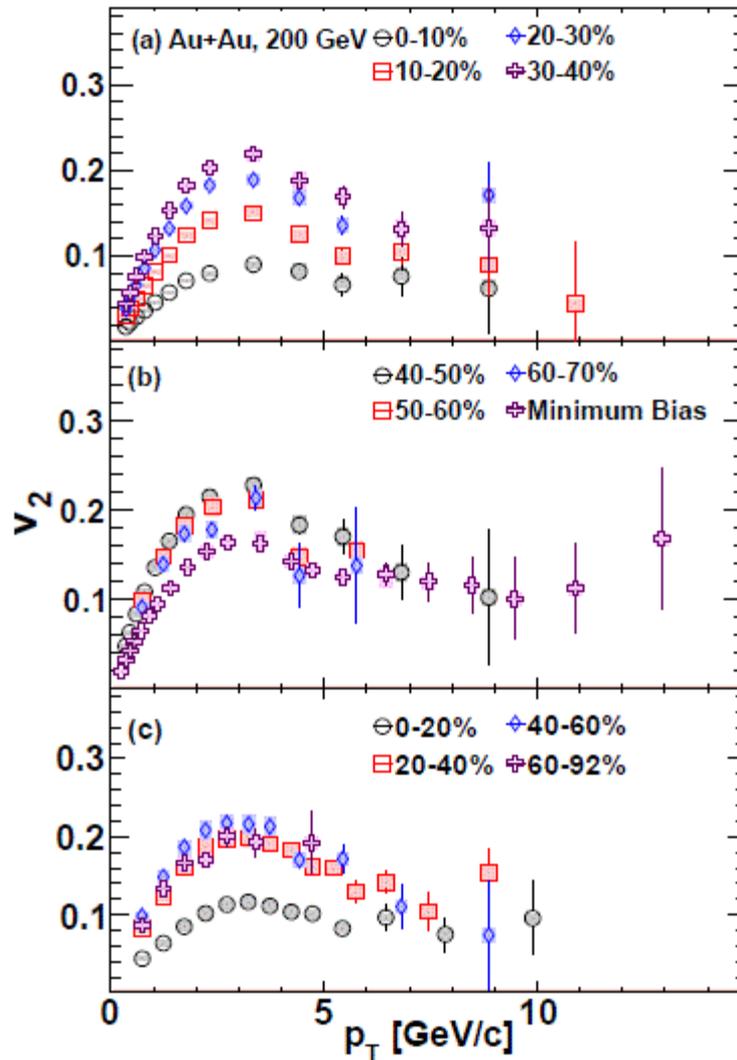
FIG. 1: (a)-(f):  $\pi^0$   $v_2$  using reaction plane determined with MPC and RXN<sub>in</sub> combined as a function of  $p_T$  for different centralities. (g)-(i): ratios of  $v_2$  measured separately using MPC (solid triangles) and RXN<sub>in</sub> (open triangles) to combined result; the dashed lines indicate the systematic error.

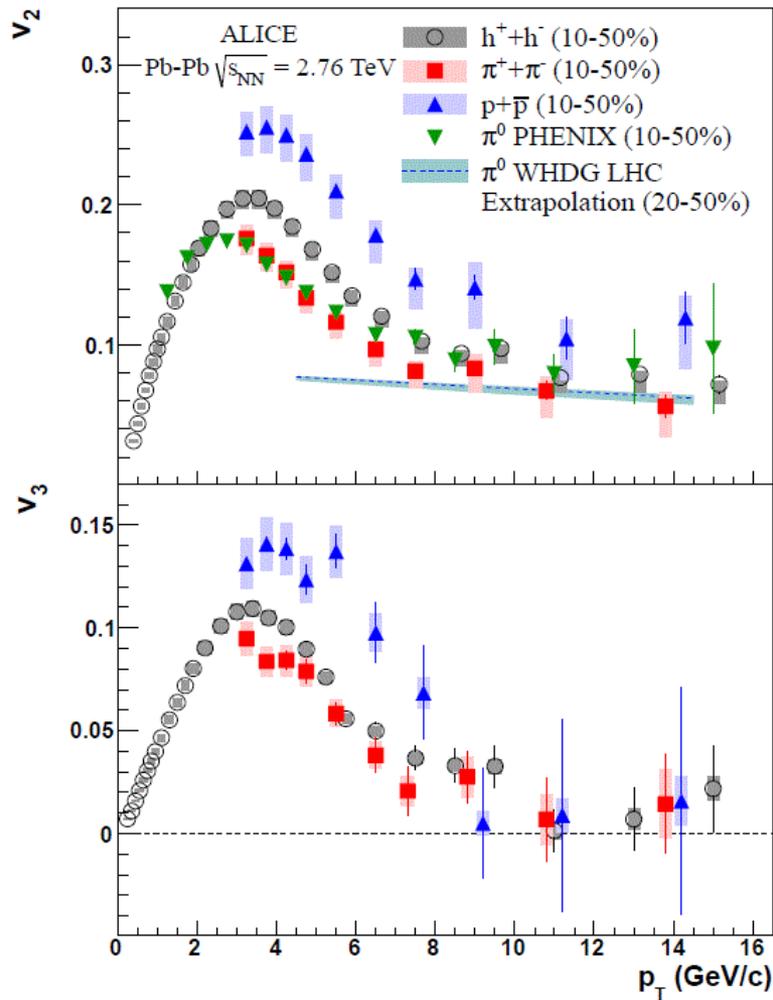
# PHENIX results

2004data

[PhysRevC.92.034913](https://arxiv.org/abs/nucl-ex/0405013)

<http://arxiv.org/pdf/1412.1043v2.pdf>





an ALICE result at a different of  $\sqrt{s_{NN}}$

<https://arxiv.org/pdf/1205.5761v3.pdf>

# Least-square method

$$v_2(\text{measured})_i = \frac{N_{Si}}{N_{Ti}} v_2(\text{signal}) + \frac{N_{Bi}}{N_{Ti}} v_2(\text{BG})$$

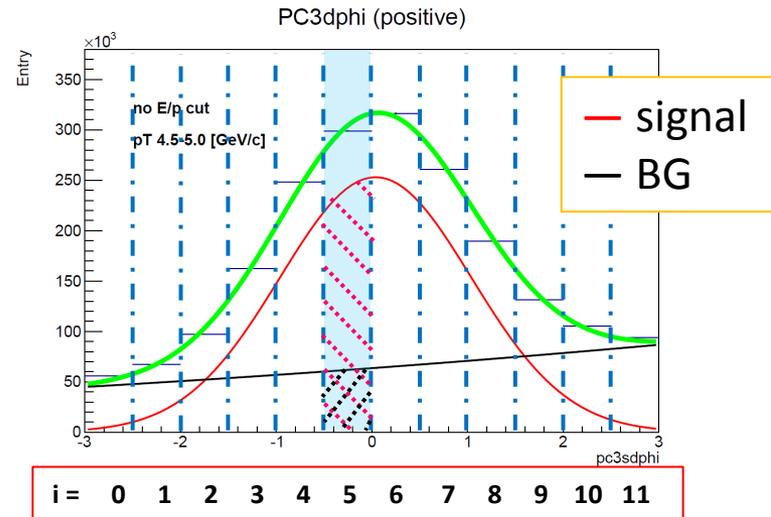
$v_2(\text{measured})$  is made of  $v_2(\text{signal})$  and  $v_2(\text{BG})$ .

It is assumed that  $v_2(\text{signal})$  and  $v_2(\text{BG})$  are constants in PC3sdphi range ( $i = 0 \sim 12$ ).

1. we get  $v_2(\text{measured})_i$ ,  $N_{Si}$ ,  $N_{Bi}$  and  $N_{Ti}$  in each range.

$$\frac{N_{Si}}{N_{Ti}} = \frac{\text{red box}}{\text{red box} + \text{blue box}} \quad \frac{N_{Bi}}{N_{Ti}} = \frac{\text{blue box}}{\text{red box} + \text{blue box}}$$

Entry vs. PC3sdphi



2. we calculate  $v_2(\text{signal})$  and  $v_2(\text{BG})$  by Least-square method.
  - please see the details in back up pages.

# Least-square method

$$v_2 = \frac{N_S}{N_T} v_2(\text{signal}) + \frac{N_B}{N_T} v_2(\text{BG})$$

$$-c = xa + yb$$

$$\sum_i \frac{(ax_i + by_i + c_i)^2}{\sigma_{ci}^2} = f(a, b)$$

$$\frac{\partial f}{\partial a} = \sum_i \frac{ax_i(ax_i + by_i + c_i)}{\sigma_{ci}^2} = 0$$

$$\frac{\partial f}{\partial b} = \sum_i \frac{by_i(ax_i + by_i + c_i)}{\sigma_{ci}^2} = 0$$

Change characters

Least-square method by all range ( $i = 0 \sim 5$ )

Differentiate for least values

Get a and b by coalition

$$a = \frac{\sum \frac{y^2}{\sigma_c^2}}{\sum \frac{y^2}{\sigma_c^2} \sum \frac{x^2}{\sigma_c^2} - (\sum \frac{xy}{\sigma_c^2})^2} \left\{ \frac{\sum \frac{cy}{\sigma_c^2} \sum \frac{xy}{\sigma_c^2}}{\sum \frac{y^2}{\sigma_c^2}} - \sum \frac{cx}{\sigma_c^2} \right\} = v_2(\text{signal})$$

$$b = \frac{\sum \frac{x^2}{\sigma_c^2}}{\sum \frac{y^2}{\sigma_c^2} \sum \frac{x^2}{\sigma_c^2} - (\sum \frac{xy}{\sigma_c^2})^2} \left\{ \frac{\sum \frac{cx}{\sigma_c^2} \sum \frac{xy}{\sigma_c^2}}{\sum \frac{x^2}{\sigma_c^2}} - \sum \frac{cy}{\sigma_c^2} \right\} = v_2(\text{BG})$$

# Statistical error

---

fitting error of Least-square method

$$\Delta a_f$$

$$\Delta a = \Delta a_f$$

# Error (fitting error of Least-square method)

$$a = \frac{\sum \frac{y_i^2}{\sigma_{ci}^2}}{\sum \frac{y_i^2}{\sigma_{ci}^2} \sum \frac{x_i^2}{\sigma_{ci}^2} - (\sum \frac{x_i y_i}{\sigma_{ci}^2})^2} \left\{ \frac{\sum \frac{c_i y_i}{\sigma_{ci}^2} \sum \frac{x_i y_i}{\sigma_{ci}^2}}{\sum \frac{y_i^2}{\sigma_{ci}^2}} - \sum \frac{c_i x_i}{\sigma_{ci}^2} \right\} \quad (7.1)$$

$$= \frac{\sum \frac{c_i y_i}{\sigma_{ci}^2} \sum \frac{x_i y_i}{\sigma_{ci}^2} - \sum \frac{y_i^2}{\sigma_{ci}^2} \sum \frac{c_i x_i}{\sigma_{ci}^2}}{\sum \frac{y_i^2}{\sigma_{ci}^2} \sum \frac{x_i^2}{\sigma_{ci}^2} - (\sum \frac{x_i y_i}{\sigma_{ci}^2})^2} \quad (7.2)$$

$$= \frac{\sum \frac{x_i y_i}{\sigma_{ci}^2} (\frac{c_0 y_0}{\sigma_{c0}^2} + \frac{c_1 y_1}{\sigma_{c1}^2} + \dots) - \sum \frac{y_i^2}{\sigma_{ci}^2} (\frac{c_0 x_0}{\sigma_{c0}^2} + \frac{c_1 x_1}{\sigma_{c1}^2} + \dots)}{\sum \frac{y_i^2}{\sigma_{ci}^2} \sum \frac{x_i^2}{\sigma_{ci}^2} - (\sum \frac{x_i y_i}{\sigma_{ci}^2})^2} \quad (7.3)$$

$$= \frac{(\frac{y_0}{\sigma_{c0}^2} \sum \frac{x_i y_i}{\sigma_{ci}^2} - \frac{x_0}{\sigma_{c0}^2} \sum \frac{y_i^2}{\sigma_{ci}^2}) c_0 + (\frac{y_1}{\sigma_{c1}^2} \sum \frac{x_i y_i}{\sigma_{ci}^2} - \frac{x_1}{\sigma_{c1}^2} \sum \frac{y_i^2}{\sigma_{ci}^2}) c_1 + \dots}{\sum \frac{y_i^2}{\sigma_{ci}^2} \sum \frac{x_i^2}{\sigma_{ci}^2} - (\sum \frac{x_i y_i}{\sigma_{ci}^2})^2} \quad (7.4)$$

Partial differential

$$\Delta a_f = \frac{\sqrt{(\frac{y_0}{\sigma_{c0}^2} \sum \frac{x_i y_i}{\sigma_{ci}^2} - \frac{x_0}{\sigma_{c0}^2} \sum \frac{y_i^2}{\sigma_{ci}^2})^2 \sigma_{c0}^2 + (\frac{y_1}{\sigma_{c1}^2} \sum \frac{x_i y_i}{\sigma_{ci}^2} - \frac{x_1}{\sigma_{c1}^2} \sum \frac{y_i^2}{\sigma_{ci}^2})^2 \sigma_{c1}^2 + \dots}}{\sum \frac{y_i^2}{\sigma_{ci}^2} \sum \frac{x_i^2}{\sigma_{ci}^2} - (\sum \frac{x_i y_i}{\sigma_{ci}^2})^2} \quad (7.6)$$

$$= \frac{\sqrt{(\frac{y_0^2}{\sigma_{c0}^2} (\sum \frac{x_i y_i}{\sigma_{ci}^2})^2 - 2 \frac{y_0}{\sigma_{c0}^2} \frac{x_0}{\sigma_{c0}^2} \sum \frac{x_i y_i}{\sigma_{ci}^2} \sum \frac{y_i^2}{\sigma_{ci}^2} + \frac{x_0^2}{\sigma_{c0}^2} (\sum \frac{y_i^2}{\sigma_{ci}^2})^2) \sigma_{c0}^2 + \dots}}{\sum \frac{y_i^2}{\sigma_{ci}^2} \sum \frac{x_i^2}{\sigma_{ci}^2} - (\sum \frac{x_i y_i}{\sigma_{ci}^2})^2} \quad (7.7)$$

$$= \frac{\sqrt{(\frac{y_0^2}{\sigma_{c0}^2} (\sum \frac{x_i y_i}{\sigma_{ci}^2})^2 - 2 \frac{y_0}{\sigma_{c0}^2} \frac{x_0}{\sigma_{c0}^2} \sum \frac{x_i y_i}{\sigma_{ci}^2} \sum \frac{y_i^2}{\sigma_{ci}^2} + \frac{x_0^2}{\sigma_{c0}^2} (\sum \frac{y_i^2}{\sigma_{ci}^2})^2) + \dots}}{\sum \frac{y_i^2}{\sigma_{ci}^2} \sum \frac{x_i^2}{\sigma_{ci}^2} - (\sum \frac{x_i y_i}{\sigma_{ci}^2})^2} \quad (7.8)$$

$$= \frac{\sqrt{\sum \frac{y_i^2}{\sigma_{ci}^2} (\sum \frac{x_i y_i}{\sigma_{ci}^2})^2 - 2 \sum \frac{y_i x_i}{\sigma_{ci}^2} \sum \frac{x_i y_i}{\sigma_{ci}^2} \sum \frac{y_i^2}{\sigma_{ci}^2} + \sum \frac{x_i^2}{\sigma_{ci}^2} (\sum \frac{y_i^2}{\sigma_{ci}^2})^2}}{\sum \frac{y_i^2}{\sigma_{ci}^2} \sum \frac{x_i^2}{\sigma_{ci}^2} - (\sum \frac{x_i y_i}{\sigma_{ci}^2})^2} \quad (7.9)$$

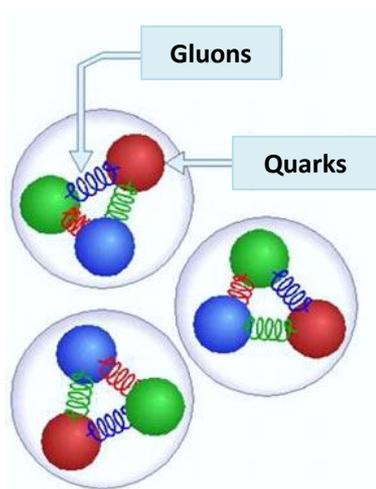
$$= \frac{\sqrt{-\sum \frac{y_i^2}{\sigma_{ci}^2} (\sum \frac{x_i y_i}{\sigma_{ci}^2})^2 + \sum \frac{x_i^2}{\sigma_{ci}^2} (\sum \frac{y_i^2}{\sigma_{ci}^2})^2}}{\sum \frac{y_i^2}{\sigma_{ci}^2} \sum \frac{x_i^2}{\sigma_{ci}^2} - (\sum \frac{x_i y_i}{\sigma_{ci}^2})^2} \quad (7.10)$$

$$= \frac{\sqrt{\sum \frac{y_i^2}{\sigma_{ci}^2} (\sum \frac{x_i^2}{\sigma_{ci}^2} \sum \frac{y_i^2}{\sigma_{ci}^2} - (\sum \frac{x_i y_i}{\sigma_{ci}^2})^2)}}{\sum \frac{y_i^2}{\sigma_{ci}^2} \sum \frac{x_i^2}{\sigma_{ci}^2} - (\sum \frac{x_i y_i}{\sigma_{ci}^2})^2} \quad (7.11)$$

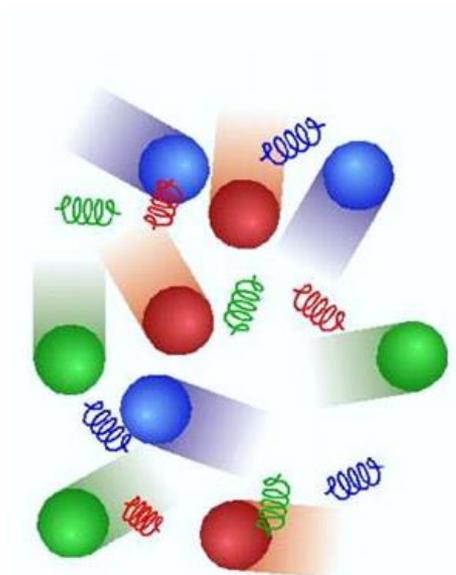
$$= \frac{\sqrt{\sum \frac{y_i^2}{\sigma_{ci}^2}}}{\sqrt{\sum \frac{y_i^2}{\sigma_{ci}^2} \sum \frac{x_i^2}{\sigma_{ci}^2} - (\sum \frac{x_i y_i}{\sigma_{ci}^2})^2}} \quad (7.12)$$

# QGP

QGP (quark-gluon-plasma) is a state in which in a few  $\mu$  seconds immediately after the big bang, quarks and gluons aren't bind as nucleons.

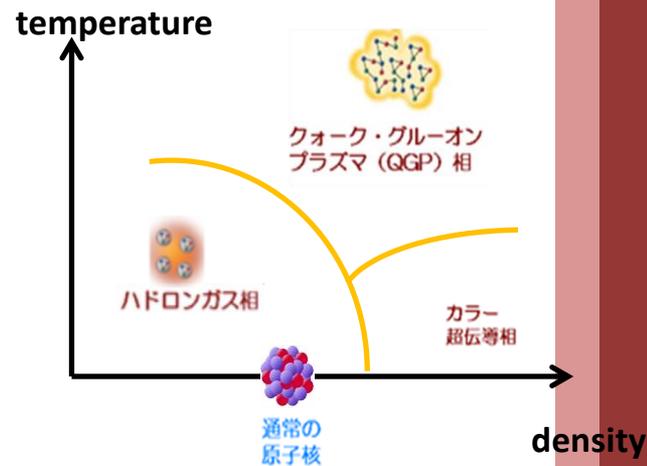


High  
temperature  
density



Quarks and gluons are  
bind as nucleons.

Quarks and gluons aren't  
bind as nucleons.  
= QGP



考えられている、相の状態の様子

**QGP can be made by using high energy heavy ion collision, because matter can reach high temperature of QGP!**