
*Measurement of Large Transverse
Momentum Hadrons and Constraints
on Medium Opacity Parameters*

ICHEP 2008

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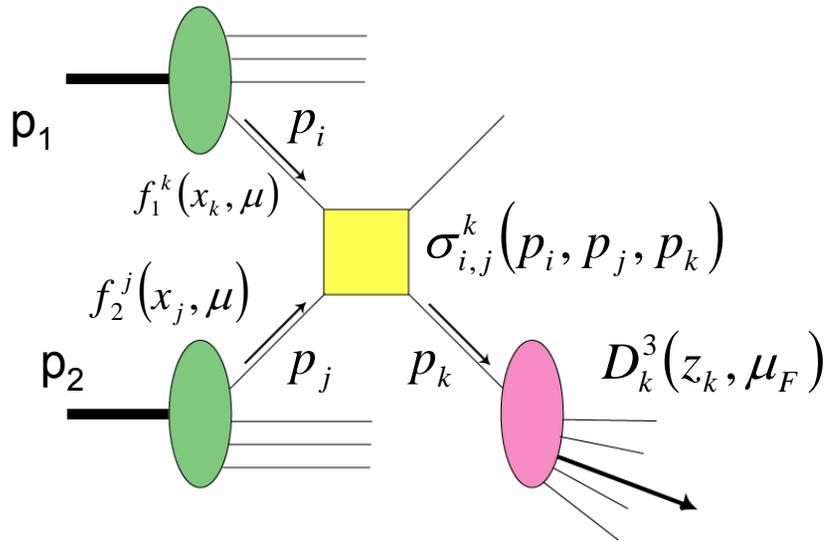


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for the PHENIX Collaboration



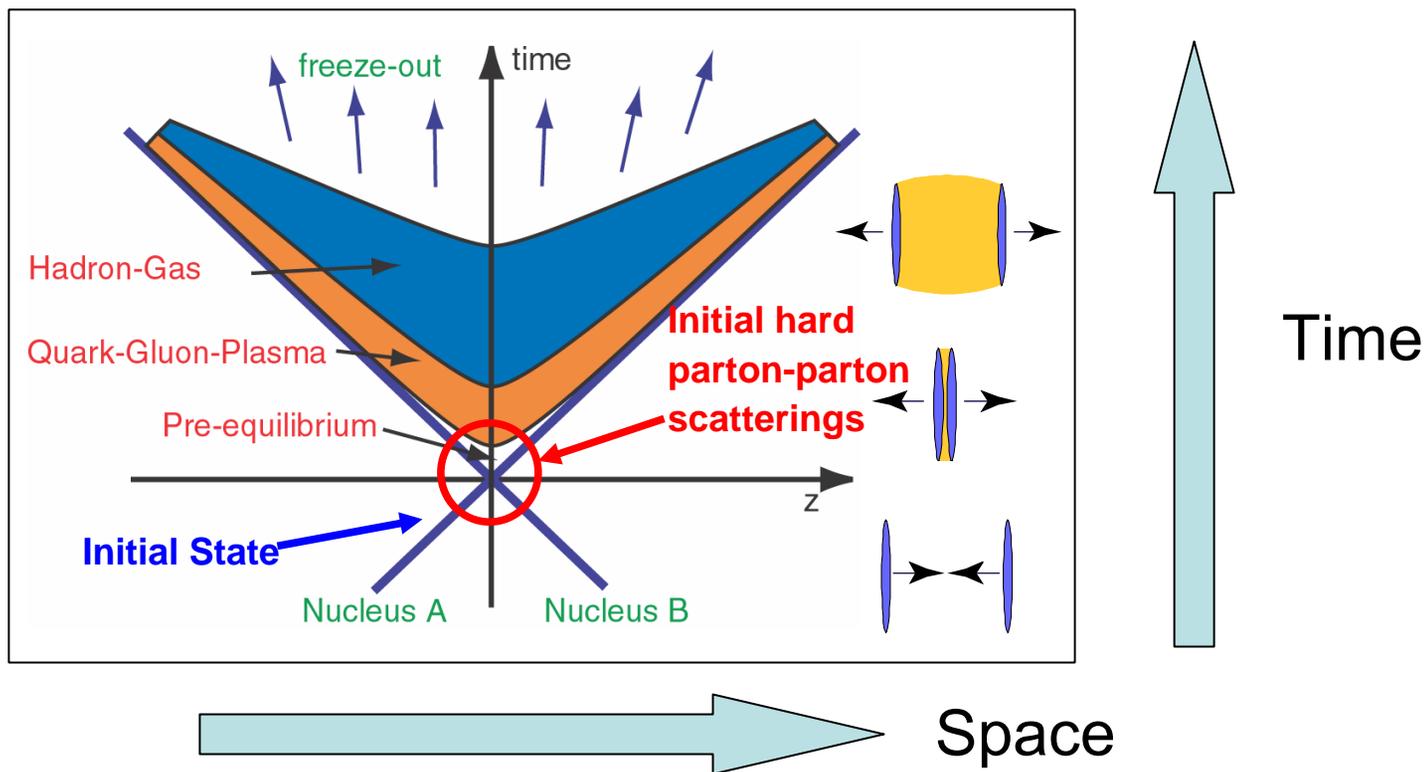
COLUMBIA UNIVERSITY
IN THE CITY OF NEW YORK



$$\sigma_{1+2}^3 = \sum_{i,j,k} \int dx_i dx_j dx_k \times \underbrace{f_1^k(x_k, \mu)}_{\text{PDFs}} \cdot \underbrace{f_2^j(x_j, \mu)}_{\text{PDFs}} \times \sigma_{i,j}^k(p_i, p_j, p_k, \alpha_s(\mu_R), Q^2/\mu_F, Q^2/\mu_F) \times \underbrace{D_k^3(z_k, \mu_F)}_{\text{Fragmentation Function}}$$

● Domain of hard scattering processes

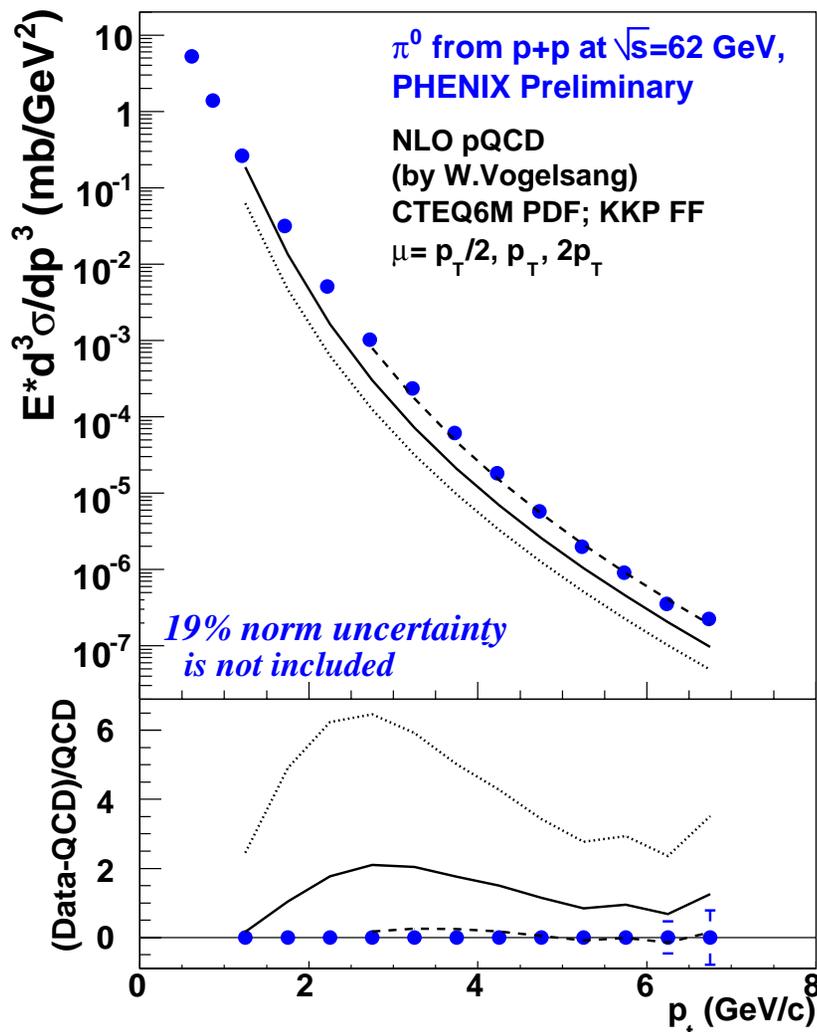
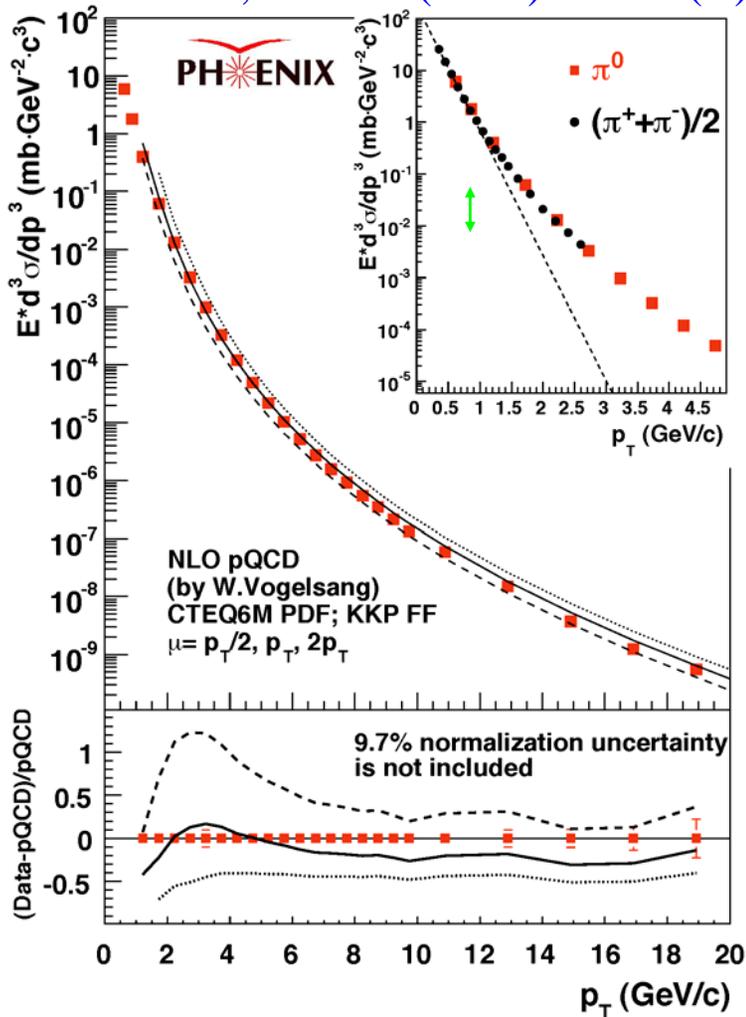
- Partonic collisions characterized by large Q^2 ($\sim p_T^2$)
- Cross-sections are factorizable



- $p+p$
 - Fragmentation into QCD-vacuum
- $A+A$
 - Occurs early in reaction phase
 - Probe for evolution of later hot and dense phase

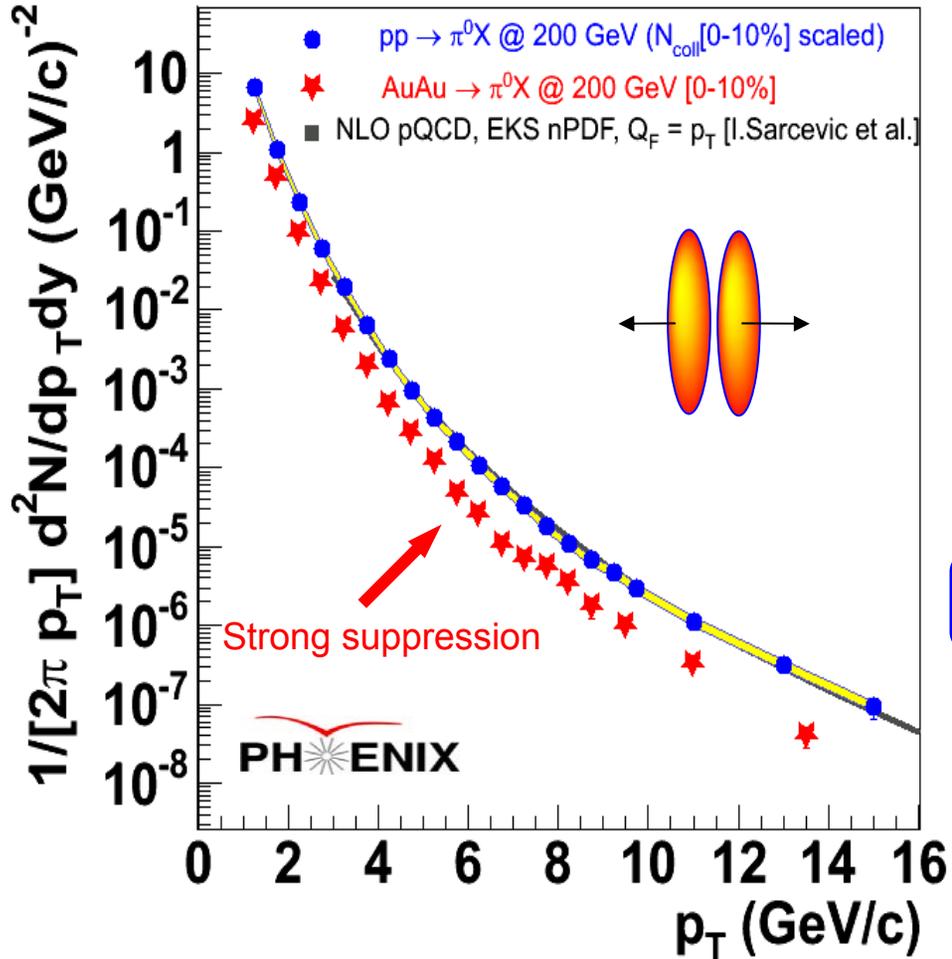
Do we observe hard-scattering?

PHENIX, PRD76(2007)051006(R)



NLO-pQCD precision agreement!

Au+Au $\rightarrow \pi^0 + X$ (central)



$p+p$ data scaled by assuming independent $N+N$ collisions, N_{coll} , agrees well with peripheral Au+Au

Central data exhibit suppression!

- Suppression currently attributed to:
 - Energy loss due to coherent medium-dependent gluon bremsstrahlung
 - Collisional energy loss
- Existing models:
 - Describe geometry and evolution of medium differently
 - Properties of the medium represented by a (single) parameter

- Examples:

Parton Quenching Model (PQM)

$\langle \hat{q} \rangle$ – Average 4-momentum transferred per mean free path

Wicks-Horowitz-Djordjevic-Gyulassy (WHDG)

dN^g/dy – Initial gluon density

Gyulassy-Levai-Vitev (GLV)

dN^g/dy – Initial gluon density

Zhang-Owens-Wang-Wang (ZOWW)

ε_0 – Initial energy density

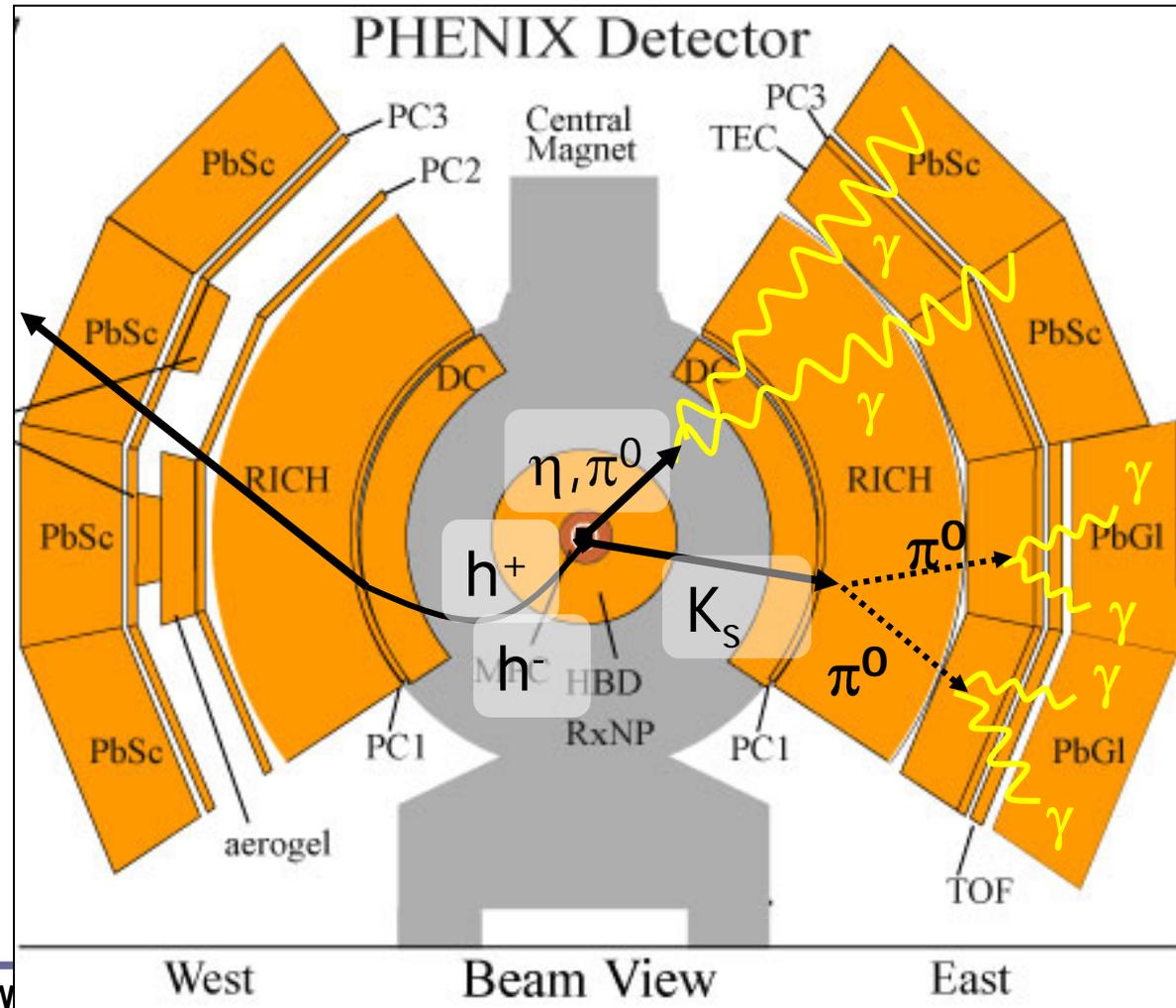
EMCAL --- measure energy deposit of electrons and gammas

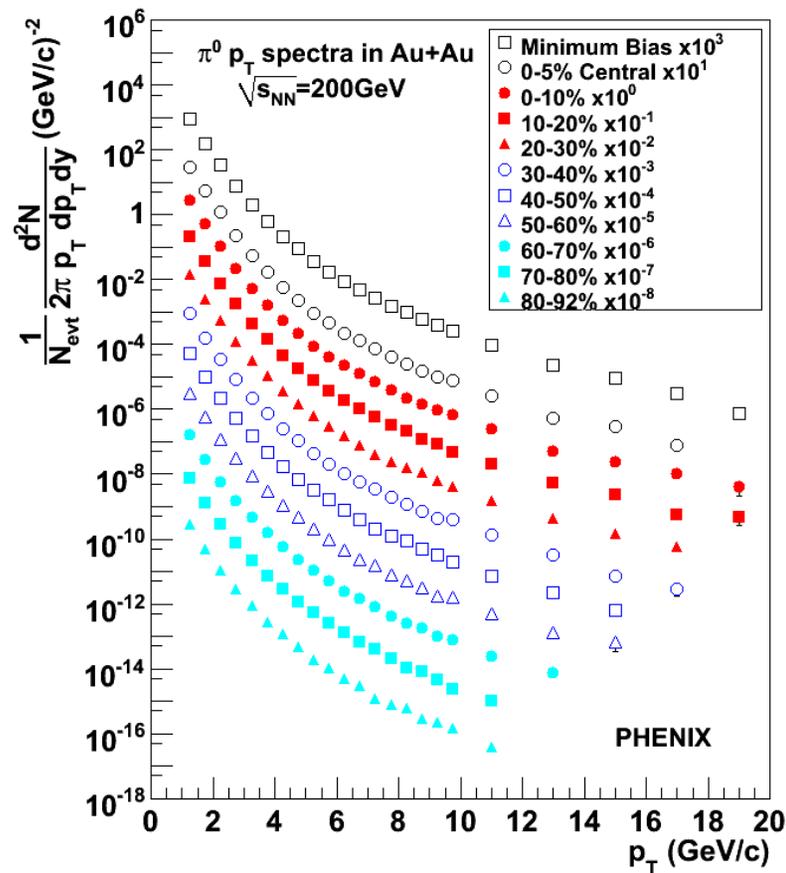
DC --- obtain momentum of charged particles

PC --- measure hit position of charged particles

Tracking and Matching (DC, PC)
→ charged hadrons

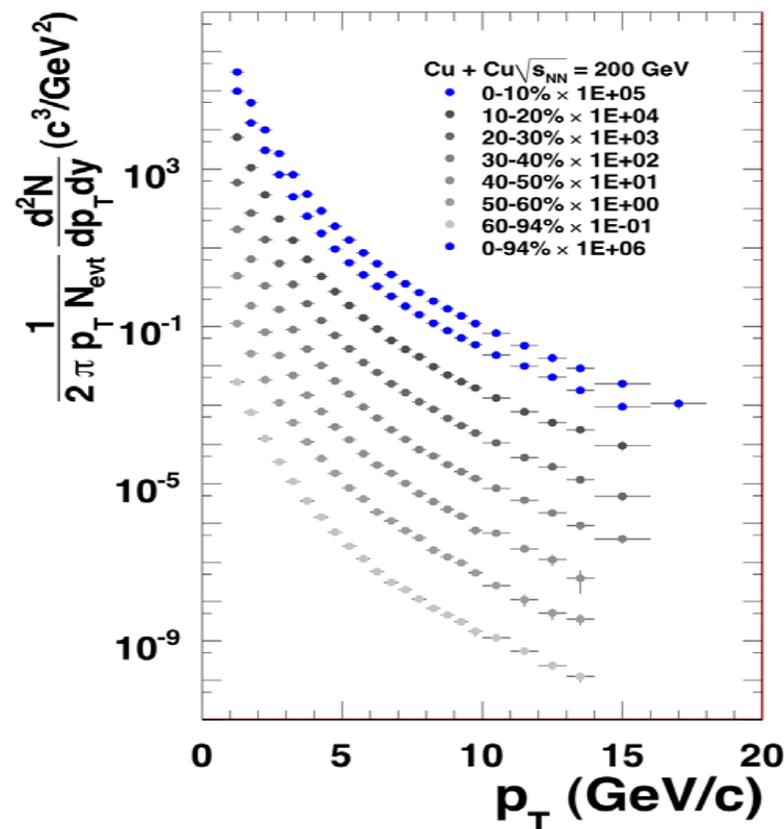
EMCAL (PbSc + PbGl)
→ η , π^0 , K_s





RHIC Run4 Au+Au data

- Sampled $241 \mu\text{b}^{-1}$
- $197^2 \times 241 \mu\text{b}^{-1} \sim 1 \text{ pb}^{-1}$ p+p equivalent
- 1.5 B events recorded

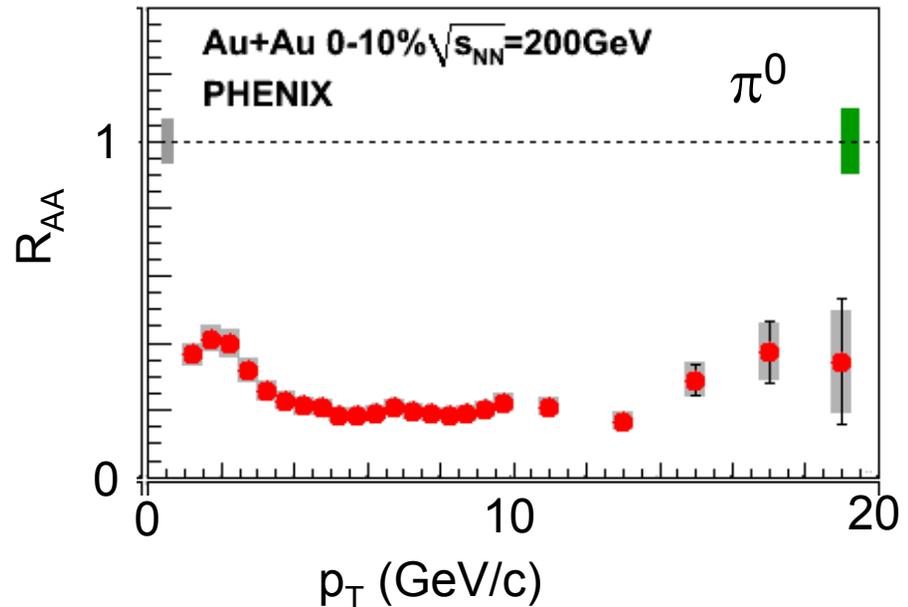
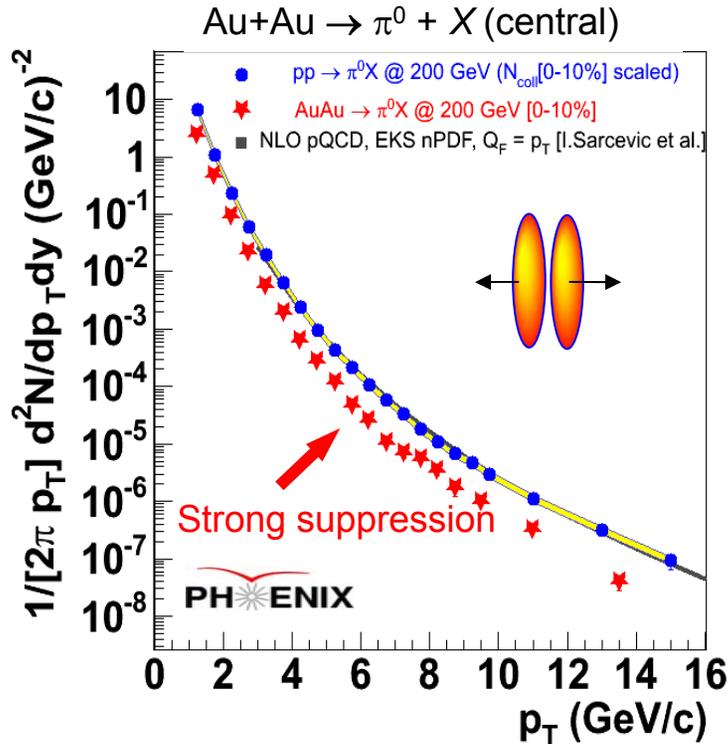


RHIC Run5 Cu+Cu data

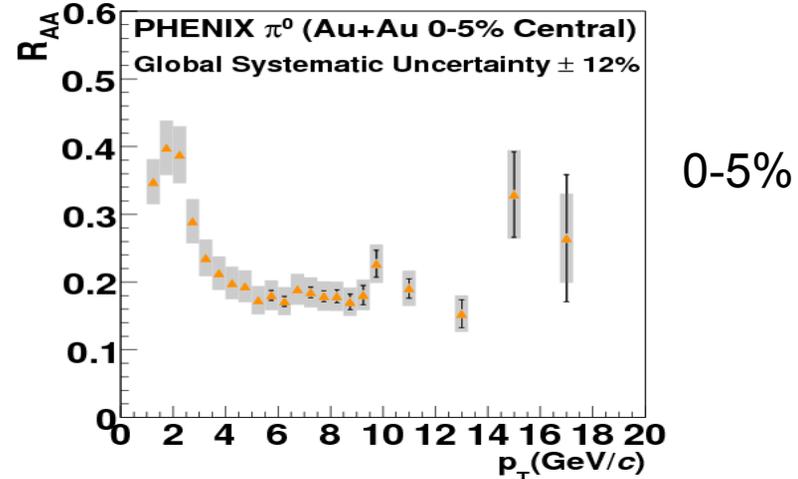
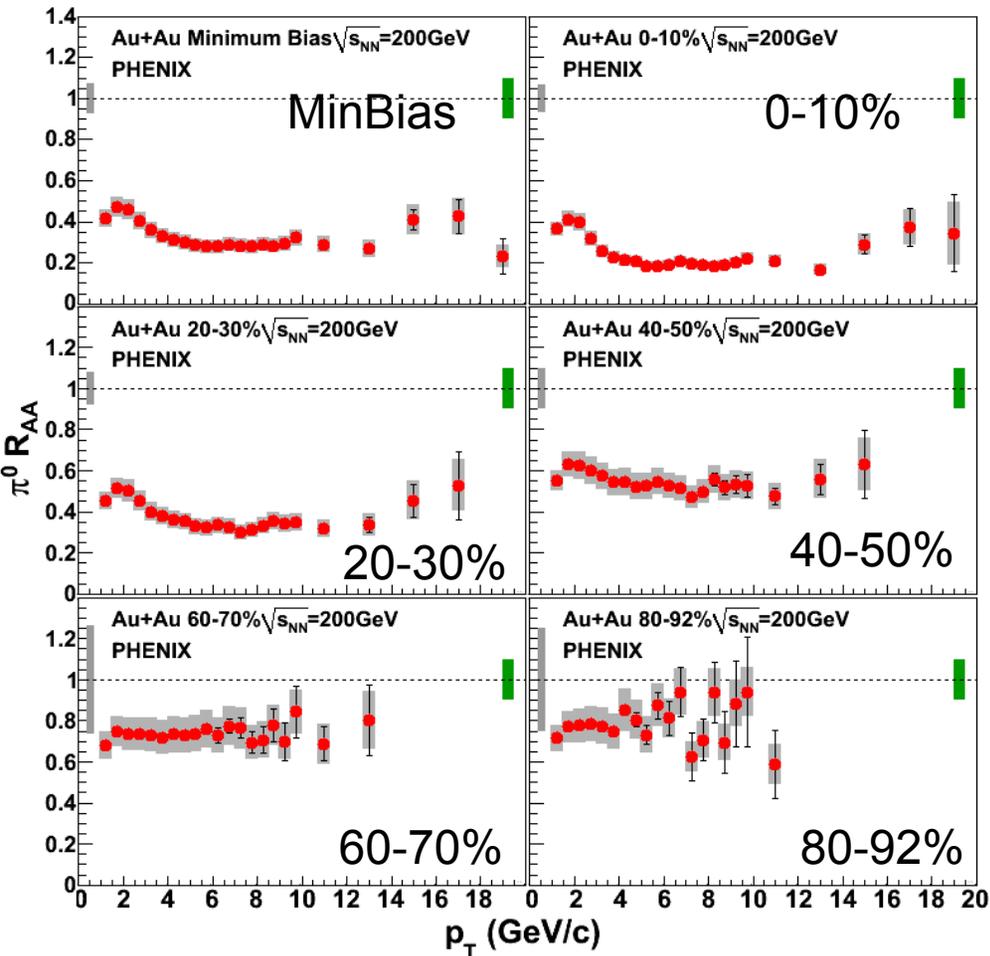
- Sampled 3 nb^{-1}
- $63^2 \times 3 \text{ nb}^{-1} \sim 1 \text{ pb}^{-1}$ p+p equivalent
- 2.2 B events sampled
 - 59 M minimum bias events
 - 1.9 M high- p_T triggered

$$R_{AA}(p_T) = \frac{1/N_{evts} d^2N/dydp_T}{\langle T_{AB} \rangle d^2\sigma_{pp}/dydp_T}$$

$$R_{AA}(p_T) = \frac{\text{Measured yield in A + A}}{\text{Expectation for indep. N + N scatterings}}$$



● $R_{AA} \sim 0.2$ for $p_T > 5.0$ GeV/c



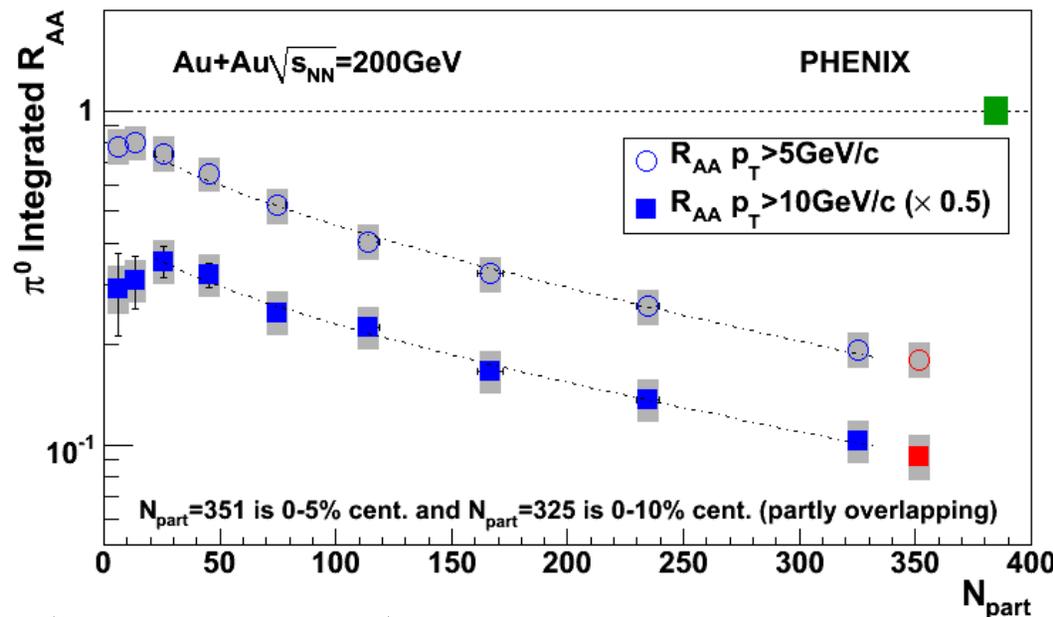
- Little if any p_T dependence
 - Consistent with most energy loss models, except where semi-opaque medium assumed
- Suppression pattern similar across centralities
 - Sensitive only to N_{part} (not geometry)?

arXiv:0801.4020

p+p and Au+Au both power law $p_T > 5$
 Reinterpret suppression as a
 effective fractional energy loss S_{loss} :

$$S_{loss} = 1 - R_{AA}^{1/(n-2)}$$

$$\propto N_{part}^a$$



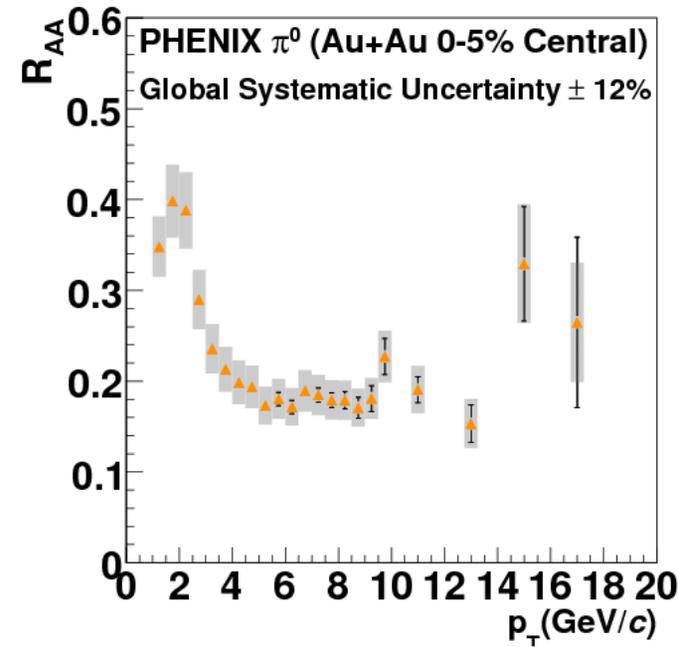
Fit N_{part} dependence:

$$R_{AA} = \left(1 - S_0 N_{part}^a\right)^{n-2}$$

- $p_T > 5$: $a = 0.58 \pm 0.07$, $S_0 = (8.3 \pm 3.3) \times 10^{-3}$
- $p_T > 10$: $a = 0.56 \pm 0.10$, $S_0 = (9.2 \pm 4.9) \times 10^{-3}$
- GLV & PQM predict $a \approx 2/3$
- R_{AA} vs. centrality does not saturate

Energy loss
 increases with p_T

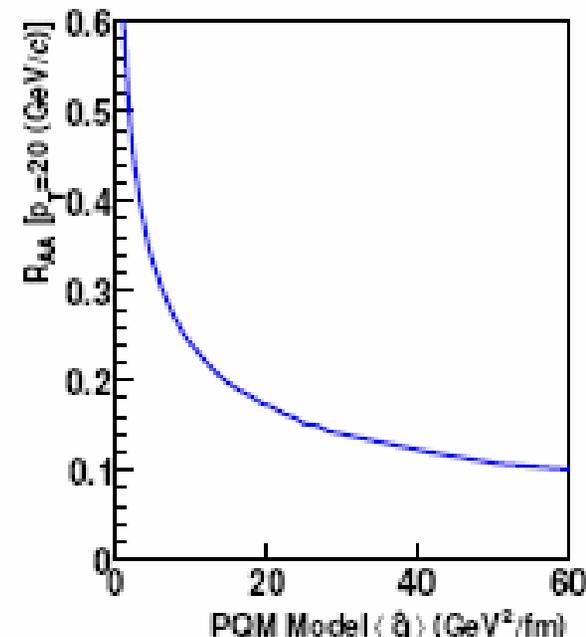
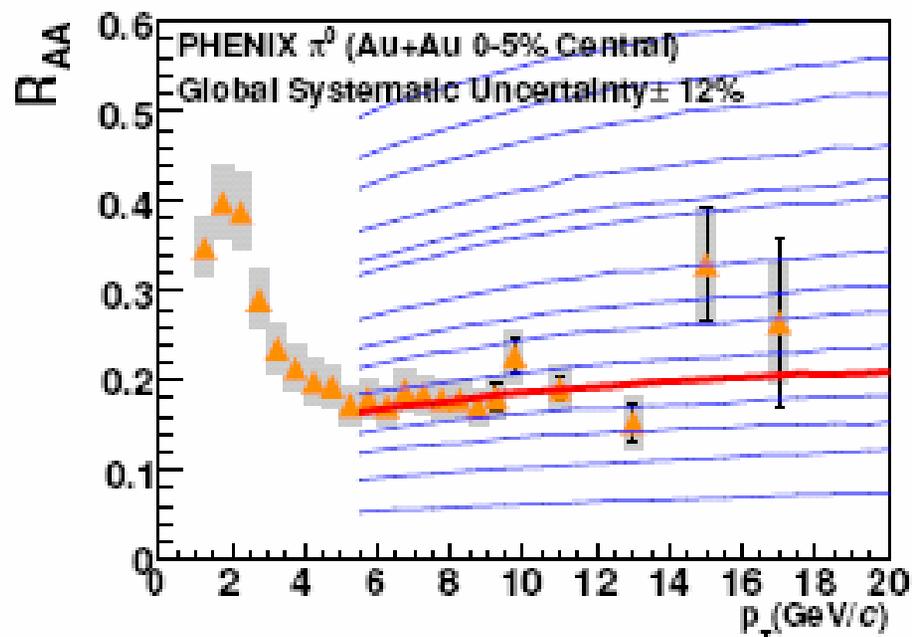
- Fit the data by varying the model parameters, and determine the most likely range of values (at 1σ and 2σ levels)
- Careful categorization of uncertainties
 - “Type A”: point-to-point uncorrelated [err bars]
 - “Type B”: point-to-point correlated [boxes]
 - “Type C”: globally correlated (normalization factors)



$$\tilde{\chi}^2(\epsilon_b, \epsilon_c, p) = \left[\sum_{i=1}^n \frac{(y_i + \epsilon_b \sigma_{b_i} + \epsilon_c y_i \sigma_c - \mu_i(p))^2}{\tilde{\sigma}_i^2} + \epsilon_b^2 + \epsilon_c^2 \right]$$

$$\tilde{\sigma}_i = \sigma_i (y_i + \epsilon_b \sigma_{b_i} + \epsilon_c y_i \sigma_c) / y_i$$

NB: Includes only experimental uncertainties!



- Monte Carlo using quenching weights from BDMPS
 - Realistic geometry and static medium
 - No initial-state mult. scattering or modified PDFs
- \hat{q} = color charge density \times parton-medium cross-section
- $\langle \hat{q} \rangle$: measure of average squared p_T transferred from parton to medium

(Fairly) Clear min in the modified χ^2 :

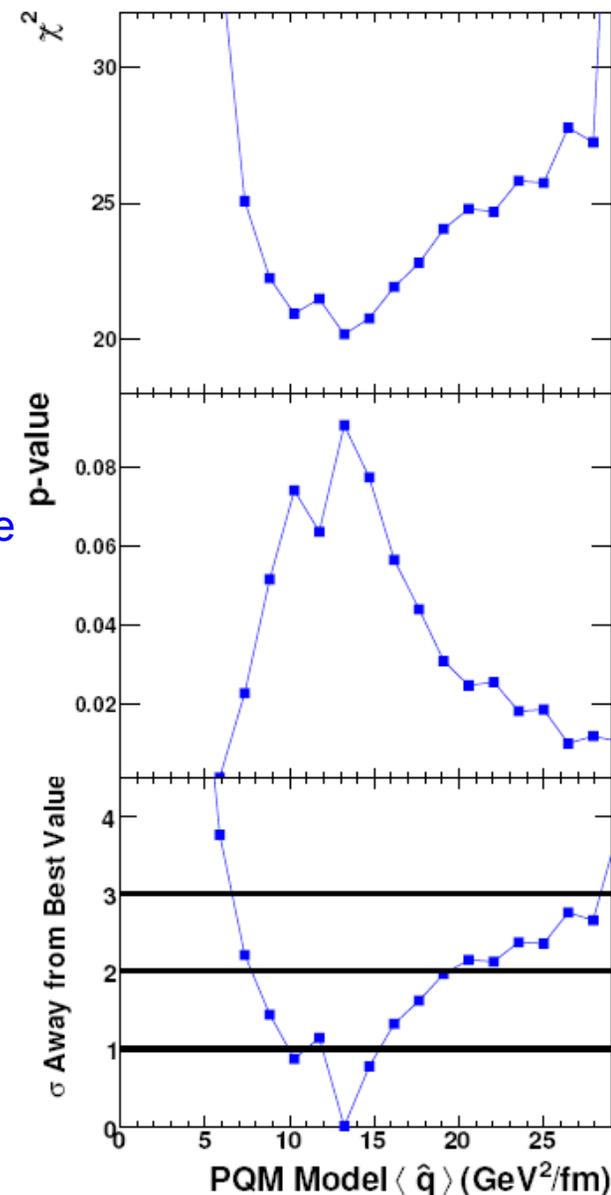
$$\tilde{\chi}^2(\epsilon_b, \epsilon_c, p) = \left[\sum_{i=1}^n \frac{(y_i + \epsilon_b \sigma_{b_i} + \epsilon_c y_i \sigma_c - \mu_i(p))^2}{\tilde{\sigma}_i^2} + \epsilon_b^2 + \epsilon_c^2 \right]$$

$$\text{p-value} = \int_{\tilde{\chi}^2}^{\infty} \chi_{(n_d)}^2(z) dz$$

Given infinite identical experiments, fraction of experiments having a worse χ^2 than real experiment

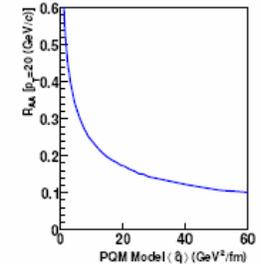
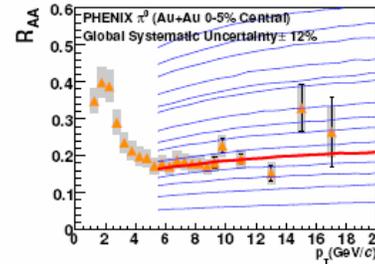
$$\langle \hat{q} \rangle = 13.2 \quad \begin{matrix} +2.1 \\ -3.2 \end{matrix} \quad \begin{matrix} +6.3 \\ -5.2 \end{matrix} \quad \text{GeV}^2/\text{fm}$$

(1 and 2 standard deviations)

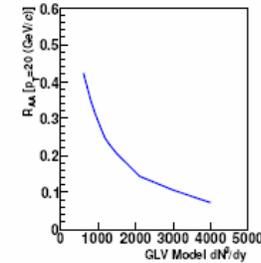
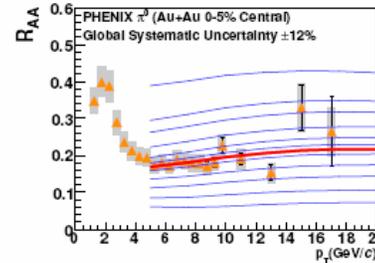


Summary of Constraints

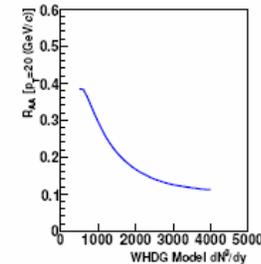
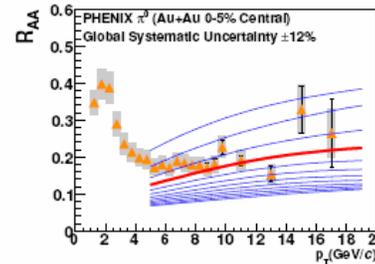
PQM $\langle \hat{q} \rangle = 13.2^{+2.1}_{-3.2} \text{ GeV}^2/\text{fm}$



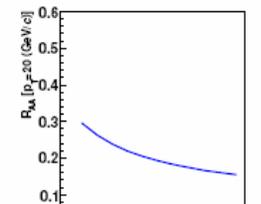
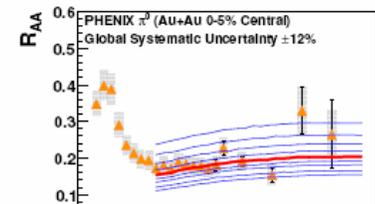
GLV $dN^g/dy = 1400^{+270}_{-150}$



WHDG $dN^g/dy = 1400^{+200}_{-375}$



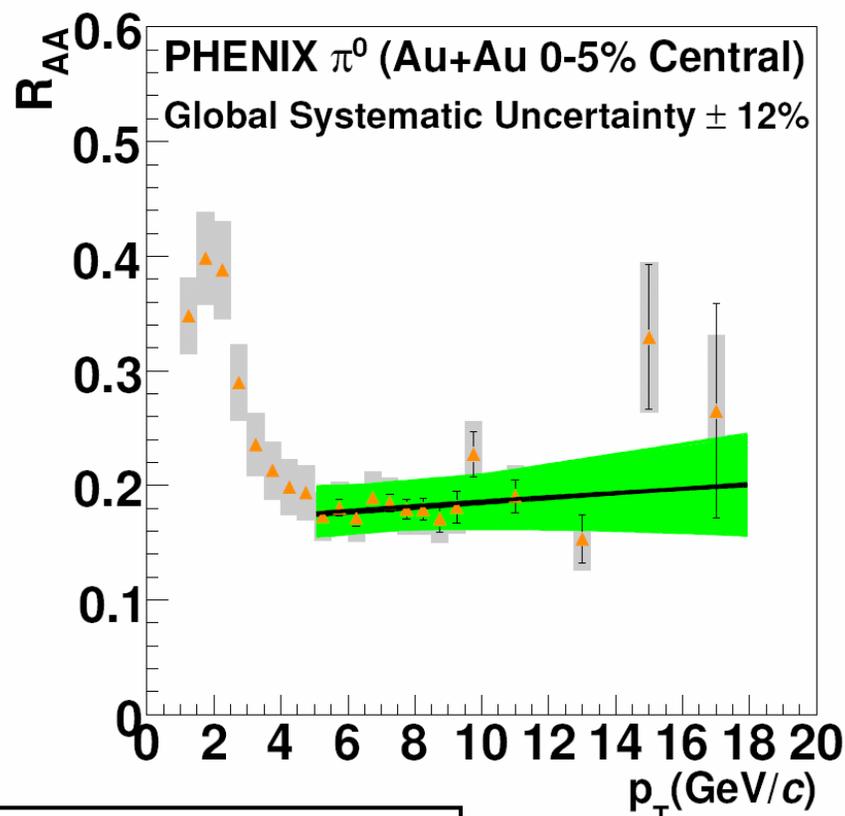
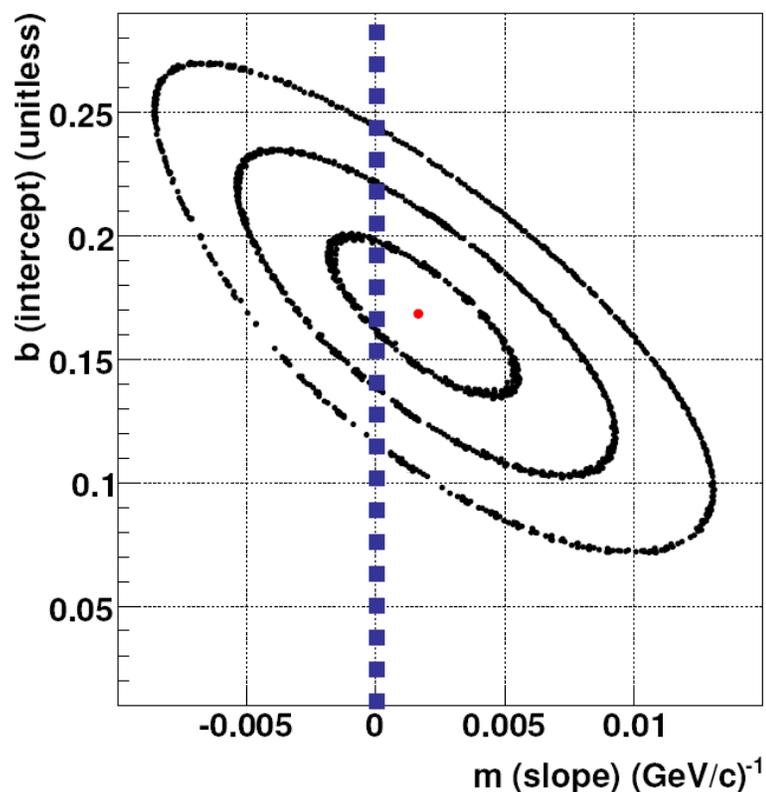
ZOWW $\varepsilon_0 = 1.9^{+0.2}_{-0.5} \text{ GeV}/\text{fm}$



Assumes perfect model with a single

All parameters are constrained to 10-20% at 1 std dev!

What about a simpler approach?



$$\text{Slope } m = 0.0017 \begin{matrix} +0.0035 & +0.0070 \\ -0.0039 & -0.0076 \end{matrix}$$

- Basically consistent with flat R_{AA} within one std dev contour
- Indicates energy loss proportional to p_T

- PHENIX has measured high- p_T hadrons in Au+Au 200 GeV collisions with unprecedented statistics and precision
 - π^0 s over $1 < p_T < 20$ GeV/c
 - Most central $R_{AA} \sim 0.2$ (above $p_T = 5$ GeV/c) and constant to highest p_T
- R_{AA} suggests energy loss is proportional to p_T
 - Essentially constant in p_T (for $p_T > 5$ GeV/c)
 - Integrated R_{AA} does not saturate with N_{part}
 - Data is consistent with predicted $S_{loss} \propto N_{part}^a$
 - High- p_T spectra follows same power law from p+p to Au+Au ($n \approx 8.1$)
- Unprecedented ability to constrain models
 - Quantitative analysis using complete set of experimental uncertainties
 - Eg. $\langle q\text{-hat} \rangle = 13.2 +2.1 -3.2$ (PQM)
 - Eg. $dN^g/dy = 1400 +270 -150$ (GLV)

} 10 – 20 % level!