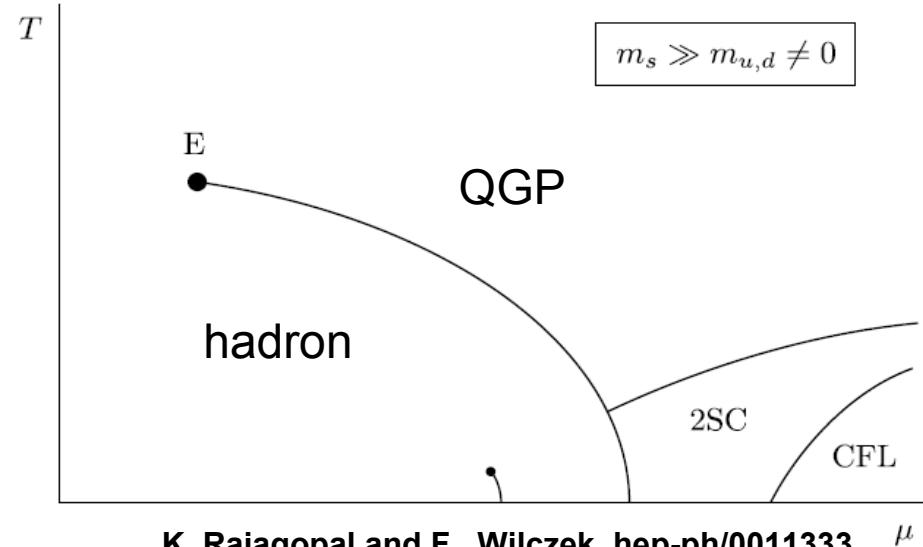
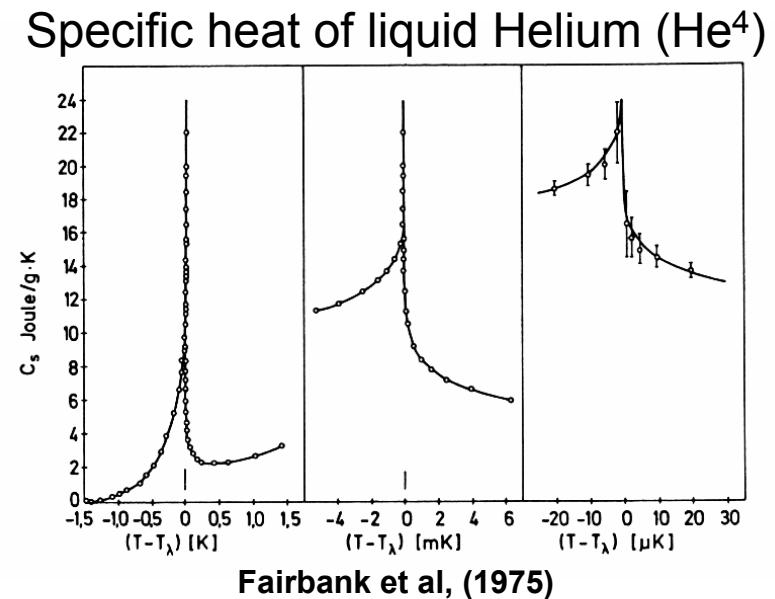

Measurement of charged particle multiplicity fluctuation and correlation length at RHIC-PHENIX

Tomoaki Nakamura
for the PHENIX collaboration
Hiroshima University

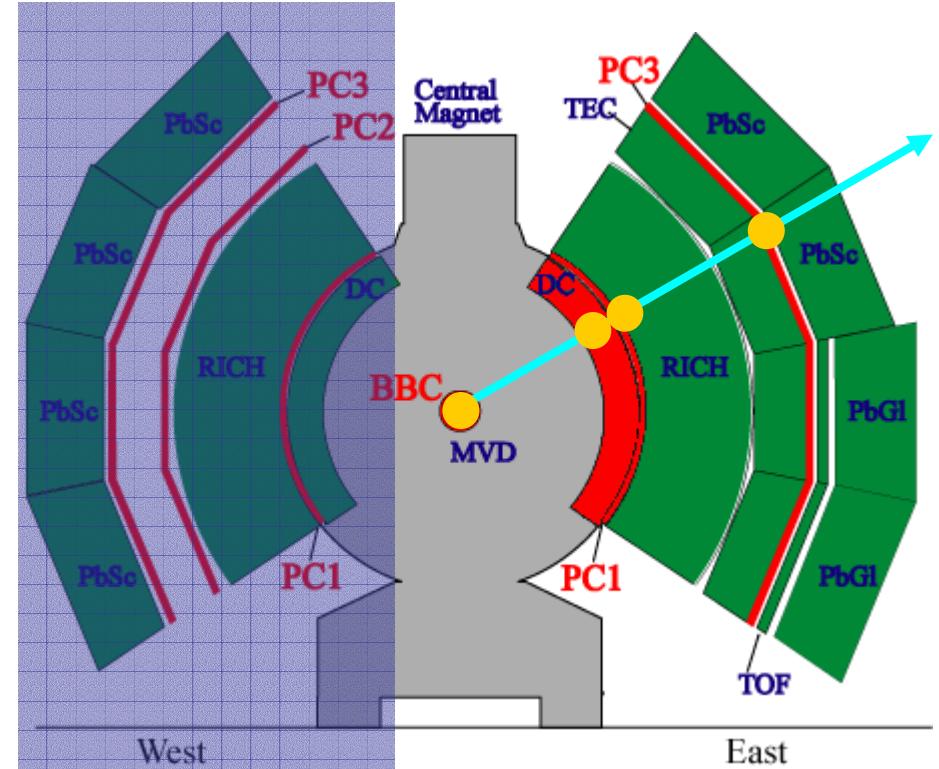
Correlation length at phase transition

- According to the universality hypothesis, measured correlation length also diverge at the temperature of QCD phase transition.
- The correlation length can be extracted from the parameter of negative binomial distribution (NBD) as a function of pseudo rapidity gap, which is obtained from measured charged particle multiplicity distribution.



Charged particle multiplicity at PHENIX

- **Collision system**
 - Au+Au $\sqrt{s_{NN}} = 200\text{GeV}$
- **Event centrality**
 - Centrality was determined by forward detectors (BBC and ZDC) and converted to number of participants based on Glauber model calculation.
- **Charged particle ID**
 - Straight line tracks based on drift chamber were used. Association with two wire chamber (PC1, PC3) and collision vertex measured by BBC were required.



Geometrical acceptance
 $\Delta \eta < 0.35$

$\Delta \phi < 1 / 2 \pi$

Multiplicity distribution and NBD fit

Bose-Einstein
distribution

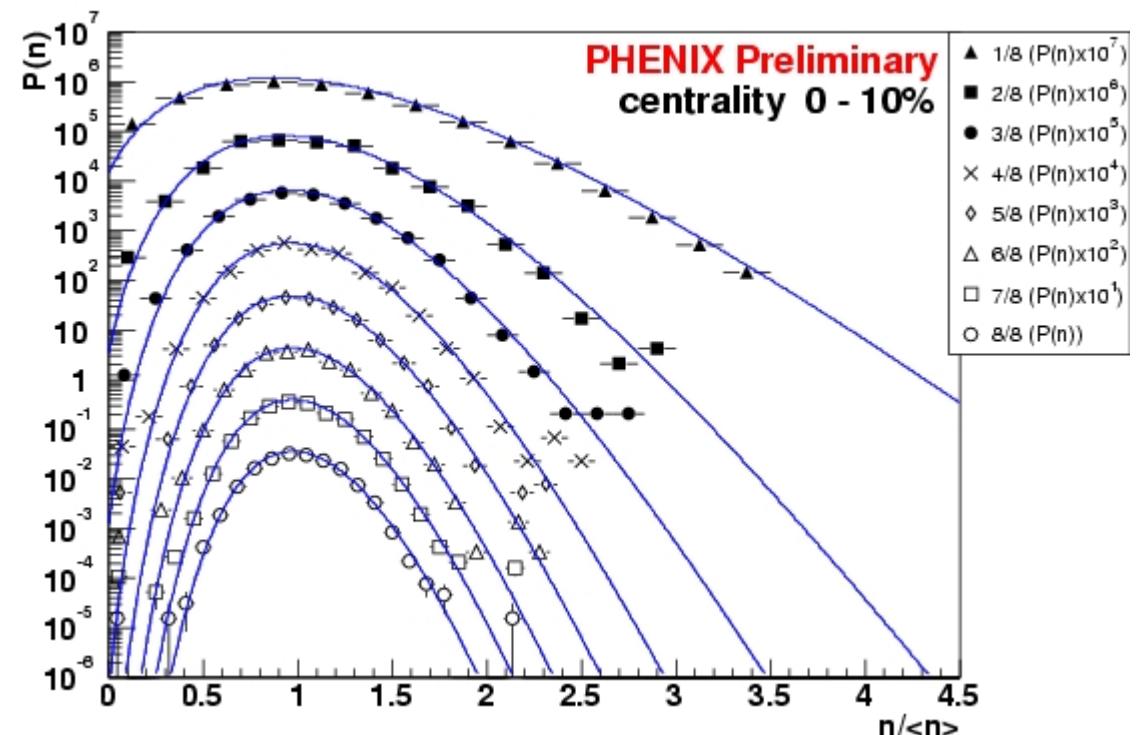
$$P_n = n^{-n} / (1 + \mu)^{n+1}$$

NBD

$$P_n^{(k)} = \frac{\Gamma(n+k)}{\Gamma(n-1)\Gamma(k)} \left(\frac{\mu/k}{1+\mu/k} \right)^n \frac{1}{(1+\mu/k)^k}$$

μ : average multiplicity

- $\delta \eta = 0.09$ (1/8) : $P(n) \times 10^7$
- $\delta \eta = 0.18$ (2/8) : $P(n) \times 10^6$
- $\delta \eta = 0.35$ (3/8) : $P(n) \times 10^5$
- $\delta \eta = 0.26$ (4/8) : $P(n) \times 10^4$
- $\delta \eta = 0.44$ (5/8) : $P(n) \times 10^3$
- $\delta \eta = 0.53$ (6/8) : $P(n) \times 10^2$
- $\delta \eta = 0.61$ (7/8) : $P(n) \times 10^1$
- $\delta \eta = 0.70$ (8/8) : $P(n)$



Two particle correlation length (ξ) and NBD parameter (k)

$$R(y_1, y_2) = \frac{C_2(y_1, y_2)}{\rho_1(y_1)\rho_2(y_2)} = \frac{\rho_2(y_1, y_2)}{\rho_1(y_1)\rho_2(y_2)} - 1 = R(0,0)e^{-|y_1-y_2|/\xi}$$

$\rho_1(y)$: inclusive single particle density

$\rho_2(y_1, y_2)$: inclusive two-particle density

$C_2(y_1, y_2)$: two-particle correlation function

$$K_2 = F_2 - 1 = \frac{\int^{\delta\eta} dy_1 dy_2 C_2(y_1, y_2)}{\langle n(\delta\eta) \rangle^2} = R(0,0) \frac{[1 - (\xi / \delta\eta)(1 - e^{-\delta\eta / \xi})]}{\delta\eta / 2\xi}$$

$$F_2 = \frac{\langle n \rangle^2 - \langle n \rangle}{\langle n \rangle^2} \quad \text{second order normalized factorial moment}$$

$$k(\delta\eta) = \frac{1}{F_2 - 1} = \frac{1}{R(0,0)} \frac{\delta\eta / 2\xi}{[1 - (\xi / \delta\eta)(1 - e^{-\delta\eta / \xi})]}$$

ξ : correlation length

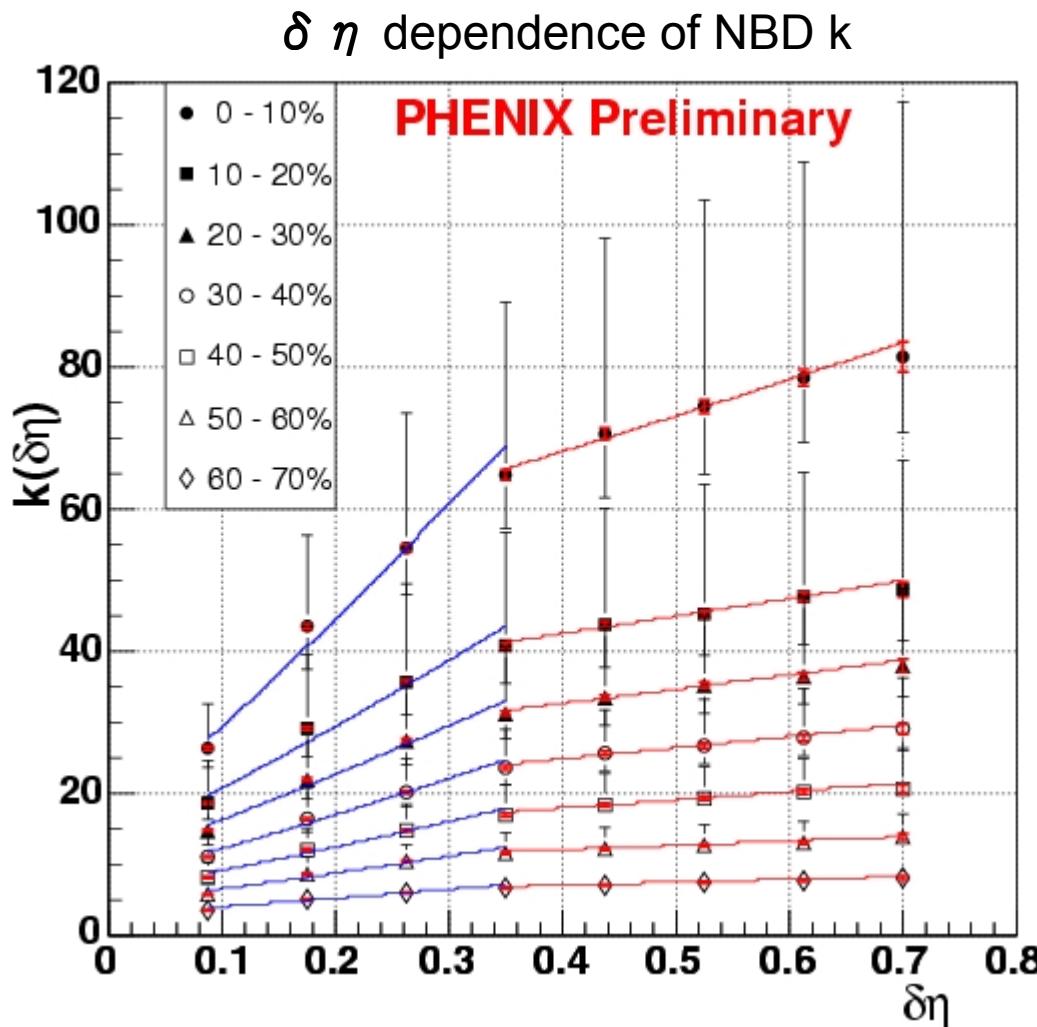
$R(0,0)$: correlation strength

k : NBD parameter

P. Carruthers and Isa Sarcevic, Phys. Rev. Lett. 63, 1562 (1989)
T. Abbott, et al, PRC 52, 2663 (1995) (E802 collaboration)

Correlation length from NBD k

$$k(\delta\eta) = \frac{1}{F_2 - 1} = \frac{1}{R(0,0)} \frac{\delta\eta / 2\xi}{[1 - (\xi / \delta\eta)(1 - e^{-\delta\eta / \xi})]}$$



ξ : correlation length
 $R(0,0)$: correlation strength
 k : NBD parameter

- Fitting range

Blue: $\delta\eta \leq 0.35$

Red: $\delta\eta \geq 0.35$

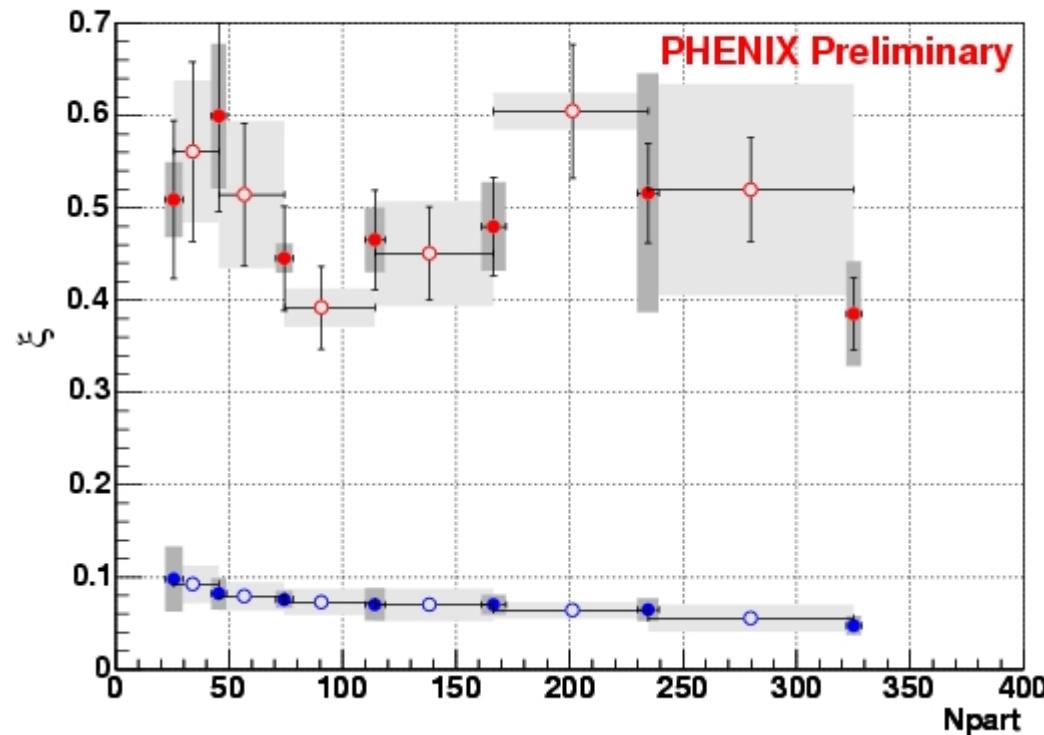
- Errors

red bar : statistical error of NBD fit

black bar: systematic error of charged track selections and effects of dead area of detectors

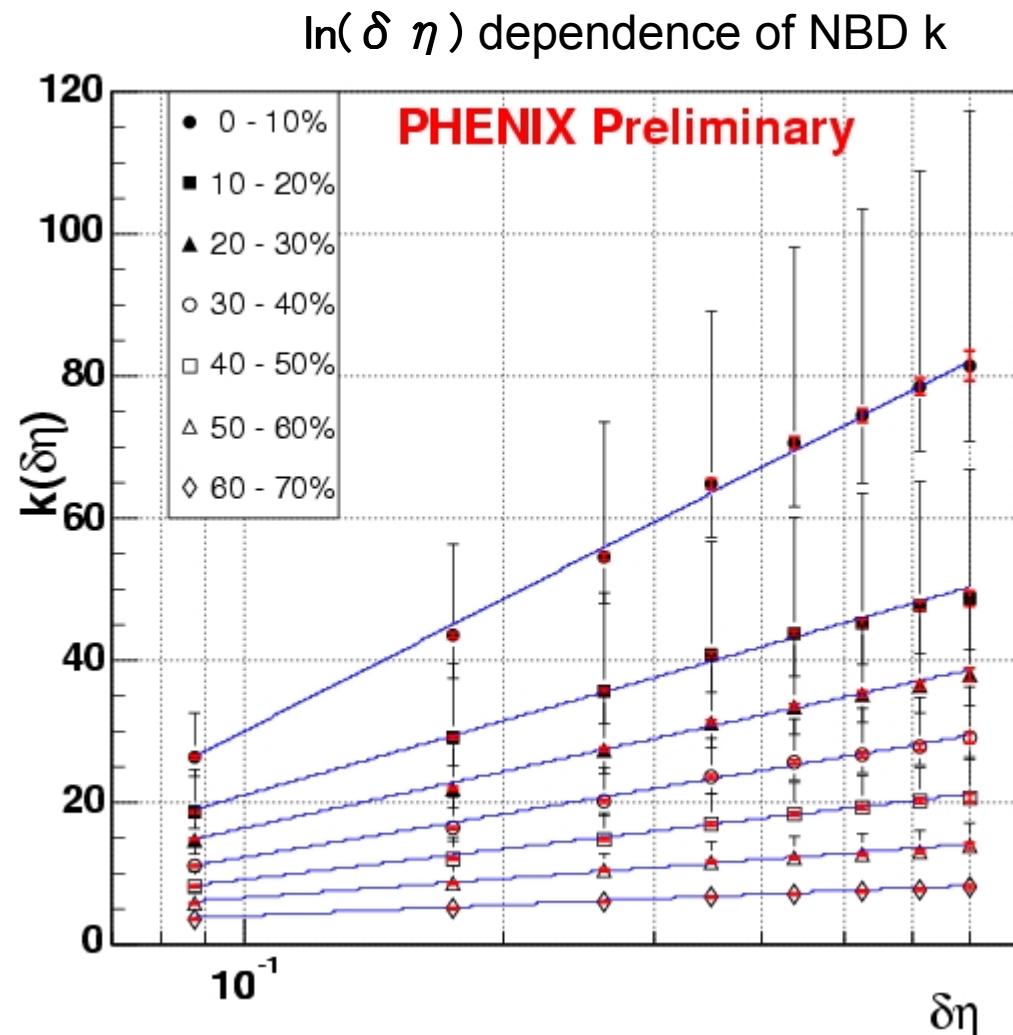
Number of participant dependence of ξ

correlation length ξ vs. number of participants



- Fitting Range
- Blue: $\delta \eta \leq 0.35$
- Red : $\delta \eta \geq 0.35$
- Centrality
- filled circle : 0-70 % (10% interval)
- open circle : 5-65 % (10% interval)
- Errors
- bar : statistical error
- shaded : systematic error of charged track selections and effects of dead area of detectors

Power law between NBD k and $\delta \eta$



- Fitting function
 $k(\delta \eta) = c_1 + c_2 \times \ln(\delta \eta)$
 c_1, c_2 : constant
- Fitting Range
 all : $0.09 \leq \delta \eta \leq 0.7$
- Errors
red bar : statistical error of NBD fit
black bar: systematic error of charged track selections and effects of dead area of detectors

Summary

- Applying the function, which connect the NBD k parameter with integrated two particle correlation length ξ , to the measured $\delta \eta$ dependence of NBD k parameter, two type of the correlation length are obtained in the short and long rage of pseudo rapidity gap.
- The different value of the correlation length ξ and its behaviors as a function of the number of participants are obtained.
- From another perspective, logarithmic $\delta \eta$ dependence of NBD k parameter are observed.

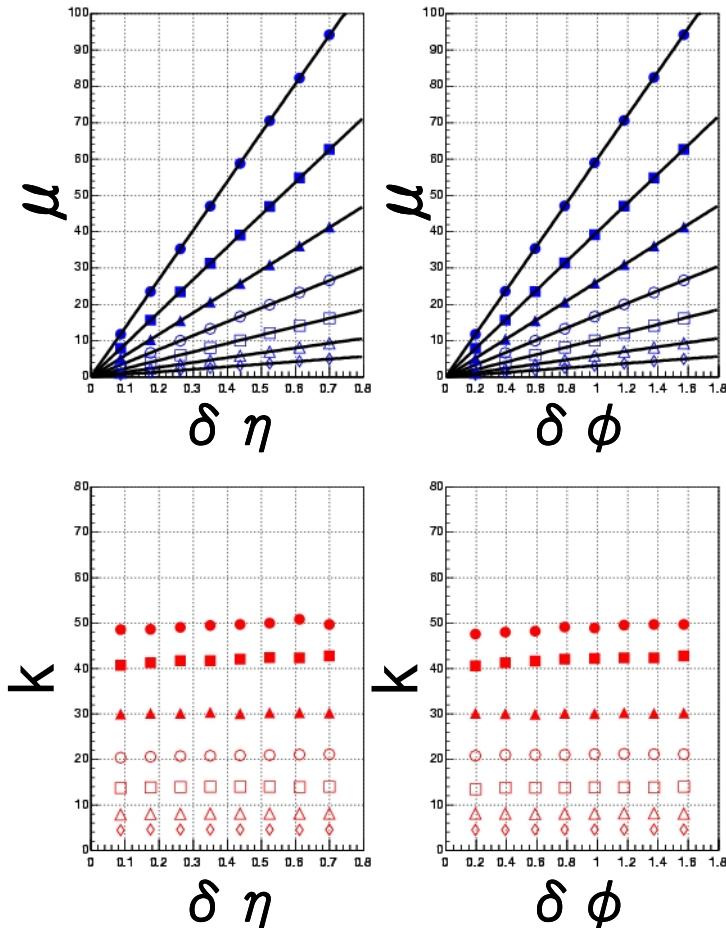


Backup Slide

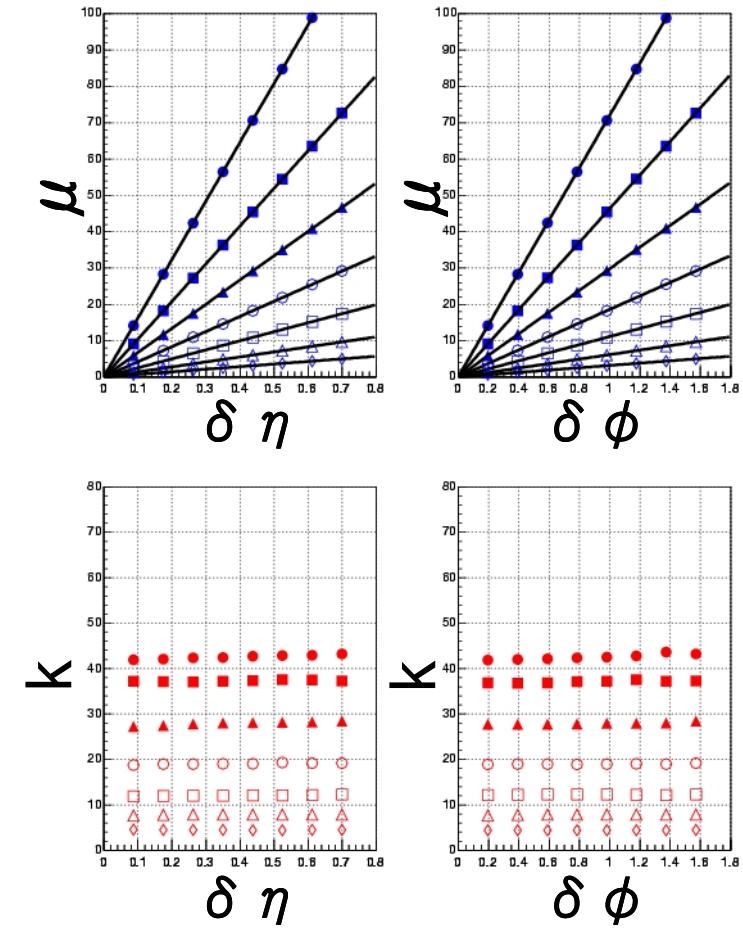
HIJING 1.37 w/o jet suppression

- Initially generated π , k , p was counted.
- $pT > 0.1 \text{ GeV}$ cuts were applied for each particle.
- No detector response and no dead map were applied.

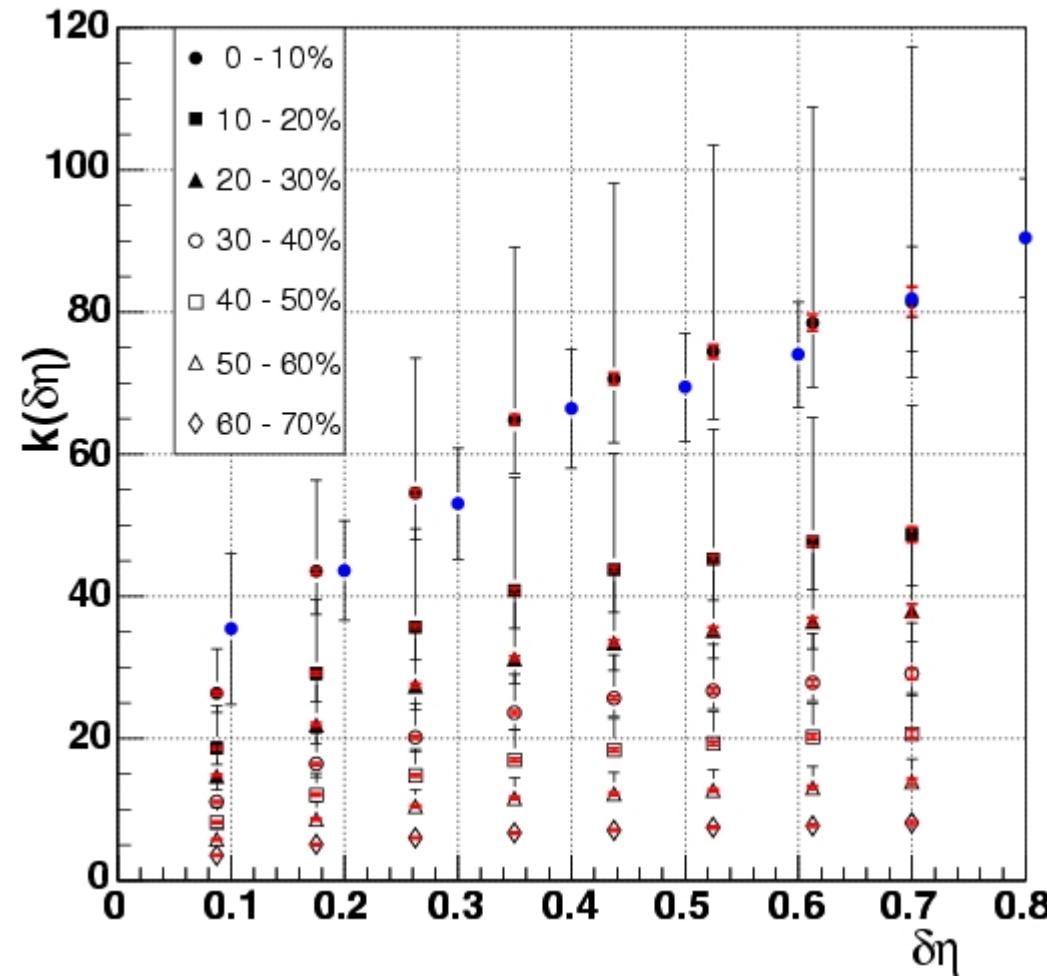
without jet suppression



with jet suppression $dE/dx = 1 \text{ GeV/fm}$



Comparison with E802



Blue : E802
O+Cu 14.6A GeV/c
most central

$\delta \eta$ dependence average multiplicity μ

