

# Forward Physics Power Corrections and Correlations

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**Santa Fe Muon Workshop  
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- ▶ **Understanding shadowing:**
  - Resumming coherent QCD power corrections
  - Modifications to  $F_L$  and  $F_T$  ( $F_1$ ,  $F_2$  and  $F_3$ )
  - Relations to lowest order and leading twist
  
- ▶ **p+A reactions at RHIC:**
  - Understanding initial and final state multiple scattering
  - Dynamical gluon "shadowing" - yields and correlations
  - E-loss in cold nuclear matter
  
- ▶ **Open charm production and correlations:**
  - Partonic subprocesses and cross sections
  - Dynamical gluon "shadowing" - particle yields and correlations
  
- ▶ **Partial Summaries:**

# Theoretical Approach



**Collinear factorization approach:** can be systematically expanded to include nuclear corrections

**Other phenomenologies:** data = model, not proven, anyone heard of NLO correction to a dipole or  $k_T$  model ...

Non-perturbative matrix elements:  
Twist 2, 4, 6, ...

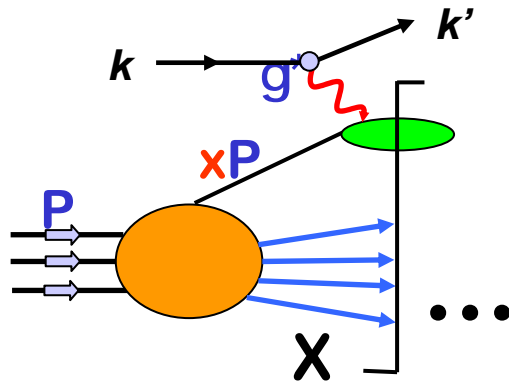
$$\sigma_{\text{hadron}} = \underbrace{\sigma_0^{(2)}}_{\text{Energy loss - enhanced by the nuclear size}} \left( 1 + \underbrace{C_1^{(2)} \alpha_s}_{\text{NLO correction at LT}} + C_2^{(2)} \alpha_s^2 + C_3^{(2)} \alpha_s^3 + \dots \right) T^{(2)} + \frac{\sigma_0^{(4)}}{Q^2} \left( 1 + C_1^{(4)} \alpha_s + C_2^{(4)} \alpha_s^2 + C_3^{(4)} \alpha_s^3 + \dots \right) T^{(4)} + \frac{\sigma_0^{(6)}}{Q^4} \left( 1 + C_1^{(6)} \alpha_s + C_2^{(6)} \alpha_s^2 + C_3^{(6)} \alpha_s^3 + \dots \right) T^{(6)} + \dots$$

Twist: from Operator Product Expansion (OPE)

T = Dimension - Spin

**Higher twist (elastic) corrections: dynamical shadowing**

# Inclusive Deeply Inelastic Lepton-Hadron Scattering



**Variables:**  $q = k - k'$ ,  $\nu = E - E'$ ,  
 $y = (E - E') / E$ ,  $Q^2 = -q^2$ ,  $x = Q^2 / (2p \cdot q)$

$$\frac{d\sigma_{lh}}{dx dy} = \frac{4\pi\alpha_{em}}{Q^2} \frac{1}{xy} \left[ \frac{y^2}{2} 2xF_1(x, Q^2) + \left( 1 - y - \frac{m_N xy}{2E} \right) F_2(x, Q^2) \right]$$

$F_1(x, Q^2)$ ,  $F_2(x, Q^2)$  - the DIS structure functions

Convenient to **calculate** in a basis of polarization states of  $g^*$

**QCD kicks in with the parton model / factorization**

$$F_T(x, Q^2) = \frac{1}{2} \sum_f Q_f^2 \int d\lambda_0 e^{ix\lambda_0} \left\langle p \left| \bar{\Psi}(0) \frac{\gamma^+}{2p^+} \Psi(\lambda_0) \right| p \right\rangle$$

$$= \frac{1}{2} \sum_f Q_f^2 \phi_f(x, Q^2) + \mathcal{O}(\alpha_s)$$

$$F_L(x, Q^2) = 0 + \mathcal{O}(\alpha_s)$$

**Lowest Order and Leading Twist relation**

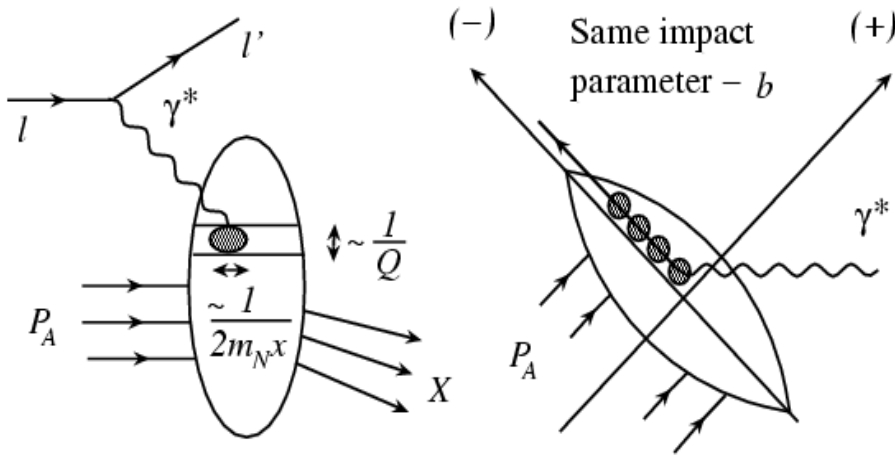
$$F_T(x, Q^2) = F_1(x, Q^2),$$

$$F_L(x, Q^2) = \frac{F_2(x, Q^2)}{2x} - F_1(x, Q^2),$$

$$\text{if } \frac{4x^2 m_N^2}{Q^2} \ll 1$$

Used to determine the parton distribution functions (**PDFs**)

**Both simple and dangerous**



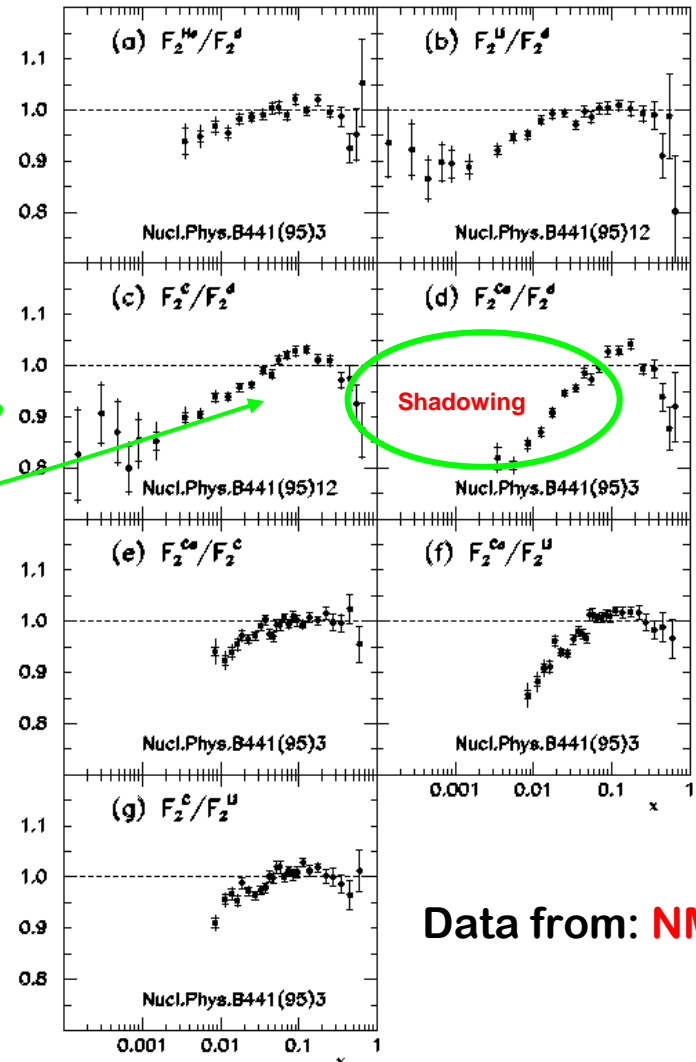
Deviation from A-scaling:  $\sigma_A \neq A \times \sigma$

Longitudinal size:  $\sim 1/2m_N x$

If  $x < 0.1$  then  $\Delta z > r_0$

Transverse size:  $\sim 1/Q$

If  $Q < m_N$  then exceed the parton size



What remains for theory:  
power corrections in DIS - suppression

Data from: **NMC**

# The Idea Behind the Calculation



- **Lightcone gauge:**  $A \cdot n = A^+ = 0$
  - **Breit frame:**  $\bar{n} = [1, 0, 0_\perp], n = [0, 1, 0_\perp]$
- $$q = -xp^+ \bar{n} + \frac{Q^2}{2xp^+} n, \quad p = \bar{n}p^+, \quad xp + q = \frac{Q^2}{2xp^+} n$$

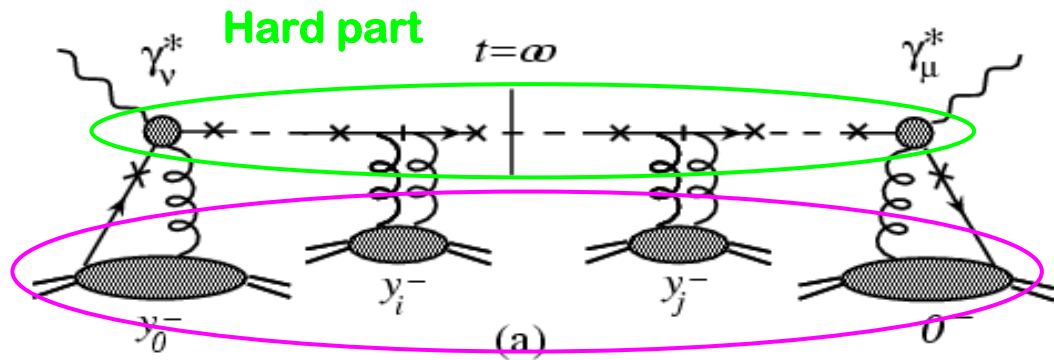
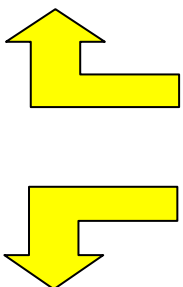
$$Cut = (2\pi) \frac{\gamma^+}{2p^+} \delta(x_i - x_B)$$

$$\Delta(x_i p + q) = \pm i \frac{\gamma^+}{2p^+} \frac{1}{x_i - x \pm i\epsilon} \pm i \frac{xp^+ \gamma^-}{Q^2}$$

↘
↘

**Long distance**
**Short distance**

*Perturbative*



*Non-perturbative*

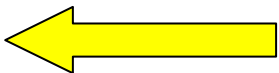
**Matrix element**

$$\langle P | \hat{O}^{T=2+2n} | P \rangle = A \langle P/A | \hat{O}_q^{T=2} | P/A \rangle$$

**Decompose**  $\prod_{i=1}^n \langle P/A | \hat{O}_g^{T=2} | P/A \rangle$

**Contribution of single scatter:**  $\sim \xi^2 / Q^2$

$$\xi^2 = \left( \frac{3\pi\alpha_s(Q^2)}{8r_{0\perp}^2} \right) \langle p | \hat{F}^2(\lambda_i) | p \rangle$$



$$\hat{F}^2(\lambda_i) = \int \frac{d\tilde{\lambda}_i}{2\pi} \frac{F^{+\alpha}(\lambda_i) F_\alpha^+(\tilde{\lambda}_i)}{(p^+)^2} \theta(\lambda_i - \tilde{\lambda}_i) \Rightarrow \lim_{x \rightarrow 0} \frac{1}{2} x G(x, Q^2)$$

Purely quantum effect

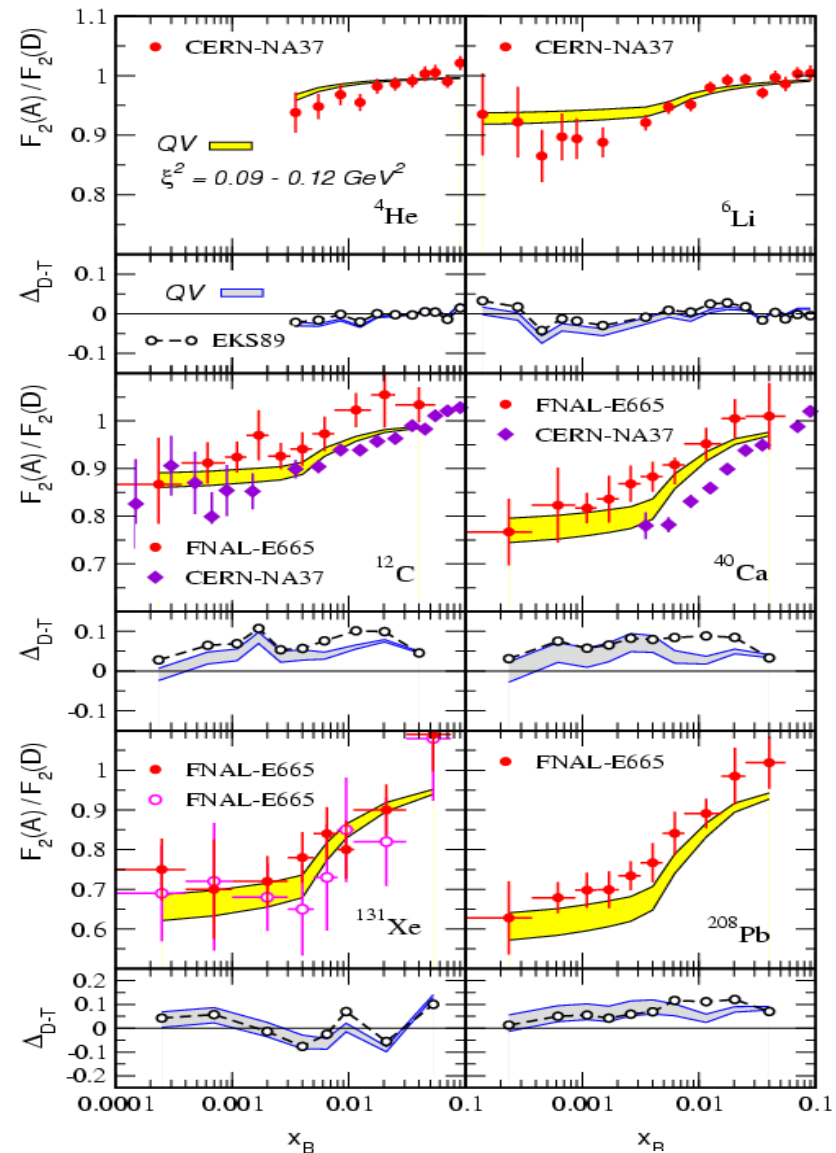
$$\exp \left[ + \frac{\xi^2 (A^{1/3} - 1)}{Q^2} x \frac{d}{dx} \right] F_2(x)$$

$$F_T^A(x, Q^2) \approx A F_T^{(LT)} \left( x + \frac{x \xi^2 (A^{1/3} - 1)}{Q^2}, Q^2 \right)$$

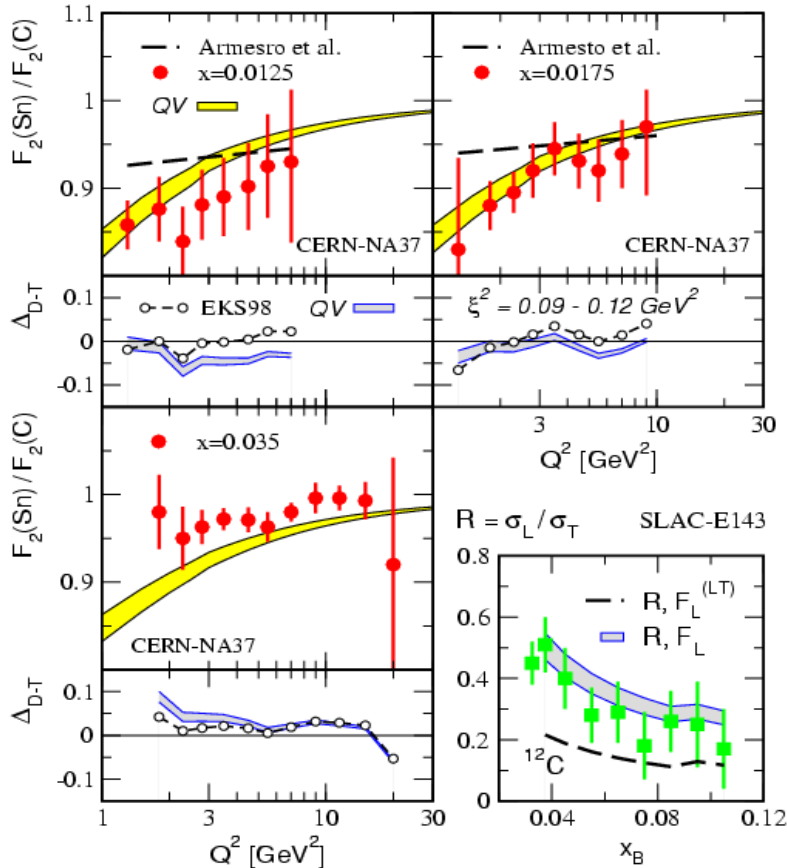
The scale of higher twist per nucleon is small  $\xi^2 \approx 0.1 \text{ GeV}^2$

- **Favorable comparison** for the  $x$ - and  $A$ -dependence NA37 (NMC) and E665 data
- For  $Q^2 \rightarrow 0$  we **impose**  $Q^2 = m_N^2$ .  
Finite resolution: same for all models ( $r_{max}$ )

J.W.Qiu, I.V., Phys.Rev.Lett. 93 (2004)



# Q<sup>2</sup>-dependence and F<sub>L</sub>(x, Q<sup>2</sup>) from Power Corrections



## Two more tests:

NMC data shows evidence for a power law in  $1/Q^2$  behavior in  $F_2(Sn)/F_2(C)$

$$R(x, Q^2) = \frac{\sigma_L}{\sigma_T} = \frac{F_L(x, Q^2)}{F_1(x, Q^2)}$$

$$F_L^A(x, Q^2) \approx A F_L^{(LT)}(x, Q^2) + \frac{4\xi^2}{Q^2} F_T^A(x, Q^2)$$

J.W.Qiu, I.V., Phys.Rev.Lett.93 (2004)

- The Leading Twist (LT)  $R(x, Q^2)$  is not sensitive to modifications of the nPDFs

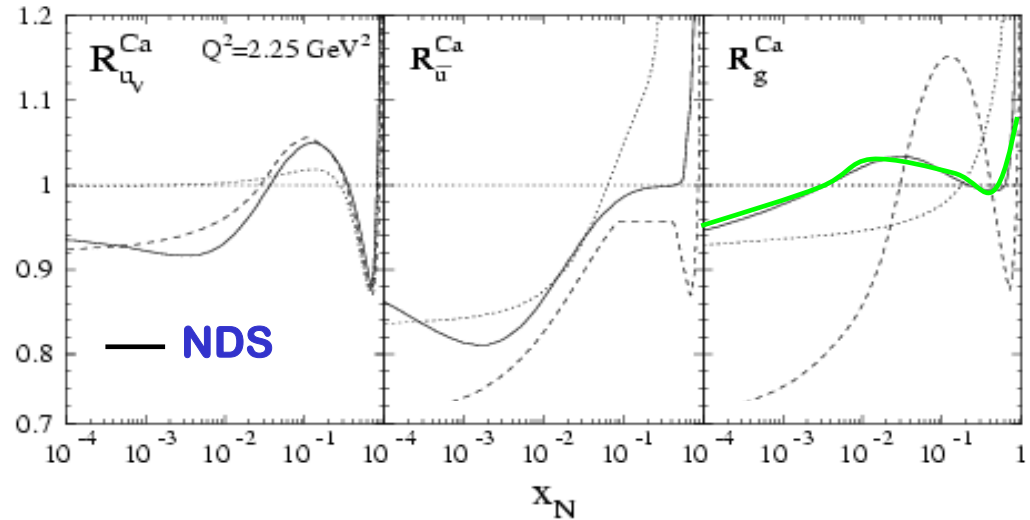


# How to Check the Origin of Shadowing

## Experimental data

TABLE I: Nuclear data included in the fit.

Measurement	Collaboration	Refs.	# data
$F_2^{He}/F_2^D$	NMC	[13]	18
	SLAC-E139	[14]	18
$F_2^{Be}/F_2^D$	SLAC-E139	[14]	17
$F_2^C/F_2^D$	NMC	[13]	18
	SLAC-E139	[14]	7
$F_2^{Al}/F_2^D$	SLAC-E139	[14]	17
$F_2^{Ca}/F_2^D$	NMC	[13]	18
	SLAC-E139	[14]	7
$F_2^{Fe}/F_2^D$	SLAC-E139	[14]	23
$F_2^{Ag}/F_2^D$	SLAC-E139	[14]	7
$F_2^{Au}/F_2^D$	SLAC-E139	[14]	18
$F_2^{Be}/F_2^C$	NMC	[15]	15
$F_2^{Al}/F_2^C$	NMC	[15]	15
$F_2^{Ca}/F_2^C$	NMC	[15]	15
$F_2^{Fe}/F_2^C$	NMC	[15]	15
$F_2^{Pb}/F_2^C$	NMC	[15]	15
$F_2^{Sn}/F_2^C$	NMC	[16]	145
$\sigma_{DY}^C/\sigma_{DY}^D$	E772	[17]	9
$\sigma_{DY}^{Ca}/\sigma_{DY}^D$	E772	[17]	9
$\sigma_{DY}^{Fe}/\sigma_{DY}^D$	E772	[17]	9
$\sigma_{DY}^W/\sigma_{DY}^D$	E772	[17]	9
Total			420



D. de Florian, R. Sassot, Phys.Rev.D69 (2004)

Very small (negligible) gluon shadowing

- **Only NLO analysis** is directly sensitive to gluon distributions in the nucleus
- So far only one such analysis with **extremely interesting results**

- **Paradox:** for initial state shadowing models  $C_A/C_F = 2.25$

- **Natural:** for final state resummed power corrections

# Modifications to $\nu + A$ Scattering



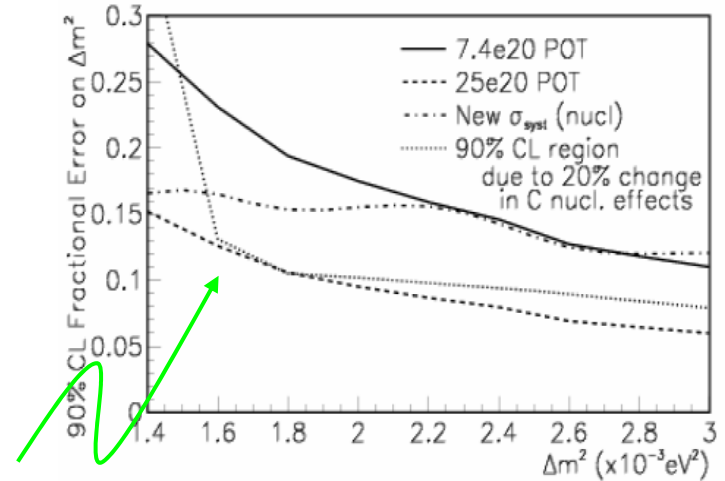
- No theory for the shadowing in  $\nu + A$  (exchange  $W^\pm, Z^0$ )
- $3\sigma$  deviation from the Standard Model (Now  $1.8\sigma$ )

$$\sin^2 \theta_W (SM) = 0.2227 \pm 0.0004$$

$$\sin^2 \theta_W (NuTeV) = 0.2277 \pm 0.0013 \pm 0.0009 \pm \dots$$

## NuTeV experiment

G.P.Zeller *et al.*, Phys.Rev.Lett 88 (2002)



- MINOS up and running - a case for MINERvA

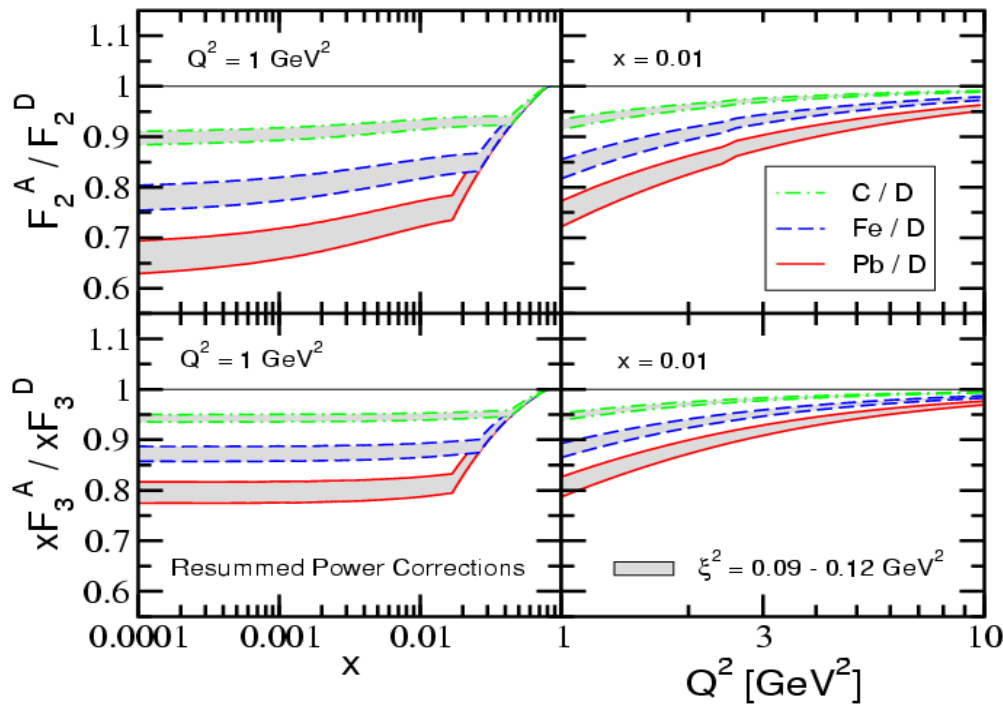
Cross sections matter

$$\frac{d\sigma^{\nu, \bar{\nu}}_{cc}}{dx dy} \propto \frac{1}{(\sin^2 \theta_W)^2} \left[ \frac{y^2}{2} 2xF_1^{W^\pm}(x, Q^2) + \left(1 - y - \frac{m_N xy}{2E}\right) F_2^{W^\pm}(x, Q^2) \pm \left(y - \frac{y^2}{2}\right) xF_3^{W^\pm}(x, Q^2) \right]$$

Axial and vector part (weak current)

Similarly for the neutral current

# Results: $F_2(x, Q^2)$ and $xF_3(x, Q^2)$



J.W.Qiu, I.V., Phys.Lett.B 587 (2004)

First theory of valance quark shadowing  $xF_3(x)$

$$\phi_{sea}(x) \propto 1/x \quad \phi_{val.}(x) \propto 1/\sqrt{x}$$

$$S_{sea} \propto \phi_{sea}(x + \Delta x) / \phi_{sea}(x) \approx 1 - \frac{\Delta x}{x}$$

$$S_{val} \propto \phi_{val}(x + \Delta x) / \phi_{val}(x) \approx 1 - \frac{1}{2} \frac{\Delta x}{x}$$

$$x_M = x_B \frac{M^2}{Q^2} \quad x_{\xi^2} = x_B \frac{\xi^2 (A_{1/3} - 1)}{Q^2}$$

$$F_{1,3}^{(\nu W^+)}(x_B, Q^2) = \{2\} A \left( \sum_{D,U} |V_{DU}|^2 \phi_D(x_B + x_{\xi^2} + x_{M_U}) \pm \sum_{\bar{U}, \bar{D}} |V_{\bar{U}\bar{D}}|^2 \phi_{\bar{U}}(x_B + x_{\xi^2} + x_{M_{\bar{U}}}) \right)$$

- Physics:** generation of a dynamical parton mass in the nuclear field

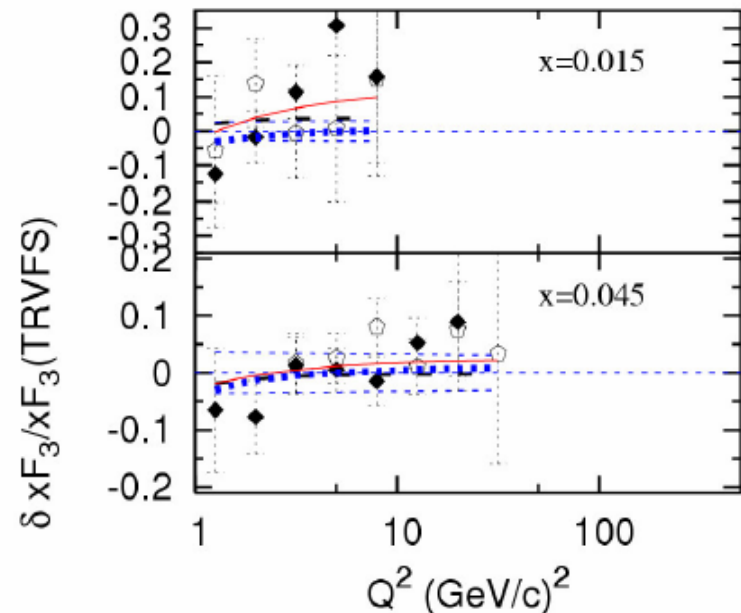
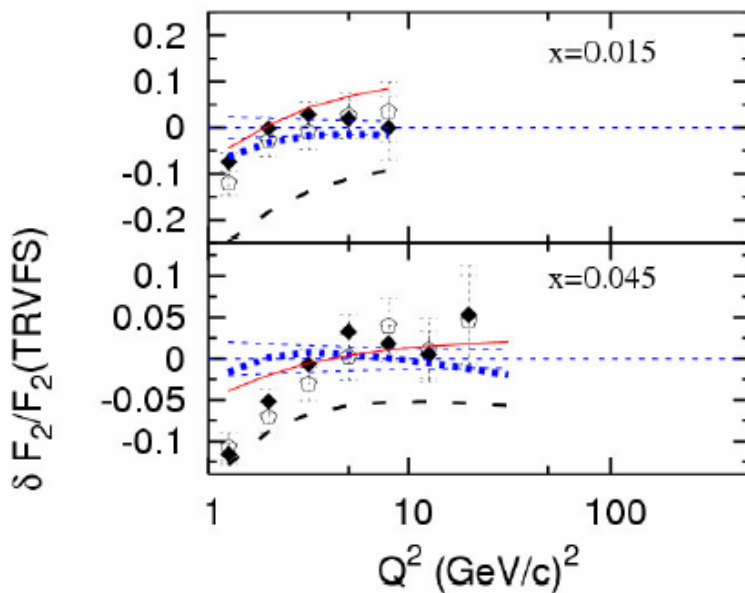
$$x_B \rightarrow x_B \left( 1 + \frac{\xi^2 (A^{1/3} - 1)}{Q^2} + \frac{M^2}{Q^2} \right) = x_B \left( 1 + \frac{m_{dyn}^2 + M^2}{Q^2} \right)$$

M.Tzanov, DPF 2004 fall meeting  
Riverside, CA, DIS 2005 Madison, WI

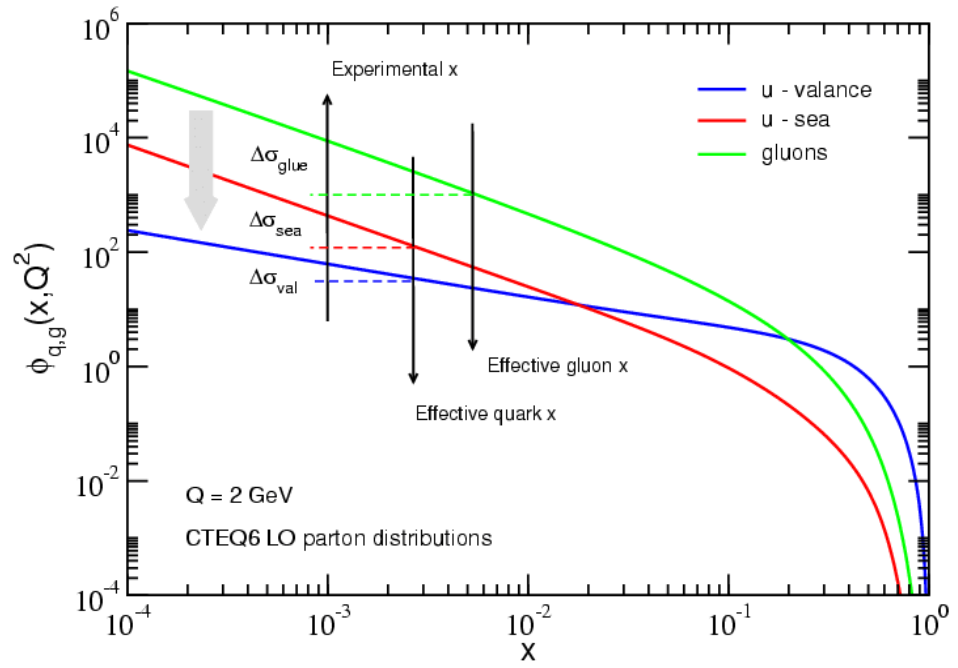
- Focus on the **small  $Q^2$  and  $x < 0.1$  region**
- Look **relative to MRST 2001** (CTEQ 5,6 have included the data in their analysis thus incorrectly including the nuclear effect in PDFs)

NuTeV  $\cdots \blacklozenge \cdots$   
 CCFR  $\cdots \circ \cdots$   
 CTEQ6M  $- - -$   
 CTEQ5HQ1  $\cdots \cdots \cdots$   
 MRST2001E+ $\sigma$   $\cdots \cdots \cdots$   
 MRST2001E- $\sigma$   $\cdots \cdots \cdots$   
 MRST2001E  $\cdots \cdots \cdots$   
 MRST2001E new nucl  $—$

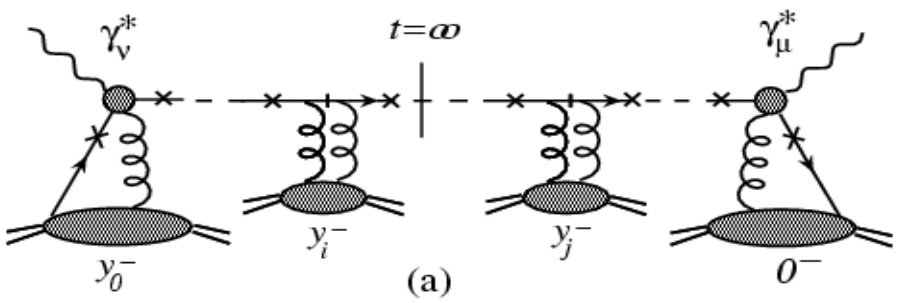
J.W.Qiu, I.V.



# Physics of the Dynamical Power Corrections



T.Goldman *et al.*, in preparation



- Shadowing in the perturbative regime is calculable based on the **uncertainty principle** and **energy conservation**

- Soft final state interactions generate **dynamical parton mass**  $m^2_{dyn} = \xi^2 A^{1/3}$

- If dictated by the **uncertainty principle**  $x_B < 0.1$  the **energy** of the struck parton should be larger

$$x_B \rightarrow x_B \left( 1 + \frac{m^2_{dyn}}{Q^2} \right)$$

- Clearly a **high twist** and **process dependent** effect (final state)

$$S_g > S_{u-sea} > S_{u-val}$$

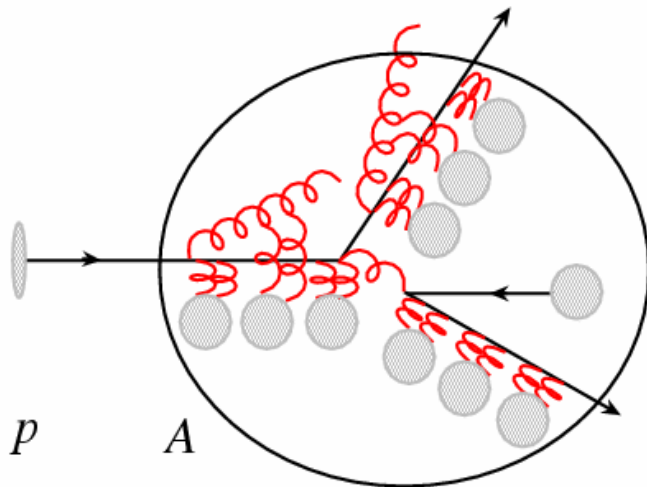
# Summary of High Twist Shadowing



- ▶ **"Shadowing" results from the coherent final state parton scattering with several nucleons**
- ▶ **The effect is purely quantum. It enters as a shift of the quantum phase and suppresses the SF. The PDFs are the same as in the nucleon**
- ▶ **The shadowing effect exhibits higher twist (power) behavior, i.e. strong  $Q^2$  dependence**
- ▶ **Nuclear matter has refraction index for quarks and gluons**

Type of scattering	Transverse momentum dependence of the nuclear effect
<i>Elastic (incoherent)</i>	Cronin effect: small suppression at low $p_T$ , enhancement at moderate $p_T$ , disappears at high $p_T$ . Dijet acoplanarity: $p_T$ diffusions, broadening of away-side correlations
<i>Inelastic (radiative)</i>	Single inclusions: suppression at all $p_T$ , weak $p_T$ dependence, persists at high $p_T$ (amplified near kinematic bounds). Double inclusive: suppression of high $p_T$ correlations, reappearance of the energy at low $p_T$
<i>Coherent (elastic t-channel)</i>	Both single and double inclusive: suppression at low $p_T$ , disappears at high $p_T$ , pronounced $p_T$ dependence

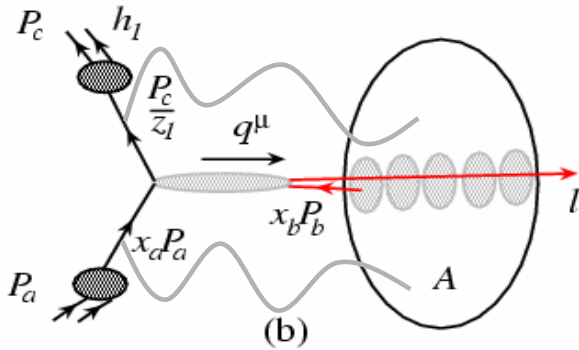
TABLE I: Effect of elastic, inelastic and coherent multiple scattering on the transverse momentum dependence of single and double inclusive hadron production in the perturbative regime.



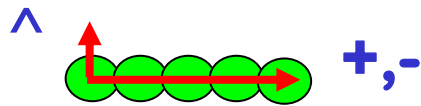
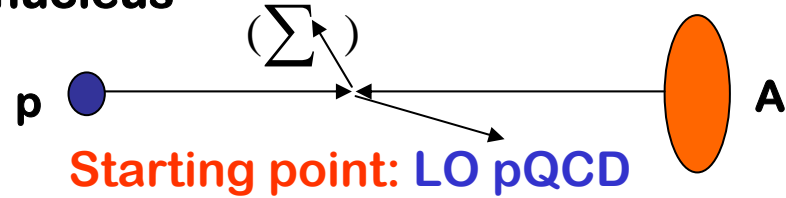
- **p+A collisions do not carry direct information about PDFs (unfortunately all effects)**
- **Forward (backward) physics not equal small x (large x)**

- 1) Initial state energy loss and broadening - DY
- 2) Shadowing - DIS
- 3) Final state e-loss is added in p+A

# p+A Collisions



Resum the **multiple final state scattering** of the parton "d" with the remnants of the nucleus



- Interested in the maximum coherent rescattering of the small  $x_b$  parton in the nucleus
- Other interactions are less coherent (elastic) and suppressed at forward rapidity by a large scale  $1/u$ ,  $1/s$

$$\frac{d\sigma_{NN}^{h_1}}{dy_1 d^2 p_{T1}} = K \sum_{abcd} \int_{z_1 \min}^1 dz_1 \frac{D_{h_1/c}(z_1)}{z_1^2} \int_{x_a \min}^1 x_a \frac{\phi(x_a)}{x_a} \frac{1}{x_a S + U/z_1} \frac{\alpha_s^2}{S} \int_0^1 x_b \delta(x_b - \bar{x}_b) F(x_b)$$

$$\frac{d\sigma_{NN}^{h_1 h_2}}{dy_1 dy_2 d^2 p_{T1} d^2 p_{T2}} = \frac{\delta(\Delta\varphi - \pi)}{p_{T1} p_{T2}} \sum_{abcd} \int_{z_1 \min}^1 dz_1 \frac{D_{h_1/c}(z_1)}{z_1} D_{h_2/d}(z_2) \frac{\phi(\bar{x}_a)}{\bar{x}_a} \frac{\alpha_s^2}{S^2} \int_0^1 x_b \delta(x_b - \bar{x}_b) F(x_b)$$

$\phi(x_b)$  - standard parton distribution functions

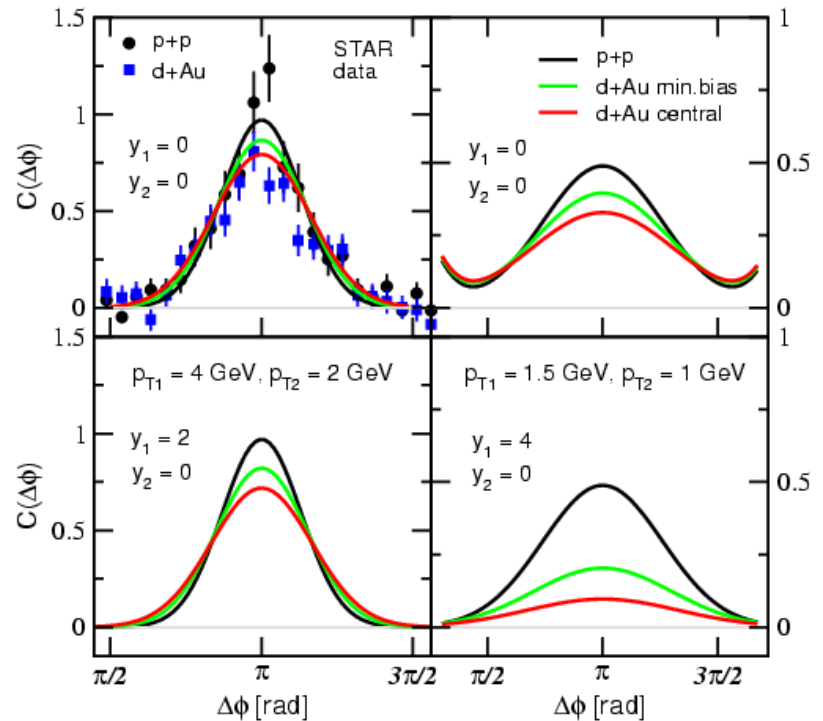
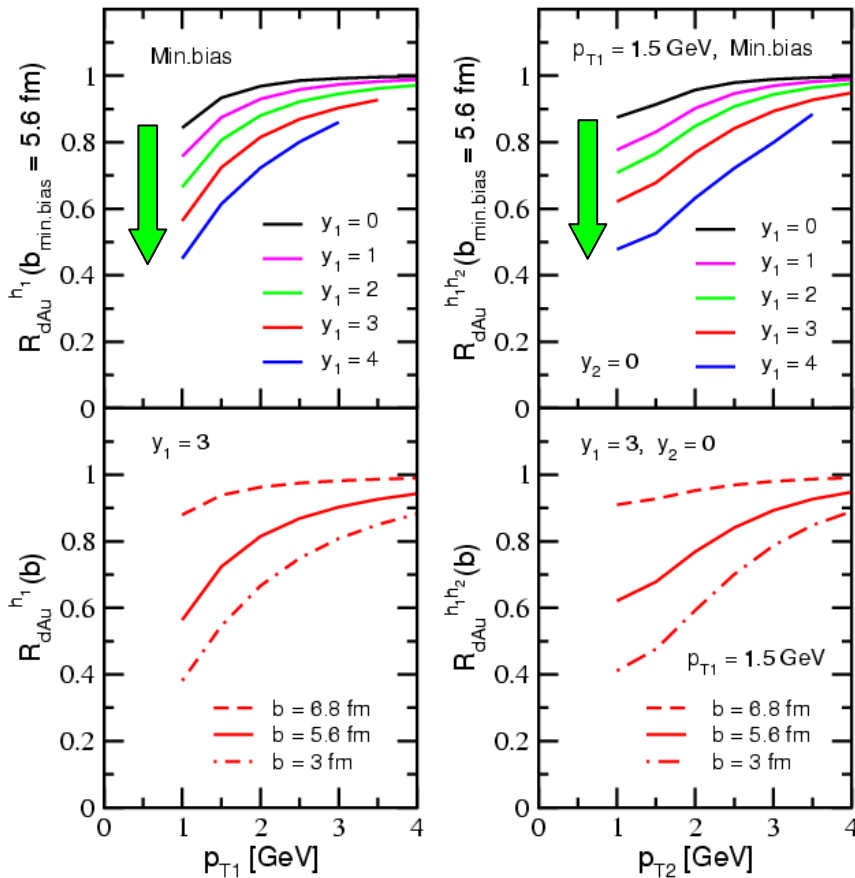
$D_{h_1/c}(z_1)$  - standard parton distribution functions

Isolate all the  $x_b$  dependence of the integrand:  $F(x_b) = \frac{\phi(x_b)}{x_b} \left| \bar{M}^2_{ab \rightarrow cd} \right|$



$$\sum_{N=0,\infty} \int dx_b \delta(x_b - \bar{x}_b) F(x_b) \rightarrow \int dx_b \delta(x_b - \bar{x}_b) F\left(x_b + x_b C_d \frac{\xi^2}{-t} (A^{1/3} - 1)\right)$$

- **Similar** power corrections modification to **single and double inclusive hadron production**
- **increases** with **rapidity and centrality**
- **disappears** at **high  $p_T$**  in accord with the QCD factorization theorems



J.W.Qiu, I.V., hep-ph/0405068

# Forward Correlations



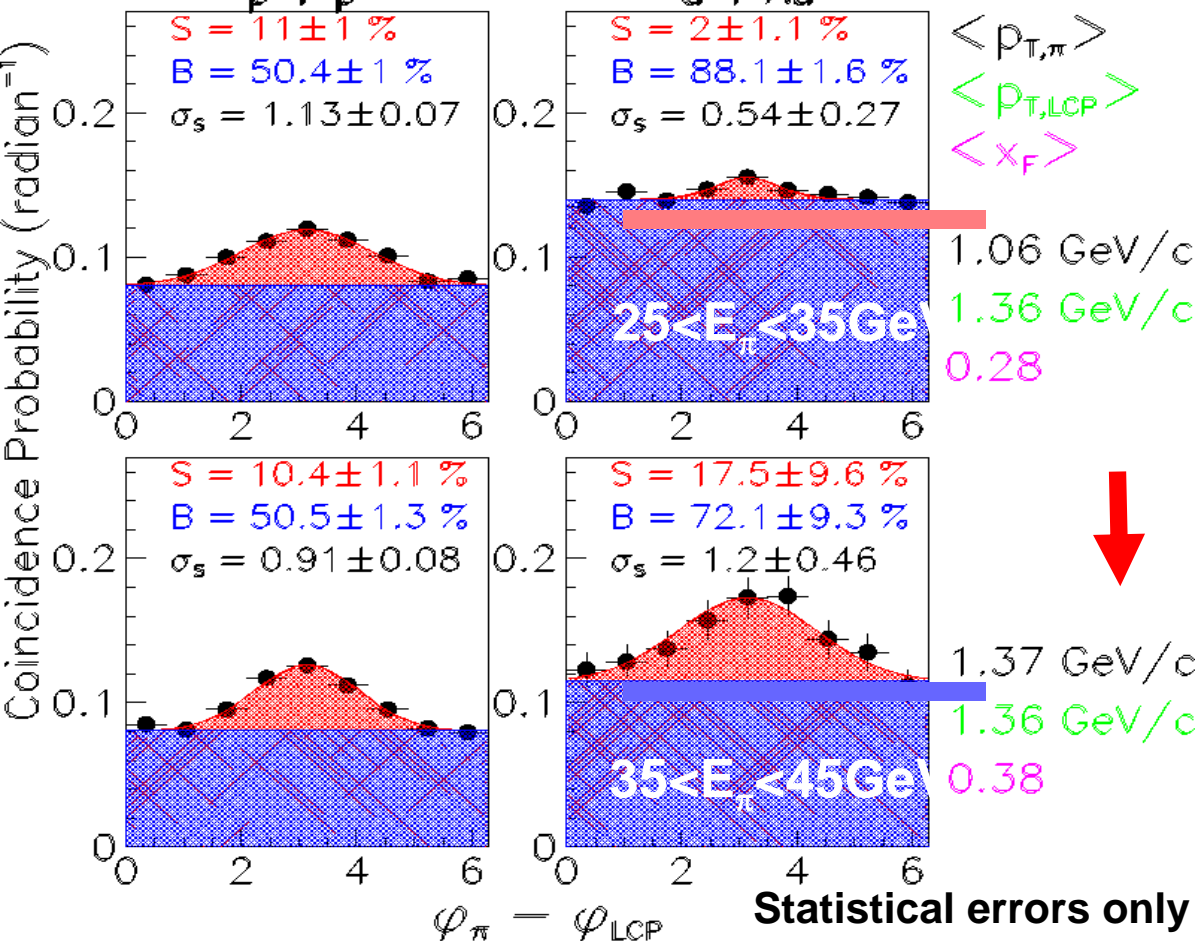
L.Bland, [STAR Colaboration]

$\pi^0 + h^\pm$  correlations,  $\sqrt{s} = 200$  GeV

$|\langle \eta_\pi \rangle| = 4.0, |\eta_h| < 0.75$

p + p

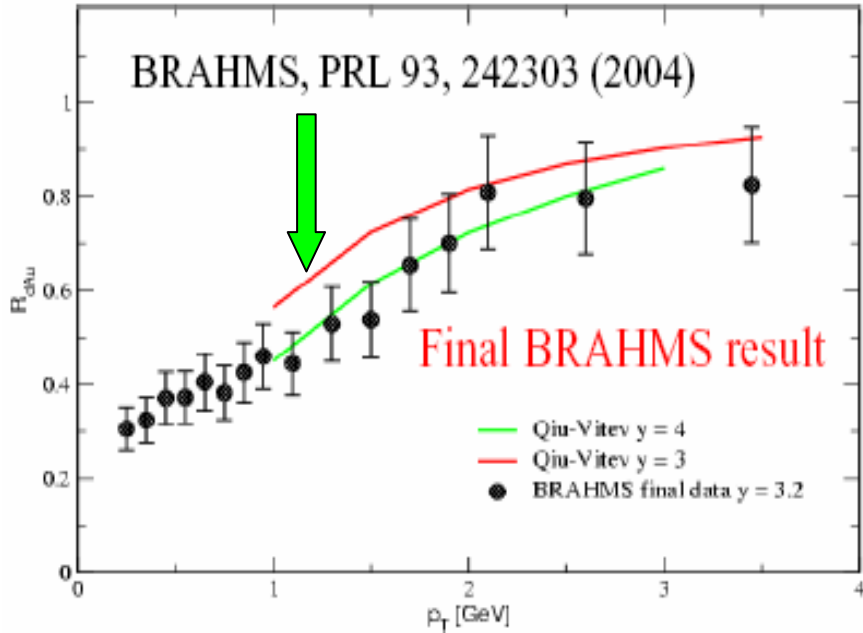
d + Au



• There isn't **mono jettiness** or g-fusion

• I think that the p+A analysis has **under** and **over** estimated the **away-side** area

• There **may be** room for **some** suppression due to power corrections



J.W.Qiu, I.V., hep-ph/0405068

Comparison to the data:

I.Arsene *et al.*, Phys.Rev.Lett. 93 (2004)

$$F(x_b) \rightarrow F\left(x_b + x_b C_d \frac{\xi^2}{-t} (A^{1/3} - 1)\right)$$

$$F(x_b) = \frac{\phi(x_b)}{x_b} \left| \bar{M}^2_{ab \rightarrow cd} \right|$$

Suppression **increases** with **rapidity and centrality**

Suppression **disappears** at **high p<sub>T</sub>**

Data supports this type of power behavior

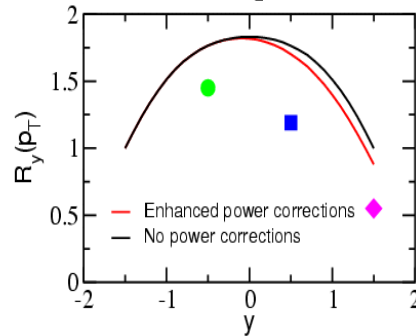
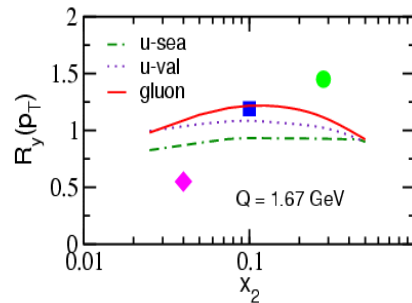
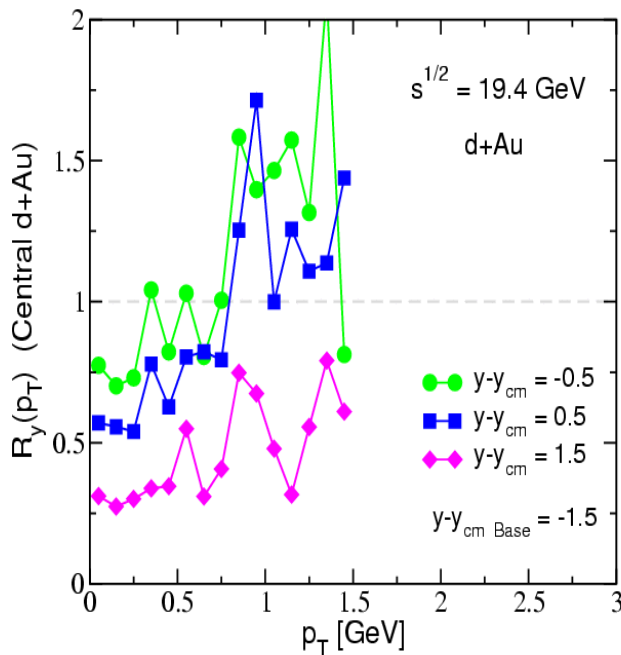
However, there may be room for additional suppression - may be 50 % more, may be a factor of 2

# Energy Loss in Cold Nuclear Matter

- Before jumping to conclusions investigate existing data

NA35 collaboration: d+Au (interestingly enough) data -  $\sqrt{s_{NN}} = 19.4 \text{ GeV}$

Same rapidity asymmetry as at  $\sqrt{s_{NN}} = 200 \text{ GeV}$



T.Goldman *et al.*, in preparation

- Leading twist shadowing: (phenomenology) **clearly insufficient** (in fact antishadowing)

- Power corrections (theory) : **clearly insufficient** (~13%)

Leaves additional effects:  
**energy loss**

# One Implementation of Energy Loss

Bertsch-Gunion bremsstrahlung:

$$\frac{dn_G}{dy} = \frac{3\alpha_s}{\pi} \ln \left( \frac{m_\rho^2}{\Lambda_{QCD}^2} \right)$$

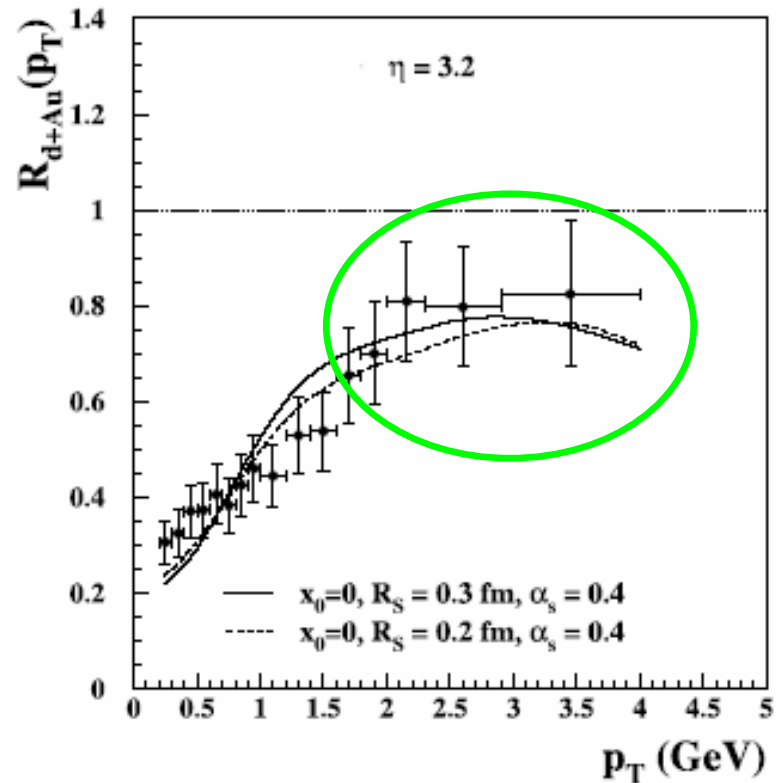
Implemented as "Sudakov Form Factors":

$$S(x_F) = (1 - x_F)^{dn_G/dy}$$

This is one way of implementing energy loss  
(large rapidity gap events, amplification near  
kinematic bounds)

B. Kopeliovich *et al.*, hep-ph/0501260

Where energy loss arguably  
plays a role



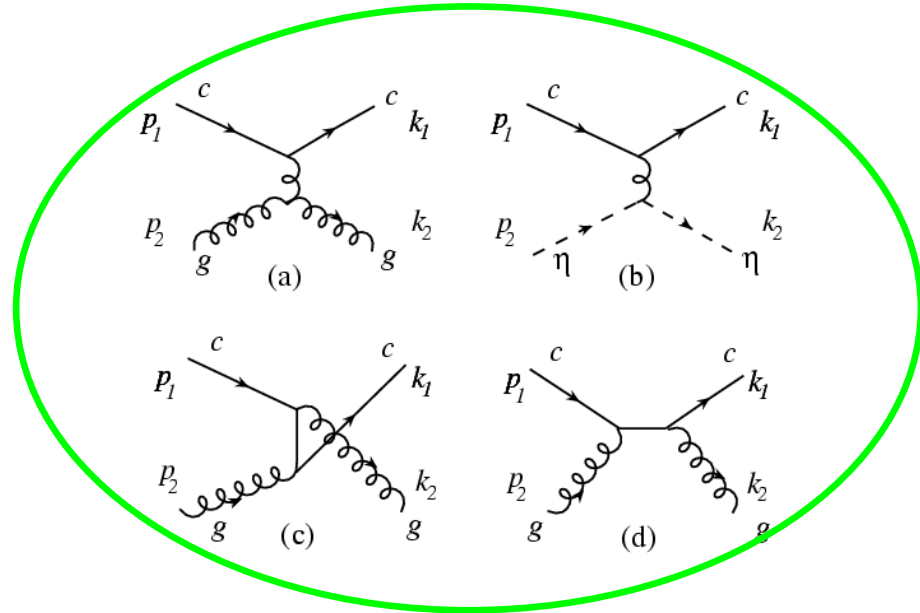
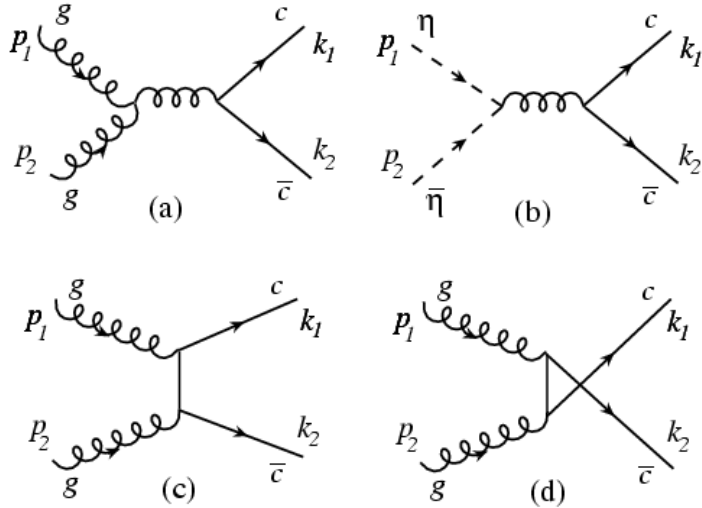
## Summary of p+A (Light Hadrons)

- ▶ **p+A is not substitute for DIS. Don't learn much about PDFs. Learn about multiple parton interactions**
- ▶ **Calculated the upper limit of the suppression in p+A reactions from shadowing.**
- ▶ **The results are compatible with the data but the current statistics and systematics are large**
- ▶ **At large  $x_F$  energy loss can play a significant role. There is low energy p+A to be analyzed. Low energy RHIC run.**

# Open Charm Production

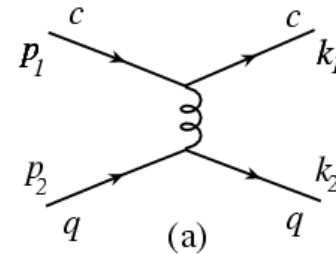
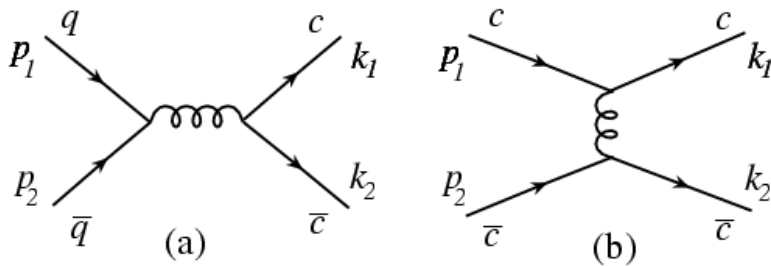


Time direction



**Popular belief**

**In practice to LO (To be checked)**

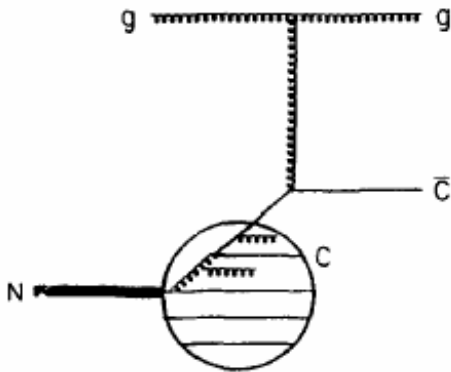


Many of the interesting features that follow are related to the  $cg \rightarrow cg$   
 $cq(\bar{q}) \rightarrow cq(\bar{q})$  scattering

## L. Odoricio, Nucl.Phys.B 209 (1982)

**Flavor excitation =  
charm quark pdfs**

We present a calculation of the contribution of **flavour excitation** diagrams to the hadronic production of open charm. The main new ingredients in the calculation are: (i) a proper treatment of the QCD evolution of the input charm sea distribution, with constraints from the existing charm structure function data; (ii) use of the available charm transverse momentum data to fix the cutoff which regulates the divergence in the diagrams. We are then able to make a stable calculation of the resulting charm cross section. **The flavour excitation contribution turns out to be an order of magnitude larger than for fusion.** As a result the observed magnitudes of the charm cross section at accelerator and ISR energies are satisfactorily reproduced, thus eliminating a long standing difficulty of the perturbative QCD approach to open charm production. Furthermore, we calculate the longitudinal and transverse spectra of charmed hadrons using a simple recombination model. We show that the existing ISR data on the production of fast  $c$  are well, and naturally, reproduced by this approach. Qualitative predictions for bottom production are also discussed.





# D<sup>0</sup> and D<sup>+</sup> at the Tevatron



$$\frac{d\sigma_{NN}^{D_1}}{dy_1 d^2 p_{T1}} = K_{NLO} \sum_{abcd} \int_{x_{1,2} \leq 1} dy_2 \int_{x_{1,2} \leq 1} dz_1$$

$$\times \frac{1}{z_1^2} D_{D_1/c}(z_1) \frac{\phi_{a/N}(x_a) \phi_{b/N}(x_b)}{x_a x_b} \frac{\alpha_s^2}{S^2} |\overline{M}_{ab \rightarrow cd}|^2$$

- **Fragmentation functions: From heavy quark effective field theory (Vector and Pseudoscalar)**

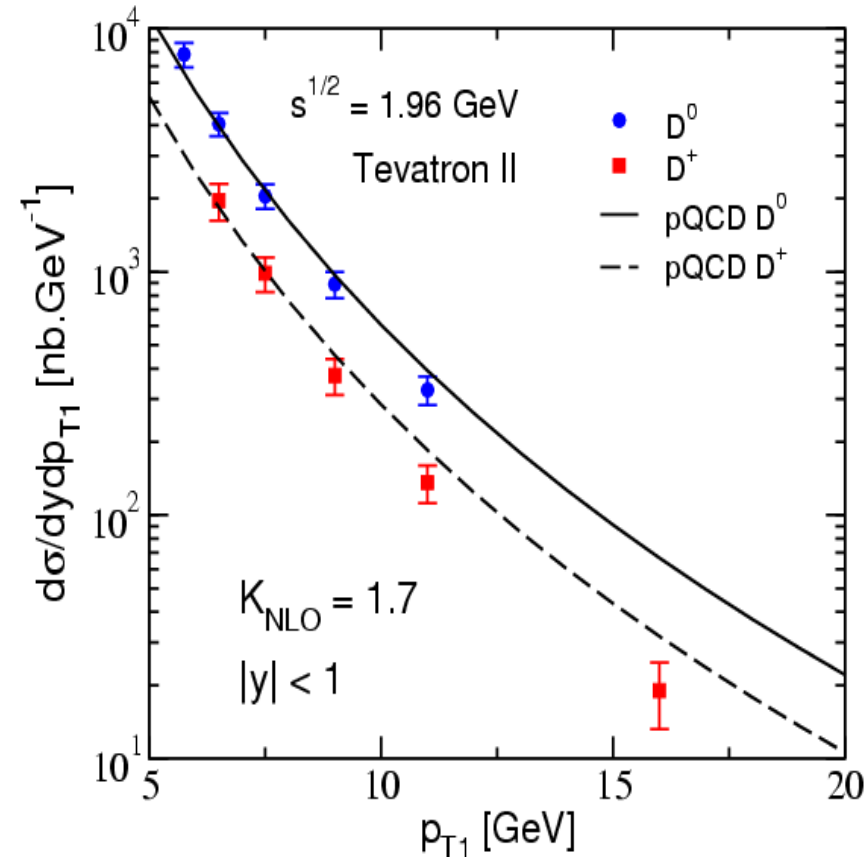
E.Braaten *et al.*, Phys.Rev.D 51 (1995)

- **Branching ratios taken into account**

$$D^{0*} \rightarrow D^0 \text{ (BR 100\%)} \quad \dots$$

**Very reasonable K-factor:  $K_{NLO} = 1.7$**

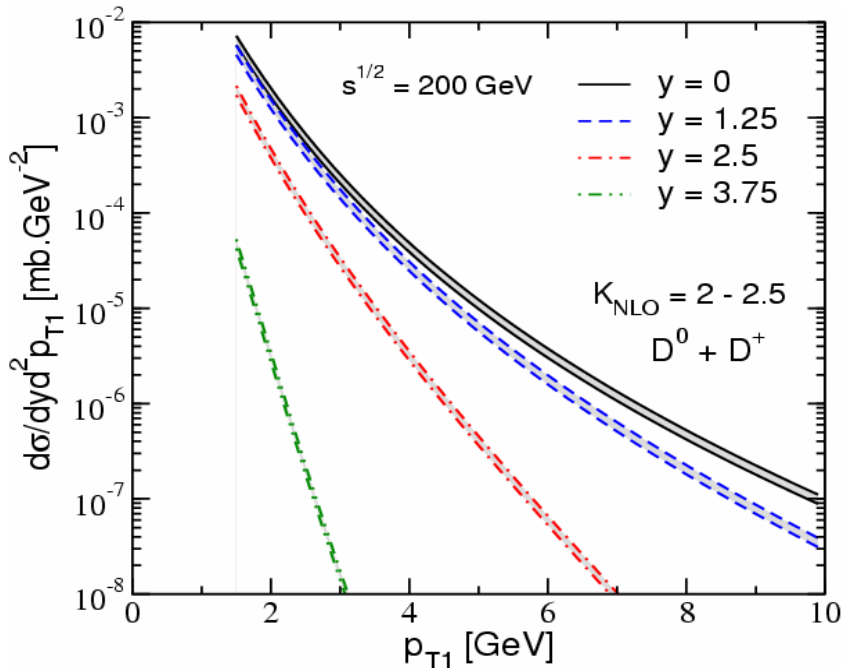
**Slightly stiffer power law**



**Data from:**

**D.Acosta *et al.*, Phys.Rev.Lett. 91 (2003)**

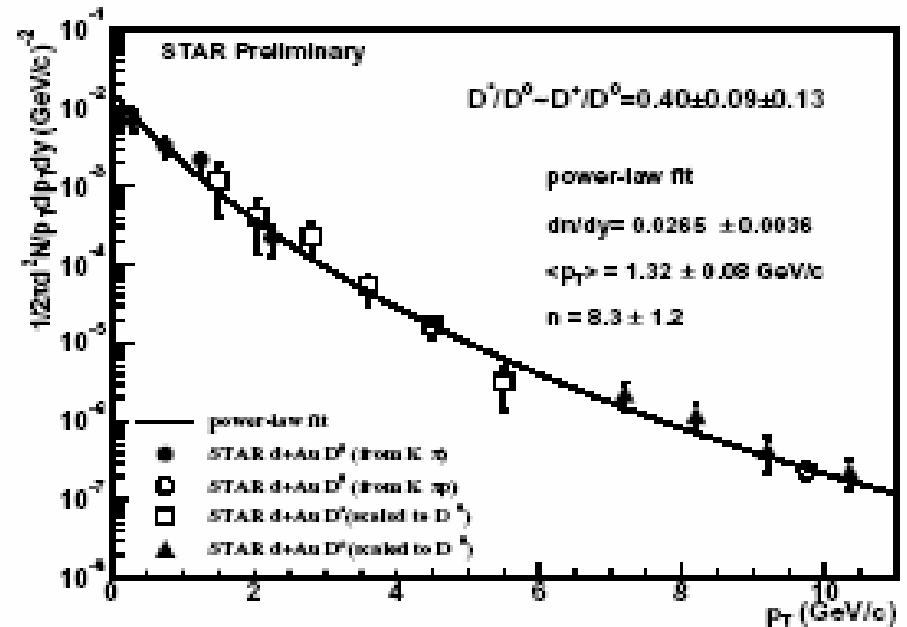
# Predicted Cross Sections at RHIC



Comparable results to:

M.Cacciari, P.Nason and R.Vogt,  
hep-ph/0502203

Case for a new experimental capability  
to detect directly heavy quarks



H. Zhang, nucl-ex/0410038

**Preliminary STAR:** power law spectrum  
seems noticeably stiffer

Remember - at the **Tevatron** the same  
**calculation** was slightly stiffer

# Contribution of Partonic Subprocesses



Define **partial cross sections**

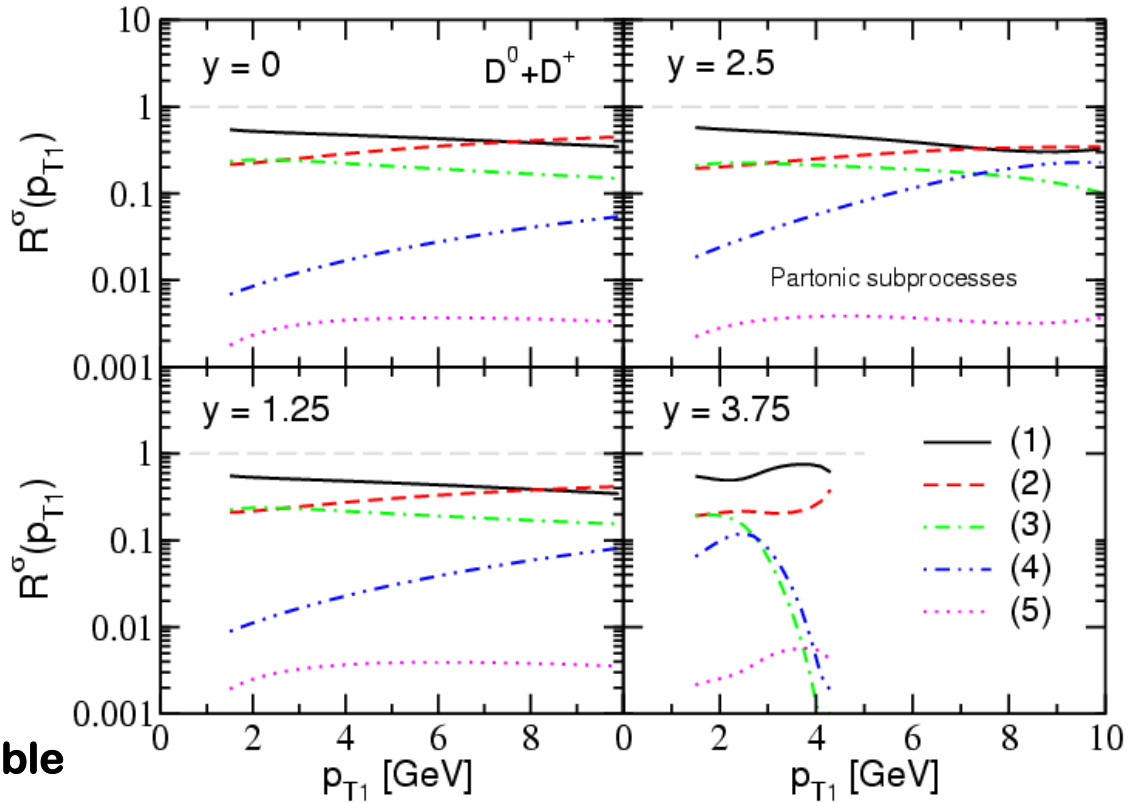
$$R^\sigma(p_{T1}) = \frac{d\sigma_{ab \rightarrow cd}^{D_1}}{dy_1 d^2 p_{T1}} \bigg/ \frac{d\sigma_{tot}^{D_1}}{dy_1 d^2 p_{T1}}$$

Gluon fussion is **not** the dominant mechanism for open charm production

Clearly one expects 2 things:

- Dynamical shadowing comparable to light pions
- Trigger dependent hadrochemistry

How to test this? - di-hadron correlations



- (1)  $cg \rightarrow cg$ , (2)  $cq(\bar{q}) \rightarrow cq(\bar{q})$
- (3)  $gg \rightarrow c\bar{c}$ , (4)  $q\bar{q} \rightarrow c\bar{c}$
- (5)  $c\bar{c} \rightarrow c\bar{c}$

# D Triggered Correlations



$$\frac{d\sigma_{NN}^{D_1h_2}}{dy_1 dy_2 dp_{T1} dp_{T2}} = K_{NLO} \sum_{abcd} 2\pi \int_{x_1 \leq 1, x_2 \leq 1, z_2 \leq 1} dz_1$$

$$\times \frac{1}{z_1} D_{D_1/c}(z_1) D_{h_2/d}(z_2) \frac{\phi_{a/N}(x_a) \phi_{b/N}(x_b)}{x_a x_b}$$

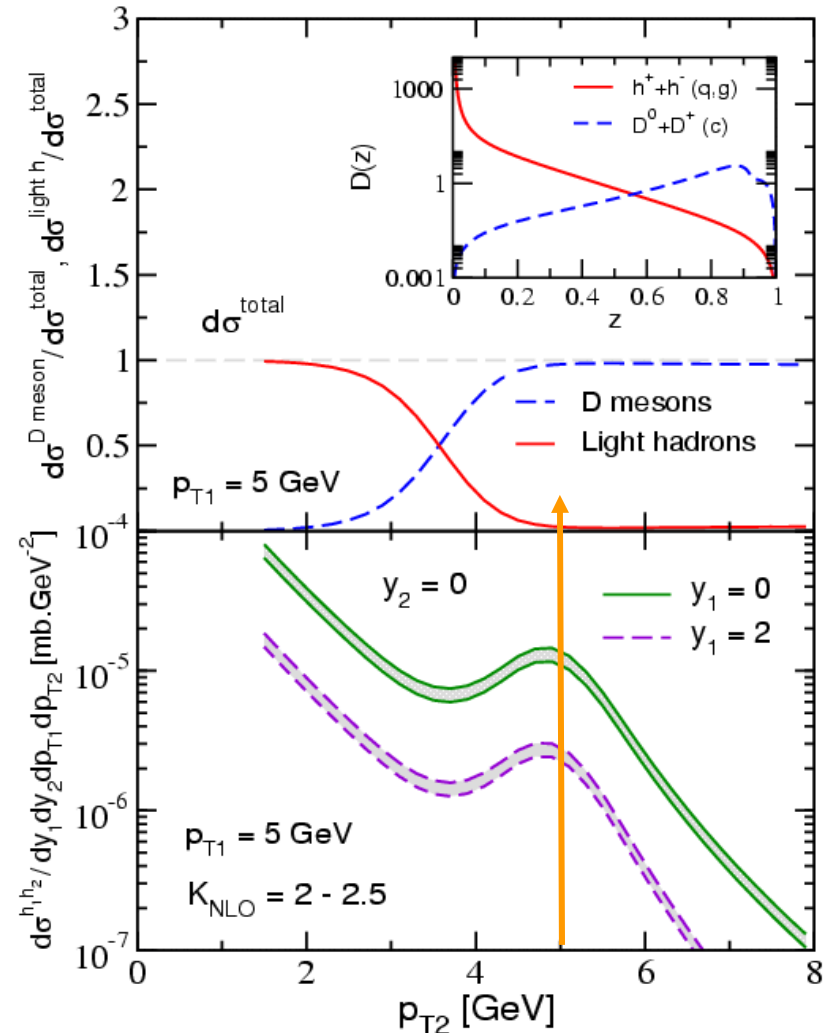
$$\times \frac{\alpha_s^2}{S^2} |\overline{M}_{ab \rightarrow cd}|^2.$$

- Very strong dependence of particle species in the away side jet on  $p_{T2}$
- Non-monotonic behavior on the away side yields: anti D at  $p_{T2} = p_{T1}$

**Never measured before:**

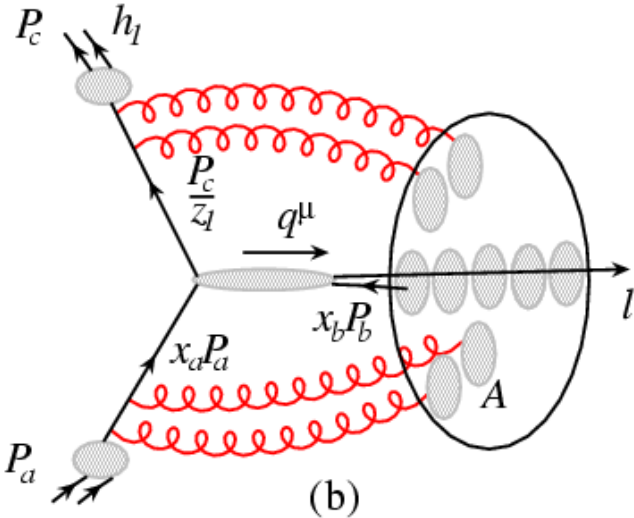
Real possibility for RHIC experiments to discover D meson triggered correlations

Constrain D meson production, c quark fragmentation

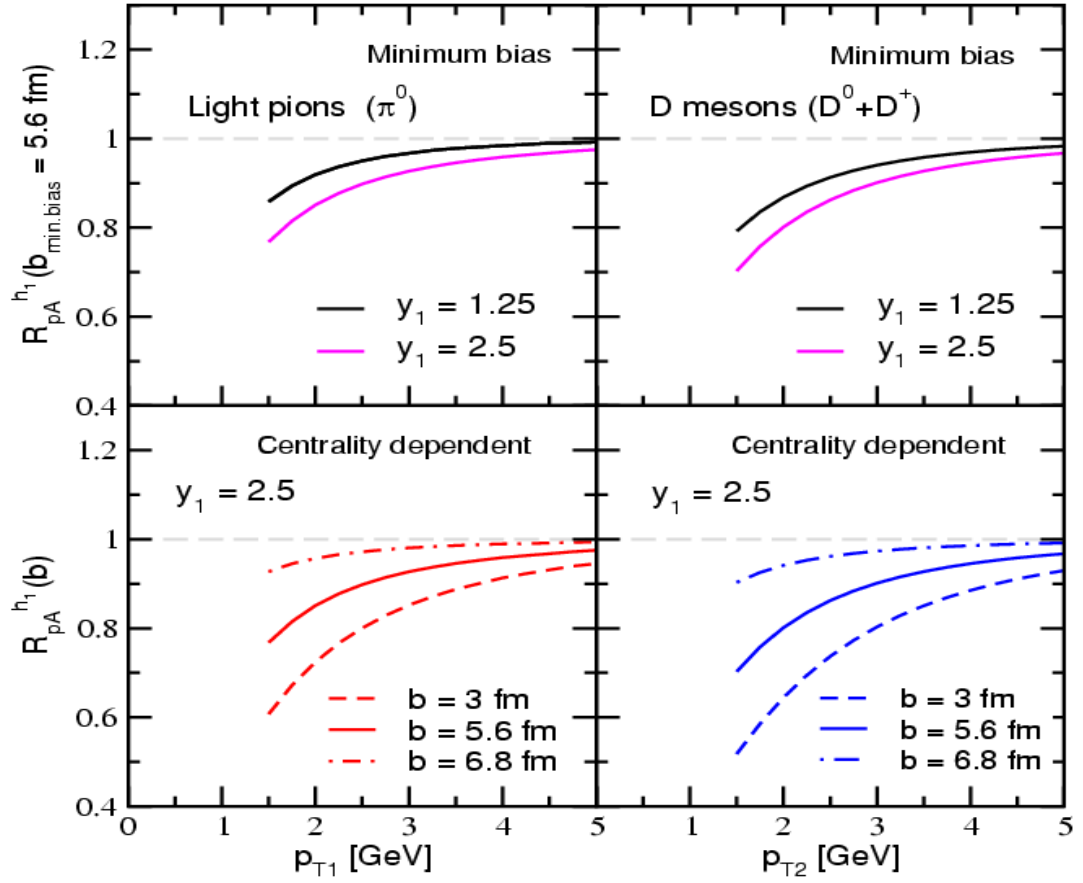


T. Goldman *et al.*, in preparation

# Dynamical Shadowing to Inclusive $D^0+D^+$



- Increases with centrality:**  
(dynamical shadowing has little to do with A but with the local path length through nuclear matter)
- Increases with rapidity:**  
(slightly)
- Disappears at high  $p_T$ :**  
(power correction type, coherent elastic)



Quite similar to light pions (even slightly larger)

# (D<sup>0</sup>+D<sup>+</sup>) - (D<sup>0</sup>+D<sup>-</sup>) Triggered Correlations

Similar results for the D meson triggered correlations

$$\hat{t} = (x_a P_a - p_c / z_1)^2$$

- We know for a fact that the c quark rescatters (as in DIS)

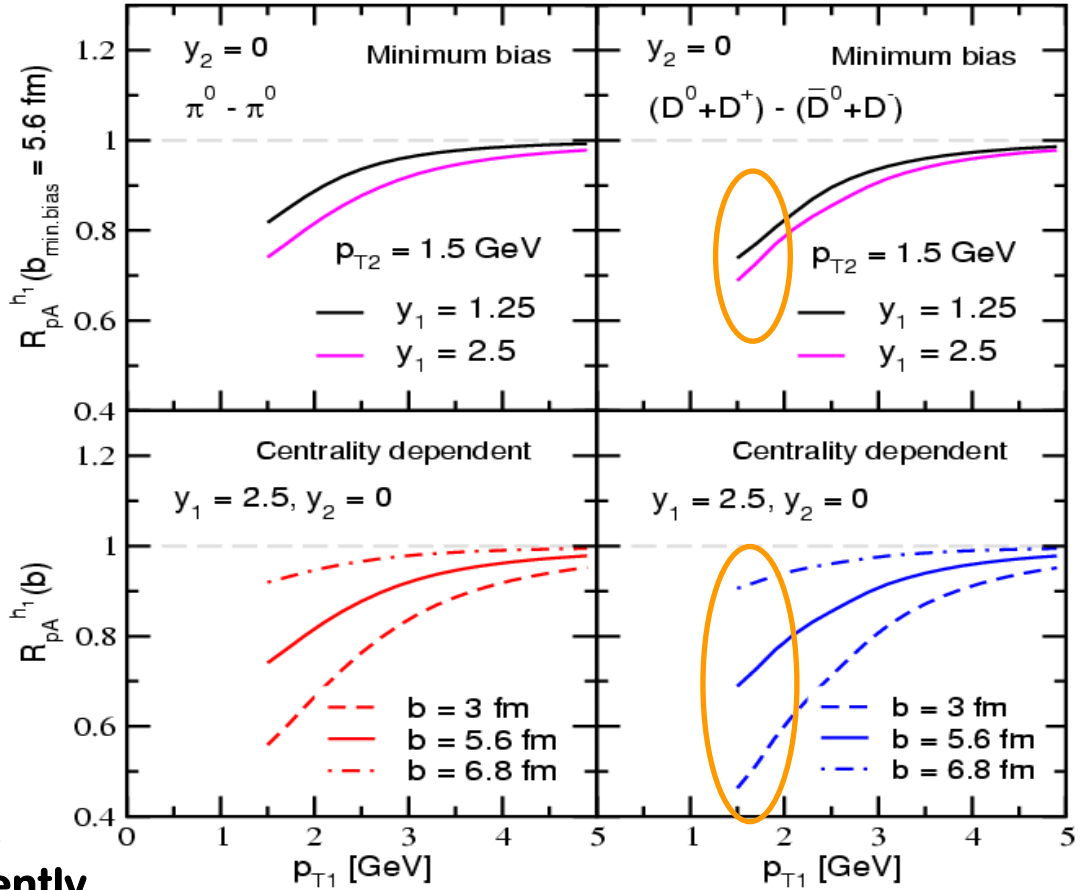
$$\xi^2 (A^{1/3} - 1) / (-\hat{t})$$

- In light hadrons

$$C_A / C_F \xi^2 (A^{1/3} - 1) / (-\hat{t})$$

Naively expected that the partonic composition will matter but apparently what dominates is:

$$z_{light\ hadrons} < z_{charm\ mesons}$$



Experimentally probably biased to  $p_{T1} = p_{T2}$

# Summary of Open Charm and Open Charm Correlations



- ▶ A large contribution to the open charm (single) hard cross section comes from scattering on quarks and gluons
- ▶ Non-trivial hadron composition of D triggered correlations should be experimentally tested
- ▶ The power corrections are similar to the light hadrons but the reason is different - the large  $z_1, z_2$  even if it is  $q$  rather than  $g$  rescattering
- ▶ We have calculated the upper high twist shadowing limit - a baseline for the energy loss

# New Contribution to $F_L(x, Q^2)$

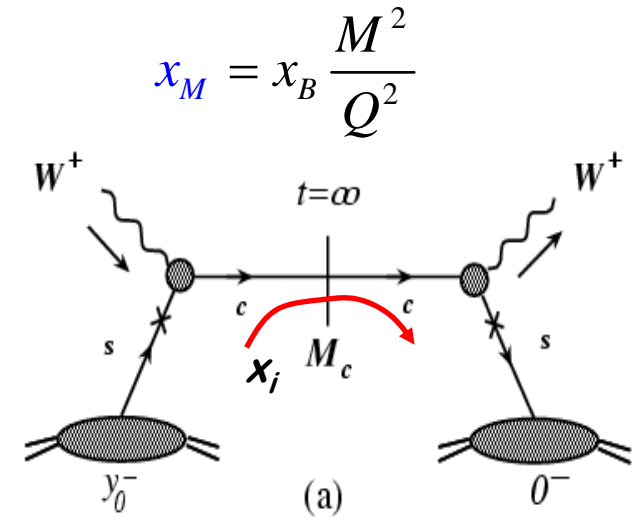


On-shell particle (**M**)

$$\text{Cut} = (2\pi) \frac{x_B}{Q^2} (x_M p^+ \gamma^- + (Q^2 / 2x_B p^+) \gamma^+ \pm M) \times \delta(x_i - x_B - x_M) \quad (\text{Cuts fix kinematics})$$

- Even if one neglects  $\phi_c(x, Q^2)$ ,  $\phi_{\bar{c}}(x, Q^2)$  mass effects show up due to the charge exchange

- Along the way we will develop techniques that may be useful in the discussion of charm production at RHIC



J.W.Qiu, I.V., Phys.Lett.B 587 (2004)

$|V|$  - the CKM matrix elements  
 $U = (u, c, t)$ ,  $D = (d, s, b)$

$$F_L^{(vW^+)}(x_B, Q^2) = \sum_{D,U} |V_{DU}|^2 \frac{M_U^2}{Q^2} \phi_D(x_B + x_{M_U}) + \sum_{\bar{U}, \bar{D}} |V_{\bar{U}\bar{D}}|^2 \frac{M_{\bar{D}}^2}{Q^2} \phi_{\bar{U}}(x_B + x_{M_{\bar{D}}})$$

$$F_L^{(vW^-)}(x_B, Q^2) = \sum_{U,D} |V_{UD}|^2 \frac{M_D^2}{Q^2} \phi_U(x_B + x_{M_D}) + \sum_{\bar{D}, \bar{U}} |V_{\bar{D}\bar{U}}|^2 \frac{M_{\bar{U}}^2}{Q^2} \phi_{\bar{D}}(x_B + x_{M_{\bar{U}}})$$



# Mass and Nuclear Enhanced Power Corrections



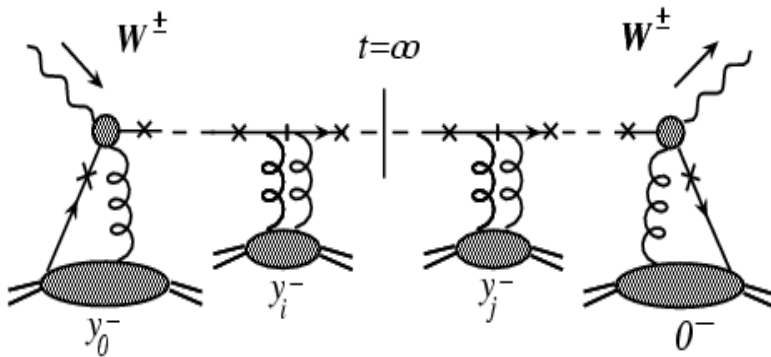
$$\Delta(xp + q) = \pm i \frac{x_B}{Q^2} p^+ \gamma^- \underbrace{\gamma \cdot \tilde{p}}_{\substack{x_M p^+ \gamma^- + (Q^2 / 2x_B p^+) \gamma^+ \pm M}} \pm i \frac{x_B}{Q^2} \frac{x_M p^+ \gamma^- + (Q^2 / 2x_B p^+) \gamma^+ \pm M}{x - (x_B + x_M) \pm i\epsilon}$$

Special propagator structure:

$$(\gamma \cdot \tilde{p} + M) \gamma_{\perp} (\gamma \cdot \tilde{p} + M) = 0$$

$$(\gamma \cdot p) \gamma_{\perp} (\gamma \cdot p) = 0$$

- **Equations of motion** - nuclear enhanced power corrections and mass corrections **commute**
- **Demonstrated that the corrections can be resummed**



- **Physics interpretation** – generation of a dynamical parton mass in the nuclear chromomagnetic field

$$x_B \rightarrow x_B \left( 1 + \frac{\xi^2 (A^{1/3} - 1)}{Q^2} + \frac{M^2}{Q^2} \right) = x_B \left( 1 + \frac{m_{dyn}^2 + M^2}{Q^2} \right)$$

# Summary of Neutrino-Nucleus Scattering



- ▶ Resummed power corrections are the first consistent way to address valence/sea quark shadowing
- ▶ Neutrino-nucleus reactions help discover the physical meaning of higher twist - generation of dynamical parton mass
- ▶ For light quarks we have dynamical chiral symmetry breaking (similar to electrons in B field)
- ▶ Goes in the direction of reducing the discrepancy between the NuTeV experiment and the SM
- ▶ The qualitative power law behavior at small  $x$  is seen by NuTeV / CCFR. Expect comparison