

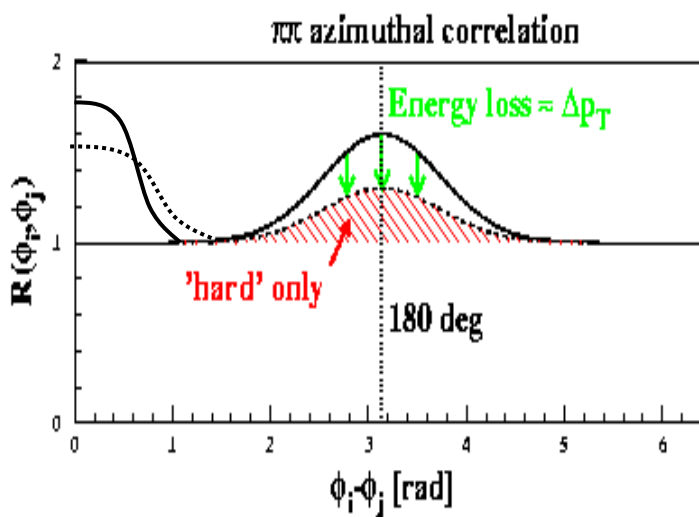
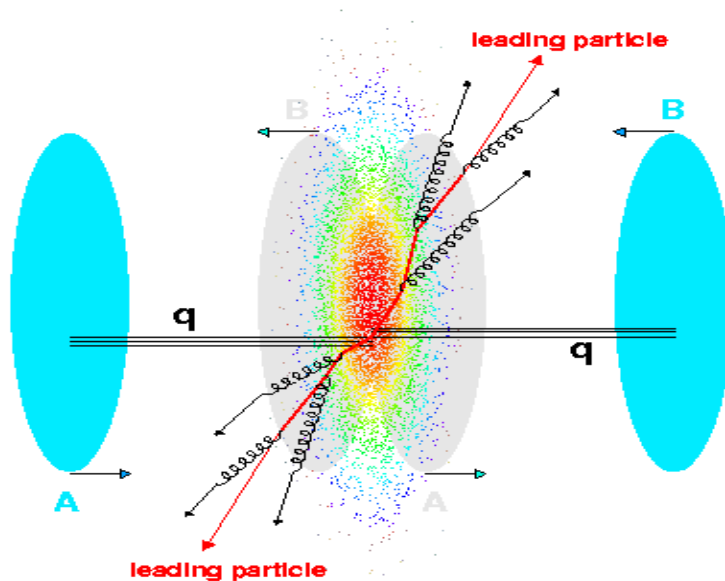
Near-angle, high- p_{\perp} two-
particle correlations at
 $\sqrt{s}=200\text{A GeV}$ measured in the
PHENIX experiment

Paul Constantin
(Iowa State University)
for the PHENIX collaboration

Outline

- Main sources of two-particle correlations
 - parton fragmentation – jets
 - elliptic flow
- Extraction of the correlation function
- Jet signatures in the data:
 - centrality and p_{\perp} dependence of relative yield
 - j_{\perp} -scaling of near-angle width
- Conclusions and outlook

Correlations induced by jets



Hard scatterings:

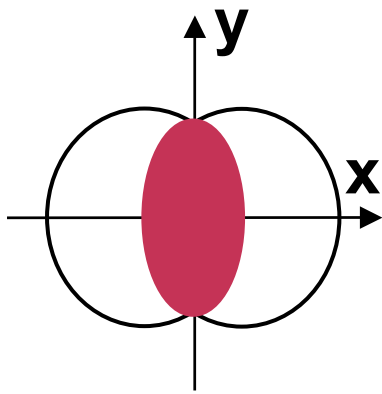
- high Q^2 transfer - small α_s (pQCD)
- early in collision - probe early stages
- energetic partons: probe the partonic density of the hot QCD medium (QGP) via dE/dx (gluon radiation)

Produce jets of hadrons :

- monojets - **near-angle azimuthal correlations**
- dijets - back-to-back azimuthal correlations
- **broadening** by interaction with nuclear medium*

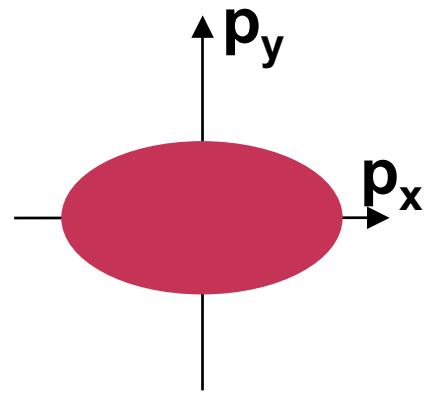
* X.N. Wang, *Phys.Rev.Lett.*81:(1998)2655

Correlations induced by azimuthal anisotropy

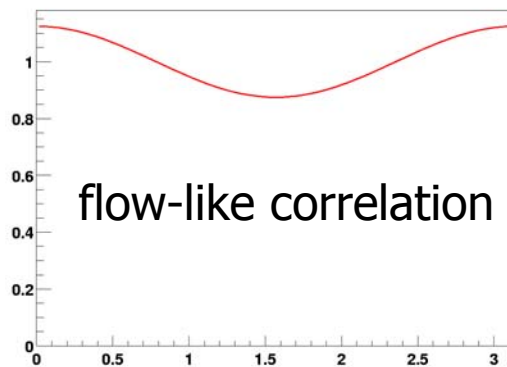


$$\varepsilon = \frac{\langle y^2 - x^2 \rangle}{\langle y^2 + x^2 \rangle}$$

thermalization



$$v_2 = \frac{\langle p_x^2 - p_y^2 \rangle}{\langle p_x^2 + p_y^2 \rangle}$$



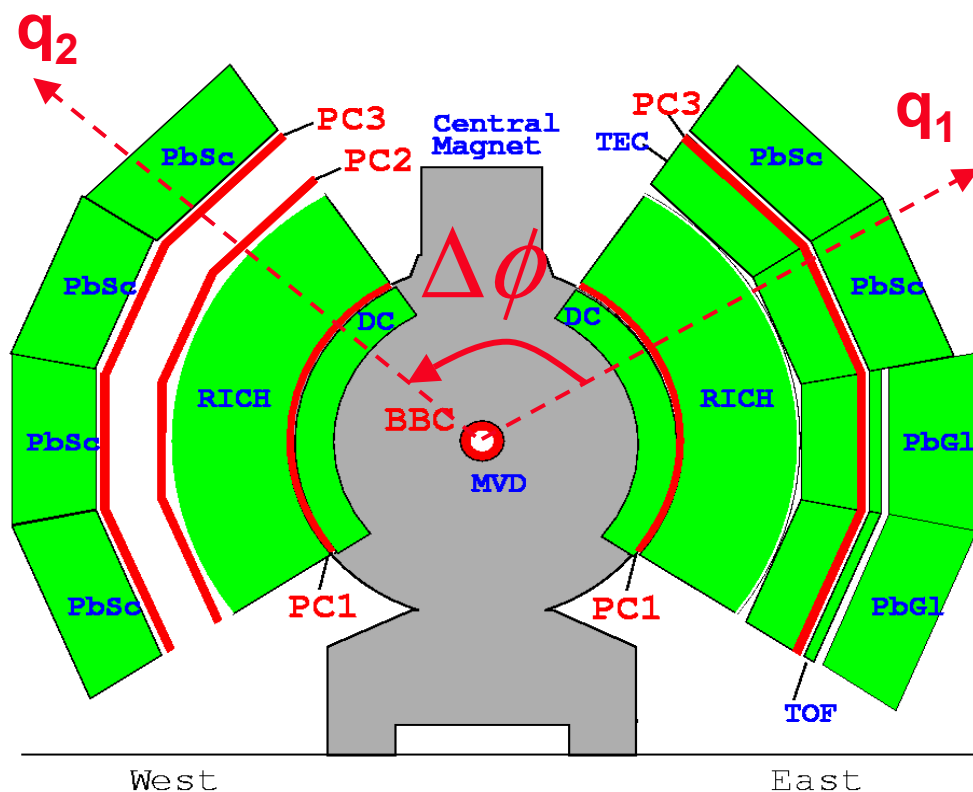
Spatial azimuthal anisotropy in the initial state

→ pressure gradients →

elliptic flow momentum pattern in the final state

$$C(\Delta\phi)_{\text{flow}} \propto (1 + 2 v_2^2 \cos(2\Delta\phi))$$

Details of the analysis



**PHENIX
Run2
Detector**

30M min-bias events analyzed

Contributions to the near-angle peak (other than jets):

- **conversion e^\pm** : efficiently reduced by the RICH veto.
- **weak decays (K^0_S , Λ)**: not significant in the p_\perp region presented here. Also, they produce a narrower peak than jets.
- **random background**: reduced by the outer detector (PC3) tight matching.

Extraction of the near-angle peak

Correlation function (mixed event technique):

$$C(\Delta\phi) = \frac{N_{\text{real}}(\Delta\phi)}{N_{\text{mixed events}}(\Delta\phi)}, \quad \Delta\phi = |\phi_1 - \phi_2|$$

Fit with a flow-like term and a jet-like term:

$$N \left[1 + 2 v_2^2 \cos(2 \Delta \phi) \right] + \sqrt{\frac{\pi}{2}} \frac{NY}{(1 - Y) \sigma} e^{-\frac{1}{2} \left(\frac{\Delta \phi}{\sigma} \right)^2}$$

- *Y is the relative yield* → gaussian area / total area
- *σ is the width* of the near-angle peak
- *v₂ is the elliptic flow coefficient*

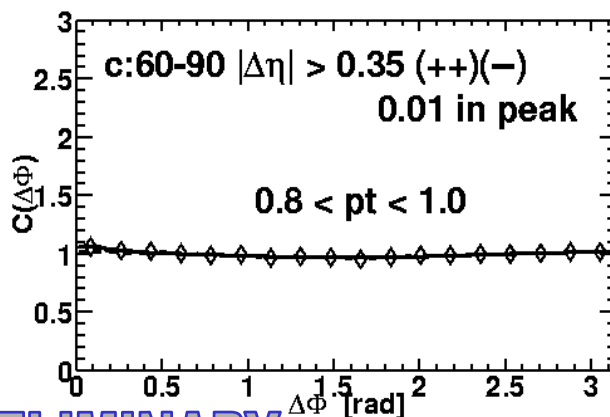
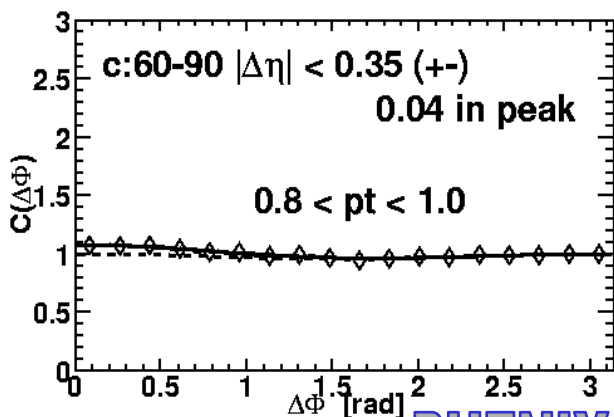
Cuts to enhance the jet contribution:

- Small rapidity gap, opposite charge ($|\Delta\eta| < 0.35$, $(q_1 q_2) = (+ -)$)
- kinematically favoured jet-like near-angle
- Large rapidity gap, same charge ($|\Delta\eta| > 0.35$, $(q_1 q_2) = (+ +)(- -)$)
- kinematically disfavoured jet-like near-angle

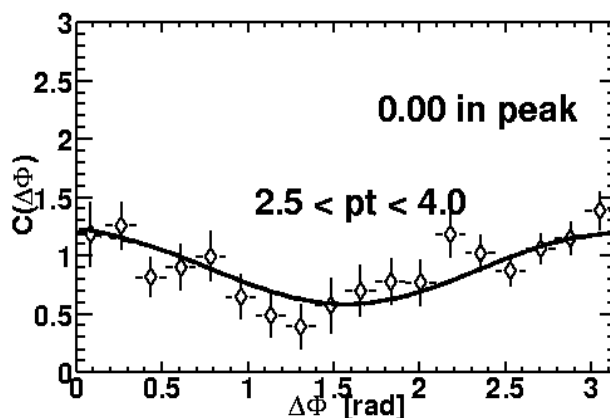
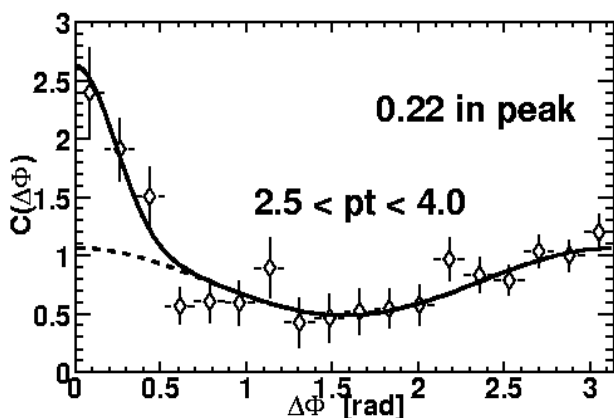
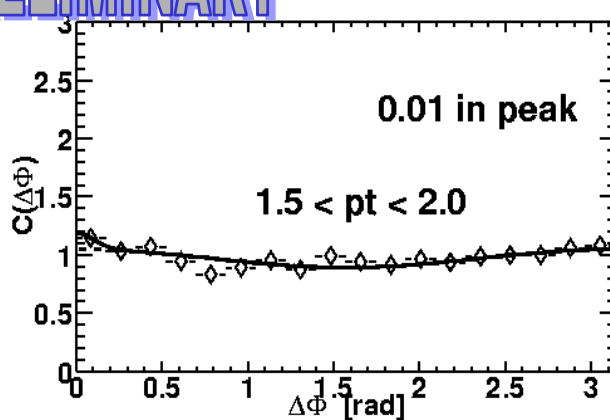
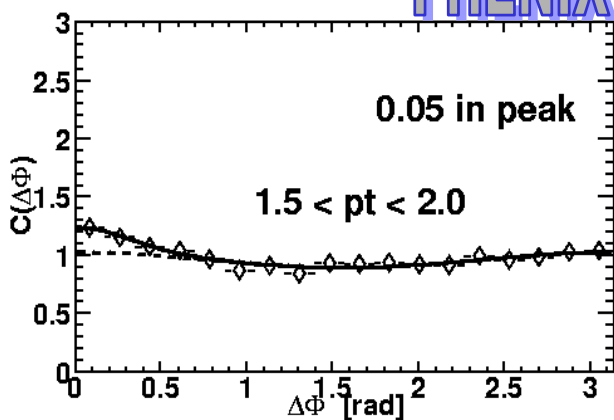
Peripheral Fixed p_{\perp} Correlation Function

Kinematically favoured
near-angle peak

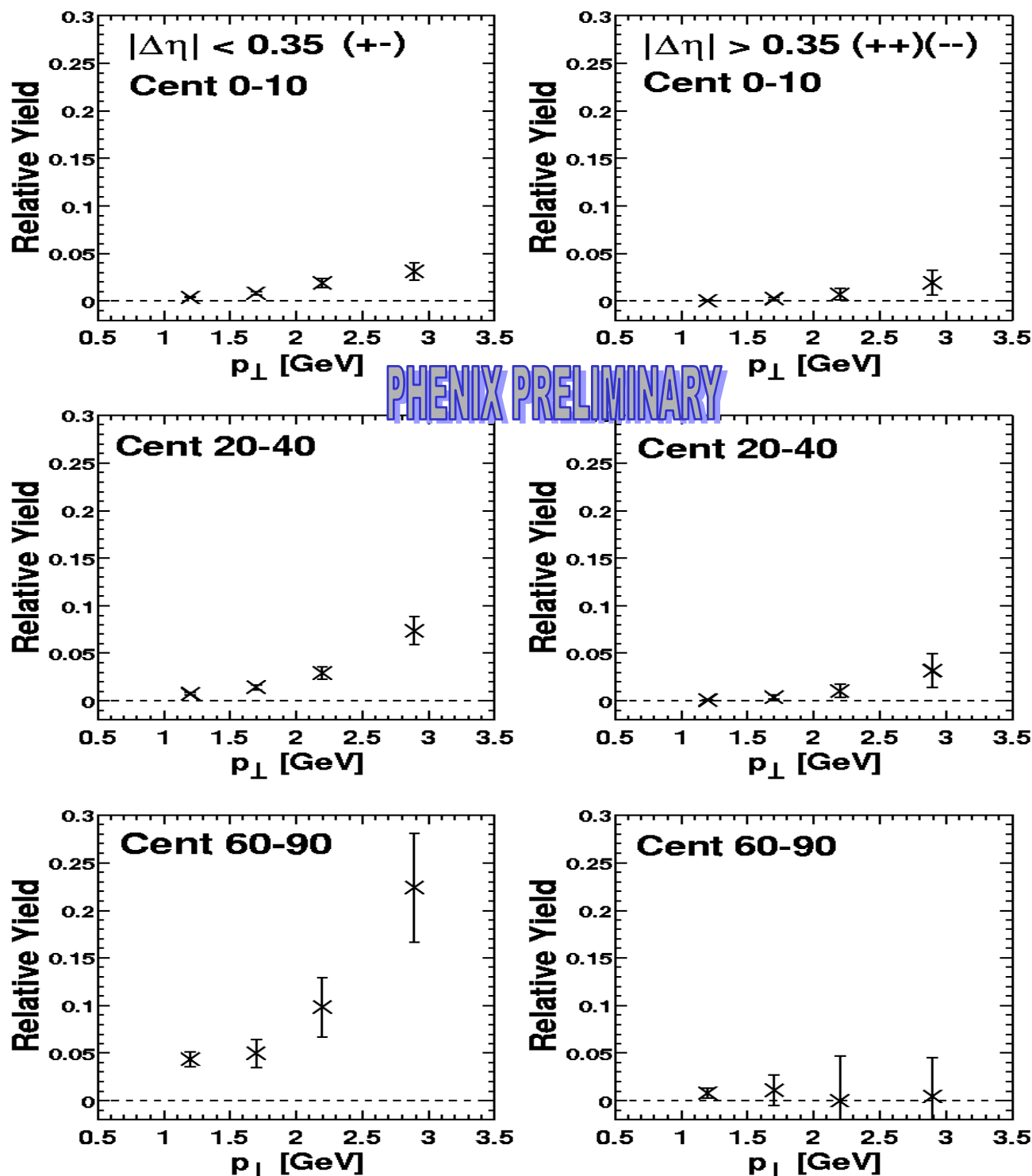
Kinematically disfavoured
near-angle peak



PHENIX PRELIMINARY



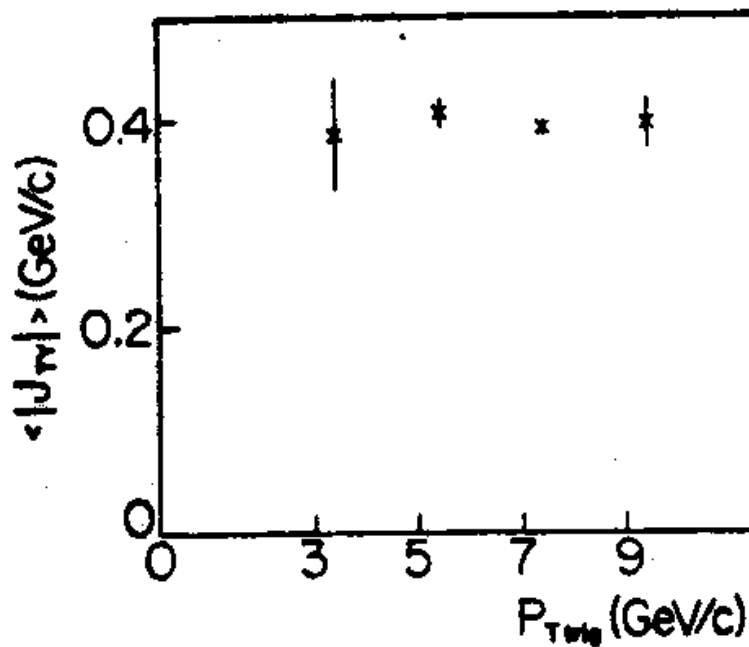
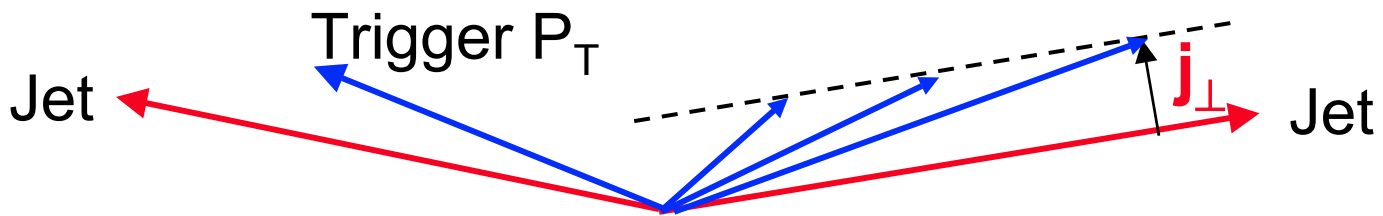
Relative Yields



Centrality and p_{\perp} dependence indicative of [jet-like source](#)

pQCD parton fragmentation in p-p collisions

j_{\perp} is the transverse momentum with respect to “jet” axis

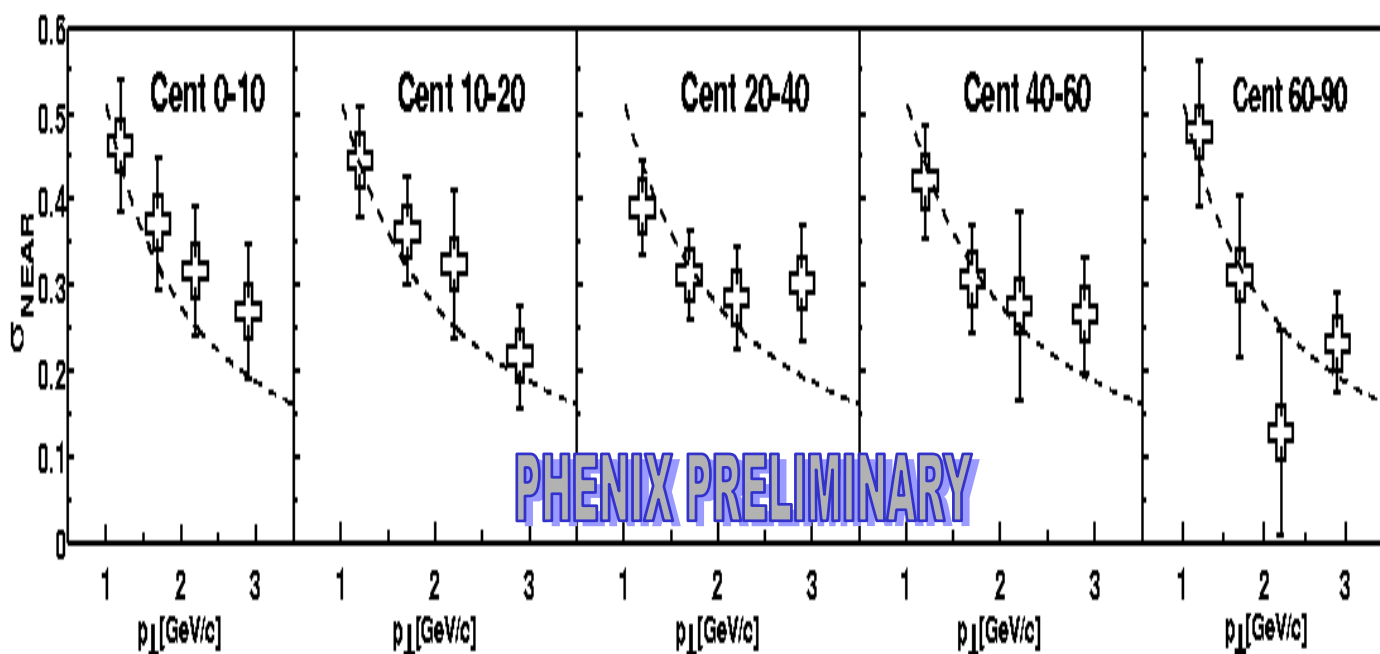


$\langle |j_T| \rangle = 400 \text{ MeV/c}$,
independent of p_{\perp}^{Trig}
for $\sqrt{s} = 31, 45, 62 \text{ GeV}$

CCOR Collaboration
Phys. Lett. 97B, 163 (1980)

Near-Angle Widths

The extracted width of the gaussian term (the dashed line - not a fit - corresponds to a constant $j_{\perp}=400$ MeV):



Within the present errors, **no evidence of broadening**

Conclusions and Outlook

- Jet-like near-angle structure is observed in two-particle correlations in Au-Au collisions at $\sqrt{s} = 200 \text{ AGeV}$
- The relative yield decreases with centrality and increases with p_{\perp} .
- Near-angle widths also show a p_{\perp} dependence characteristic for jets. No centrality dependence.
- Comparison with PHENIX p-p data at the same collision energy will be added soon.
- The study of the near-angle peak in other channels than $h^{\pm}\text{-}h^{\pm}$ (like $\pi^0\text{-}h^{\pm}$) will allow us a better extraction of its properties.