



Prospects for Systematic d-Au studies with PHENIX

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for the PHENIX Collaboration

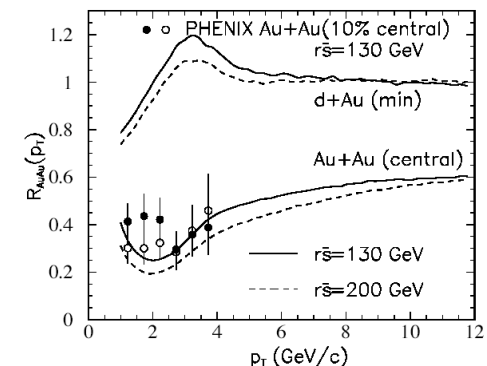
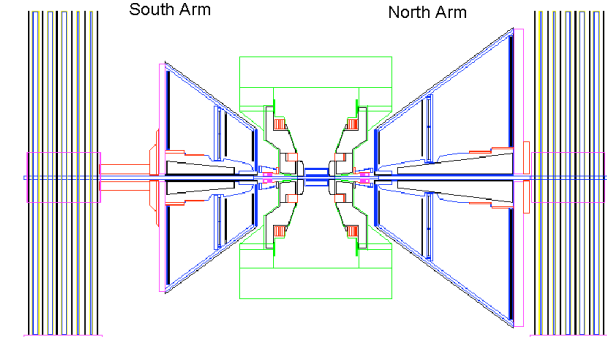
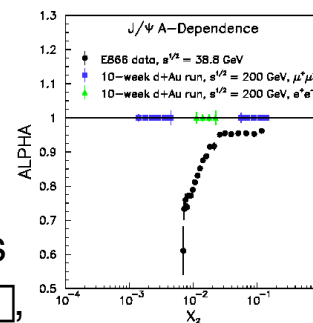
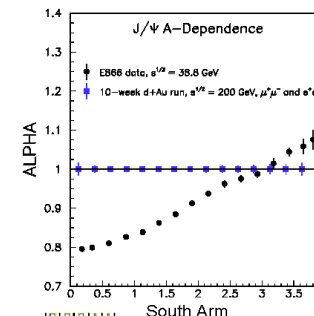
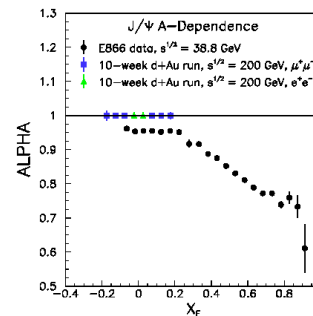


Unique Time/Unique Opportunity

- ✿ First time in (short) history of H.I.C. when entire field is focused on p(d)-A for a year
 - Common understanding that p(d)-A is essential for quantitative study of A-A re: QGP
 - Studies of cold nuclear matter interesting in their own right
- ✿ Opportunity exists for systematic measures that rely less on theoretical propositions
- ✿ Use this time to understand numerous physics signals
- ✿ In this talk I'll outline some of the PHENIX plans for d-Au studies, focusing primarily on centrality definition techniques

PHENIX and d-Au

- ☀ The baseline PHENIX detector is COMPLETE!
- ☀ With the upcoming d-Au run, this detector can be used to measure
 - High p_T hadrons: jet suppression vs. parton saturation
 - J/ψ production over a wide kinematic range: nuclear shadowing at small x
 - Open charm from high p_T leptons
 - Cold nuclear medium effects on ψ , χ
 - Variety of hadronic observables:
 - E_T , N_{ch} , HBT
- ☀ While many theoretical predictions can be differentiated with min-bias distributions, systematic studies require global event characterization



Wang & Wang PRL89 (2002) 162301

Q: is p-A d-A?

💡 A1: No

💡 A2: Yes

💡 Study (by B. Cole) of thickness function (T) seen by p & n in deuteron

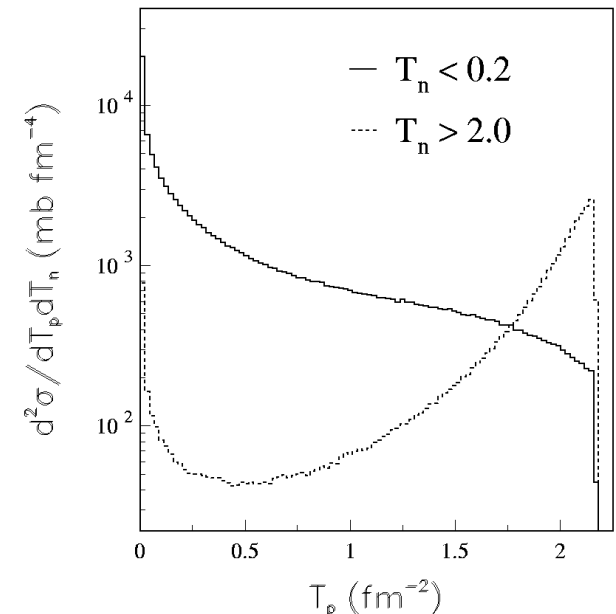
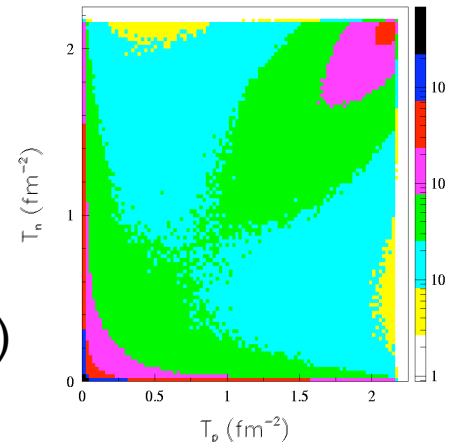
— Monte Carlo deuteron using Hulthen wave function

💡 For central neutron proton distribution mostly central

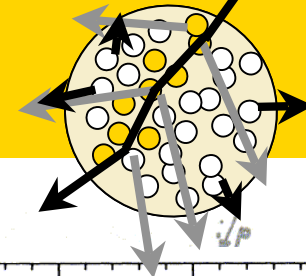
💡 For peripheral, peripheral

💡 But long tails due to deuteron size

💡 How can we trigger on collision conditions?



Shades of grey



- ✶ True systematic comparison with minimum of theoretical meddling requires N_{binary} dial
- ✶ How
 - Variety of d-A combinations?
 - Trivial to do in fixed target experiments
 - Unrealistic at RHIC
 - Particle multiplicity or E_T ?
 - Difficult to disentangle biases
 - E.g. N_{\square} multiplicity vs. E_T
 - Problem exacerbated for low multiplicity environment of d-A
 - Grey particles
 - “Knock-out” nucleons – forward biased
 - More sensitive, less biased, independent measure of centrality
 - Black particles
 - Evaporation nucleons -- isotropic
 - Also related to centrality (but less so)

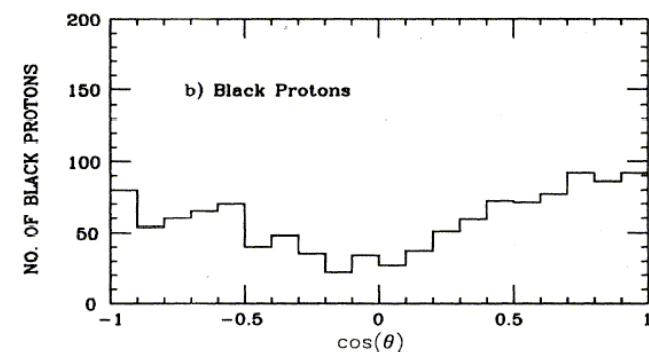
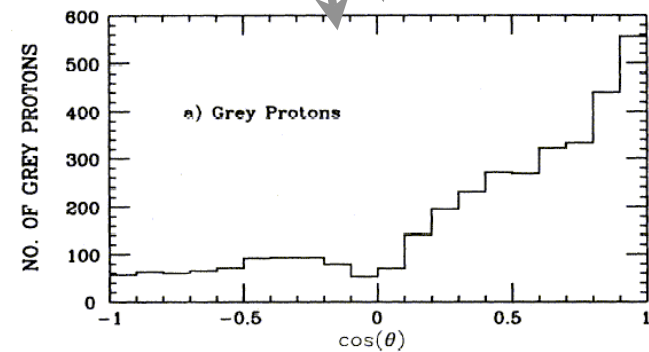
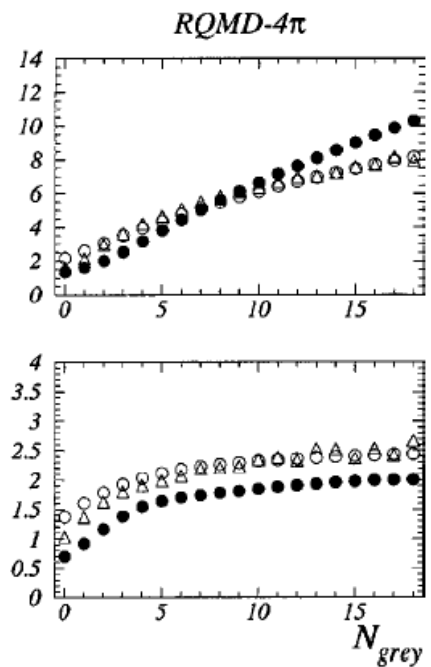
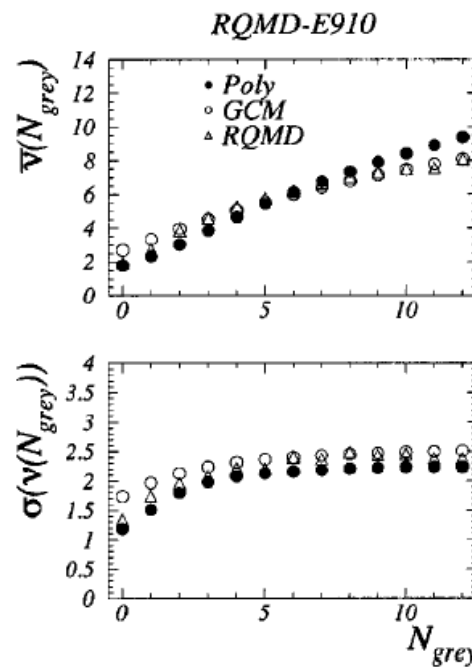
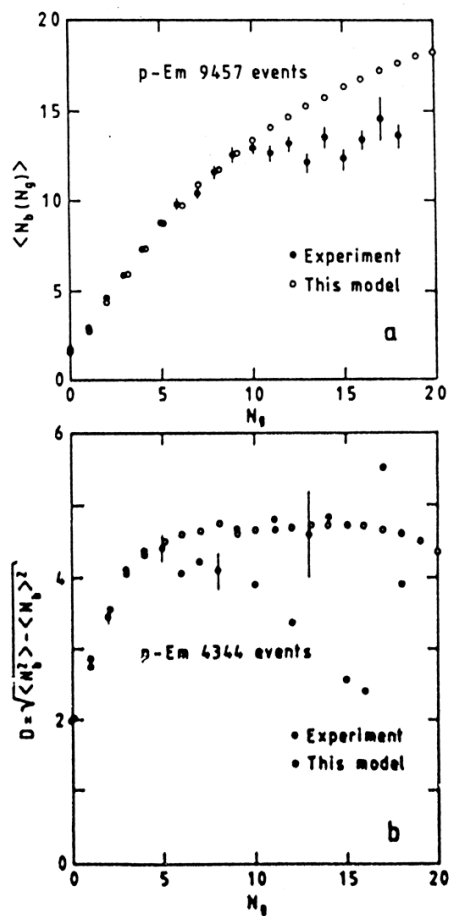


FIG. 2. Angular distribution of identified protons with respect to the beam direction for (a) grey protons with momentum > 0.3 GeV/c and (b) black protons with momentum < 0.3 GeV/c.

$N_{\text{grey}}/N_{\text{black}}$ relations

Stenlund & Otterlund
NPB198 407



E910: PRC 60 024902



Physical picture:

- N_{grey} directly related to N_{binary}
- N_{black} related to excitation of nucleus (N_{grey})

Previous Uses of Grey Protons

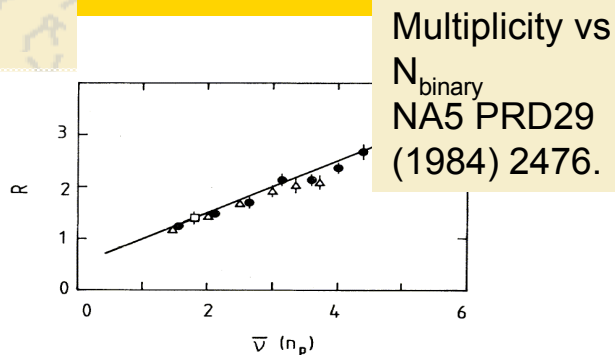
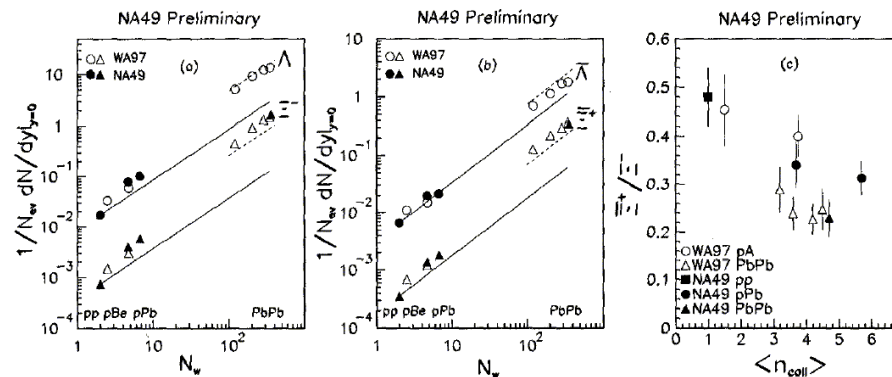
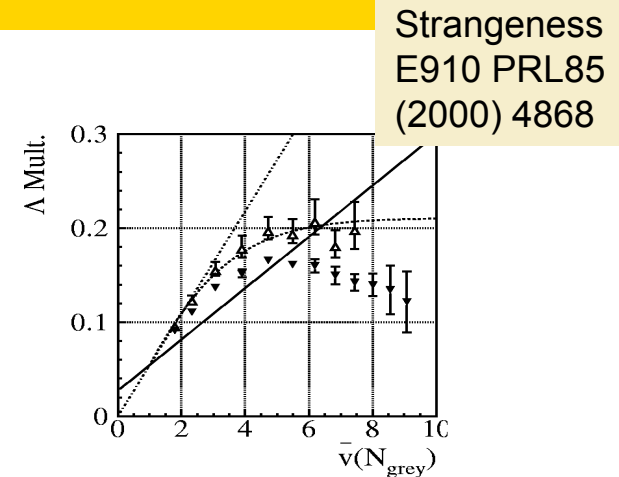


FIG. 4. The ratio $R = \langle n \rangle_{pA} / \langle n \rangle_{pp}$ versus the average number $\bar{v}(n_p)$ of projectile collisions for $p\text{Xe}$ (circles), $p\text{Ar}$ (triangles), and $p\text{Ne}$ (squares) collisions. A line of the form $R = 0.5[\bar{v}(n_p) + 1]$ is shown for comparison.

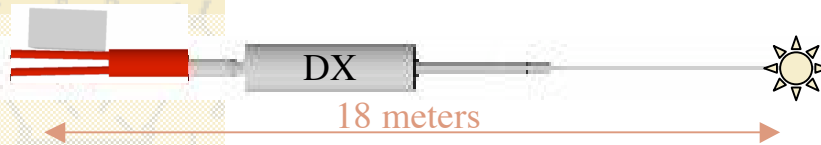


Strangeness
at CERN NA49
PRL85 (2000)
4868

Figure 3. Mid-rapidity yields as a function of number of wounded nucleons for (a) baryons (b) antibaryons (c) Ξ^+/Ξ^- ratio at mid-rapidity

And where are they located at RHIC?

Tagging centrality/collision flavor



On nucleus side:

- ZDC measures only evaporation (black) neutrons (by design)
- Beam pipe shadows grey neutrons
- Larger calorimeter on Au side can measure grey protons



On deuteron side:

- ZDC can tag on p-A like collisions
- Addition of small proton calorimeter can trigger on n-A like collisions



Interesting side notes:

- Same detector on Au side can be used in p-A
- Combination of both detectors can trigger on 200GeV n-n collisions should RHIC every run d-d.

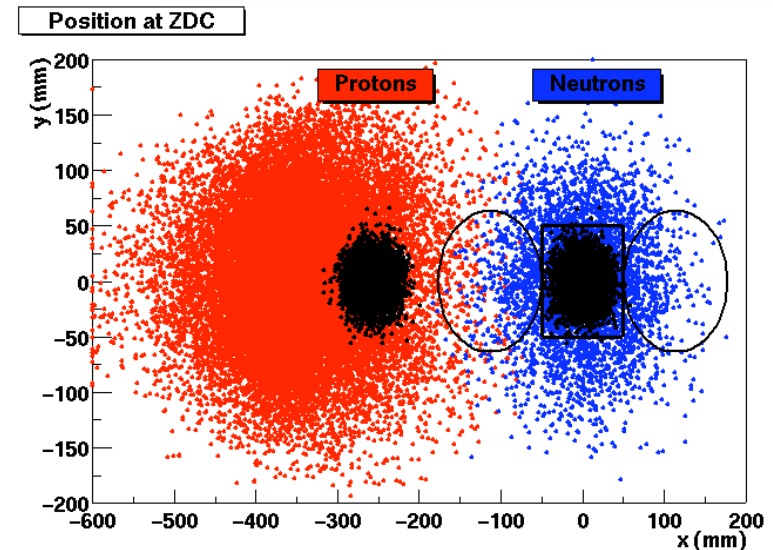
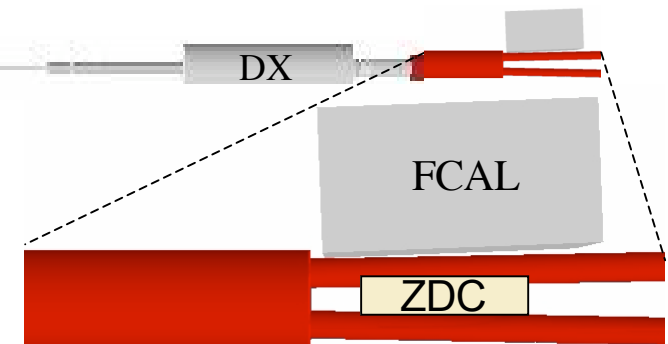
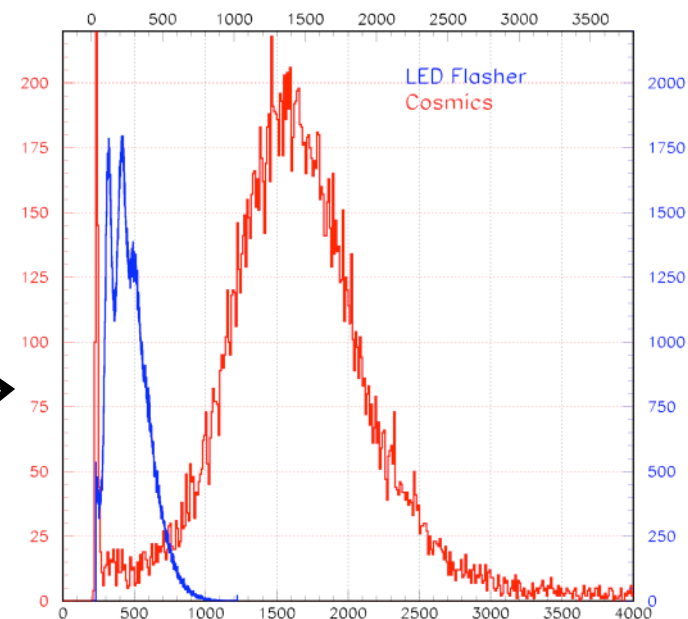


Fig: Distribution of black and grey nucleons at ZDC position with no scattering. [Protons look wider in y due to relative statistics thrown.]

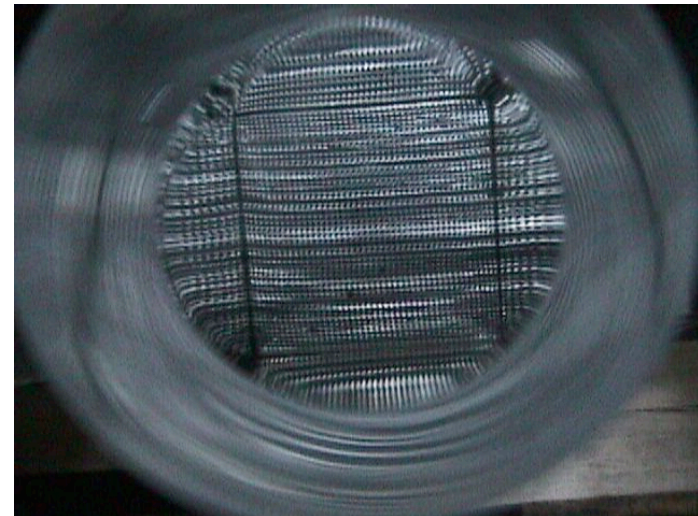
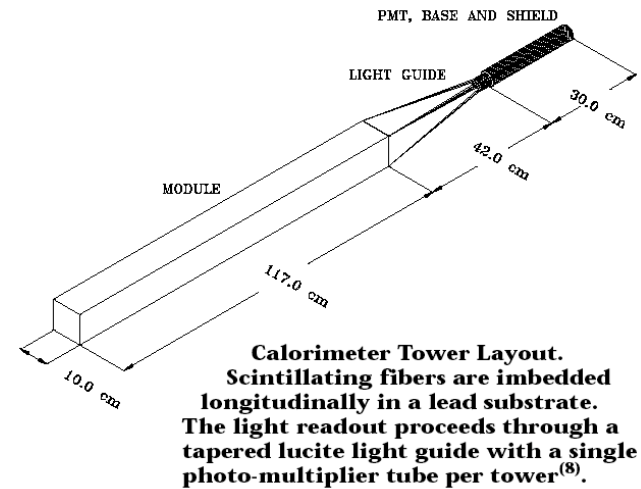
Born in the Bahamas

- 💡 Needed working calorimeter on short order
- 💡 @ 18th Winter Workshop:
 - Mentioned idea to measure forward protons in d-A collisions to several participants -- searching for quick detector solution
 - Encouraged (by Rene) to consider 864 hadron calorimeter
- 💡 Over the course of the next couple months we
 - Found the modules (eek!)
 - Tested them (aah!)

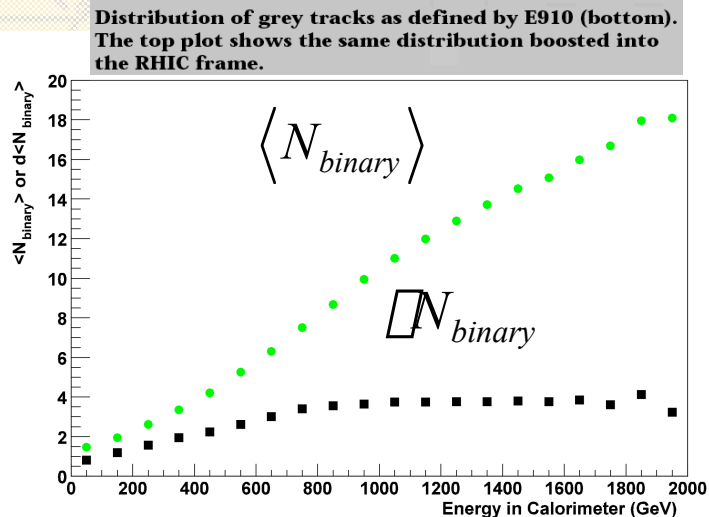
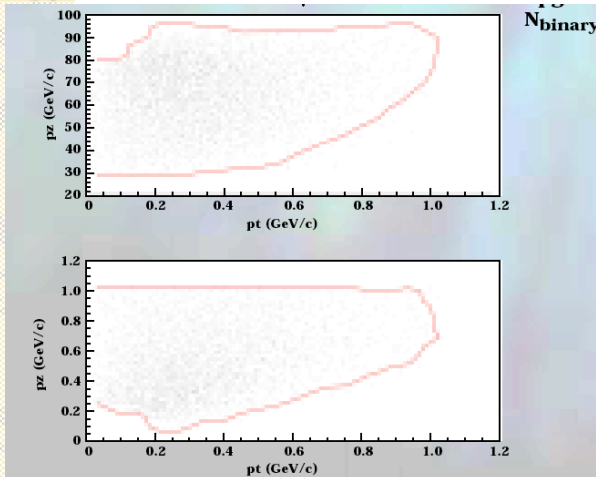


Detector Specifics

- ☀ >700 Pb-Sci modules
 - 10cmx10cm face
 - 117cm long
 - Scintillating fibers along length in grooves of Pb
 - 47x47 array
 - Best energy resolution: $35\%/\sqrt{E}$
- ☀ E864: NIM A406 (1998) 227

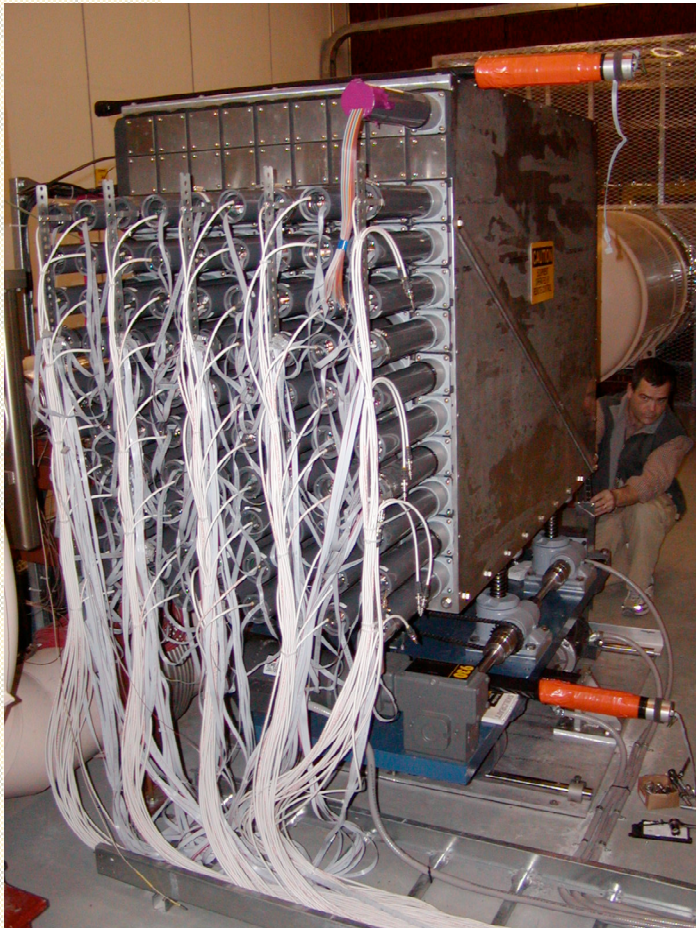


Expected Sensitivity



- ✂ Throw d-Au collisions with simple Glauber model ==> determine N_{binary}
- ✂ Use E910/Stenlund-Otterlund measurements to determine
 - $N_{grey}(N_{binary})$
 - $N_{black}(N_{grey})$
- ✂ Take raw grey/black definition from E910 ntuple -- boost to RHIC energies
- ✂ Simple MC including
 - All beam components
 - One big block of Pb-Sci for calorimeter
- ✂ N_{binary} resolution very similar to E910.

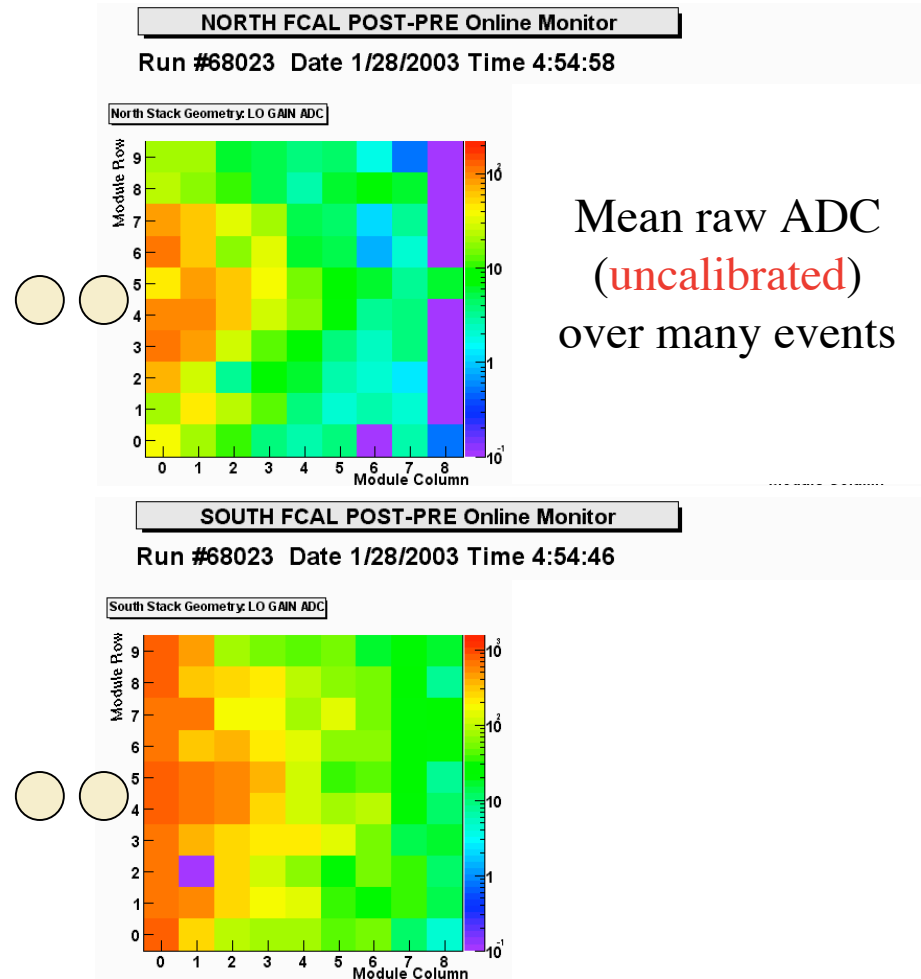
From Vision to Reality



- 💡 Detector instrumented in PHENIX
- 💡 Array of 9x10 modules centered at beam pipe
 - Cockcroft-Walton on tube base -- only supply LV
 - Signals into identical electronics as the PHENIX Emcal
 - Low and high (x16) gain readout
 - Low gain tuned for beam, high gain still good for cosmics
 - Array remotely moveable for calibration
 - That's 12 tons within 1/2cm of the beam pipe...
- 💡 Nearly identical detector built by PHOBOS

First Results

- ☀ The detector is in, working, and taking data.
- ☀ South detector (Au) is run at lower PMT gain than north (d)
 - Don't compare absolute scales of top figure to bottom
- ☀ As expected: proton shower much more contained than black/grey distribution
- ☀ Blacks predominantly contained to first couple columns, greys distributed over rest of calorimeter





The Present and the Future

- 💡 Detailed simulations of detector response
- 💡 Precise calibration of modules
 - With comics and beam
- 💡 Shower reconstruction
 - To improve N_{binary} resolution
- 💡 N_{binary} analysis
 - Full event characterization includes intelligent use of FCAL, ZDC, BBC, etc.
- 💡 Publish
- 💡 Sleep

Collaborators:

- ☀ The results of this work are well-nigh impossible without the work of a large number of collaborators



- ☀ However, those individuals who contributed directly to this small part of PHENIX for a significant fraction of their time are:
 - Jane Burward-Hoy (LANL), Nathan Grau (ISU), Mike Heffner (LLNL), Gerd Kunde (LANL), Ron Soltz (LLNL), Ray Stantz (FAU), SCJ (LLNL)
- ☀ We also enjoy a strong collaborative relationship with the PHOBOS PCAL group:
 - Nigel George, Corey Reed, George Stephans



Extra slides:

Deuteron Wave Function

Hulthen wave function

- I have started with the Hulthen wave function for the deuteron because it is trivial to Monte-Carlo.

$$\square \quad \psi(r) = \frac{1}{\sqrt{2\square}} \frac{\sqrt{ab(a+b)}}{b\square a} \frac{(e^{-\square ar} \square e^{-\square br})}{r}$$

$$\square \quad P(r) = 4\square r^2 \square^2(r) = \frac{2ab(a+b)}{(b\square a)^2} \left(e^{-\square 2ar} + e^{-\square 2br} \square 2e^{-\square (a+b)r} \right)$$

\square This probability distribution can be represented as the convolution of three exponential distributions

$$\square \quad P_1(r) = 2ae^{-\square 2ar}$$

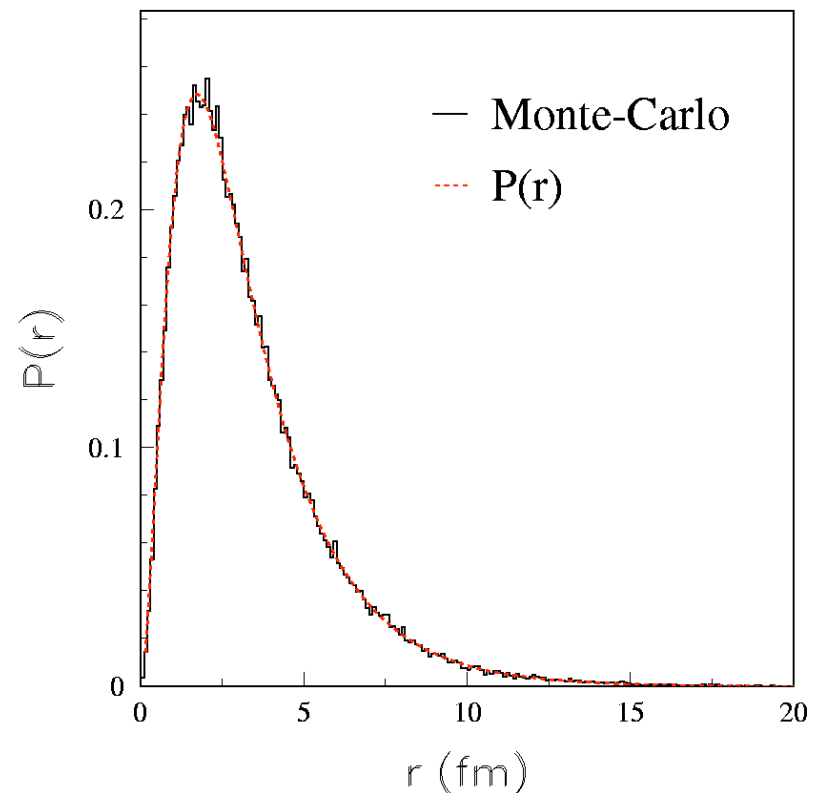
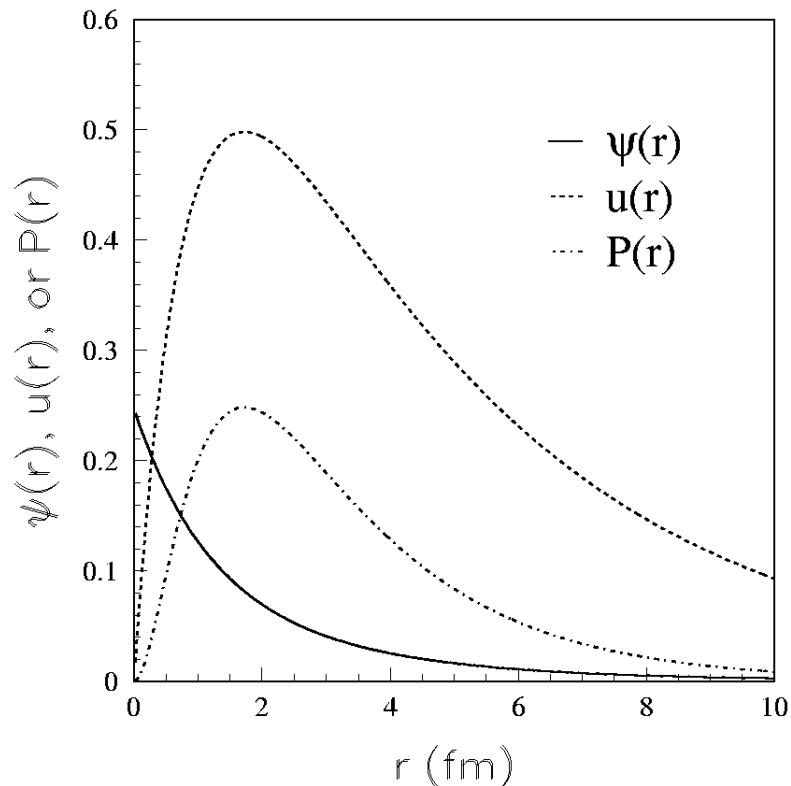
$$\square \quad P_2(r) = 2be^{-\square 2br}$$

$$\square \quad P_3(r) = (a+b)e^{-\square (a+b)r}$$

$$\square \text{ To Monte-Carlo } P(r): \quad r = \square \left[\frac{1}{2a} \ln(\text{ran}()) + \frac{1}{2b} \ln(\text{ran}()) + \frac{1}{a+b} \ln(\text{ran}()) \right] \square$$

Hulthen Wave Function -- Results

- a & b can be specified w/ equivalent energies, $E_a = \hbar^2 a^2 / m$.
□ $E_a=2.22$, $E_b=59.8$ MeV □ $1/a = 4.38$ fm, $1/b = 0.85$ fm.
- Below I plot the wave-function & related distributions and a comparison of Monte-Carlo and $P(r)$.



Slide stolen from B.A. Cole 31 May 2002