

Electron Beam Polarimetry at Jefferson Lab

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EIC Collaboration Meeting
January 12, 2010

1. Mott Polarimeter
2. Møller Polarimeters
2. Compton Polarimeters
3. Summary

JLab Polarimetry Techniques

- Three different processes used to measure electron beam polarization at JLab
 - Møller scattering: $\vec{e} + \vec{e} \rightarrow e + e$, atomic electrons in Fe (or Fe-alloy) polarized by external magnetic field
 - Compton scattering: $\vec{e} + \vec{\gamma} \rightarrow e + \gamma$, laser photons scatter from electron beam
 - Mott scattering: $\vec{e} + Z \rightarrow e$, spin-orbit coupling of electron spin with (large Z) target nucleus
- Each has advantages and disadvantages in JLab environment

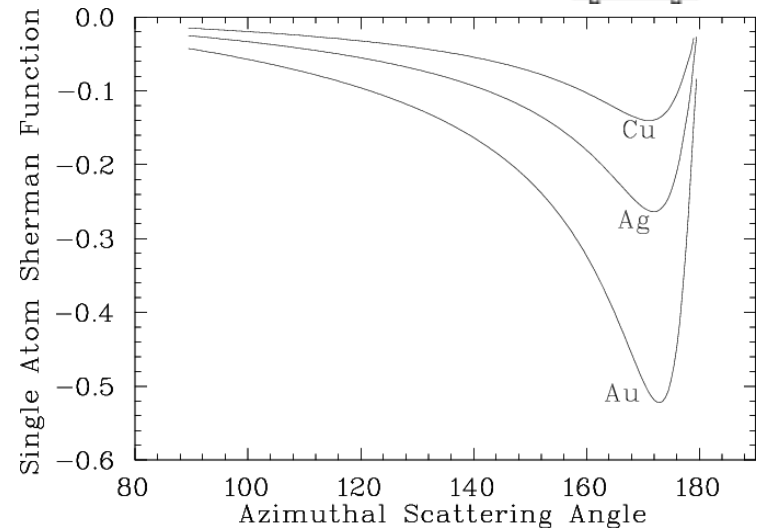
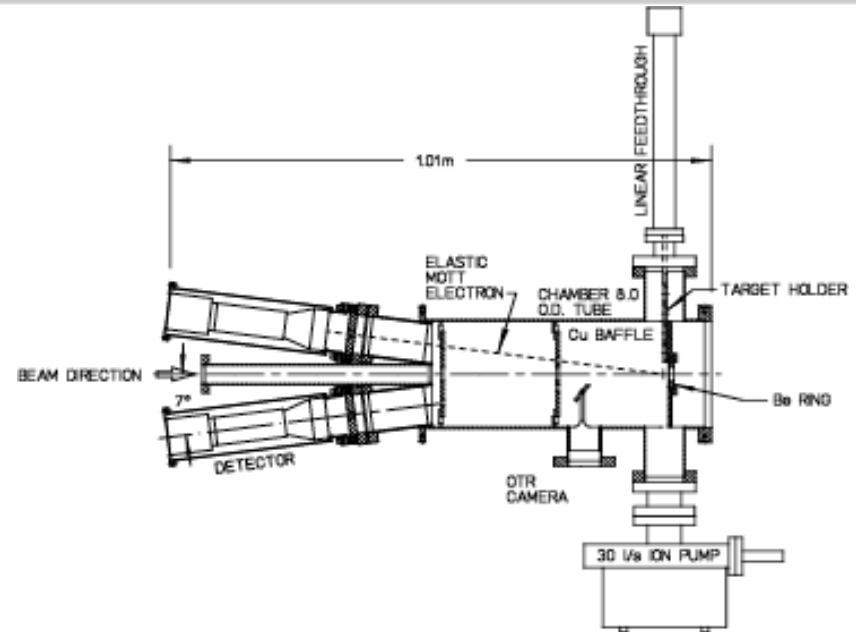
Method	Advantage	Disadvantage
Compton	Non-destructive	Can be time consuming, systematics energy dependent
Møller	Rapid, precise measurements	Destructive, low current only
Mott	Rapid, precise measurements	Measures at 5 MeV in the injector only – not the experimental hall

5 MeV Mott Polarimeter

- Mott polarimeter located in the 5 MeV region of the CEBAF injector
- Target must be thin, large Z material \rightarrow 1 μm Au foil
- Asymmetry maximized near 172° , given by

$$A = \frac{N_r - N_l}{N_r + N_l} = P_{beam} S(\theta)$$

- $S(\theta)$ is the Sherman function \rightarrow must be calculated from e-nucleus cross section
- Knowledge of Sherman function dominant systematic uncertainty $\sim 1.0\%$

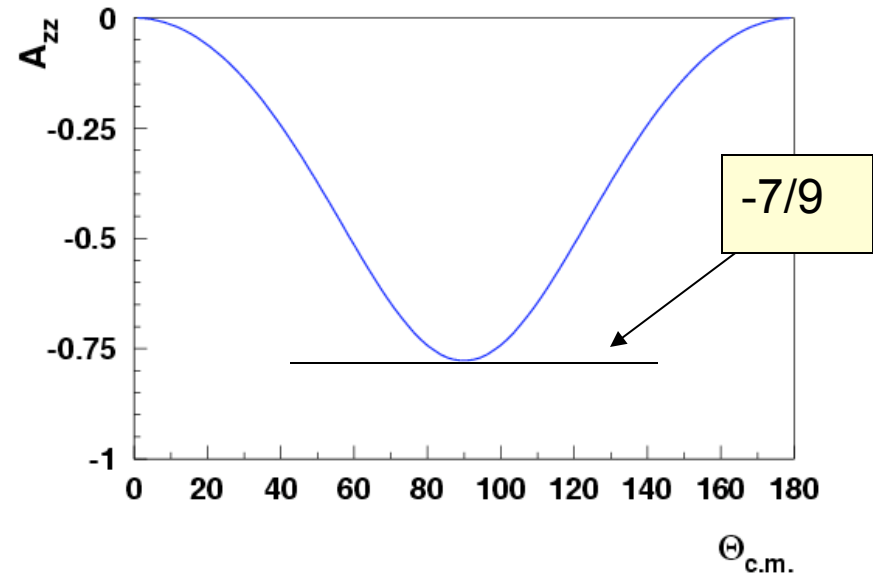


JLab Mott Polarimeter

- Mott polarimeter has proved extremely useful at JLab
 - allows polarized source group to quantify photocathode performance without beam in main machine → not dependent on experiments (halls) for feedback
 - allows quick cross-check when polarimeters in experimental halls yield odd results → also helps diagnose problems with transport (Wien filter not set correctly, etc.)
- Mott drawbacks and limitations
 - Low current measurements only
 - Source group is too busy to make this a “1%” device all the time – it works well, but ideally should not be counted on for your physics results
 - Making a Mott measurement interrupts beam to everyone

Møller Polarimetry at JLab

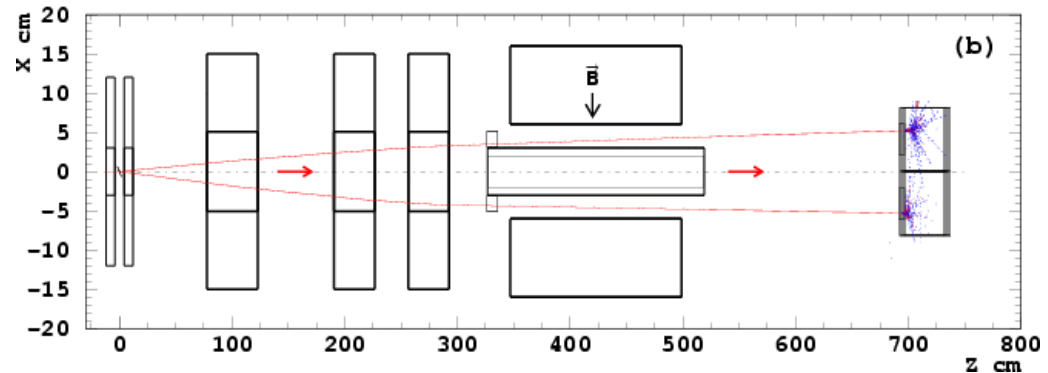
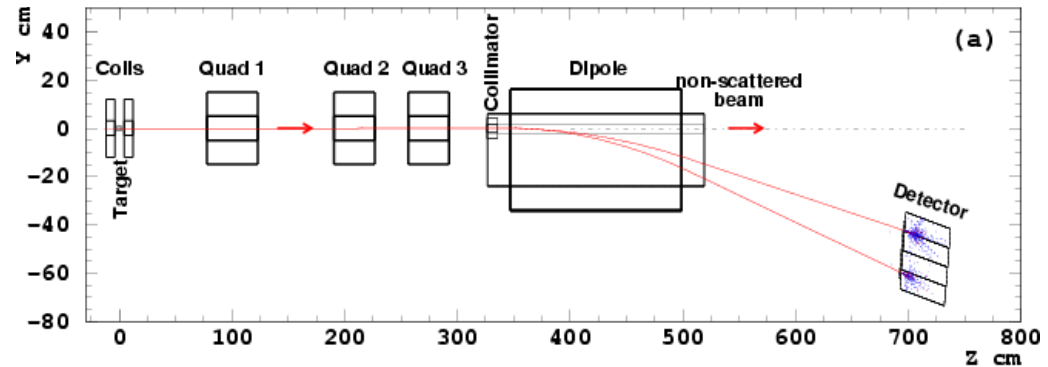
- Møller polarimetry benefits from large long. asymmetry $\rightarrow -7/9$
 - Asymmetry independent of energy
 - Relatively slowly varying near $\theta_{\text{cm}}=90^\circ$
 - Large asymmetry diluted by need to use iron foils to create polarized electrons
 $\rightarrow P_e \sim 8\%$
- Rates are large, so rapid measurements are easy
- Need to use Fe or Fe-alloy foils means measurement must be destructive



- Making measurements at high beam currents challenging

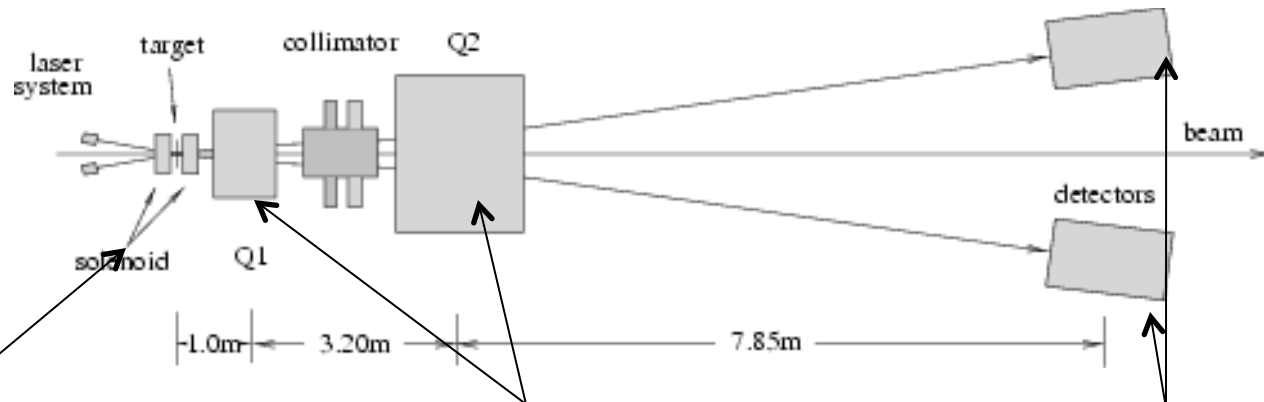
Hall A Møller Polarimeter

- Target = supermendeur foil, polarized in-plane
 - Low field applied (240 G)
 - Tilted 20° relative to beam direction
 - Target polarization known to $\sim 2\%$ \rightarrow *this will improve*
- Large acceptance of detectors mitigates potentially large systematic unc. from **Levchuk** effect (atomic Fermi motion of bound electrons)
- Large acceptance also leads to large rates dead time corrections cannot be ignored, but are tractable



Basel-Hall C Møller Polarimeter

- 2 quadrupole optics maintains constant tune at detector plane
- “Moderate” (compared to Hall A) acceptance mitigates **Levchuk** effect → still a non-trivial source of uncertainty
- Target = pure Fe foil, brute-force polarized out of plane with 3-4 T superconducting magnet
- Total systematic uncertainty = **0.47%** [NIM A 462 (2001) 382]



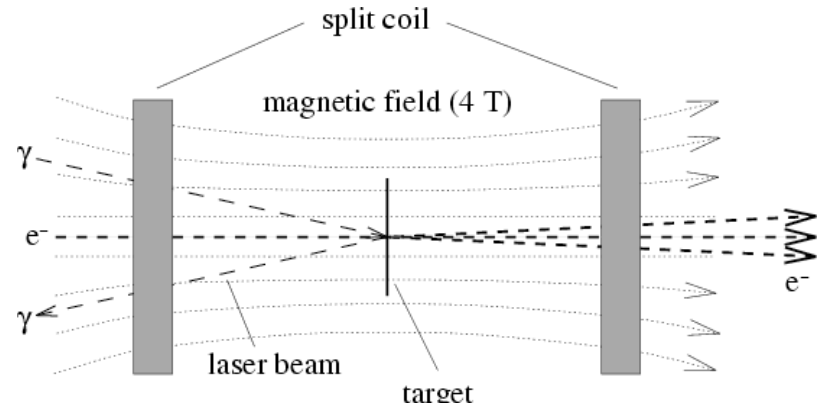
Superconducting solenoid

Quads for steering Møller events to detectors

Lead-glass electron detectors

Hall C Møller Target

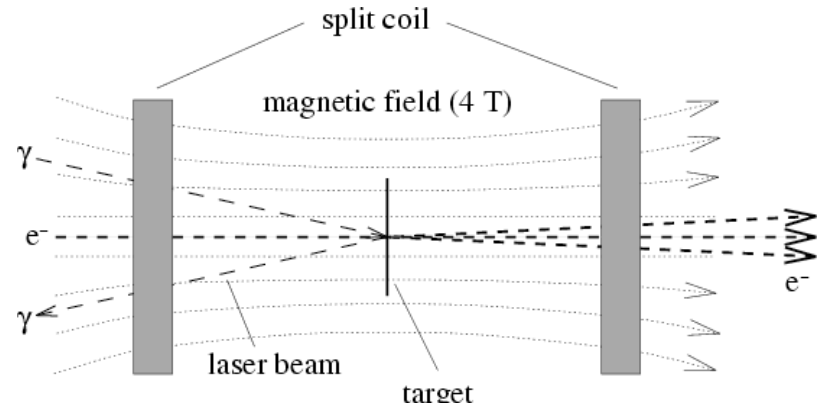
- Fe-alloy, in-plane polarized targets typically result in systematic errors of 2-3%
 - Requires careful measurement of magnetization of foil
- **Hall C uses a pure Fe saturated in 4 T field**
 - Spin polarization well known \rightarrow 0.25%
 - Temperature dependence well known
 - No need to directly measure foil polarization



Effect	$M_s[\mu_B]$	error
Saturation magnetization ($T \rightarrow 0$ K, $B \rightarrow 0$ T)	2.2160	± 0.0008
Saturation magnetization ($T = 294$ K, $B = 1$ T)	2.177	± 0.002
Corrections for $B = 1 \rightarrow 4$ T	0.0059	± 0.0002
Total magnetization	2.183	± 0.002
Magnetization from orbital motion	0.0918	± 0.0033
Magnetization from spin	2.0911	± 0.004
Target electron polarization ($T = 294$ K, $B = 4$ T)	0.08043	± 0.00015

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Hall A will move to similar target system this year (installation January-March 2010)

Møller Polarimetry at High Beam Currents

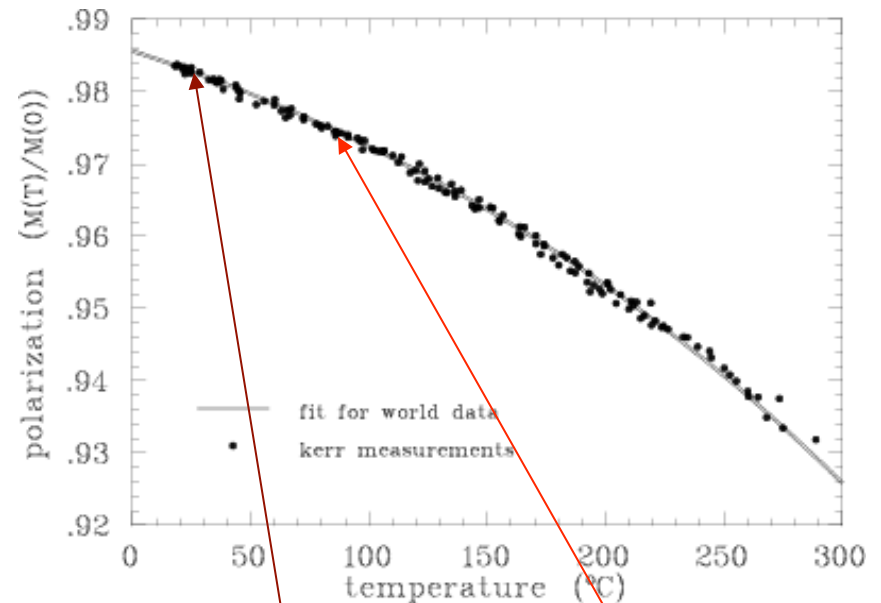
In general Møller polarimeter limited to low beam currents to avoid foil depolarization

This can be mitigated in 2 ways:

→ Use raster to increase effective beam size; upper limit still only 10-20 μA for reasonable raster sizes

→ Use fast kicker at low duty cycle to maintain low “average” beam current on target, dwell time short enough to keep effects of instantaneous heating small; in principle allow measurements up to 100 μA

Fe Foil Depolarization

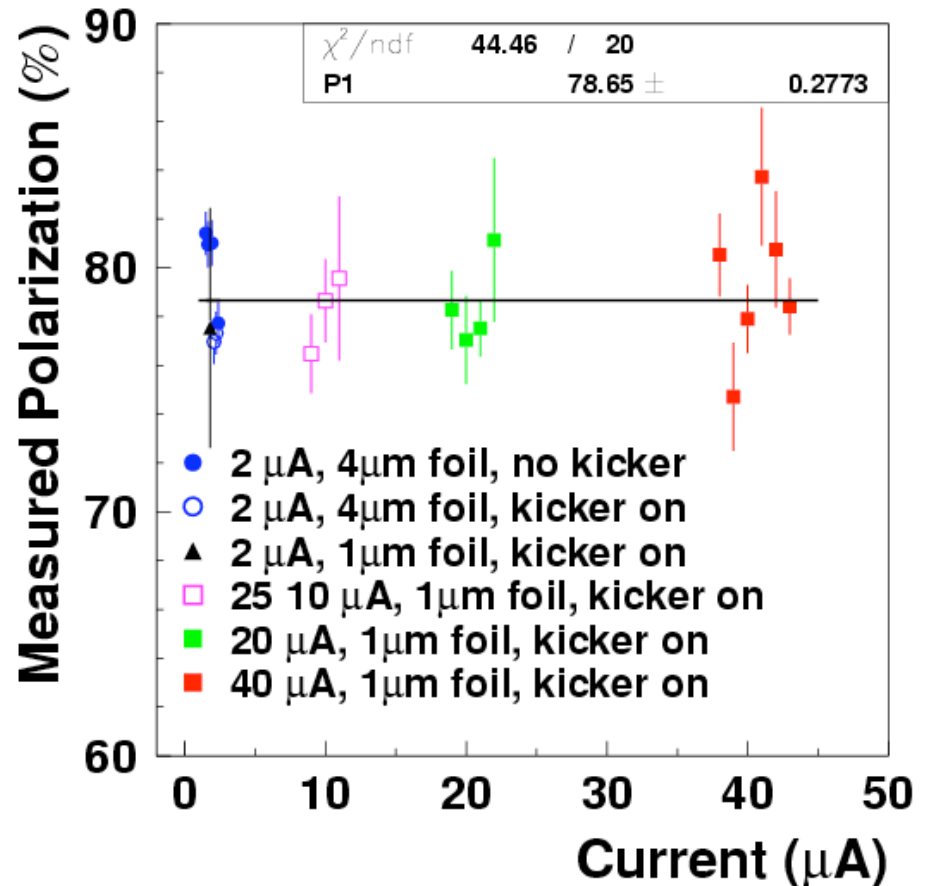


$\Delta P \sim 1\%$ for
 $\Delta T \sim 60-70$ deg.

Operating Temp.

Kicker Studies in Hall C

- Since 2003, have been pursuing studies with a fast kicker magnet and various iron wire/strip targets
- Most successful tests in 2004
 - Short test – no time to optimize polarized source
 - Tests cannot be used to prove 1% precision
- Took measurements up to 40 μA
 - Machine protection (ion chamber) trips prevented us from running at higher currents
 - Lesson learned: need a beam tune that includes focus at Møller target AND downstream
- Demonstrated ability to make measurements at high currents – good proof of principle



Møller Polarimetry with Atomic H Target

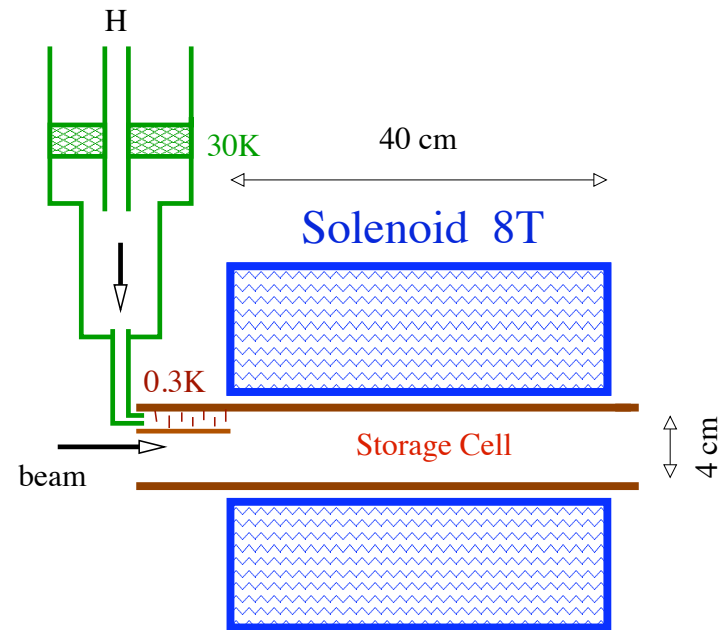
Proposal to use atomic hydrogen as target; operates at full beam current, non-destructive measurement

- at 300 mK, 8 T, $P_e \sim 100\%$
- density $\sim 3 \cdot 10^{15} \text{ cm}^{-3}$
- lifetime > 1 hour
- Expected precision $< 0.5\%$!

Contamination, depolarization expected to be small $\rightarrow < 10^{-4}$

Desired for Hall A 12 GeV *but*

- Target very complex – expertise disappearing
- Resources, manpower not identified



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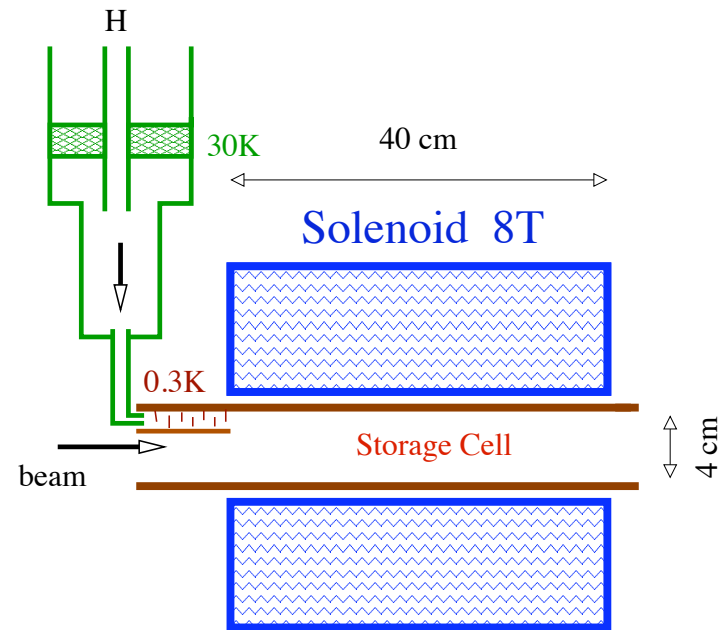
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Application at EIC? \rightarrow unlikely

\rightarrow Gas heating by radiation drops density by factor ~ 100 to 1000

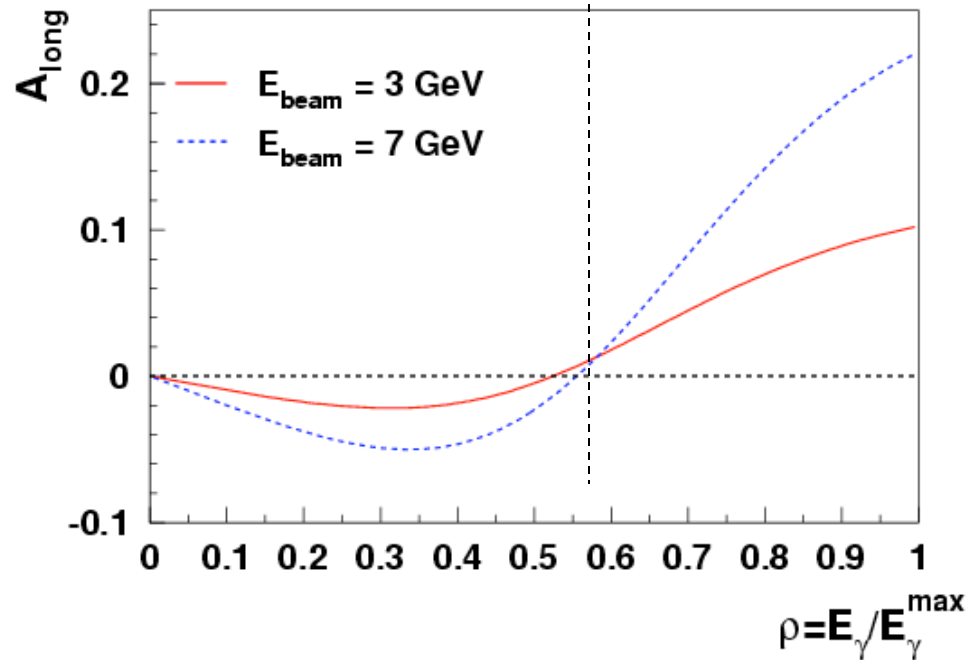
\rightarrow Beam creates field 0.2-2 kV/cm – traps positive ions

Maybe some kind of H jet target can be used instead?

Compton Polarimetry at JLab

Two main challenges for Compton polarimetry at JLab

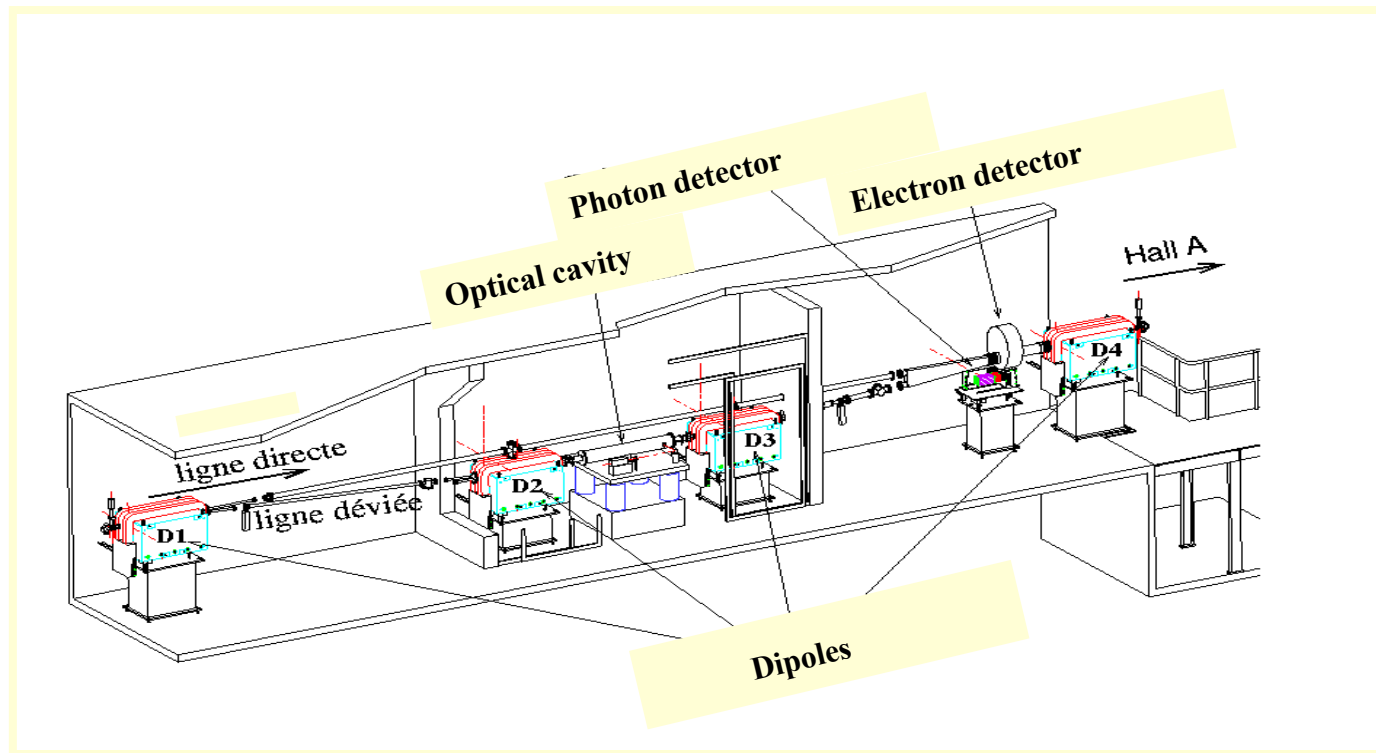
- Low beam currents ($\sim 100 \mu\text{A}$)
 - Measurements can take on the order of hours
 - Makes systematic studies difficult
- Relatively small asymmetries
 - Smaller asymmetries lead to harder-to-control systematics



- Strong dependence of asymmetry on E_{γ} is a challenge
 - Understanding the detector response is crucial

Hall A Compton Polarimeter

- Hall A Compton polarimeter uses high gain Fabry-Perot cavity to create ~ 1 kW of laser power in IR (1064 nm)
- Detects *both* scattered electron and backscattered $\gamma \rightarrow 2$ independent measurements, coincidences used to calibrate γ detector
- Systematic errors quoted at **1%** level for recent HAPPEX experiments @ 3 GeV [*PRL 98 (2007) 032301*]



Hall A Compton Polarimeter

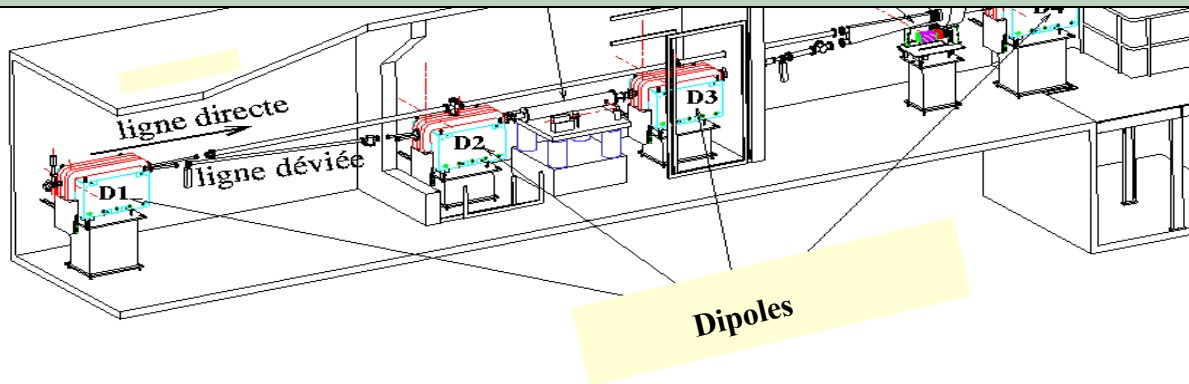
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Upgrade in progress to achieve same precision at ~ 1GeV

IR \rightarrow Green laser

Increase segmentation of electron detector

New γ detector, better suited for low energies



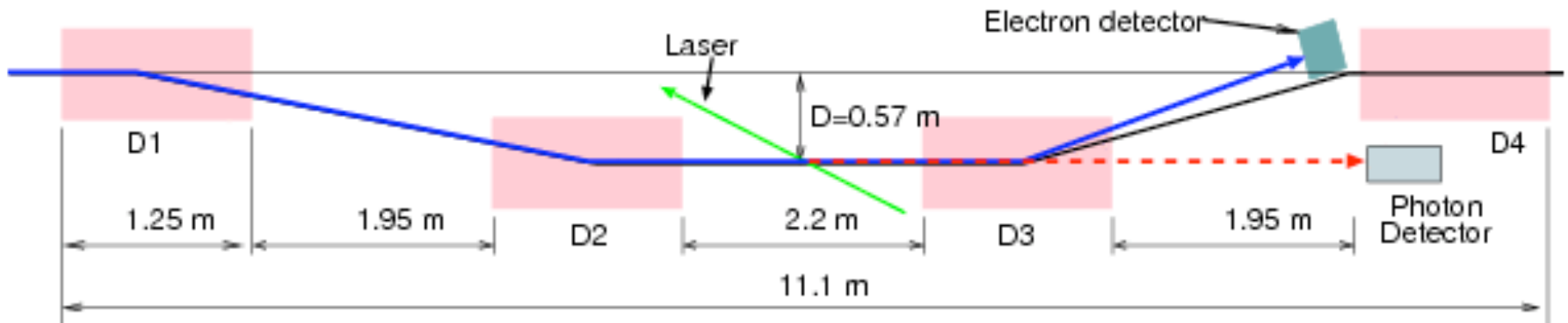
Hall C Compton Polarimeter

Hall C Compton Polarimeter under construction – completion by beginning of Q-Weak experiment in May 2010

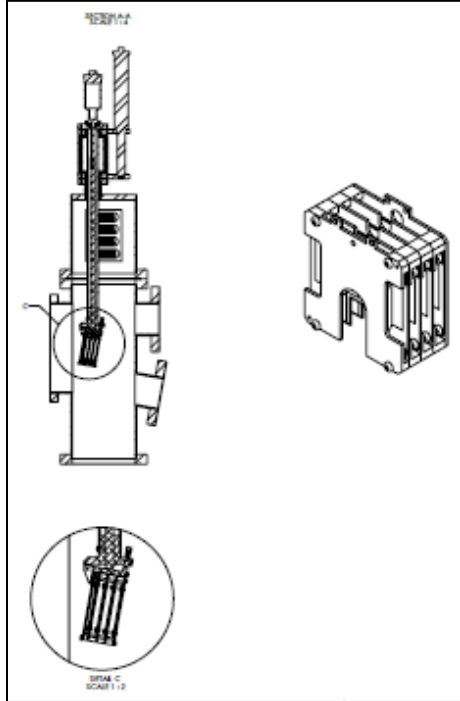
→ Design very similar to Hall A concept with some small differences

Components

1. **Laser:** Low gain (~100-200) cavity pumped with 10 W green laser
2. **Photon Detector:** CsI from MIT-Bates Compton polarimeter
3. **Electron Detector:** Diamond strip detector
4. **Dipole chicane (MIT-Bates)** and **beamline** modifications



Electron Detector

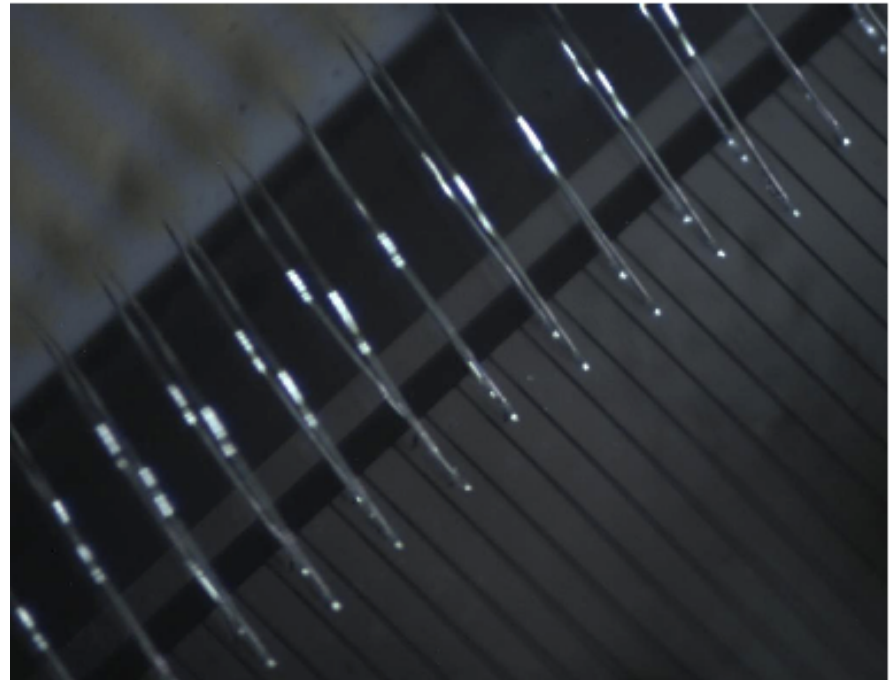


Diamond strip detector built by Miss. State, U. Winnipeg

→ 4 planes of 96 strips

→ 200 μm pitch

Key component (not shown): amplifier-discriminator electronics



Readout using CAEN v1495 boards

→ Should be able to read out either in event mode or in “scaler” mode

→ Capable of high rate readout – we are shooting for 100 kHz in event mode: higher rates likely possible

CsI Photon Detector

Pure CsI crystal

- 10 x 10 x 30 cm³, slightly tapered → from MIT-Bates polarimeter
- Decay time: 16 ns (1000 ns), yield 2000 γ /MeV (5% of NaI)

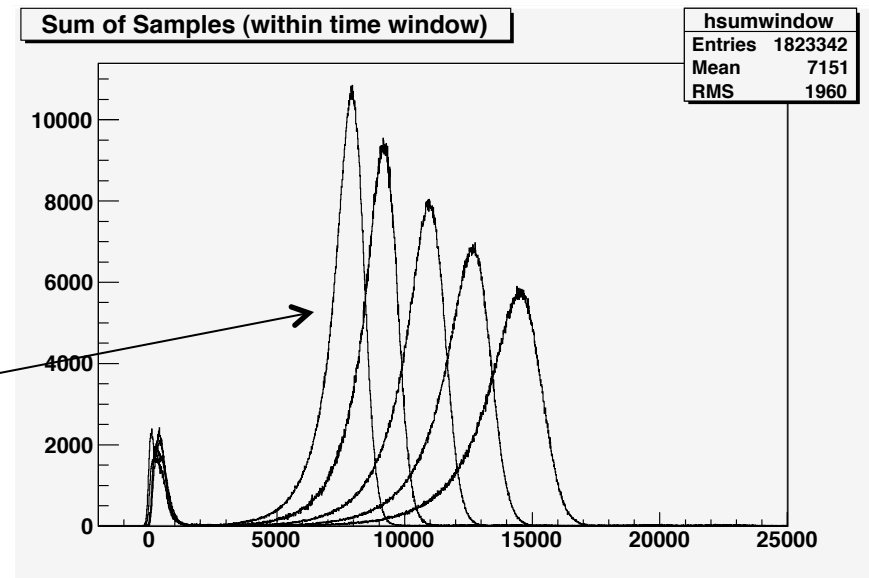
Read out

- 250 MHz sampling ADC with integrated accumulators (developed for Hall A Compton by Hall A/Carnegie Mellon University)

H γ S tests

- Photon beam tests performed at H γ S facility at Duke

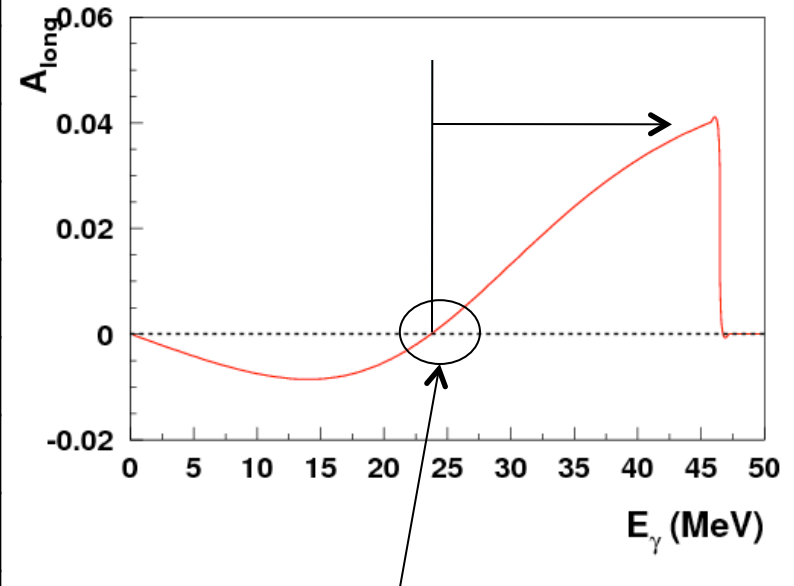
*Photon beam energy from 22 to 40 MeV (Q_{Weak} endpoint = 46 MeV)
→ variable intensity*



Compton Polarimeter Systematics

Systematic errors based on HAPPEX-II in Hall A using “zero-crossing” technique

Source	dA/A (%)
Dipole Bdl, detector pos.	0.03
E_{beam} (10^{-3})	0.10
Detector efficiency	0.1-0.2
$A_{\text{background}}$	0.02
Radiative corrections	0.25
P_{laser}	0.35
Cuts, beam spot size	0.5
Total	0.70

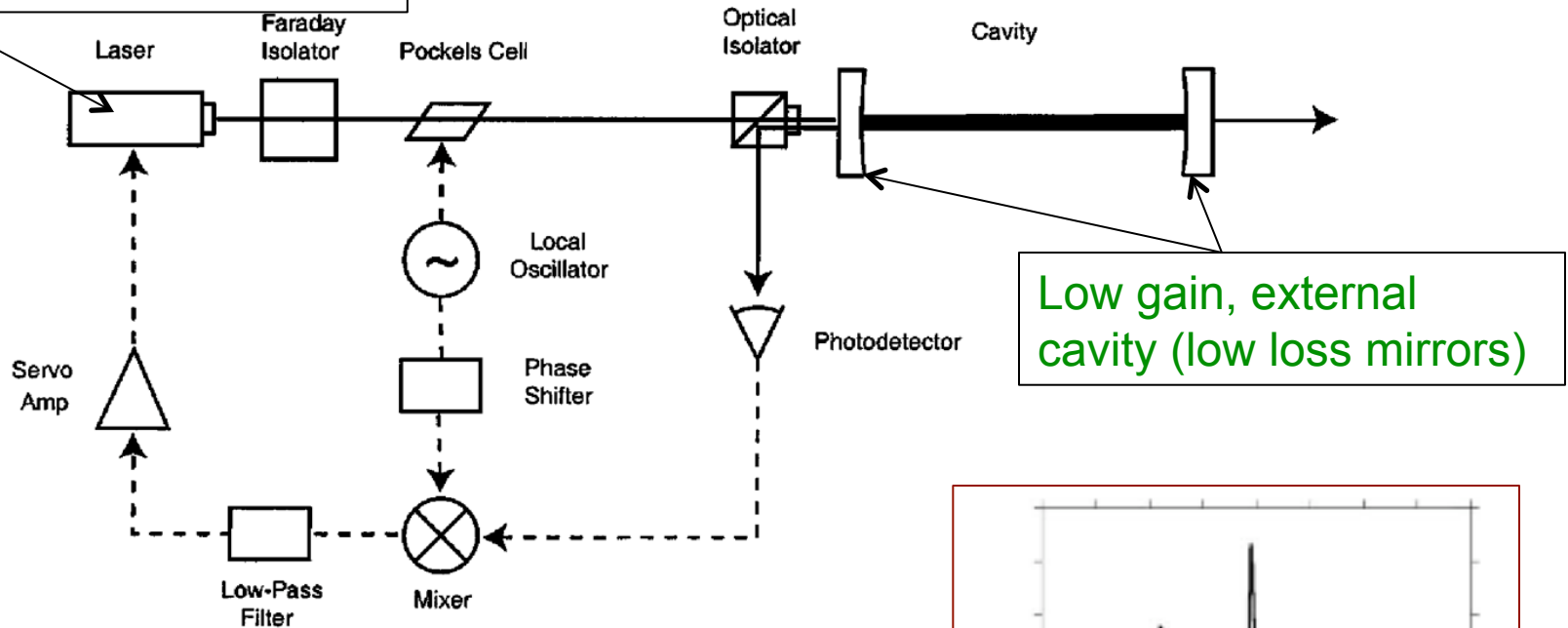


Integrate response from asymmetry zero crossing

Crucial that zero-crossing in electron detector acceptance
→ Hall C Compton designed with this in mind; zero crossing ~ 1 cm from beam

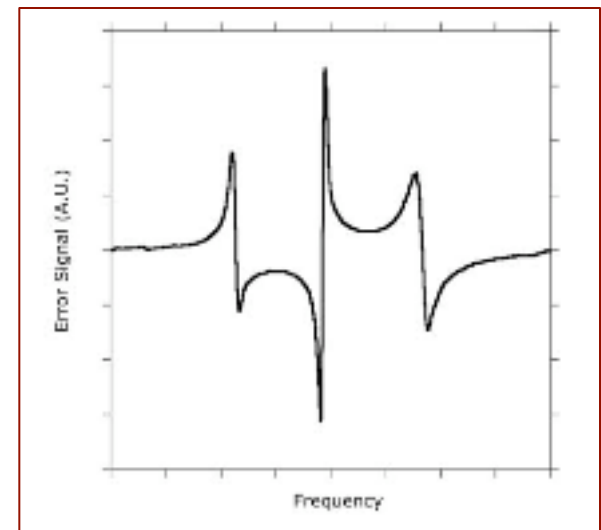
External Fabry-Perot Cavity

Hall C: Coherent VERDI-10



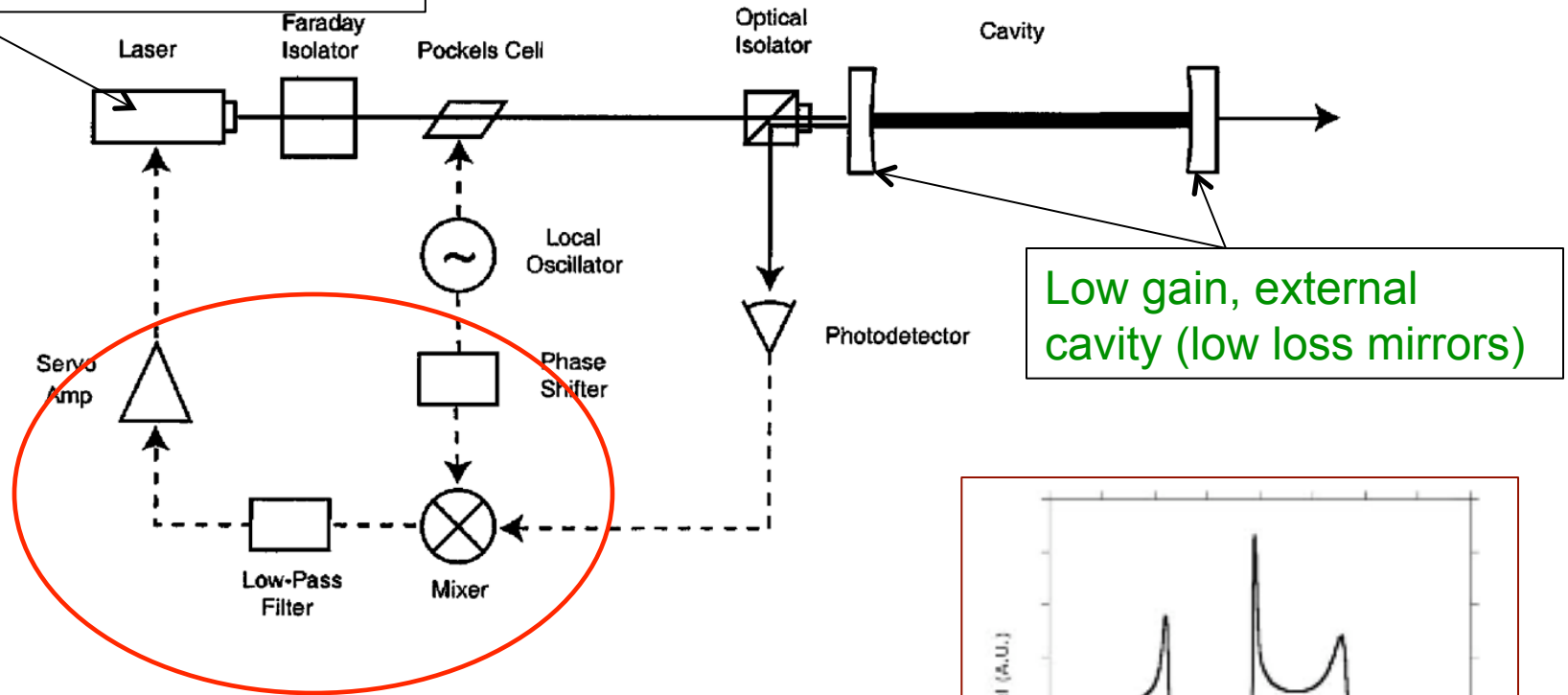
Low gain, external cavity (low loss mirrors)

Laser locked to cavity using Pound-Drever-Hall (PDH) technique

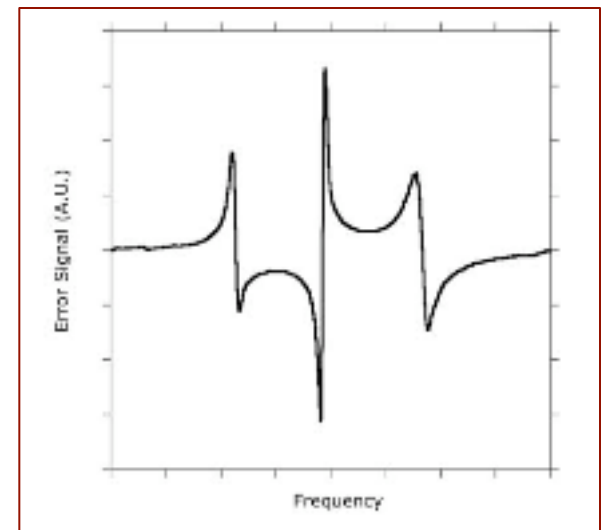


External Fabry-Perot Cavity

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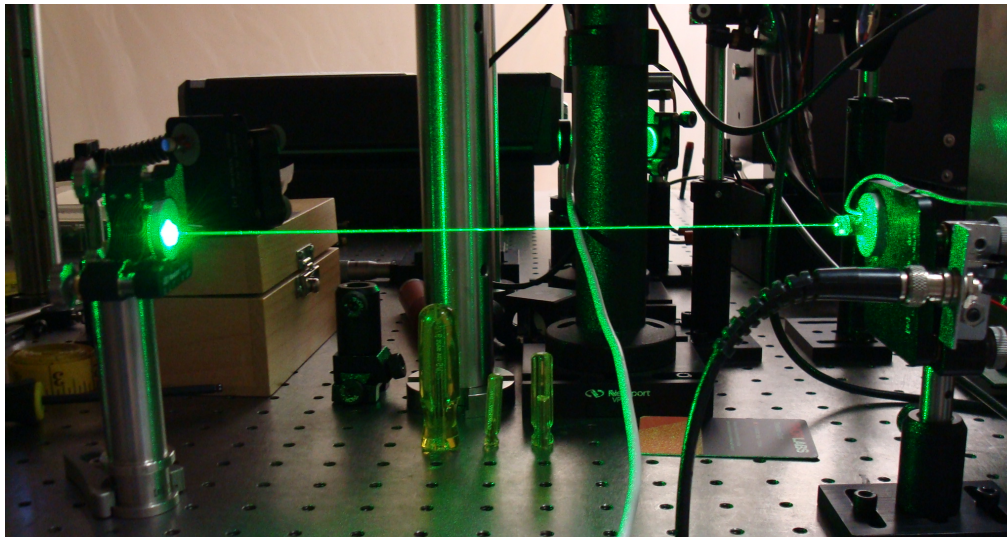
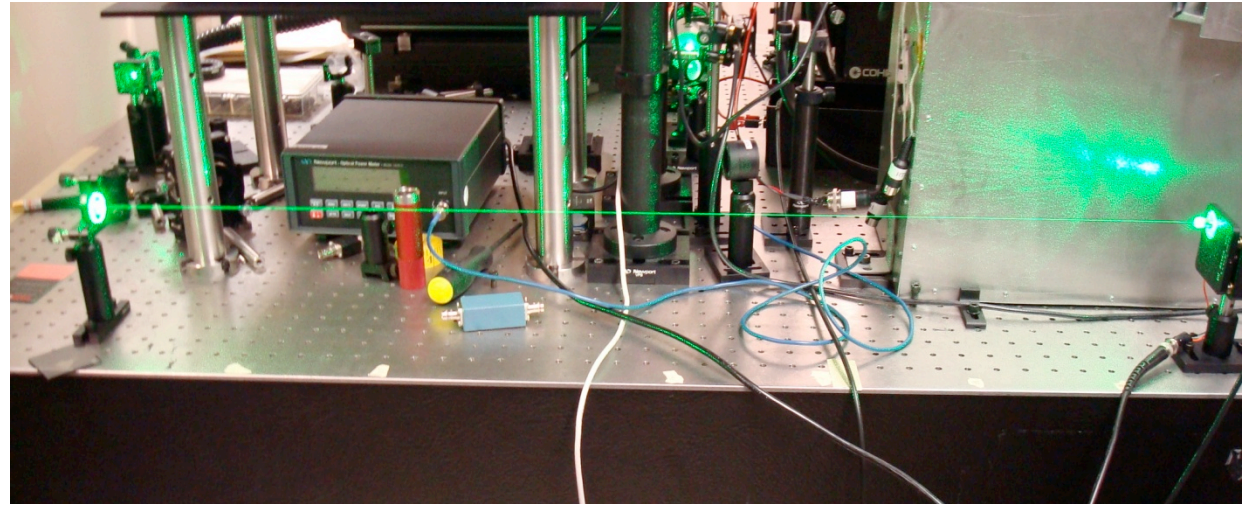


Laser locked to cavity using Pound-Drever-Hall (PDH) technique



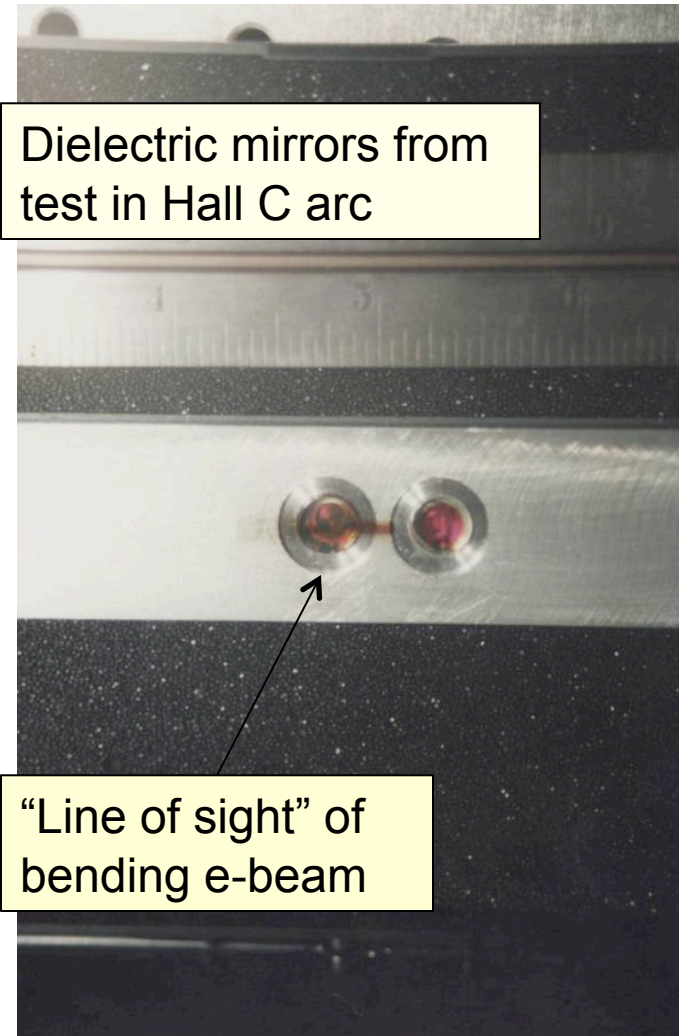
Low gain cavity at UVa

Gain 100 cavity
linewidth=400 kHz



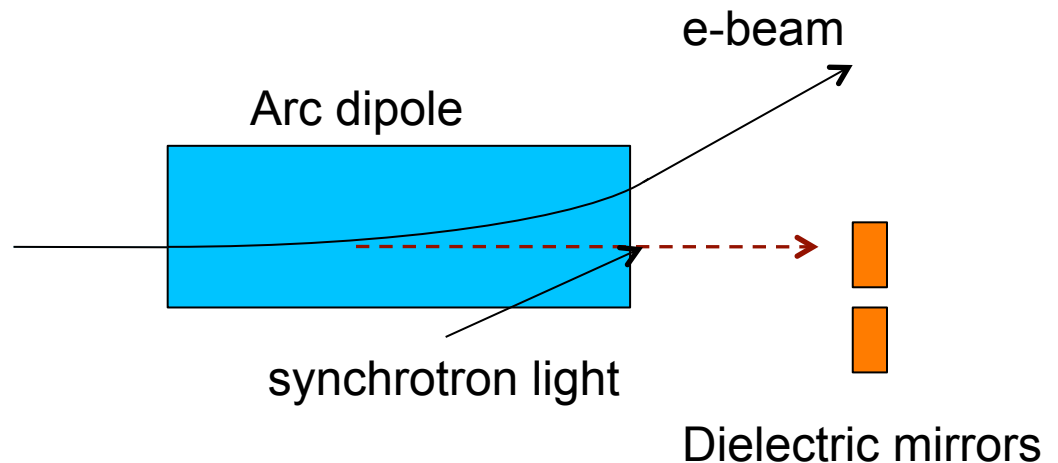
Gain 300 cavity
linewidth = 175 kHz

Dielectric Mirrors in the Beamline



High power FP cavities require very low-loss (<50 ppm) dielectric mirrors

- Experience in Hall A has taught us these mirrors CAN survive in "high" current electron beamline for years at a time
- BUT, you must take care



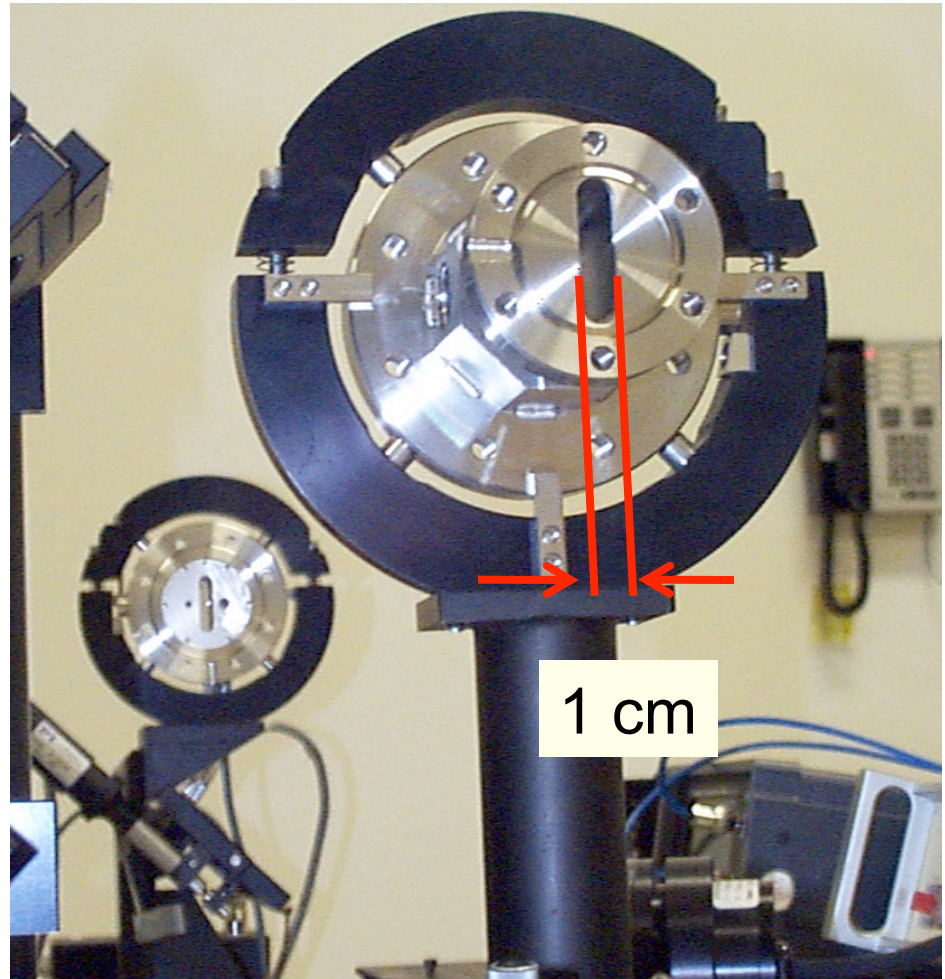
Halo, small apertures and backgrounds

Hall A system uses narrow apertures to help protect cavity mirrors from
→ Large beam related backgrounds
→ Direct beam strikes

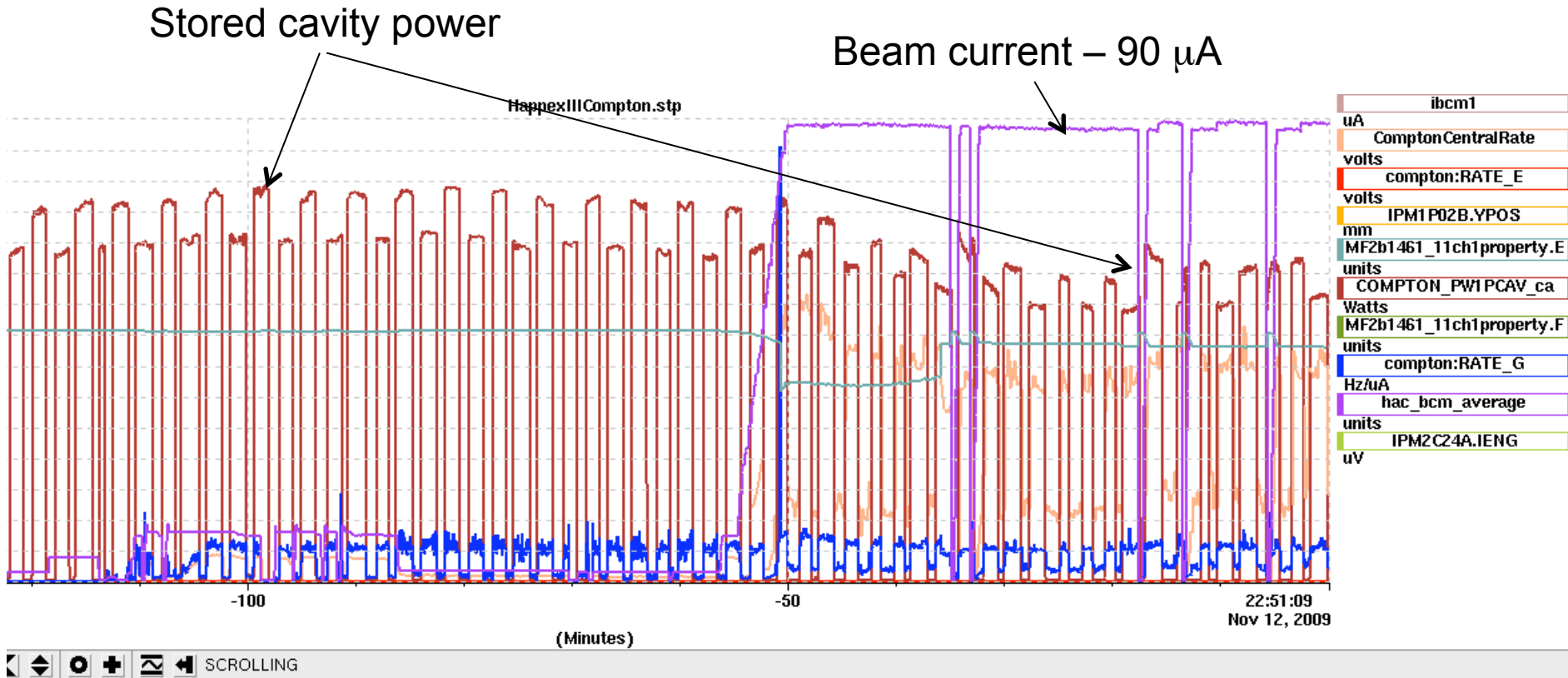
Large beam size, halo will result huge backgrounds from scraping on narrow apertures → ion chambers, machine protection system shuts off beam

This system has drawbacks → very small halos can still result in significant backgrounds

→ Halo may be small enough to run, but there still may be a lot of junk in your detectors



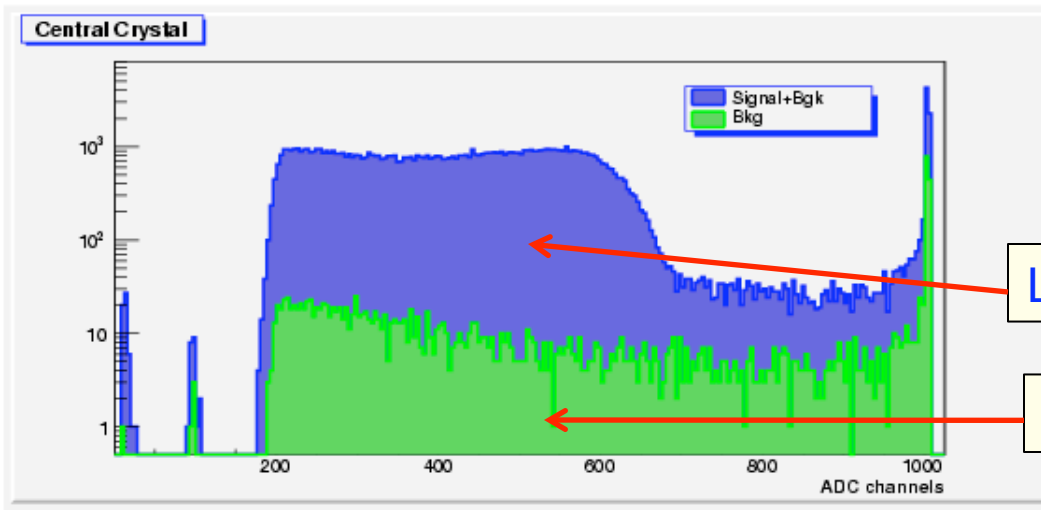
Beam vs. Cavity



Example: stored cavity power droops at high e-beam currents

→ Source unknown: synch light or beam scraping heating and distorting mirrors?

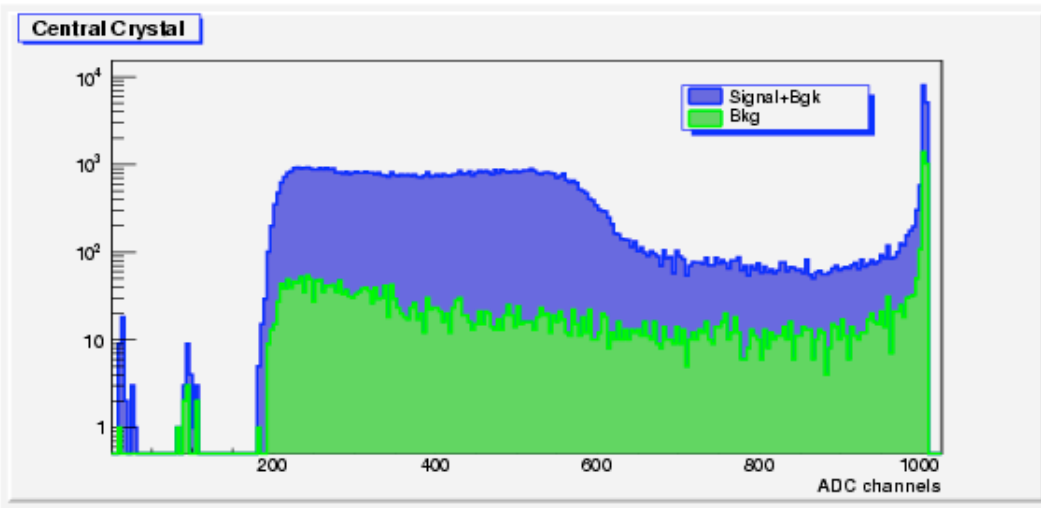
Backgrounds and Beam Tune



“Good” beam tune
Signal/Background = 16

Laser on

Laser off



“Bad” beam tune
Signal/Background = 5

A lot of time and effort devoted to beam tuning to achieve good signal to noise – very sensitive to small changes in the machine!

RF pulsed FP Cavity

JLab 12 GeV:

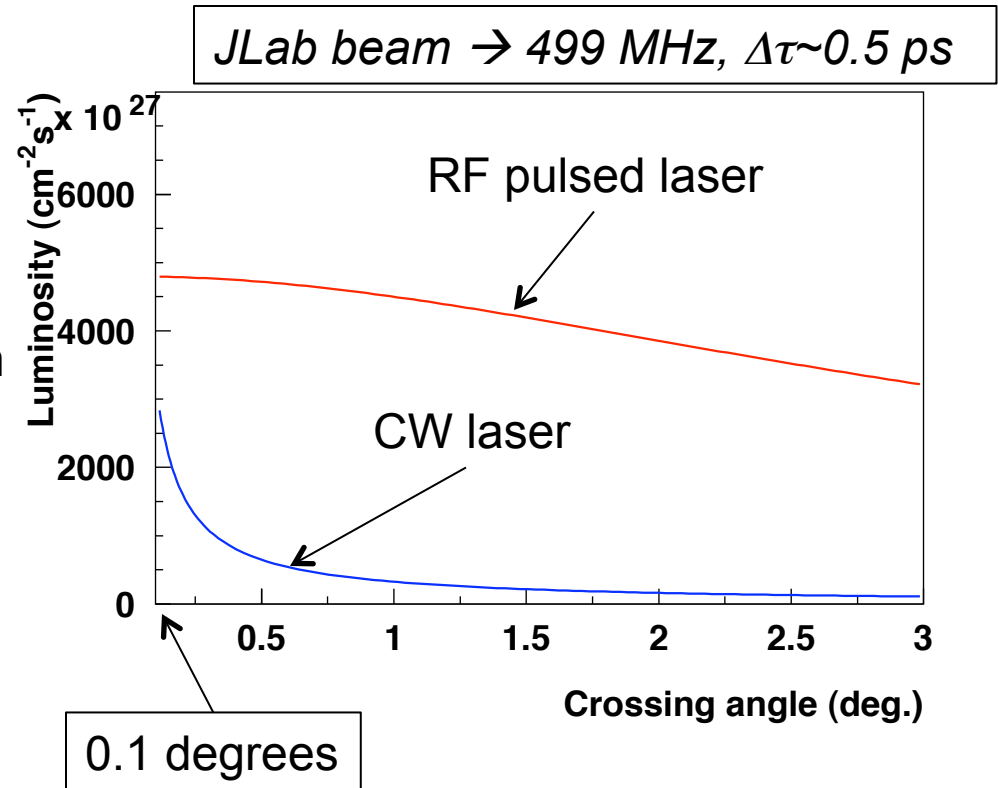
Control of beam halo, spot size likely worse

At 6 GeV, it already takes considerable effort to tune the beam for the Compton

Highly desirable to get mirrors further from beamline without reducing luminosity unduly

→ This could be accomplished by switching from CW cavity, to RF pulsed cavity

→ At non-zero crossing angle, luminosity larger, drops more slowly with crossing angle

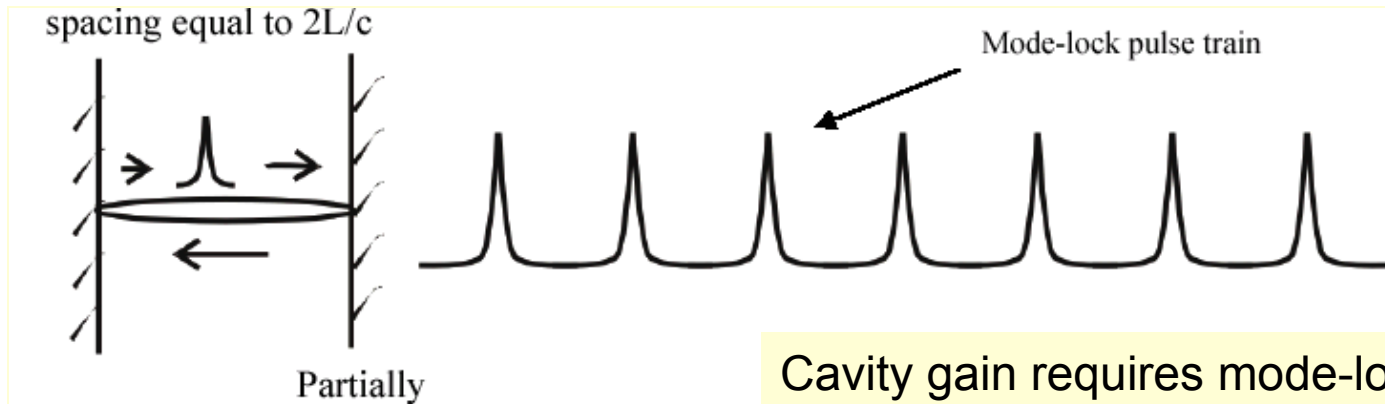


RF pulsed cavities have been built – this is a technology under development for ILC among other applications

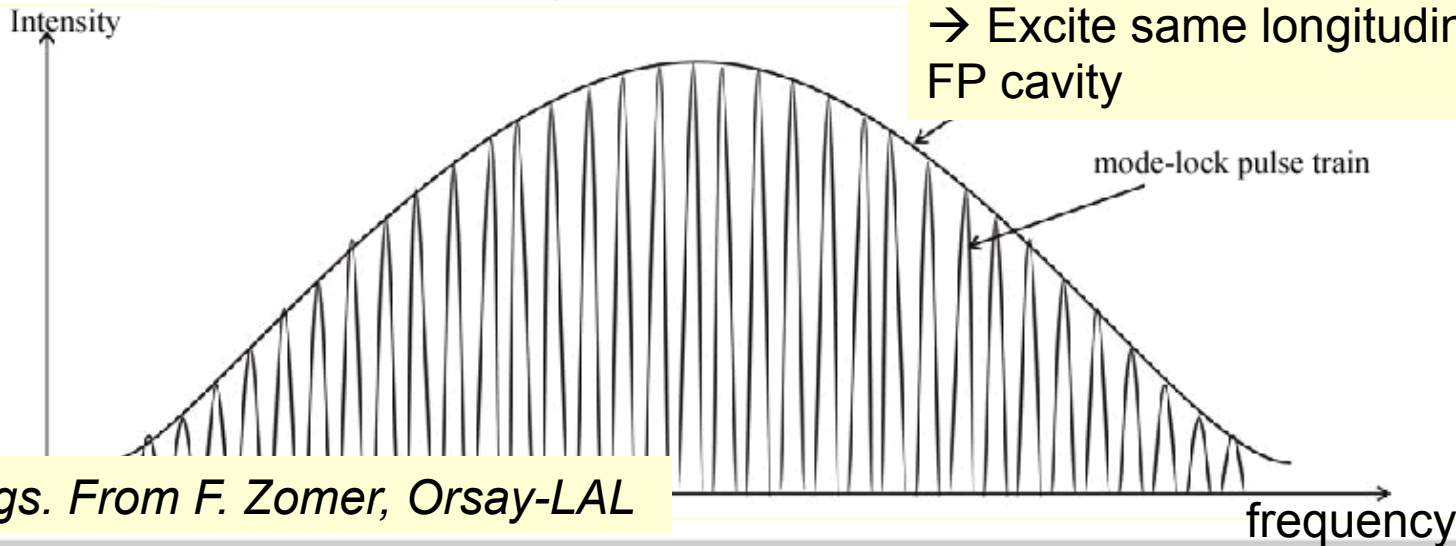
Pulsed vs. CW FP Cavity

CW cavity resonance condition: $2L_{\text{cavity}} = n \lambda$

Additional condition for pulsed laser: $2L_{\text{cavity}} = n c/f_{\text{RF}}$



Cavity gain requires mode-locked laser!
→ Excite same longitudinal modes in FP cavity



Figs. From F. Zomer, Orsay-LAL

Cavity Design Considerations

- In general – “low-finesse” (gain) cavities are easier than high-finesse
 - Better off if you can start with higher power laser (1 W better than 100 mW)
- Keep mirrors far from beamline
 - Naively, you can just make the cavity longer → same crossing angle, but mirrors further away
 - But, longer cavity results in smaller linewidth at fixed finesse → this may make locking more challenging
- RF pulsed system an intriguing solution
 - Extra degree of freedom in feedback, but has been demonstrated to work
 - Greater sensitivity to helicity correlated pathlength changes in the machine?

Summary

- JLab benefits greatly from multiple techniques for electron beam polarimetry
 - Mott allows independent measurement at the injector – no reliance on experimenters
 - Different techniques provide different systematics – increased confidence in “high precision” measurements
- Møller polarimetry perhaps the “simplest” technique to implement and achieve high precision
 - Limited to low currents
 - Measurements destructive, cannot be done without interrupting beam to experiment
- Compton polarimetry ideal technique from perspective of experimenter *but*,
 - More difficult to implement → low beam currents at JLab require creative solutions to achieve timely measurements
 - FP cavity presents beam tuning complications – already difficult, may be impractical at 12 GeV

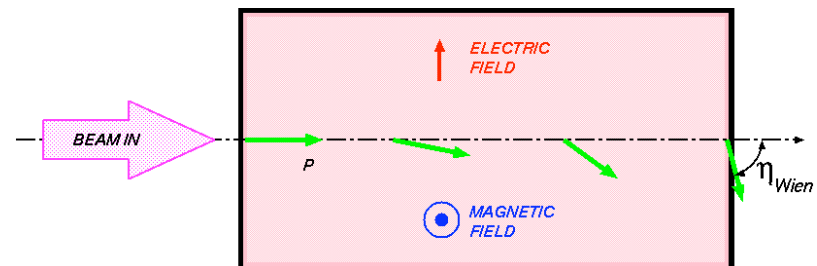
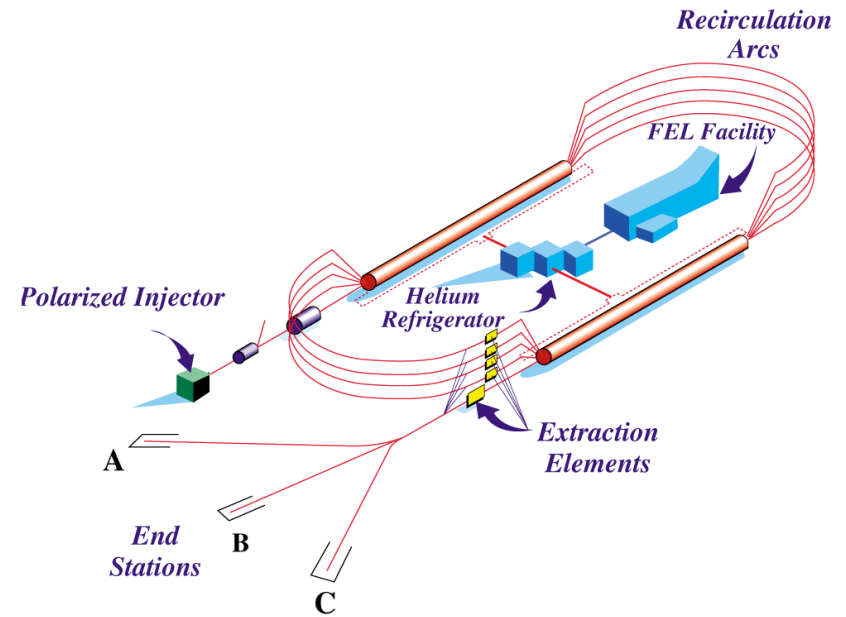
Extra

Polarized Electrons at Jefferson Lab

- Polarized electrons generated “at the source” using Superlattice GaAs photocathode
- Electrons polarized in the plane of the accelerator
 - spin direction precesses as beam circulates (up to 5 times) through machine

$$\phi_{spin} = \frac{g - 2}{2} \frac{E_{beam}}{m_e} \theta_{bend}$$

- Spin direction manipulated at source using Wien filter to get long. Polarization in Halls
- JLab now routinely provides electron beam polarizations >80% to experimental halls

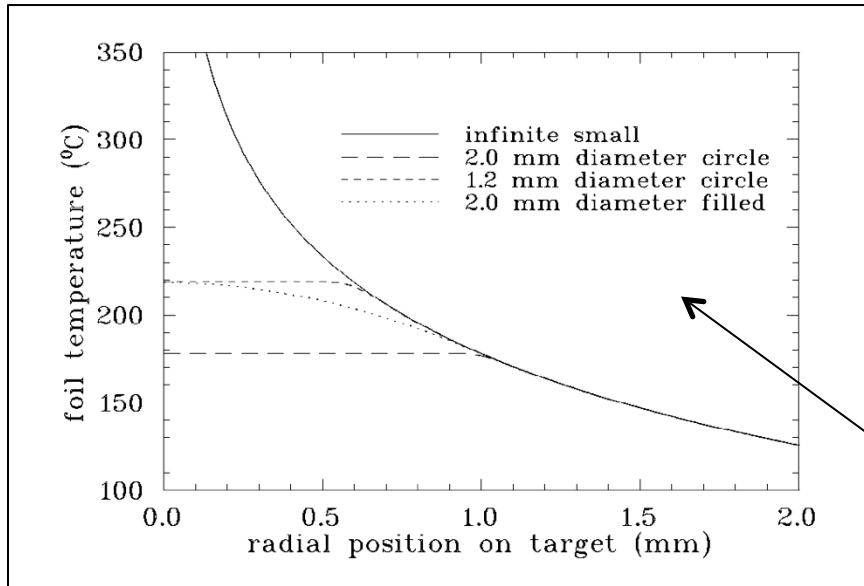
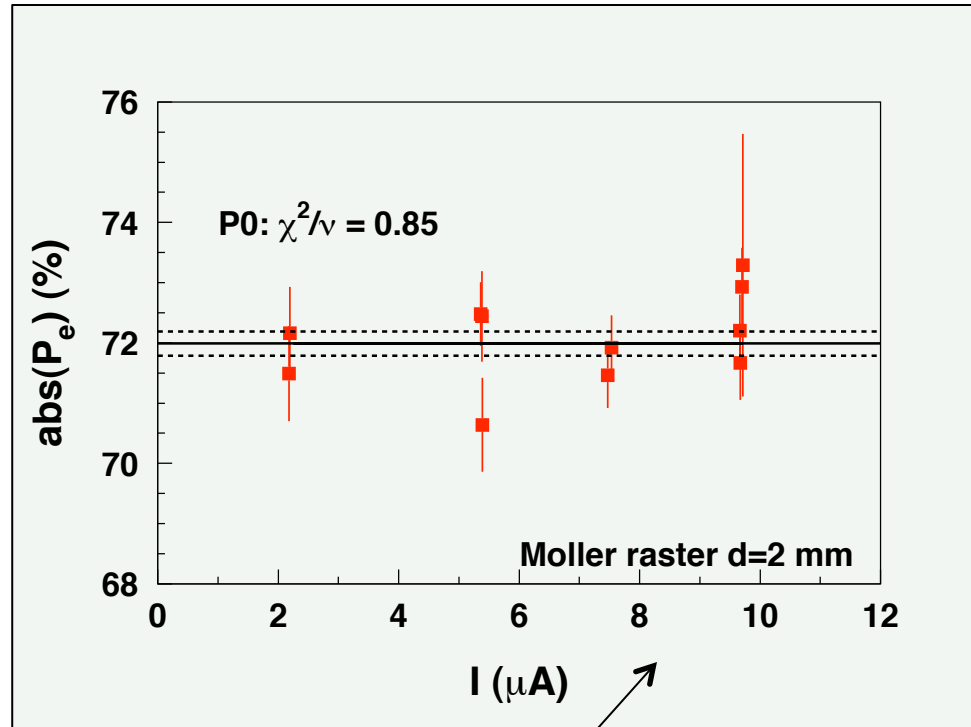


Møller Raster

→ Using a circular raster with radius of 2 mm, can run up to 10 to 20 μA without significant heating effects

→ Experiments (especially Q_{Weak}) run at significantly higher currents – 150 μA !

→ Møller running up to 100 μA (or higher) desirable

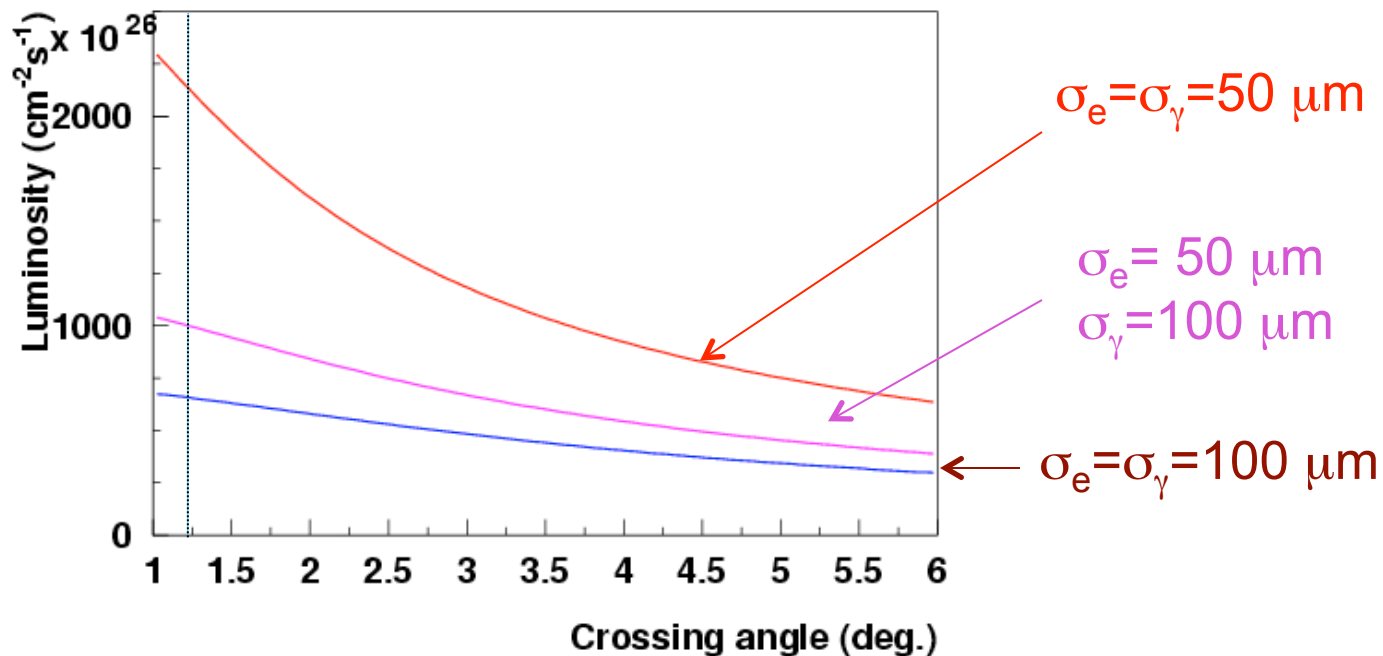


Møller current dependent tests during G0 forward angle (2003)

Calculated target heating vs. "raster size" at 20 μA

Luminosity and Rate

$$L \approx \frac{2f(1 + \cos \alpha_c) N_e N_\gamma}{\sin \alpha_c} \frac{1}{4\pi} \frac{1}{\sqrt{\sigma_e^2 + \sigma_\gamma^2}} \frac{1}{\sqrt{\sigma_{e,c\tau}^2 + \sigma_{\gamma,c\tau}^2 + \frac{\sigma_e^2 + \sigma_\gamma^2}{\sin^2 \frac{\alpha_c}{2}}}}$$



Luminosity from RF (Fiber) Laser

Fiber laser pulse-width about 15 times larger than electron beam – no problem!

$$\frac{L_{pulsed}}{L_{CW}} \approx \frac{c}{f \sqrt{2\pi}} \left(\sqrt{\sigma_{c\tau, laser}^2 + \sigma_{c\tau, e}^2} + \frac{1}{\sin^2(\alpha/2)} (\sigma_e^2 + \sigma_{laser}^2) \right)^{-1}$$

1 cm²
2.0 cm²

$$\sigma_e = \sigma_{laser} = 100 \mu\text{m}, \alpha = 20 \text{ mrad}$$

Luminosity gain only weakly dependent on laser pulse width
 → for laser pulses ~ 10's of ps

